

## BACS HW (Week 6)

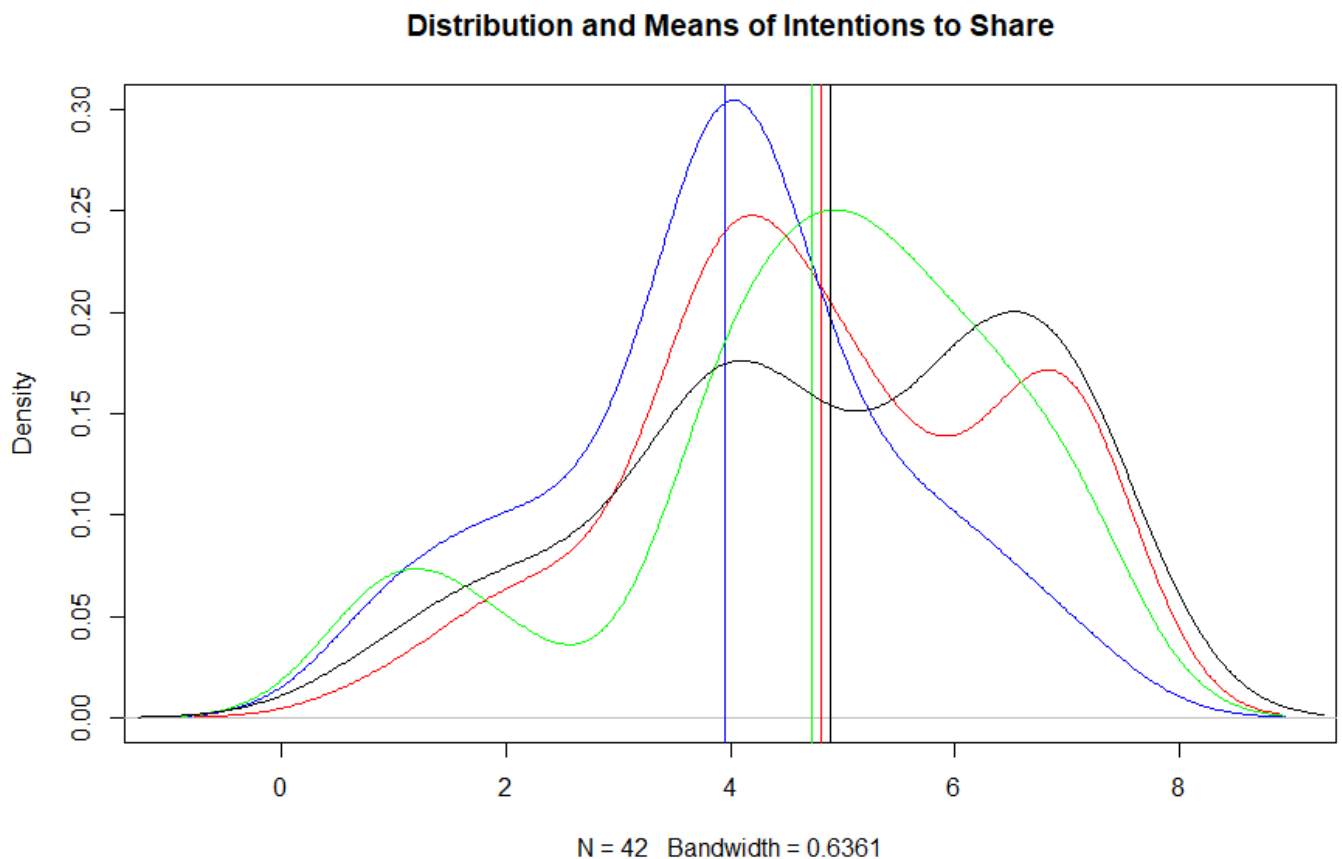
### 1. Describe and visualize data.

```
> intend_1<-read.csv("pls-media1.csv",header=TRUE)[,2]
> intend_2<-read.csv("pls-media2.csv",header=TRUE)[,2]
> intend_3<-read.csv("pls-media3.csv",header=TRUE)[,2]
> intend_4<-read.csv("pls-media4.csv",header=TRUE)[,2]
```

#### a) The mean of each data

```
> mean(intend_1)
[1] 4.809524
> mean(intend_2)
[1] 3.947368
> mean(intend_3)
[1] 4.725
> mean(intend_4)
[1] 4.891304
```

#### b) Visualize the distribution and mean



#### c) From the graph, the mean of each types of media are very close, it seems that media type do not make difference on intention to share.

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## 2. One-way ANOVA

a)  $H_0$ : The differences between the means of each types of media = 0

$H_1$ : The differences between the means of each types of media  $\neq 0$

b) F-statistic = 2.6167

```
> intend<-c(intend_1,intend_2,intend_3,intend_4)
> SSTR<-length(intend_1)*(mean(intend_1)-mean(intend))^2 +
+       length(intend_2)*(mean(intend_2)-mean(intend))^2 +
+       length(intend_3)*(mean(intend_3)-mean(intend))^2 +
+       length(intend_4)*(mean(intend_4)-mean(intend))^2
> MSTR<-SSTR/3
> SSE <- (length(intend_1)-1)*sd(intend_1)^2 +
+       (length(intend_2)-1)*sd(intend_2)^2 +
+       (length(intend_3)-1)*sd(intend_3)^2 +
+       (length(intend_4)-1)*sd(intend_4)^2
> df_MSE<- length(intend)-4
> MSE<-SSE/df_MSE
> f_stat<-MSTR/MSE
> f_stat
[1] 2.616669
```

c) 95% cut-off value=2.6604, 99% cut-off value=3.9048

```
> qf(p=0.95, df1=3, df2=df_MSE)
[1] 2.660406
> qf(p=0.99, df1=3, df2=df_MSE)
[1] 3.904807
```

d) According to traditional ANOVA test, as F is less than both the 95% and 99% cut-off value, we cannot reject the null hypothesis.

```
#Change the data format
> intend_1<-data.frame(media=rep(1,length(intend_1)),intend=intend_1)
> intend_2<-data.frame(media=rep(2,length(intend_2)),intend=intend_2)
> intend_3<-data.frame(media=rep(3,length(intend_3)),intend=intend_3)
> intend_4<-data.frame(media=rep(4,length(intend_4)),intend=intend_4)
intend<-rbind(intend_1,intend_2,intend_3,intend_4)
> oneway.test(intend$intend ~ intend$media,var.equal = TRUE)

One-way analysis of means

data:  intend$intend and intend$media
F = 2.6167, num df = 3, denom df = 162, p-value = 0.05289
```

e) As the data are not normal distributed, it doesn't meet the requirement of one-way ANOVA.

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### 3. Bootstrapping ANOVA

#### a) Bootstrap the null and alternative hypotheses

```
#Reformat the data as integer
> intend_1<-intend_1$intend
> intend_2<-intend_2$intend
> intend_3<-intend_3$intend
> intend_4<-intend_4$intend

#Bootstrap function
> boot_anova <- function(t1, t2, t3, t4, media_nums) {
+   size1 = length(t1)
+   size2 = length(t2)
+   size3 = length(t3)
+   size4 = length(t4)
+
+   null_grp1 = sample(t1 - mean(t1), size1, replace=TRUE)
+   null_grp2 = sample(t2 - mean(t2), size2, replace=TRUE)
+   null_grp3 = sample(t3 - mean(t3), size3, replace=TRUE)
+   null_grp4 = sample(t4 - mean(t4), size4, replace=TRUE)
+   null_values = c(null_grp1, null_grp2, null_grp3, null_grp4)
+
+   alt_grp1 = sample(t1, size1, replace=TRUE)
+   alt_grp2 = sample(t2, size2, replace=TRUE)
+   alt_grp3 = sample(t3, size3, replace=TRUE)
+   alt_grp4 = sample(t4, size4, replace=TRUE)
+   alt_values = c(alt_grp1, alt_grp2, alt_grp3, alt_grp4)
+
+   c(oneway.test(null_values ~ media_nums,var.equal=TRUE)$statistic,
+     oneway.test(alt_values ~ media_nums, var.equal=TRUE)$statistic)
+ }
> set.seed(99)
> f_values <- replicate(3000, boot_anova(intend_1, intend_2, intend_3, intend_4,
intend$media))
> f_nulls <- f_values[1,]
> f_alts <- f_values[2,]
> mean(f_nulls)
[1] 1.016004
> mean(f_alts)
[1] 3.775775
```

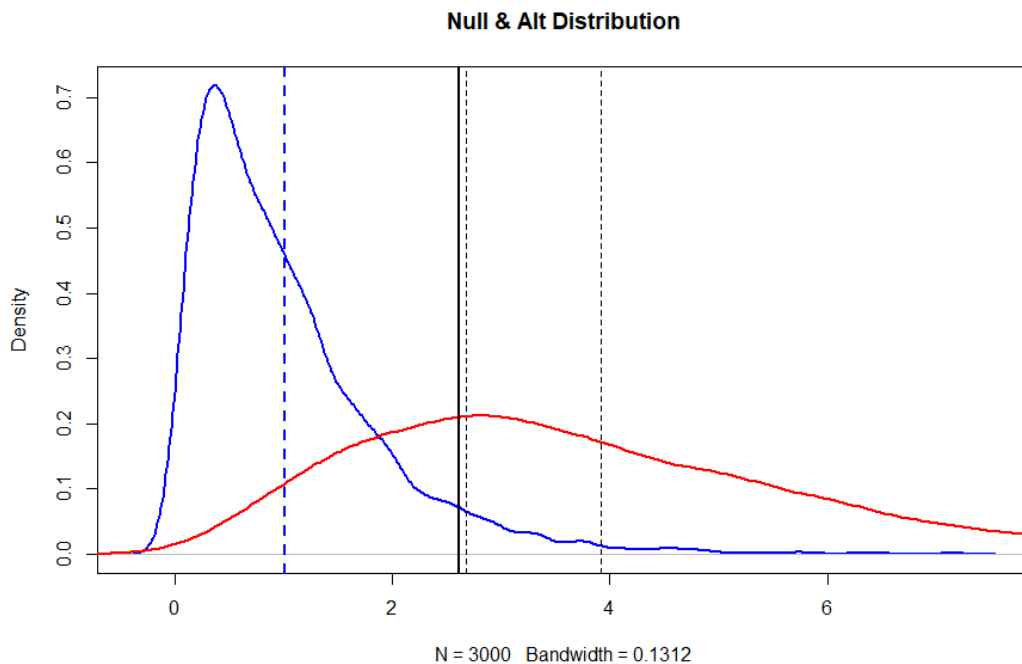
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b) The 95% cut-off value=2.6604, the 99% cut-off value=3.9048.

```
> qf(p=0.95, df1=3, df2=df_MSE)
[1] 2.660406
> qf(p=0.99, df1=3, df2=df_MSE)
[1] 3.904807
```

c) Visualizing the null value, alternative value of F and 95%, 99% cut-off value.

```
> plot(density(f_nulls), col = "blue", lwd=2, main = "Null & Alt Distribution")
> abline(v=quantile(f_nulls,0.95), lty = "dashed")
> abline(v=quantile(f_nulls,0.99), lty = "dashed")
> abline(v=mean(f_nulls), lty="dashed", lwd=2, col="blue")
> lines(density(f_alts), lwd=2, col="red")
> anova <- oneway.test(intend$intend ~ intend$media, var.equal=TRUE)
> abline(v=anova$statistic, lwd=2)
```



d) Due to the result of bootstrapping, the four types of media produce the same mean intention to share at both 95% and 99% confidence.