

Field D* Pseudocode

Algorithm 1 ComputeCost(s, s_a, s_b)

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if ( $s_a$  is a diagonal neighbor of  $s$ ) then
     $s_1 = s_b; s_2 = s_a;$ 
else
     $s_1 = s_a; s_2 = s_b;$ 
end if
 $c$  is traversal cost of cell with corners  $s, s_1, s_2;$ 
 $b$  is traversal cost of cell with corners  $s, s_1$ , but not  $s_2;$ 
if ( $\min(c, b) = \infty$ ) then
     $v_s = \infty;$ 
else if ( $g(s_1) \leq g(s_2)$ ) then
     $v_s = \min(c, b) + g(s_1);$ 
else
     $f = g(s_1) - g(s_2);$ 
    if ( $f \leq b$ ) then
        if ( $c \leq f$ ) then
             $v_s = c\sqrt{2} + g(s_2);$ 
        else
             $y = \min(\frac{f}{\sqrt{c^2 - f^2}}, 1);$ 
             $v_s = c\sqrt{1 + y^2} + f(1 - y) + g(s_2);$ 
        end if
    else
        if ( $c \leq b$ ) then
             $v_s = c\sqrt{2} + g(s_2);$ 
        else
             $x = 1 - \min(\frac{b}{\sqrt{c^2 - b^2}}, 1);$ 
             $v_s = c\sqrt{1 + (1 - x)^2} + bx + g(s_2);$ 
        end if
    end if
end if
end if
    return  $v_s;$ 

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Algorithm 2 ComputeShortestPath()

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while  $\min_{s \in OPEN} (key(s) < key(s_{start}) \text{ OR } rhs(s_{start}) \neq g(s_{start}))$  do  
  peek at node  $s$  with the minimum key on  $OPEN$ ;  
  if  $(g(s) \geq rhs(s))$  then  
     $g(s) = rhs(s)$ ;  
    remove  $s$  from  $OPEN$ ;  
    for all  $s' \in nbrs(s)$  do  
      if ( $s'$  was not visited before) then  
         $g(s') = rhs(s') = \infty$ ;  
      end if  
       $rhs_{old} = rhs(s')$ ;  
      if  $(rhs(s') > \text{ComputeCost}(s', s, ccknbr(s', s)))$  then  
         $rhs(s') = \text{ComputeCost}(s', s, ccknbr(s', s))$ ;  
         $bptr(s') = s$ ;  
      end if  
      if  $(rhs(s') > \text{ComputeCost}(s', s, cknbr(s', s)))$  then  
         $rhs(s') = \text{ComputeCost}(s', s, cknbr(s', s))$ ;  
         $bptr(s') = cknbr(s', s)$ ;  
      end if  
      if  $(rhs(s) \neq rhs_{old})$  then  
         $\text{UpdateState}(s')$ ;  
      end if  
    end for  
  else  
     $rhs(s) = \min_{s' \in nbrs(s)} \text{ComputeCost}(s, s', ccknbr(s, s'))$ ;  
     $bptr(s) = \text{argmin}_{s' \in nbrs(s)} \text{ComputeCost}(s, s', ccknbr(s, s'))$ ;  
    if  $(g(s) < rhs(s))$  then  
       $g(s) = \infty$ ;  
      for all  $s' \in nbrs(s)$  do  
        if  $(bptr(s') = s \text{ OR } bptr(s') = cknbr(s', s))$  then  
          if  $(rhs(s') \neq \text{ComputeCost}(s', bptr(s'), ccknbr(s', bptr(s'))))$  then  
            if  $(g(s') < rhs(s') \text{ OR } s' \notin OPEN)$  then  
               $rhs(s') = \infty$ ;  
               $\text{UpdateNode}(s')$ ;  
            end if  
          else  
             $rhs(s') = \min_{s'' \in nbrs(s')} \text{ComputeCost}(s', s'', ccknbr(s', s''))$ ;  
             $bptr(s') = \text{argmin}_{s'' \in nbrs(s')} \text{ComputeCost}(s', s'', ccknbr(s', s''))$ ;  
             $\text{UpdateNode}(s')$ ;  
          end if  
        end if  
      end for  
    end if  
     $\text{UpdateNode}(s)$ ;  
  end if  
end while
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