

Calibration of Microscopic Traffic Simulation in an Urban Environment Using GPS-Data

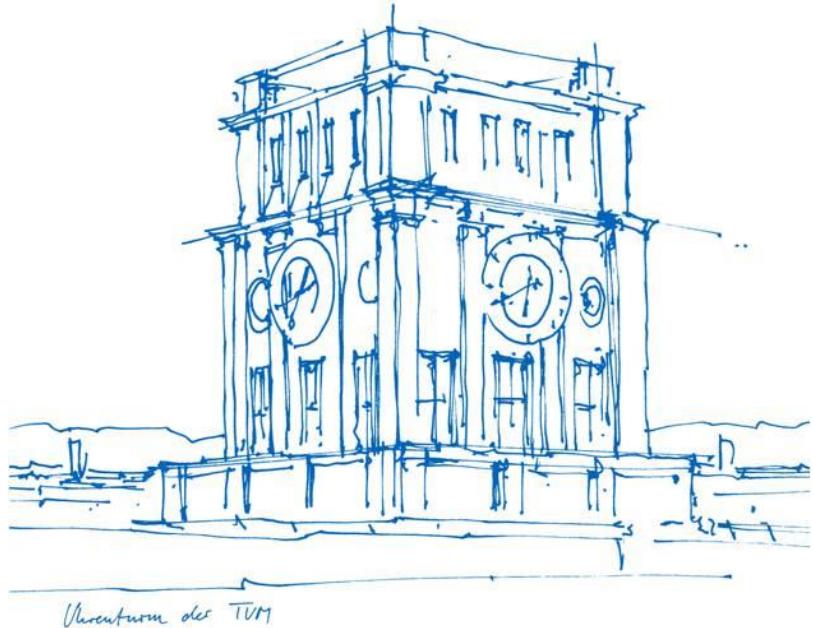
SUMO User Conference 2024

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Agenda

1. Introduction
2. Network
3. Methodology
4. Results
5. Conclusion & Outlook



Introduction

Introduction

Accurate traffic models are important for well-founded traffic engineering: Usage of traffic count and speed measurements of road segments common approach for the calibration of traffic simulation models.

SUMO offers the tools **flowrouter** and **routessampler** for generating traffic demand models on the base of traffic count measurements.

Following approach applies a two-step optimization process by using collected GPS-data with information about vehicle count and speed measurements.

A priori optimization

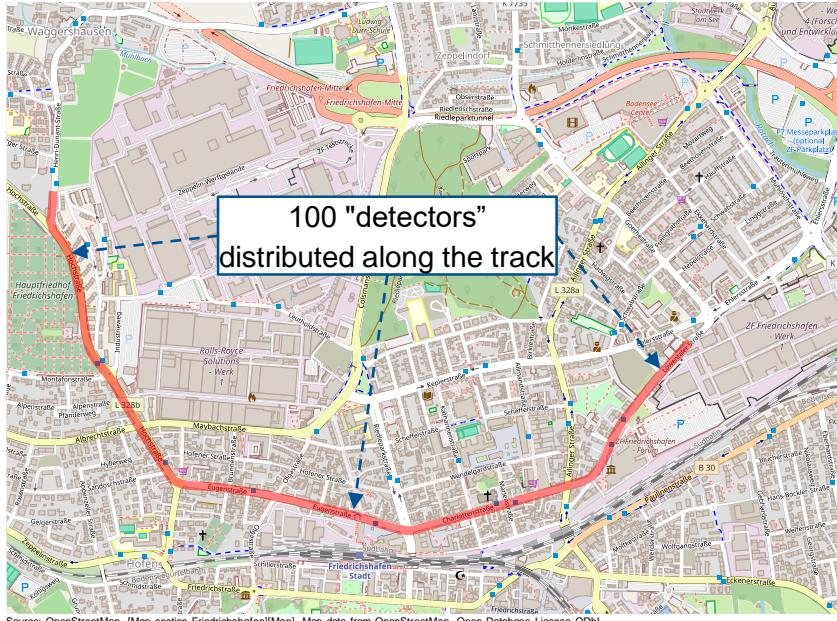
of count measurements by adopting
Integer Linear Programming

A posteriori optimization

of speed (and count) measurements by adopting
Integer Linear Programming+Evolutionary Algorithm

Network

Network



Information about dataset provided by TomTom Network

Time period

- City: Friedrichshafen
 - Track: Henri-Dunant-Strasse to Löwentaler-Strasse (ca. 3 km)
- 2017-2019, 36 months

Kind of information

- Vehicle counts
 - Vehicle speed distribution
- for each detector

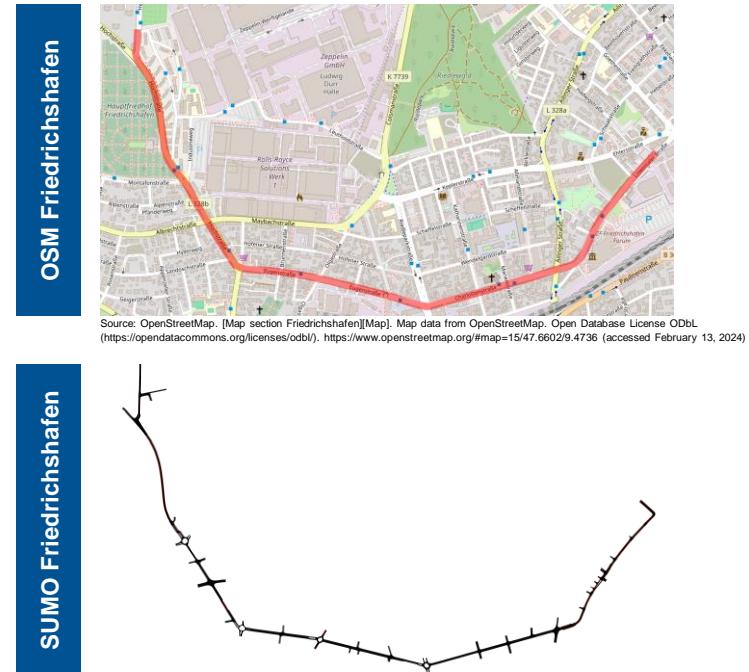
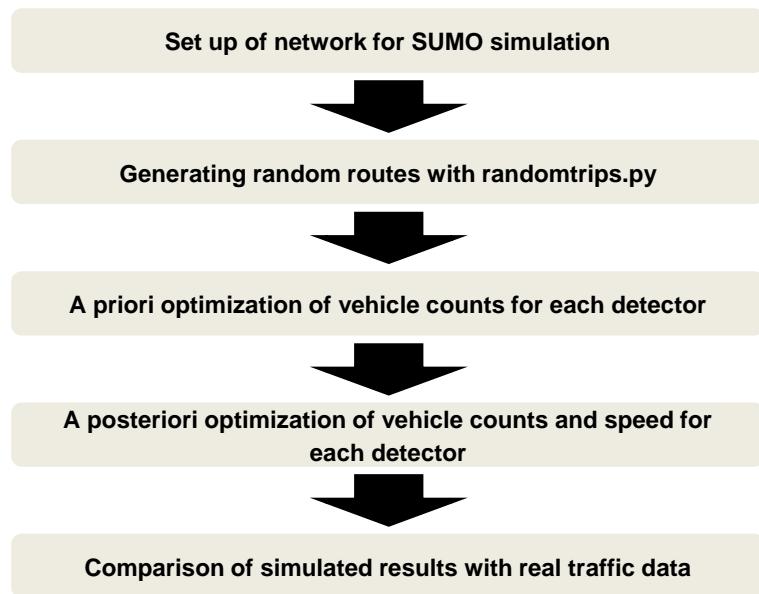
Aggregation of dataset for each detector

- One representative working and weekend day of each month
- Each day subdivided into time intervals of 2 hours

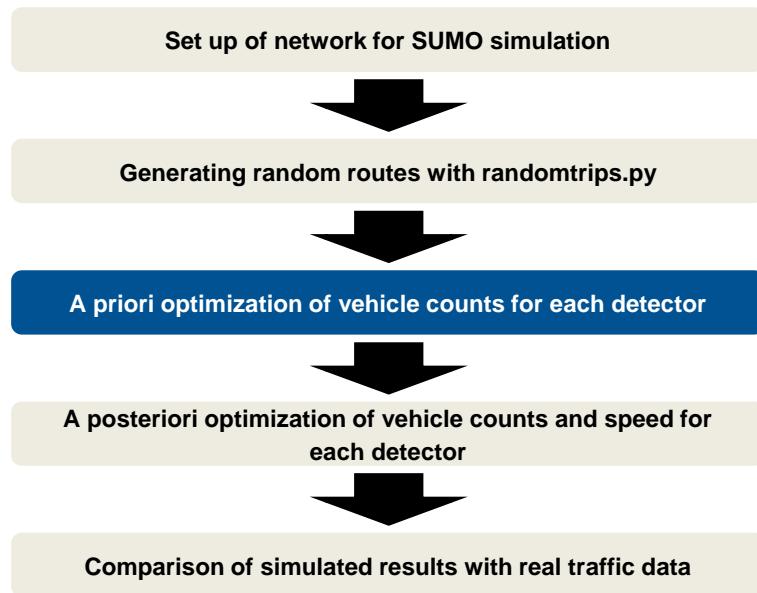
What is the best approach to set up a realistic traffic simulation with the existing dataset?

Methodology

Methodology: Workflow



Methodology: A priori optimization



Problem Formulation: Integer Linear Programming

$$\begin{aligned}
 & \min c^T x \\
 & \text{subject to:} \\
 & b_l \leq Ax \leq b_u \\
 & x \geq 0, x_i \in \mathbb{Z}
 \end{aligned}$$

Detector edge
 $D_i (i = 1, \dots, m)$

$$b_l = \begin{bmatrix} 0 \\ 0 \\ \vdots \\ 0 \\ 0 \end{bmatrix}$$

$$b_u = \begin{bmatrix} \text{counts}, D_1 \\ \text{counts}, D_2 \\ \vdots \\ \text{counts}, D_{m-1} \\ \text{counts}, D_m \end{bmatrix}$$

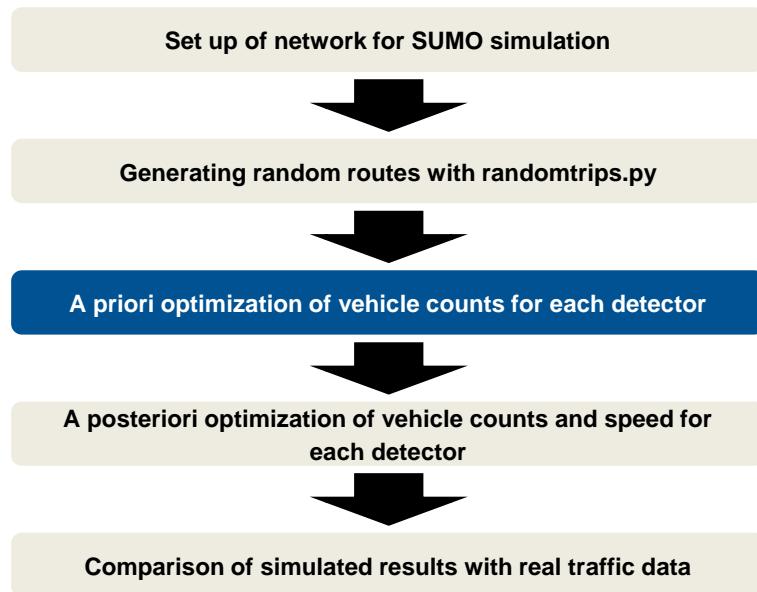
n: number of routes

m: number of detectors

$$A' = \begin{bmatrix} D_1 & D_1 & \cdots & D_1 \\ D_2 & D_2 & \cdots & D_2 \\ \vdots & \vdots & \ddots & \vdots \\ D_{m-1} & D_{m-1} & \cdots & D_{m-1} \\ D_m & D_m & \cdots & D_m \end{bmatrix} \Rightarrow A = [a_{ij}]_{m \times n} \text{ with } a_{ij} = \begin{cases} 1 & \text{if } a'_{ij} \in \text{Route } j, \\ 0 & \text{else.} \end{cases}$$

1. Create Matrix A' ($\dim A' = m \times n$) with m detector edges and n generated routes
2. Run through each column (route) and check if route contains a detector edge
3. If yes, set the corresponding detector edge to 1, otherwise to 0

Methodology: A priori optimization

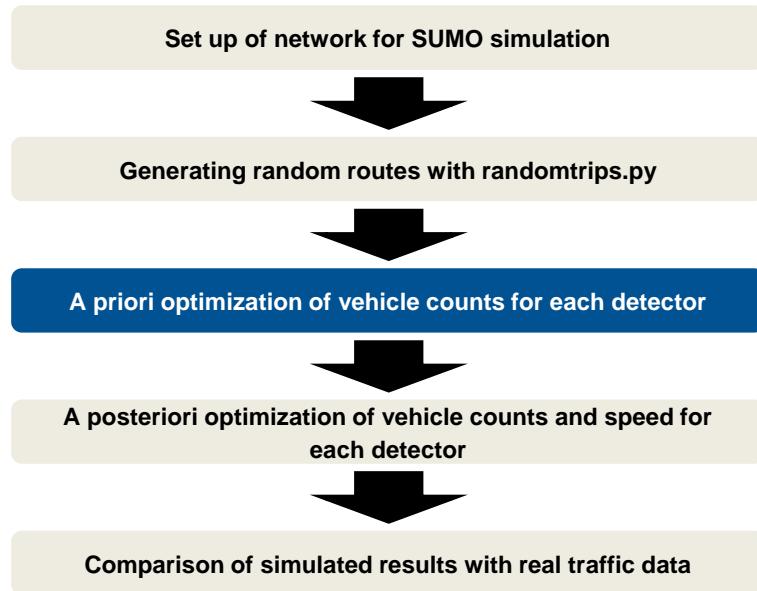


Problem Formulation: Integer Linear Programming

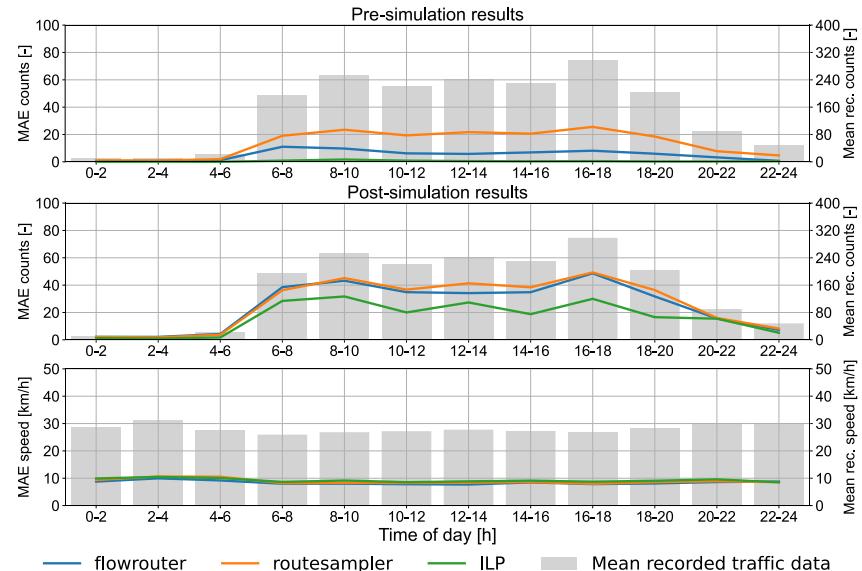
$$\begin{array}{llll}
 b_l & A & x & b_u \\
 \left[\begin{array}{c} 0 \\ 0 \\ \vdots \\ 0 \\ 0 \end{array} \right] & \leq & \left[\begin{array}{ccccc} a_{11} & a_{12} & \cdots & a_{1n} & x_1 \\ a_{21} & a_{22} & \cdots & a_{2n} & x_2 \\ \vdots & \vdots & \ddots & \vdots & \vdots \\ a_{(m-1)1} & a_{(m-1)2} & \cdots & a_{(m-1)n} & x_{n-1} \\ a_{m1} & a_{m2} & \cdots & a_{mn} & x_n \end{array} \right] & \leq \left[\begin{array}{c} counts, D_1 \\ counts, D_2 \\ \vdots \\ counts, D_{m-1} \\ counts, D_m \end{array} \right] \\
 & \text{Route 1} & \text{Route } n & \\
 & \sum & & \\
 & c^T \neq \left[\begin{array}{c} \sum_{i=1}^m a_{i1} \\ \sum_{i=1}^m a_{i2} \\ \cdots \\ \sum_{i=1}^m a_{in} \end{array} \right] & \\
 \max F(x) = \sum_{i=1}^m a_{i1} \cdot x_1 + \cdots + \sum_{i=1}^m a_{in} \cdot x_n = \sum_{j=1}^n \sum_{i=1}^m a_{ij} \cdot x_j & \\
 \min F(x) = - \sum_{j=1}^n \sum_{i=1}^m a_{ij} \cdot x_j & \sum \text{Counts along all routes}
 \end{array}$$

The diagram shows the mathematical formulation of the a priori optimization problem as an Integer Linear Programming (ILP) model. The constraints are represented by the matrix equation $b_l \leq Ax \leq b_u$, where A is the matrix of coefficients, x is the vector of variables, and b_l and b_u are the lower and upper bounds respectively. The matrix A is partitioned into columns for different routes (Route 1 to Route n). The objective function is either $\max F(x)$ or $\min F(x)$, involving the sum of products of route coefficients and variables. A multiplicative factor c^T is shown, but it is noted that $c^T \neq$ the row vector of sums of route coefficients. The final equations show the expanded form of the objective function as a sum of all route contributions.

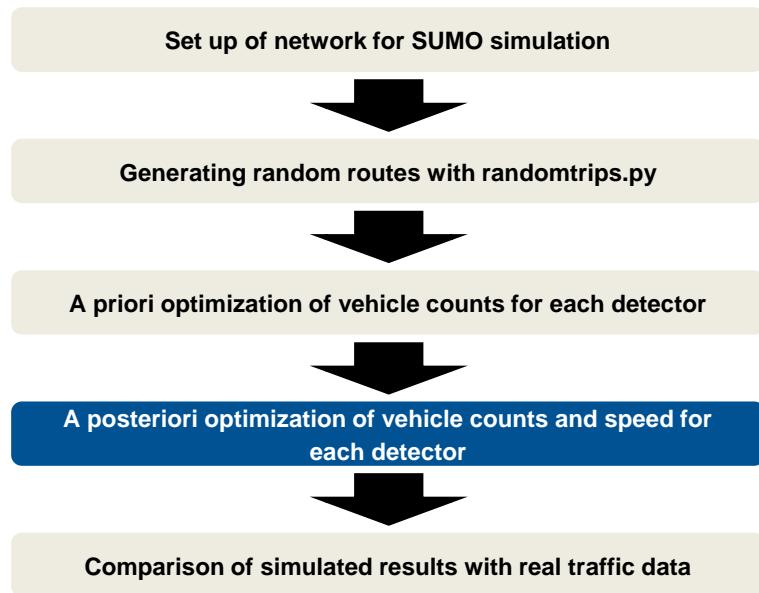
Methodology: A priori optimization



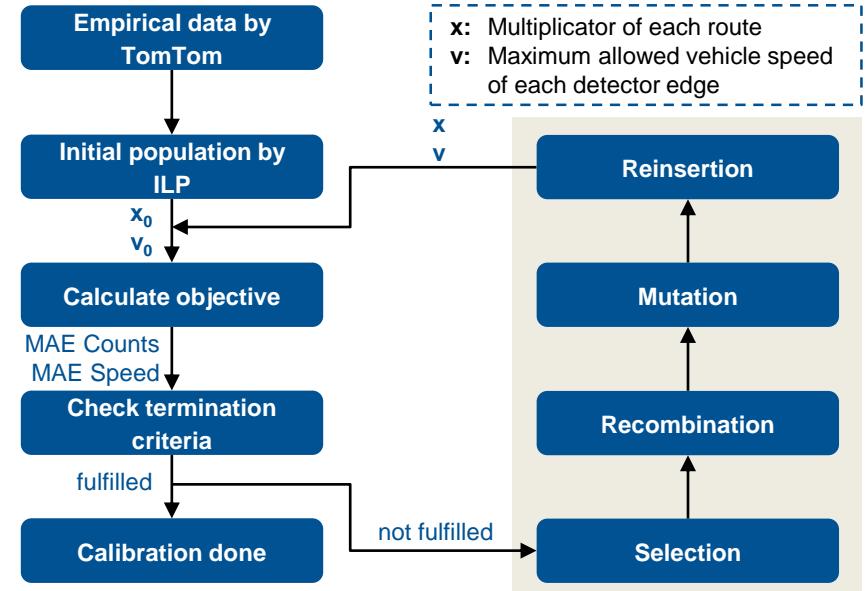
Simulation results



Methodology: A posteriori optimization



Problem Formulation: ILP+Evolutionary Algorithm



Results

Results

Set up of network for SUMO simulation



Generating random routes with randomtrips.py



A priori optimization of vehicle counts for each detector

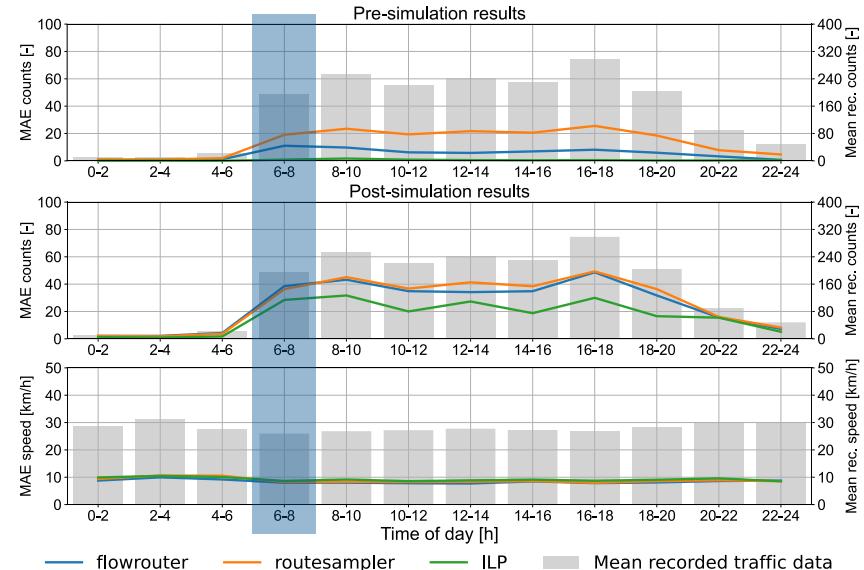


A posteriori optimization of vehicle counts and speed for each detector



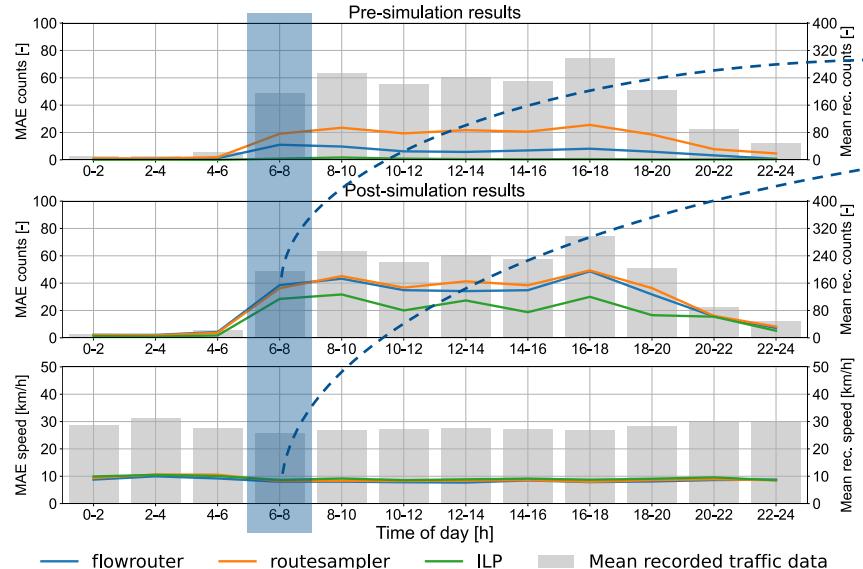
Comparison of simulated results with real traffic data

Simulation results: A priori optimization

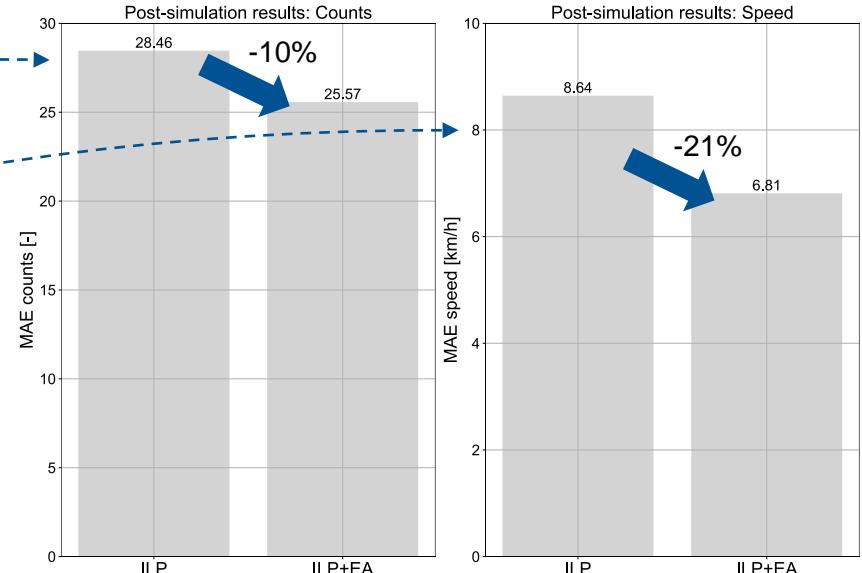


Results

Simulation results: A priori optimization



Simulation results: A posteriori optimization



Conclusion & Outlook

Conclusion & Outlook

Conclusion

Method of two-step optimization for the calibration of traffic simulations by using vehicle count and speed measurements was presented.

Method was implemented and tested in a subnetwork of Friedrichshafen. Method was compared with the SUMO tools **flowrouter** and **routessampler** showing better results than these tools.

Outlook

Method of a posteriori optimization will be extended to a larger time frame.

Method offers the possibility for traffic-based testing for AD/ADAS-development.

Thank You.

Appendix

Methodology: Overview of methods

	Flowrouter	Routesampler	ILP approach	ILP+EA approach
Input	Network Edge based count data	Network Edge based count data Initial set of routes	Network Edge based count data Initial set of routes	Network Edge based count data Initial set of routes Edge based speed data
Optimization method	Maximum flow problem A priori optimization	Linear Programming A priori optimization	Integer Linear Programming A priori optimization	Integer Linear Programming Evolutionary Algorithm A posteriori optimization
Optimization objective	Count data	Count data	Count data	Count data Speed data
Output	Route-file Flow-file	Route-file	Route-file	Route-file Speed-file