1 Theory

1.1 Control flow graphs

In figure 1 I assume that the code is:

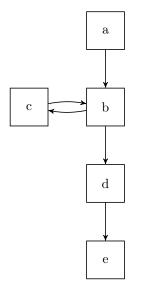


Figure 1: for (a; b; c) d; e;

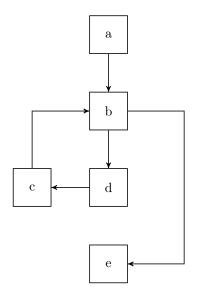


Figure 2: a ; while (b) { d ; c ; } e ;

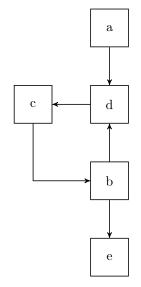


Figure 3: a ; do { d ; c ; } while (b); e ;

1.2 Optimizations

1.2.1 Copy propagation

- 1. a=1
- 2. b=2
- 3. c=3
- 4. d=a+x
- 5. e=b+c
- 6. f=e
- 7. g = f
- $8. \hspace{0.1cm} g = d + y$
- $9. \ a{=}b{+}c$
- Figure 4: Before

- 1. a=1
- 2. b=2
- 3. c=3
- 4. d=a+x
- 5. e=b+c
- 6. f=e
- 7. g = e
- $8. \hspace{0.1cm} g = d + y$
- $9. \ a{=}b{+}c$

Figure 5: After

1.2.2 Common subexpression elimination

- 1. a=1
- 2. b=2
- 3. c=3
- 4. d=a+x
- 5. e = b + c
- 6. f=e
- $7.~\mathrm{g}{=}\mathrm{f}$
- 8. g=d+y
- 9. a = b + c

- 1. a=1
- 2. b=2
- 3. c=3
- $4. \ d{=}a{+}x$
- 5. t1 = b + c
- 6. e = t1
- 7. f=e
- 8. g=f
- 9. g = d + y
- 10. a = t1

Figure 6: Before

Figure 7: After

1.2.3 Constant propagation

Assuming only constant propagation, not constant folding.

- 1. a = 1
- 2. b = 2
- 3. c = 3
- 4. $\mathbf{d} = \mathbf{a} + \mathbf{x}$
- 5. e = b + c
- 6. f = e
- 7. g = f
- 8. g = d + y
- 9. a = b + c
- Figure 8: Before

- 1. a=1
- 2. b=2
- 3. c=3
- 4. d = 1 + x
- 5. e = 2 + 3
- 6. f=e
- 7. g=f
- 8. g=d+y
- 9. a = 2 + 3

Figure 9: After