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CS498 Applied Machine Learning

CS498 AMO

Code for regression and resulting model

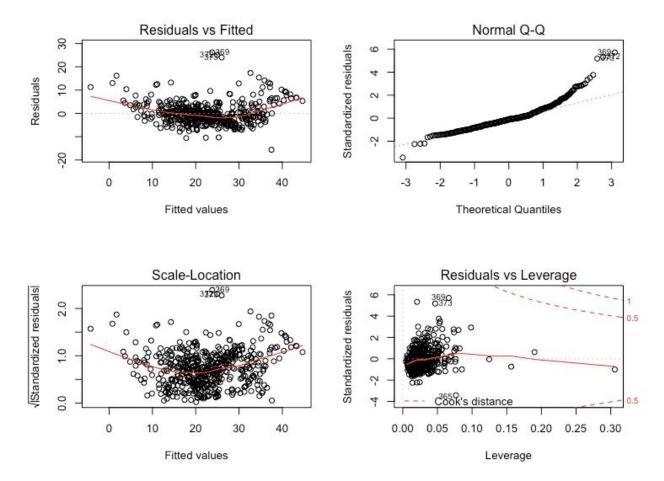
```
orig_model = Im(MEDV ~ ., data = housing_data)

par(mfrow=c(2,2))
plot(orig_model)
par(mfrow=c(1,1))

plot_fitted_resid(orig_model)

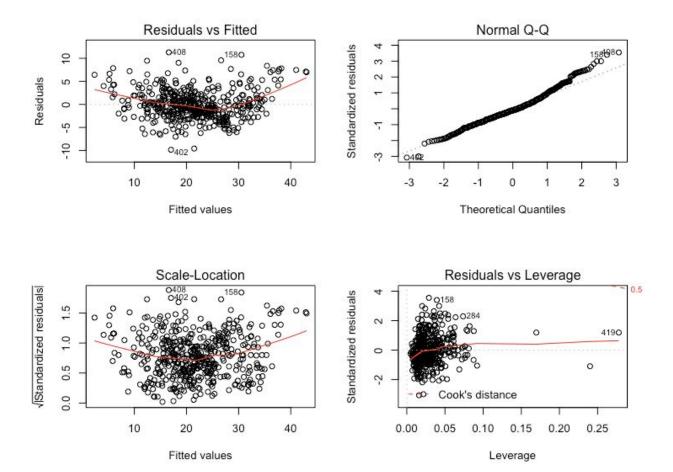
possible_outliers = as.numeric(names(resid(orig_model))[cooks.distance(orig_model) > 10 / length(cooks.distance(orig_model))]))
```

Diagnostic Plot



We decided to remove anything with a cooks distance of 4. This is because most of the data points were below that. This are the points being removed: 65,142,149,162,163,164,167,187,196,205,215,226,229,234,254,263,268,365,366,368,369,370, 371,372,373,375,376,381,413,415.

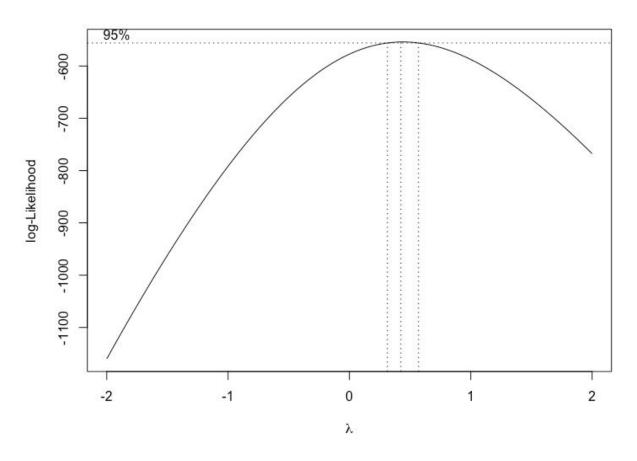
New diagnostic plot



Code for subproblem 2

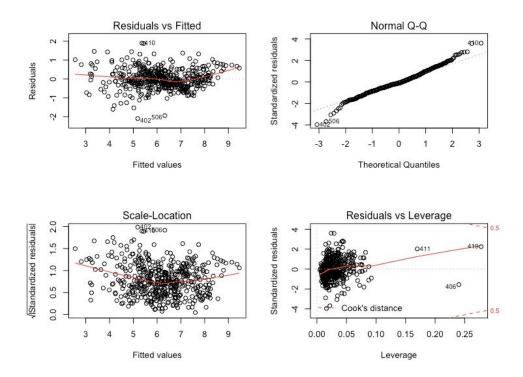
require(MASS) bc = boxcox(new_model) lambda = bc\$x[which.max(bc\$y)]

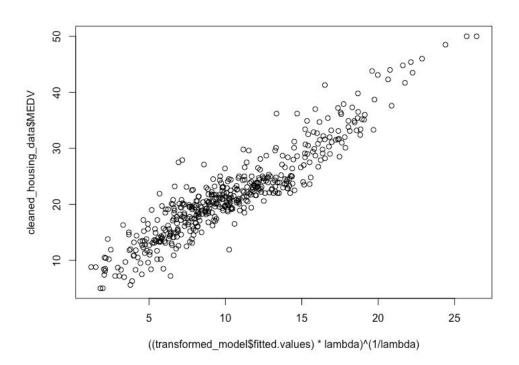
Box-Cox transformation plot



Best Value: 0.4242424

Results after Box-Cox





Code for subproblems 3 and 4

```
\label{transformed_model} $$\operatorname{Im}(((MEDV \wedge lambda - 1)/lambda) \sim ., \, data = cleaned_housing_data)$$ $$\operatorname{par}(mfrow=c(2,2))$ $$\operatorname{plot}(transformed_model)$ $$\operatorname{par}(mfrow=c(1,1))$$ $$\operatorname{plot}_fitted_resid(transformed_model)$$$ $$\operatorname{plot}(((transformed_model)$fitted.values)*lambda)^(1/lambda), \, cleaned_housing_data$MEDV)$$
```