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1 Basic

1.1 vimrc

```
| syn on
| se ai nu ru mouse=a
| se cin et ts=4 sw=4 sts=4
| so $VIMRUNTIME/mswin.vim
| colo desert
| se gfn=Monospace\ 15
| execute pathogen#infect()
```

1.2 Fast Integer Input

```
#define getchar gtx
inline int gtx() {
   const int N = 1048576;
   static char buffer[N];
   static char *p = buffer, *end = buffer;
   if (p == end) {
      if ((end = buffer + fread(buffer, 1, N, stdin)) ==
      buffer) return EOF;
      p = buffer;
   return *p++;
}
template <typename T>
inline bool rit(T& x) {
  char __c = 0; bool flag = false;
while (__c = getchar(), (__c < '0' && __c != '-') ||
    __c > '9') if (__c == -1) return false;
    __c == '-' ? (flag = true, x = 0) : (x = __c - '0');
while (__c = getchar(), __c >= '0' && __c <= '9') x =
    x * 10 + __c - '0';
if (flag) x - _ - x'
   if (flag) x = -x;
   return true;
}
template <typename T, typename ...Args>
inline bool rit(T& x, Args& ...args) { return rit(x) &&
        rit(args...); }
```

1.3 Big Integer

```
#include <bits/stdc++.h>
struct Int {
  std::vector<int> dig;
  bool sgn;
  Int() {
    dig.push_back(0);
    sgn = true;
  Int(int n) {
    sgn = n >= 0;
    while (n) {
      dig.push_back(n % 10);
      n /= 10;
    if (dig.size() == 0) dig.push_back(0);
  Int(std::string s) {
    int i = 0; sgn = true;
if (s[i] == '-') sgn = false, ++i;
    for (i = 0; i < s.length(); ++i) dig.push_back(s[i])
     - 'è');
    reverse(dig.begin(), dig.end());
  Int(const std::vector<int>& d, const bool& s = true)
    dig = std::vector<int>(d.begin(), d.end());
    sgn = s;
  Int(const Int& n) {
```

```
sqn = n.sqn;
  dig = n.dig;
bool operator<(const Int& rhs) const {</pre>
  if (sgn && !rhs.sgn) return true;
  if (!sgn && rhs.sgn) return false;
  if (!sgn && !rhs.sgn) return Int(dig) > Int(rhs.dig
  if (dig.size() < rhs.dig.size()) return true;</pre>
  if (dig.size() > rhs.dig.size()) return false;
for (int i = dig.size() - 1; i >= 0; --i) {
    if (dig[i] != rhs.dig[i]) return dig[i] < rhs.dig</pre>
  [i];
  return false;
bool operator==(const Int& rhs) const {
  if (sgn != rhs.sgn) return false;
  return dig == rhs.dig;
bool operator>(const Int& rhs) const {
  return !(*this < rhs) && !(*this == rhs);</pre>
bool operator<(const int& n) const {</pre>
  return *this < Int(n);</pre>
bool operator>(const int& n) const {
  return *this > Int(n);
bool operator==(const int& n) const {
  return *this == Int(n);
Int operator+(const Int& rhs) const {
  bool res = true;
  if (!sgn && !rhs.sgn) res = false;
  else if (!sgn && rhs.sgn) return *this - rhs;
else if (sgn && !rhs.sgn) return rhs - *this;
  std::vector<int> v1 = dig, v2 = rhs.dig;
if (v2.size() > v1.size()) swap(v1, v2);
  int car = 0;
  std::vector<int> nvec;
  for (int i = 0; i < v2.size(); ++i) {
  int k = v1[i] + v2[i] + car;</pre>
    nvec.push_back(k % 10);
    car = k / 10;
  for (int i = v2.size(); i < v1.size(); ++i) {</pre>
    int k = v1[i] + car;
    nvec.push_back(k % 10);
    car = k / 10;
  return Int(nvec, res);
Int operator-(const Int& rhs) const {
  if (*this < rhs) {</pre>
    std::vector<int> nvec = (rhs - *this).dig;
    return Int(nvec, false);
  if (*this == rhs) return Int(0);
  std::vector<int> v1 = dig, v2 = rhs.dig;
  std::vector<int> nvec;
  for (int i = 0; i < v2.size(); ++i) {</pre>
    int k = v1[i] - v2[i];
    if (k < 0) {
       for (int j = i + 1; j < v1.size(); ++j) if (v1[</pre>
  j] > 0) {
         --v1[j]; k += 10;
         break;
       }
    nvec.push_back(k);
  int rind = v1.size() - 1;
  while (rind >= v2.size() && v1[rind] == 0) --rind;
  for (int i = v2.size(); i <= rind; ++i) {</pre>
    nvec.push_back(v1[i]);
  return Int(nvec);
Int operator+(const int& n) const {
  return *this + Int(n);
```

```
Int operator-(const int& n) const {
    return *this - Int(n);
  Int& operator+=(const Int& n) {
    *this = (*this + n);
    return *this;
  Int& operator-=(const Int& n) {
    *this = (*this - n);
    return *this;
  Int& operator+=(const int& n) {
    *this += Int(n);
    return *this;
  Int& operator-=(const int& n) {
    *this -= Int(n);
    return *this;
  friend std::istream& operator>>(std::istream& in, Int
    & n) {
    std::string s; in >> s;
    n = Int(s);
    return in;
  friend std::ostream& operator<<(std::ostream& out,</pre>
    const Int& n) {
    if (!n.sgn) out << "-";
    for (int i = n.dig.size() - 1; i >= 0; --i) out <<
    n.dig[i];
    return out:
};
int main() {
  Int a, b; std::cin >> a >> b;
std::cout << a << ' ' << b << std::endl;</pre>
  Int c = a - b;
  std::cout << c << std::endl;</pre>
  return 0;
```

2 Flow

2.1 Dinic

```
struct Dinic {
  int n, s, t;
  vector<int> level;
  struct Edge {
    int to, rev, cap;
Edge() {}
    Edge(int a, int b, int c): to(a), cap(b), rev(c) {}
  };
  vector<Edge> G[maxn];
  bool bfs() {
    level.assign(n, -1);
    level[s] = 0;
    queue<int> que; que.push(s);
    while (que.size()) {
      int tmp = que.front(); que.pop();
      for (auto e : G[tmp]) {
        if (e.cap > 0 \& level[e.to] == -1) {
          level[e.to] = level[tmp] + 1;
          que.push(e.to);
        }
      }
    }
    return level[t] != -1;
  int flow(int now, int low) {
    if (now == t) return low;
    int ret = 0;
    for (auto &e : G[now]) {
      if (e.cap > 0 \& level[e.to] == level[now] + 1) {
        int tmp = flow(e.to, min(e.cap, low - ret));
        e.cap -= tmp; G[e.to][e.rev].cap += tmp;
```

```
ret += tmp;
}
if (ret == 0) level[now] = -1;
return ret;
}
Dinic(int _n, int _s, int _t): n(_n), s(_s), t(_t) {
    fill(G, G + maxn, vector<Edge>());
}
void add_edge(int a, int b, int c) {
    G[a].push_back(Edge(b, c, G[b].size()));
    G[b].push_back(Edge(a, 0, G[a].size() - 1));
}
int maxflow() {
    int ret = 0;
    while (bfs()) ret += flow(s, inf);
    return ret;
}
};
```

2.2 MinCostMaxFlow

```
struct MincostMaxflow {
  struct Edge {
    int to, rev, cap, w;
    Edge() {}
    Edge(int a, int b, int c, int d): to(a), cap(b), w(
    c), rev(d) {}
 };
  int n, s, t;
 vector<int> p, id, d;
bitset<maxm> inque;
 vector<Edge> G[maxn];
 pair<int, int> spfa() {
  p.assign(n, -1);
    d.assign(n, inf);
    id.assign(n, -1);
    d[s] = 0; p[s] = s;
queue<int> que; que.push(s); inque[s] = true;
    while (que.size()) {
      int tmp = que.front(); que.pop();
      inque[tmp] = false;
      int i = 0;
      for (auto e : G[tmp]) {
        if (e.cap > 0 & d[e.to] > d[tmp] + e.w) {
           d[e.to] = d[tmp] + e.w;
           p[e.to] = tmp;
           id[e.to] = i;
          if (!inque[e.to]) que.push(e.to), inque[e.to]
     = true;
      }
    if (d[t] == inf) return make_pair(-1, -1);
    int a = inf;
    for (int i = t; i != s; i = p[i]) {
      a = min(a, G[p[i]][id[i]].cap);
    for (int i = t; i != s; i = p[i]) {
   Edge &e = G[p[i]][id[i]];
      e.cap -= a; G[e.to][e.rev].cap += a;
    return make_pair(a, d[t]);
 MincostMaxflow(int _n, int _s, int _t): n(_n), s(_s),
     t(_t) {
    fill(G, G + maxn, vector<Edge>());
  void add_edge(int a, int b, int cap, int w) {
    G[a].push_back(Edge(b, cap, w, (int)G[b].size()));
    G[b].push_back(Edge(a, 0, -w, (int)G[a].size() - 1)
 pair<int, int> maxflow() {
  int mxf = 0, mnc = 0;
    while (true) {
      pair<int, int> res = spfa();
      if (res.first == -1) break;
      mxf += res.first; mnc += res.first * res.second;
```

```
return make_pair(mxf, mnc);
}
};
```

2.3 Maximum weighted Bipartite matching

```
struct Hungarian {
   vector<int> lx, ly, match;
   vector<vector<int>> w;
   int n;
   bitset<maxn> s, t;
   bool dfs(int now) {
      s[now] = true;
      for (int i = 0; i < n; ++i) {
        if (lx[now] + ly[i] == w[now][i] && !t[i]) {
           t[i] = true
           if (match[i] == -1 || dfs(match[i])) {
             match[i] = now;
             return true:
        }
      return false;
   void relabel() {
      int a = inf;
      for (int i = 0; i < n; ++i) if (s[i]) {
        for (int j = 0; j < n; ++j) if (!t[j]) {
          a = min(a, lx[i] + ly[j] - w[i][j]);
        }
     for (int i = 0; i < n; ++i) {
  if (s[i]) lx[i] -= a;</pre>
        if (t[i]) ly[i] += a;
   Hungarian(int n): n(n) {
     w.assign(n, vector<int>());
for (int i = 0; i < n; ++i) w[i].assign(n, 0);
lx.assign(n, 0); ly.assign(n, 0);</pre>
     match.assign(n, -1);
   void add_edge(int a, int b, int c) {
     w[a][b] = c;
   int solve() {
     for (int i = 0; i < n; ++i) for (int j = 0; j < n;
++j) lx[i] = max(lx[i], w[i][j]);
for (int i = 0; i < n; ++i) {</pre>
        while (true) {
          s.reset(); t.reset();
if (dfs(i)) break;
           else relabel();
        }
      for (int i = 0; i < n; ++i) ans += w[match[i]][i];</pre>
      return ans;
};
```

3 Math

3.1 FFT

```
const double pi = acos(-1);
const complex<double> I(0, 1);
complex<double> omega[maxn + 1];

void prefft() {
   for (int i = 0; i <= maxn; ++i) omega[i] = exp(i * 2
     * pi / maxn * I);
}
void fft(vector<complex<double>>& a, int n, bool inv=
   false) {
```

```
int basic = maxn / n;
  int theta = basic;
  for (int m = n; m >= 2; m >>= 1) {
    int h = m >> 1;
for (int i = 0; i < h; ++i) {
      complex<double> w = omega[inv ? maxn - (i * theta
     % maxn) : i * theta % maxn];
      for (int j = i; j < n; j += m) {
        int k = j + h;
        complex<double> x = a[j] - a[k];
        a[j] += a[k];
        a[k] = w * x;
      }
    theta = (theta * 2) % maxn;
 int i = 0;
for (int j = 1; j < n - 1; ++j) {
    for (int k = n >> 1; k > (i ^= k); k >>= 1);
    if (j < i) swap(a[i], a[j]);
  if (inv) for (int i = 0; i < n; ++i) a[i] /= (double)
void invfft(vector<complex<double>>& a, int n) {
  fft(a, n, true);
```

3.2 Miller-Rabin

```
// n < 2^64
                 chk = [2, 325, 9375, 28178, 450775,
    9780504, 1795265022]
long long fpow(long long a, long long n, long long mod)
  long long ret = 1LL;
  for (; n; n >>= 1) {
   if (n & 1) ret = (__int128)ret * (__int128)a % mod;
a = (__int128)a * (__int128)a % mod;
  return ret;
bool check(long long a, long long u, long long n, int t
  a = fpow(a, u, n);
  if (a == 0) return true;
 if (a == 1 | | a == n - 1) return true;
for (int i = 0; i < t; ++i) {
    a = (__int128)a * (__int128)a % n;
    if (a == 1) return false;
    if (a == n - 1) return true;
  return false;
bool is_prime(long long n) {
  if (n < 2) return false;</pre>
  if (n % 2 == 0) return n == 2;
 long long u = n - 1; int t = 0;
 for (; u & 1; u >>= 1, ++t);
  for (long long i : chk) {
   if (!check(i, u, n, t)) return false;
  return true;
```

3.3 Extend GCD

```
template <typename T> tuple<T, T, T> extgcd(T a, T b) {
   if (!b) return make_tuple(a, 1, 0);
   T d, x, y;
   tie(d, x, y) = extgcd(b, a % b);
   return make_tuple(d, y, x - (a / b) * y);
}
```

3.4 Matrix

```
template <typename T> class Matrix {
  public:
     int n, m, mod;
     vector<vector<T>> mat;
     Matrix(int n, int m, int mod=0, bool I=false): n(n)
     , m(m), mod(mod) {
       mat.resize(n);
       for (int i = 0; i < n; ++i) mat[i].resize(m);
if (!I) return;</pre>
       for (int i = 0; i < n; ++i) mat[i][i] = 1;</pre>
     Matrix operator+(const Matrix& rhs) const {
       Matrix ret(n, m, mod);
       for (int i = 0; i < n; ++i) {
         for (int j = 0; j < m; ++j) {
  ret.mat[i][j] = mat[i][j] + rhs.mat[i][j];</pre>
            if (mod) ret.mat[i][j] %= mod;
       }
       return ret;
     Matrix operator-(const Matrix& rhs) const {
       Matrix ret(n, m, mod);
for (int i = 0; i < n; ++i) {
  for (int j = 0; j < m; ++j) {</pre>
            ret.mat[i][j] = mat[i][j] - rhs.mat[i][j];
            if (mod)
              ret.mat[i][j] %= mod;
              ret.mat[i][j] += mod;
              ret.mat[i][j] %= mod;
            }
         }
       }
       return ret;
     Matrix operator*(const Matrix& rhs) const {
       Matrix ret(n, rhs.m, mod);
       for (int i = 0; i < n; ++i) {
          for (int j = 0; j < rhs.m; ++j) {
            for (int k = 0; k < m; ++k) {
  if (mod) ret.mat[i][j] = (ret.mat[i][j] +</pre>
     mat[i][k] * rhs.mat[k][j] % mod) % mod;
              else ret.mat[i][j] += mat[i][k] * rhs.mat[k
     ][j];
         }
       return ret;
};
```

4 Graph

4.1 Strongly connected components

```
struct SCC {
  vector<int> G[maxn], R[maxn], topo;
  int n, nscc;
  vector<int> scc, sz;
  bitset<maxn> v;
  void dfs(int now) {
    v[now] = true;
    scc[now] = nscc;
    ++sz[nscc];
    for (int u : G[now]) if (!v[u]) {
      dfs(u);
    }
  void rdfs(int now) {
    v[now] = true
    for (int u : R[now]) if (!v[u]) {
      rdfs(u);
    topo.push_back(now);
  SCC(): {}
```

4.2 Heavy-Light Decomposition

struct HeavyLightDecomp {

vector<int> G[maxn];

```
vector<int> tin, top, dep, maxson, sz, p;
int n, t;
void dfs(int now, int fa, int d) {
  dep[now] = d;
  maxson[now] = -1;
  sz[now] = 1;
  p[now] = fa;
  for (int u : G[now]) if (u != fa) {
    dfs(u, now, d + 1);
    sz[now] += sz[u];
    if (\max son[now] == -1 \mid \mid sz[u] > sz[\max son[now]])
   maxson[now] = u;
void link(int now, int tp) {
  top[now] = tp;
  tin[now] = ++t;
  if (maxson[now] == -1) return;
  link(maxson[now], tp);
  for (int u : G[now]) if (u != p[now]) {
     if (u == maxson[now]) continue;
    link(u, u);
  }
HeavyLightDecomp(int n): n(n) {
  tin.assign(n, 0); top.assign(n, 0); dep.assign(n,
  maxson.assign(n, 0); sz.assign(n, 0); p.assign(n,
  0);
void add_edge(int a, int b) {
  G[a].push_back(b);
  G[b].push_back(a);
void build() {
  dfs(0, -1, 0);
  link(0, 0);
int lca(int a, int b) {
  int ta = top[a], tb = top[b];
  while (ta != tb) {
    if (dep[ta] < dep[tb]) {</pre>
      swap(ta, tb); swap(a, b);
    a = p[ta]; ta = top[a];
  if (a == b) return a;
  return dep[a] < dep[b] ? a : b;</pre>
vector<pair<int, int>> get_path(int a, int b) {
  int ta = top[a], tb = top[b];
}
  vector<pair<int,
                     int>> ret;
  while (ta != tb) {
    if (dep[ta] < dep[tb]) {
      swap(ta, tb); swap(a, b);
```

```
ret.push_back(make_pair(tin[ta], tin[a]));
    a = p[ta]; ta = top[a];
}
ret.push_back(make_pair(min(tin[a], tin[b]), max(tin[a], tin[b])));
return ret;
}
};
```

4.3 2-Satisfiability

```
struct TwoSat {
  vector<int> G[maxn << 1];</pre>
  bitset<maxn << 1> v;
  vector<int> s;
  int c
  bool dfs(int now) {
    if (v[now ^ 1]) return false;
    if (v[now]) return true;
    v[now] = true;
    s[c++] = now;
    for (int u : G[now]) if (!dfs(u)) return false;
    return true;
  TwoSat() {
    s.assign(maxn << 1, 0);
    v.reset();
  void add_edge(int a, int b) {
    G[a].push_back(b);
  bool solve() {
    for (int i = 0; i < maxn << 1; i += 2) {
  if (!v[i] && !v[i + 1]) {</pre>
         if (!dfs(i)) {
           while (c) v[s[--c]] = false;
           if (!dfs(i + 1)) return false;
      }
    }
    return true;
};
```

5 Data Structures

5.1 Treap

```
struct Treap {
#define size(t) (t ? t->sz : 0)
  struct Node {
    int val;
    int pri, sz;
    Node *lc, *rc;
    Node(T v): pri(rand()), val(v) {
      lc = rc = nullptr;
      sz = 1;
    void pull() {
      sz = size(lc) + size(rc) + 1;
  } *root;
  Node *merge(Node *a, Node *b) {
    if (!a | l !b) return a ? a : b;
    if (a->pri > b->pri) {
      a \rightarrow rc = merge(a \rightarrow rc, b);
      a->pull();
      return a;
    } else {
      b \rightarrow lc = merge(a, b \rightarrow lc);
      b->pull();
      return b:
  void split(Node *t, int k, Node *&a, Node *&b) {
```

```
if (!t) { a = b = nullptr; return; }
    if (t->val <= k) {
      a = t;
      split(t->rc, k, a->rc, b);
      a->pull();
    } else {
      split(t->lc, k, a, b->lc);
      b->pull();
    }
  int kth(Node *t, int k) {
    if (size(t->lc) + 1 == k) return t->val;
    if (size(t->lc) + 1 > k) return kth(t->lc, k);
    return kth(t->rc, k - size(t->lc) - 1);
  void clear(Node *t) {
    if (!t) return
    if (t->lc) clear(t->lc);
    if (t->rc) clear(t->rc);
    delete t;
  Treap(unsigned seed=time(nullptr)) {
    srand(seed);
    root = nullptr;
  ~Treap() {
    clear(root);
    root = nullptr;
  void insert(int val) {
    Node *a, *b;
    split(root, val - 1, a, b);
    root = merge(merge(a, new Node(val)), b);
 void erase(int val) {
  Node *a, *b, *c, *d;
  split(root, val - 1, a, b);
    split(b, val, c, d);
c = merge(c->lc, c->rc);
    root = merge(a, merge(c, d));
  int find(int k) {
    return kth(root, k);
#undef size
```

5.2 Leftlist Tree

```
template <typename T> class LeftlistTree {
  private:
#define rank(t) (t ? t->s : 0)
    struct Node {
       T val;
       int s;
Node *lc, *rc;
       Node(T v): val(v) {
         lc = rc = nullptr;
         s = 1;
    } *root;
    Node *merge(Node *a, Node *b) {
       if (!a ll !b) return a ? a : b;
       if (a->val < b->val) swap(a, b);
       a \rightarrow rc = merge(a \rightarrow rc, b);
       if (rank(a\rightarrow lc) < rank(a\rightarrow rc)) swap(a\rightarrow lc, a\rightarrow rc)
       a \rightarrow s = rank(a \rightarrow rc) + 1;
       return a;
    void clear(Node *t) {
       if (!t) return;
       if (t->lc) clear(t->lc);
       if (t->rc) clear(t->rc);
       delete t;
  public:
    LeftlistTree() {
       root = nullptr;
```

```
}
void push(T val) {
    root = merge(root, new Node(val));
}
void pop() {
    T ret = root->val;
    Node *tmp = root;
    root = merge(root->lc, root->rc);
    delete tmp;
}
T top() {
    return root->val;
}
void merge(LeftlistTree t) {
    root = merge(root, t->root);
}
};
```

6 Geometry

6.1 Points

```
struct pt {
   double x, y;
   pt(): x(0.0), y(0.0) {}
   pt(double x, double y): x(x), y(y) {}
   pt operator+(const pt& a) const { return pt(x + a.x, y + a.y); }
   pt operator-(const pt& a) const { return pt(x - a.x, y - a.y); }
   double operator*(const pt& a) const { return x * a.x + y * a.y; }
   double operator^(const pt& a) const { return x * a.y - y * a.x; }
   bool operator<(const pt& a) const { return x = a.x ? y < a.y : x < a.x; }
};</pre>
```

6.2 Convex Hull

```
double cross(const pt& o, const pt& a, const pt& b) {
  return (a - o) ^ (b - o);
int rsd;
vector<pt> convex_hull(vector<pt> p) {
  sort(p.begin(), p.end());
  int m = 0:
  vector<pt> ret(2 * p.size());
  for (int i = 0; i < p.size(); ++i) {</pre>
    while (m \ge 2 \& cross(ret[m - 2], ret[m - 1], p[i])
    ]) < 0) --m;
    ret[m++] = p[i];
  rsd = m - 1;
  for (int i = p.size() - 2, t = m + 1; i \ge 0; --i) {
    while (m >= t && cross(ret[m - 2], ret[m - 1], p[i
    ]) < 0) --m;
    ret[m++] = p[i];
  ret.resize(m - 1);
  return ret;
```

6.3 Rotating Caliper

```
void rotating_caliper(vector<pt> p) {
  vector<pt> ch = convex_hull(p);
  int tbz = ch.size();
  int lpr = 0, rpr = rsd;
  // ch[lpr], ch[rpr]
  while (lpr < rsd || rpr < tbz - 1) {
   if (lpr < rsd && rpr < tbz - 1) {</pre>
```

```
pt rvt = ch[rpr + 1] - ch[rpr];
   pt lvt = ch[lpr + 1] - ch[lpr];
   if ((lvt ^ rvt) < 0) ++lpr;
   else ++rpr;
}
else if (lpr == rsd) ++rpr;
else ++lpr;
// ch[lpr], ch[rpr]
}
</pre>
```

7 String

7.1 KMP

```
int f[maxn];
int kmp(const string& a, const string& b) {
    f[0] = -1; f[1] = 0;
    for (int i = 1, j = 0; i < b.size() - 1; f[++i] = ++j
      ) {
       if (b[i] == b[j]) f[i] = f[j];
       while (j != -1 && b[i] != b[j]) j = f[j];
    }
    for (int i = 0, j = 0; i - j + b.size() <= a.size();
       ++i, ++j) {
       while (j != -1 && a[i] != b[j]) j = f[j];
       if (j == b.size() - 1) return i - j;
    }
    return -1;
}</pre>
```

7.2 Suffix Array

```
struct SuffixArray {
  int sa[maxn], tmp[2][maxn], c[maxn], _lcp[maxn], r[
    maxn], n;
  string s;
  SparseTable st;
  void suffixarray() {
     int* rank = tmp[0];
    int* nRank = tmp[1];
    int A = 128;
    for (int i = 0; i < A; ++i) c[i] = 0;
    for (int i = 0; i < s.length(); ++i) c[rank[i] = s[</pre>
    i]]++;
    for (int i = 1; i < A; ++i) c[i] += c[i - 1];
    for (int i = s.length() - 1; i >= 0; --i) sa[--c[s[
    i]]] = i;
    for (int n = 1; n < s.length(); n *= 2) {</pre>
      for (int i = 0; i < A; ++i) c[i] = 0;
for (int i = 0; i < s.length(); ++i) c[rank[i]</pre>
    ]]++;
      for (int i = 1; i < A; ++i) c[i] += c[i - 1];
      int* sa2 = nRank;
      int r = 0;
      for (int i = s.length() - n; i < s.length(); ++i)
     sa2[r++] = i;
     for (int i = 0; i < s.length(); ++i) if (sa[i] >=
n) sa2[r++] = sa[i] - n;
      for (int i = s.length() - 1; i >= 0; --i) sa[--c[
    rank[sa2[i]]]] = sa2[i];
      nRank[sa[0]] = r = 0;
      for (int i = 1; i < s.length(); ++i) {
  if (!(rank[sa[i - 1]] == rank[sa[i]] && sa[i -</pre>
       + n < s.length() && rank[sa[i - 1] + n] == rank[
    sa[i] + n])) r++;
        nRank[sa[i]] = r;
      swap(rank, nRank);
      if (r == s.length() - 1) break;
      A = r + 1;
  void solve() {
    suffixarray();
```

```
for (int i = 0; i < n; ++i) r[sa[i]] = i;
    int ind = 0; _lcp[0] = 0;
    for (int i = 0; i < n; ++i) {
  if (!r[i]) { ind = 0; continue; }</pre>
      while (i + ind < n \&\& s[i + ind] == s[sa[r[i] -
     1] + ind]) ++ind;
       _{lcp[r[i]] = ind} ? ind-- : 0;
    st = SparseTable(n, _lcp);
  int lcp(int L, int R) {
    if (L == R) return n - L - 1;
    L = r[L]; R = r[R];
    if (L > R) swap(L, R);
    ++L;
    return st.query(L, R);
  SuffixArray(string s): s(s), n(s.length()) {}
  SuffixArray() {}
};
```

8 Dynamic Programming

8.1 DP optimizations

 $dp[k][n] = \max_{i < n} dp[k-1][i] + f(i+1,n)$ and the monotony $t[k][i] \le t[k][j], \forall i < j$ holds