

Grade

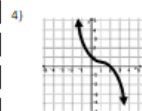
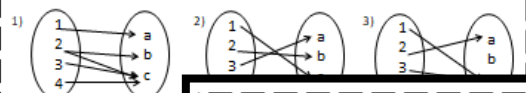
8

Functions

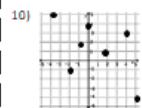
Worksheets

Functions – 8.F.1

Determine if the following represent functions:



7) $\{(8, 2), (-3, 4), (6, -5), (-3, -6)\}$



Functions – 8.F.2

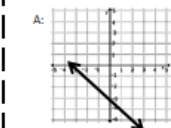
- 1) Jillian is comparing two different cell phone companies. Both companies shown. Which company has a lower monthly cost after 2 months?

Company A: $y = 15x + 20$

Lower Monthly Cost after _____

Months	1	2	4
Cost	50	70	110

- 2) Which function has a greater y-intercept?



- 3) Order the functions from least to greatest.

x	-2	0	2	4	6
y	0	4	8	12	16

- 4) Explain how to determine the rate of change.

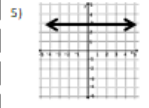
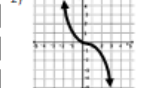
Table: _____

Graph: _____

Equation: _____

- 1) Explain in your own words.

Determine if the following



Determine if the following equations are linear or nonlinear.

8) $y = \frac{2}{3}x + 4$

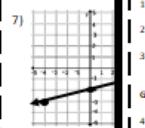
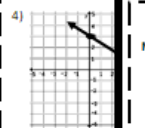
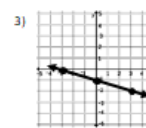
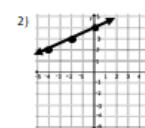
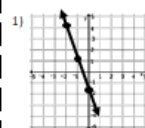
9) $y = x^2 + 1$

11) $y = |x|$

12) $y = 4x^3 - 5$

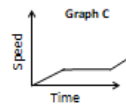
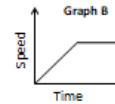
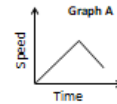
Functions – 8.F.4

Find the rate of change using rise over run, be sure to show your work on the graph. Also, write the equation for the function.



Functions – 8.F.5

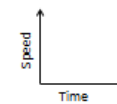
Match the graphs that go with the following situations:



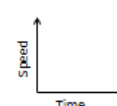
- 1) Malik begins his ride slowly but then stops to talk with some friends on jet skis. After a few minutes, he continues his ride, gradually increasing his speed.
- 2) Sara steadily increases her speed through most of her ride. After about ten minutes she slows down to turn around and returns to the boat dock.
- 3) Jake steadily increases his speed for the first part of his ride. He then keeps a constant speed as he continues his ride.

Graph the following situations

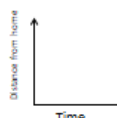
- 4) A car is moving at a constant speed and then gradually stops.



- 5) Jamie turns on her car, backs out of the driveway, stops for a car to go by and then continues driving at a constant rate until she gets to a stop sign. Once it is clear she accelerates to the speed limit.



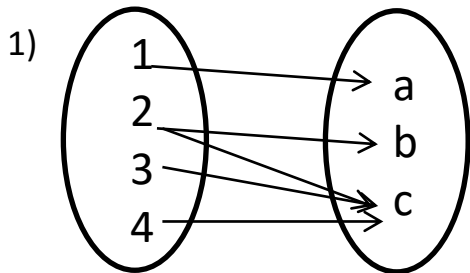
- 6) Maggie leaves home and goes to the mall. She stays at the mall to do a little Christmas shopping and then leaves to go to dinner with her friends which is even farther away from her house.

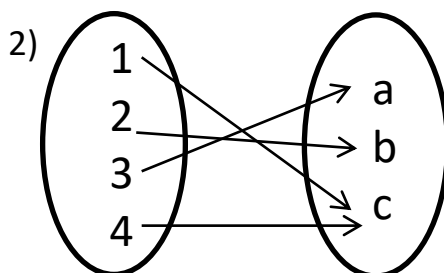


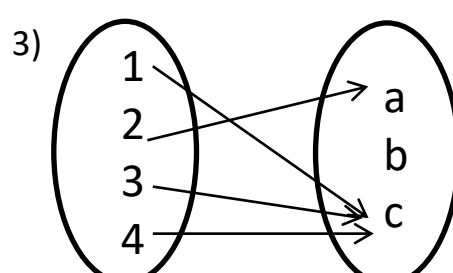
By: Math in the Midwest

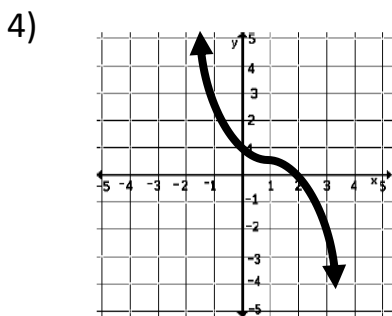
Functions – 8.F.1

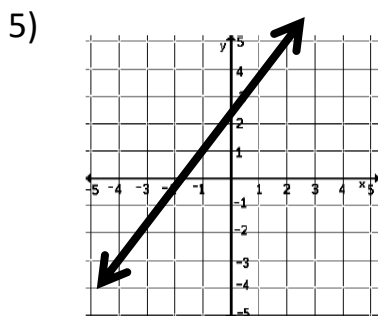
Determine if the following represent functions:

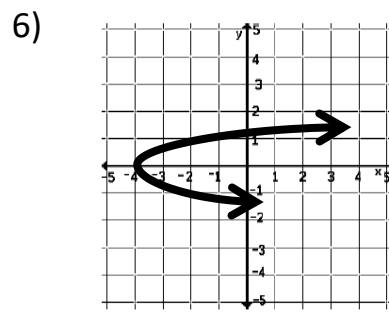








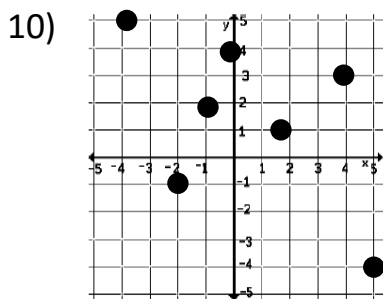


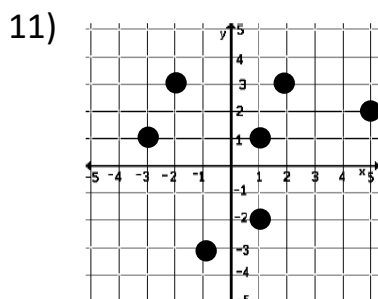


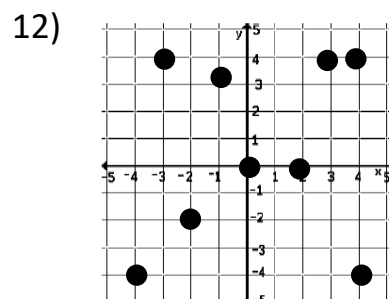
7) $\{(8, 2) (-3, 4) (6, -5) (-3, -6)\}$

8) $\{(-4, 2) (3, 3) (8, 4) (-4, -6)\}$

9) $\{(-4, 2) (-6, 3) (-8, 4)(12, -6)\}$







Name: _____ Date: _____ Hour: _____

Functions – 8.F.1

Fill in the blanks:

- 1) A function is a rule that assigns to each _____ exactly one _____.

Determine if the following relationships represent functions:

2)

x	1	2	3	3	5
y	0	3	-2	5	1

3)

x	-1	2	5	6	9
y	-1	-1	3	0	2

- 4) Give two examples of a function and two examples of a non-function in any representation you would like such as mapping, table, sequence, set, graph or a scenario. Do not use the examples above.

Function:

Non-Function:

Explain whether the following situation fits the definition of a function.

- 5) Input: The basketball team has numbered uniforms.

Output: Each player wears a uniform with his assigned number.

- 6) Input: The presidential debate is being telecast.

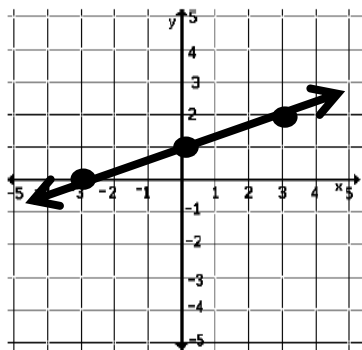
Output: It appears on televisions in millions of homes.

Name: _____ Date: _____ Hour: _____

Functions – 8.F.2

Examine the following sets of functions and determine which one has a greater rate of change.

1) A:



B: $y = 2x + 3$

Greater Rate of Change: _____

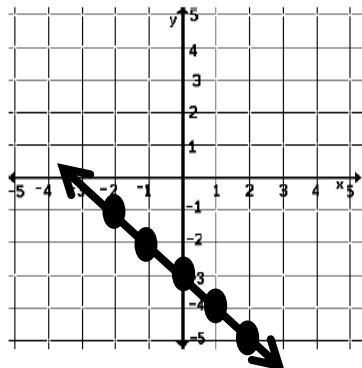
2) A:

x	-1	0	1	2	3
y	0	4	8	12	16

B. A graph is decreasing by a rate of $\frac{1}{2}$

Greater Rate of Change: _____

3) A:



B.

x	3	5	7	9	11
y	0	5	10	15	20

Greater Rate of Change: _____

4) A: A graph is increasing by rate of 4

B. $y = \frac{1}{4}x - 2$

Greater Rate of Change: _____

5) A: $y = -2x + 4$

B.

x	-2	-1	0	1	2
y	1	2	3	4	5

Greater Rate of Change: _____

Name: _____ Date: _____ Hour: _____

Functions – 8.F.2

- 1) Jillian is comparing two different cell phone companies Both company's monthly costs are shown. Which company has a lower monthly cost after 2 months?

Company A: $y = 15x + 20$

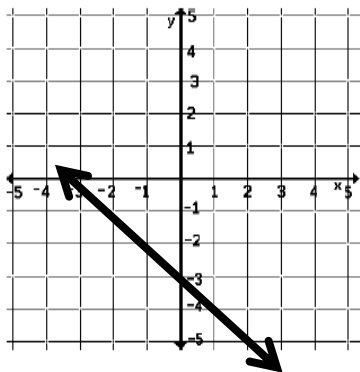
Lower Monthly Cost after 2 months: _____

Company B:

Months	1	2	4
Cost	50	70	110

- 2) Which function has a greater y – intercept?

A:



B: $10x + 4y = 20$

Greater y – intercept: _____

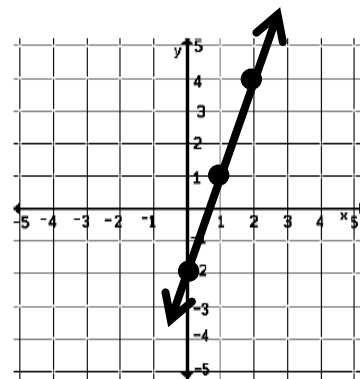
- 3) Order the functions from least to greatest rate of change:

A:

x	-2	0	2	4	6
y	0	4	8	12	16

B: $y = x - 4$

C:



- 4) Explain how to determine the rate of change from a:

Table: _____

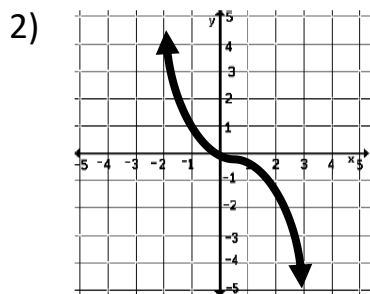
Graph: _____

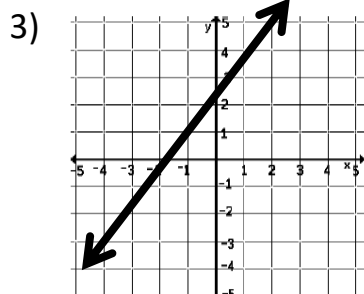
Equation: _____

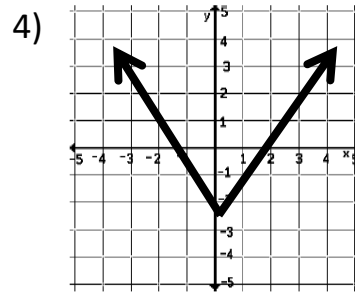
Functions – 8.F.3

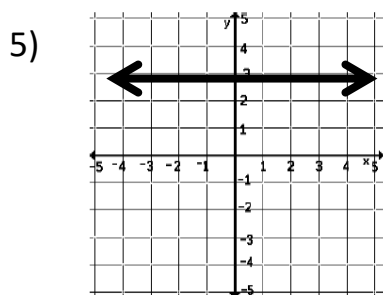
- 1) Explain in your own words what it means for a function to be linear.

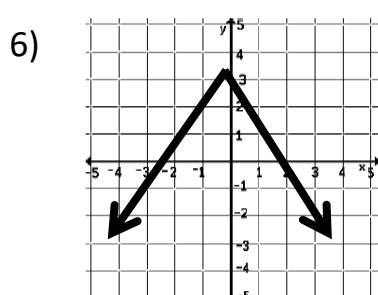
Determine if the following functions are linear or non-linear:

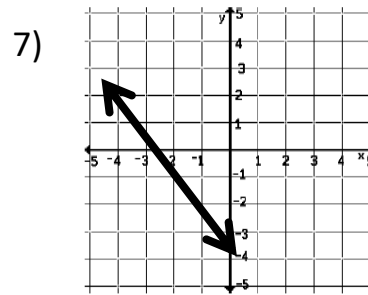












Determine if the following equations are linear or non-linear:

8) $y = \frac{2}{3}x + 4$

9) $y = x^2 + 1$

10) $y = x$

11) $y = |x|$

12) $y = 4x^3 - 5$

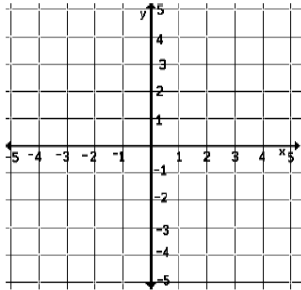
13) $y = -2x - 1$

Name: _____ Date: _____ Hour: _____

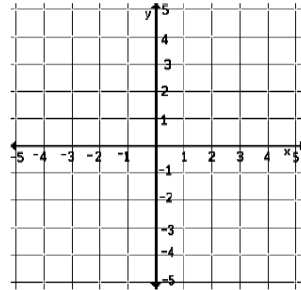
Functions – 8.F.3

- 1) Give an example of a graph that is linear and an example of a graph that is non-linear:

LINEAR



NON-LINEAR



- 2) Give an example of an equation that is linear and an example of an equation that is non-linear.

LINEAR

NON-LINEAR

- 3) Write the equation of a linear function with slope m , initial value b , independent quantity x , and dependent quantity y .

Determine whether the following statements are true or false. If the statement is false correct the sentence to make it true.

_____ 4) A function whose graph is linear is a straight line.

_____ 5) Linear functions can be proportional and non-proportional.

_____ 6) Every line is a linear function.

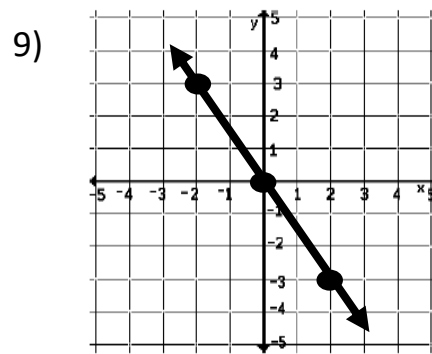
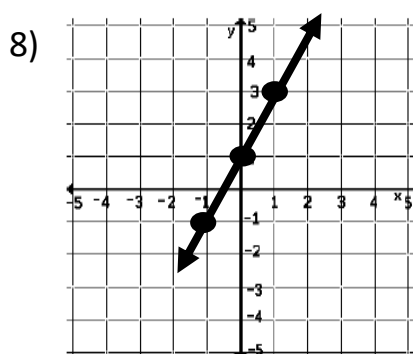
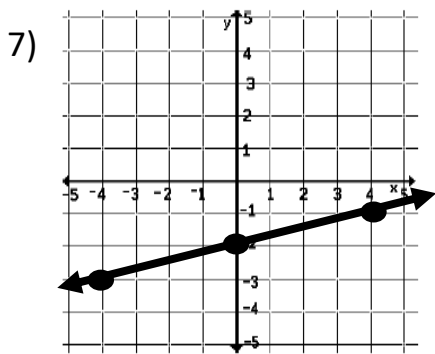
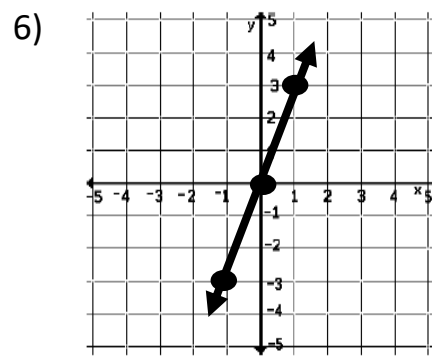
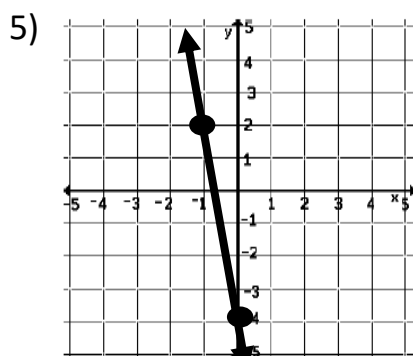
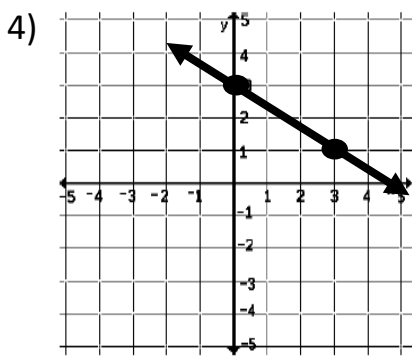
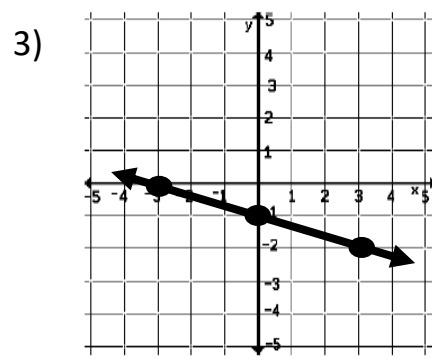
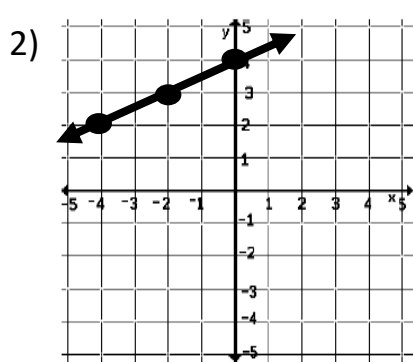
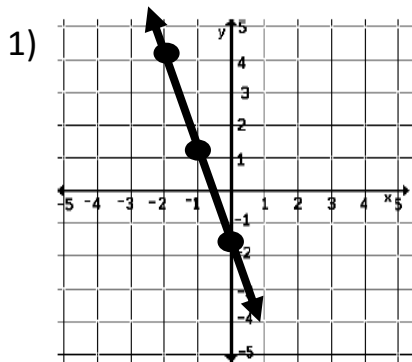
_____ 7) A function that is linear is increasing or decreasing at a constant rate.

_____ 8) A graph that is linear has a curved line.

_____ 9) When both values of a function increase together, the function is called a decreasing function.

Functions – 8.F.4

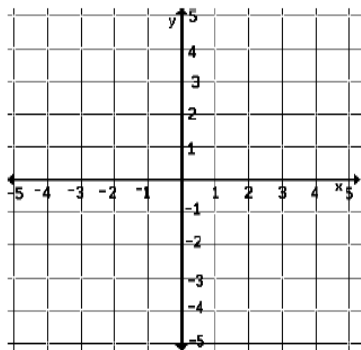
Find the rate of change using rise over run, be sure to show your work on the graph. Also, write the equation for the function.



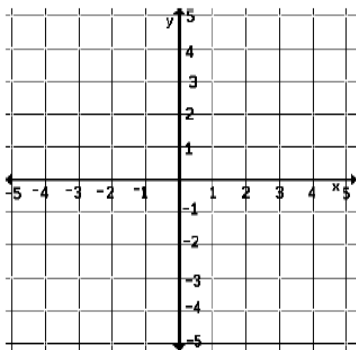
Functions – 8.F.4

Graph the following functions.

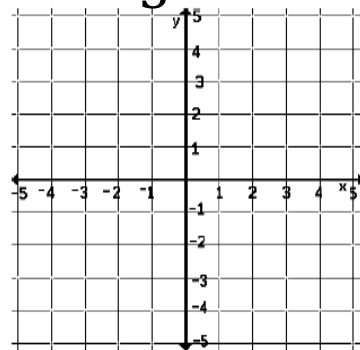
1) $y = 2x + 4$



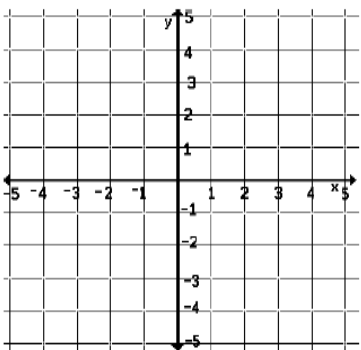
2) $y = -x - 3$



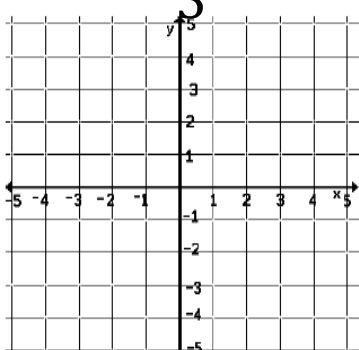
3) $y = \frac{1}{3}x + 2$



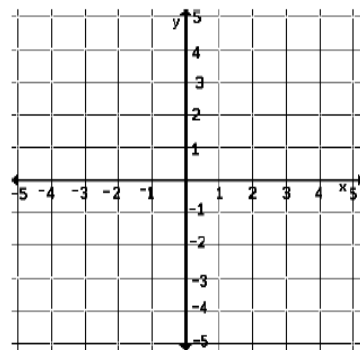
4) $y = -3x + 1$



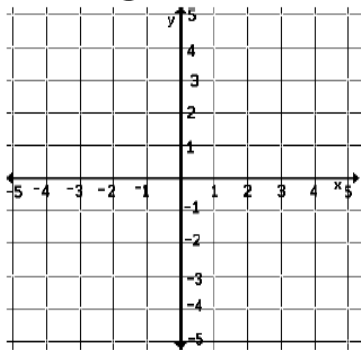
5) $y = -\frac{2}{3}x + 5$



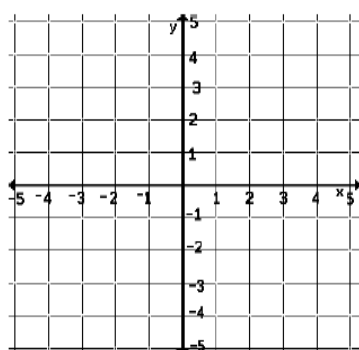
6) $y = x$



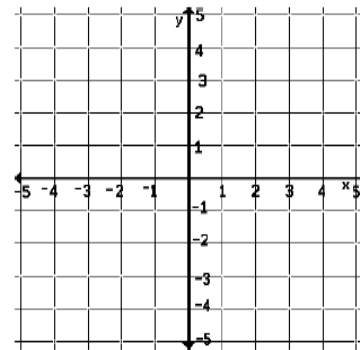
7) $y = \frac{1}{5}x - 3$



8) $y = 4x - 1$



9) $y = -2x$



Name: _____ Date: _____ Hour: _____

Functions – 8.F.4

Find the rate of change between the two ordered pairs:

1) $(2, 8)$ and $(1, 12)$

2) $(-4, 5)$ and $(3, 7)$

3) $(0, 6)$ and $(5, 16)$

4) $(-1, -1)$ and $(-4, -9)$

5) $(7, -4)$ and $(-4, 7)$

6) $(4, 5)$ and $(12, 29)$

Determine the rate of change of the following equations:

7) $5y = 15x + 10$

8) $y = \frac{3}{4}x + 1$

9) $2x + 4y = 12$

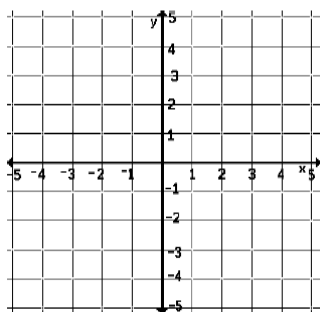
10) $6x + 3y = 18$

11) $2y = 5x - 8$

12) $y = x + 9$

Find the rate of change from the following table then graph the function on the coordinate plane.

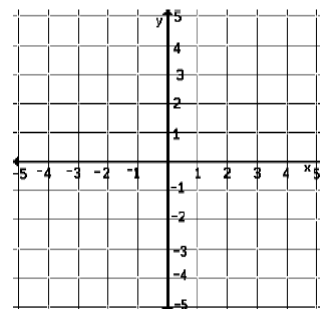
13) Rate of Change: _____



x	1	2	3
y	4	6	8

14) Rate of Change: _____

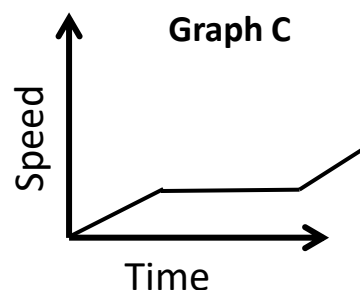
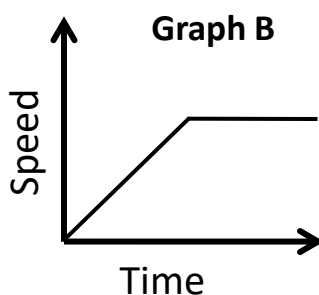
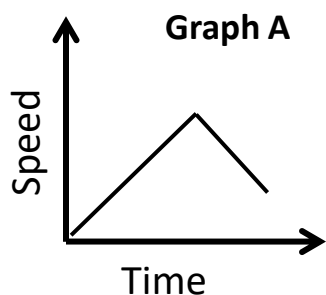
x	-1	0	1
y	4	2	0



Name: _____ Date: _____ Hour: _____

Functions – 8.F.5

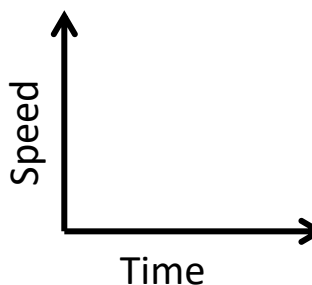
Match the graphs that go with the following situations:



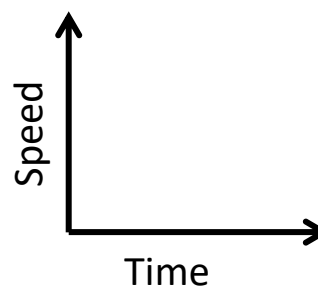
- 1) _____ Malik begins his ride slowly but then stops to talk with some friends on jet skis. After a few minutes, he continues his ride, gradually increasing his speed.
- 2) _____ Sierra steadily increases her speed through most of her ride. After about ten minutes she slows down to turn around and returns to the boat dock.
- 3) _____ Jake steadily increases his speed for the first part of his ride. He then keep a constant speed as he continued his ride.

Graph the following situations

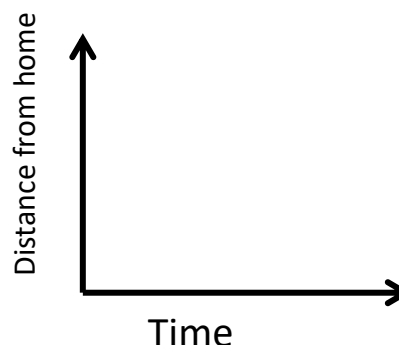
- 4) A car is moving at a constant speed and then gradually stops.



- 5) Jamie turns on her car, backs out of the drive way, stops for a car to go by and then continue driving at a constant rate until she gets to a stop sign. Once it is clear she accelerates to the speed limit.



- 6) Maggie leaves home and goes to the mall. She stays at the mall to do a little Christmas shopping and then leaves to go to dinner with her friends which is even farther away from her house.



Name: _____ Date: _____ Hour: _____

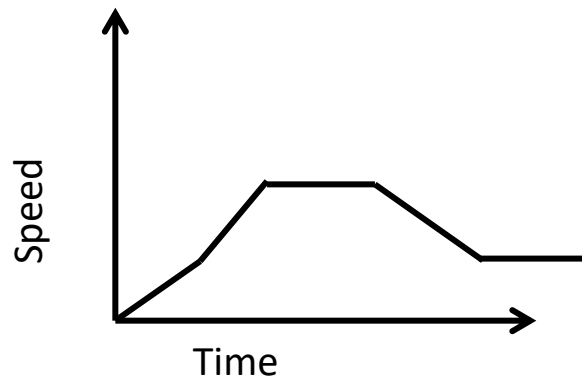
Functions – 8.F.5

Answer the following questions:

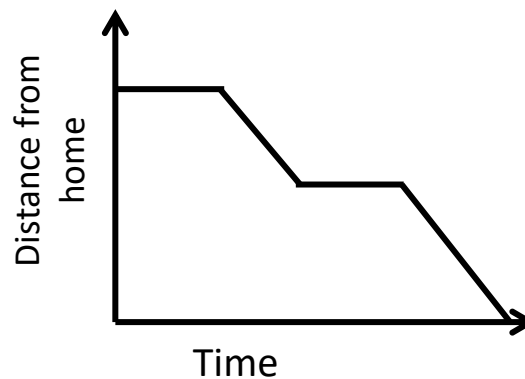
- 1) What does it mean when a graph of speed starts at $(0, 0)$?
- 2) If distance is represent on the y – axis and time on the x -axis, what does a line with an upward slope represent?
- 3) If speed is on the y axis and time on the x -axis, what does a line with a slope of zero represent?

Write a short story for the following graphs:

4)

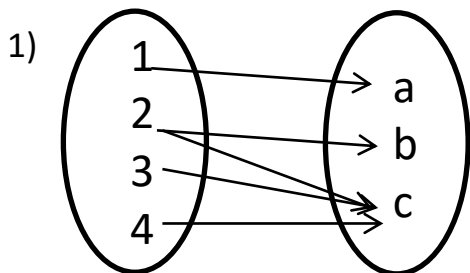


5)

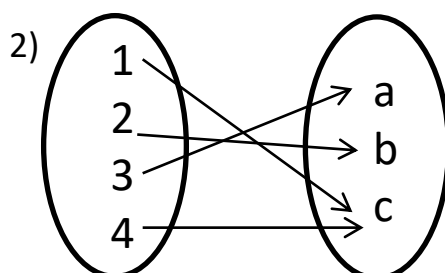


Functions – 8.F.1

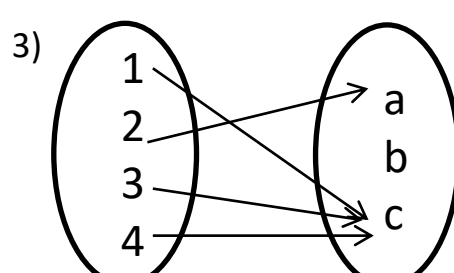
Determine if the following represent functions:



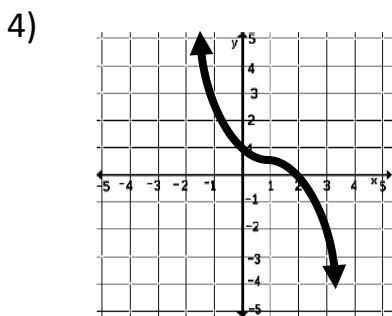
Not a function



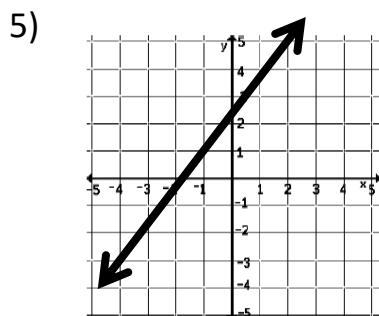
Function



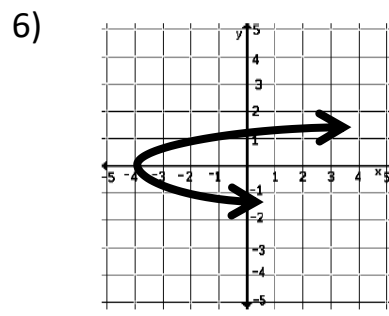
Function



Function



Function



Not a function

7) $\{(8, 2) (-3, 4) (6, -5) (-3, -6)\}$

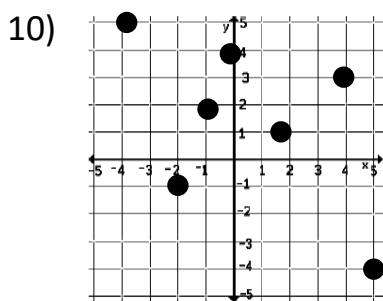
Not a function

8) $\{(-4, 2) (3, 3) (8, 4) (-4, -6)\}$

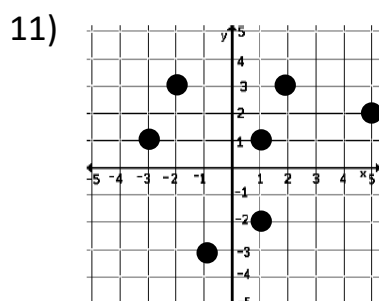
Not a function

9) $\{(-4, 2) (-6, 3) (-8, 4) (12, -6)\}$

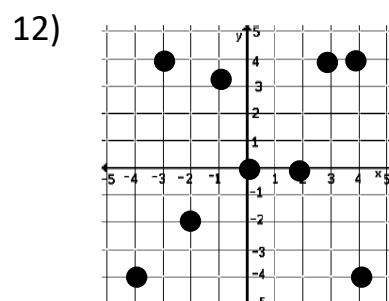
Function



Function



Not a function



Not a function

Name: _____ Date: _____ Hour: _____

Functions – 8.F.1

Fill in the blanks:

- 1) A function is a rule that assigns to each input exactly one output.

Determine if the following relationships represent functions:

2)

x	1	2	3	3	5
y	0	3	-2	5	1

3)

x	-1	2	5	6	9
y	-1	-1	3	0	2

Not a function

function

- 4) Give two examples of a function and two examples of a non-function in any representation you would like such as mapping, table, sequence, set, graph or a scenario. Do not use the examples above.

Function:

Non-Function:

Answers will vary

Explain whether the following situation fits the definition of a function.

- 5) Input: The basketball team has numbered uniforms.

Output: Each player wears a uniform with his assigned number.

Function, each player wears one uniform with one specific number

- 6) Input: The presidential debate is being telecast.

Output: It appears on televisions in millions of homes.

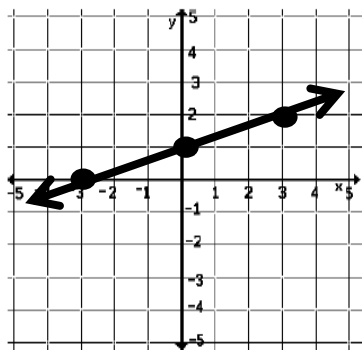
Not a function, the presidential debate is being mapped to more than one home

Name: _____ Date: _____ Hour: _____

Functions – 8.F.2

Examine the following sets of functions and determine which one has a greater rate of change.

1) A:



B: $y = 2x + 3$

Greater Rate of Change: **Function B**

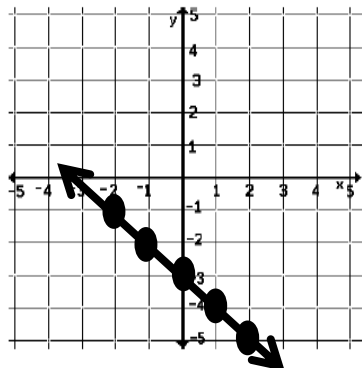
2) A:

x	-1	0	1	2	3
y	0	4	8	12	16

B. A graph is decreasing by a rate of $\frac{1}{2}$

Greater Rate of Change: **Function A**

3) A:



B.

x	3	5	7	9	11
y	0	5	10	15	20

Greater Rate of Change: **Function B**

4) A: A graph is increasing by rate of 4

B. $y = \frac{1}{4}x - 2$

Greater Rate of Change: **Function A**

5) A: $y = -2x + 4$

B.

x	-2	-1	0	1	2
y	1	2	3	4	5

Greater Rate of Change: **Function A**

Name: _____ Date: _____ Hour: _____

Functions – 8.F.2

- 1) Jillian is comparing two different cell phone companies Both company's monthly costs are shown. Which company has a lower monthly cost after 2 months?

Company A: $y = 15x + 20$

Lower Monthly Cost after 2 months:

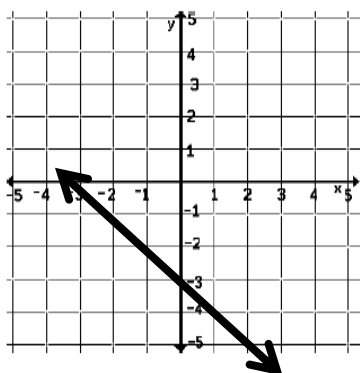
Company B:

Months	1	2	4
Cost	50	70	110

Company A

- 2) Which function has a greater y – intercept?

A:



B: $10x + 4y = 20$

Greater y – intercept: **Function B**

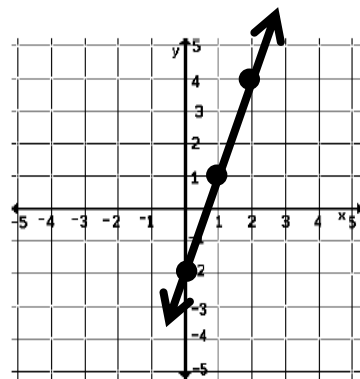
- 3) Order the functions from least to greatest rate of change:

A:

x	-2	0	2	4	6
y	0	4	8	12	16

B: $y = x - 4$

C:



Function B, Function A, Function C

- 4) Explain how to determine the rate of change from a:

Table: **Choose two ordered pairs and use the slope formula:** $\frac{y_2 - y_1}{x_2 - x_1}$

Graph: **Use rise over run (change in y over the change in x)**

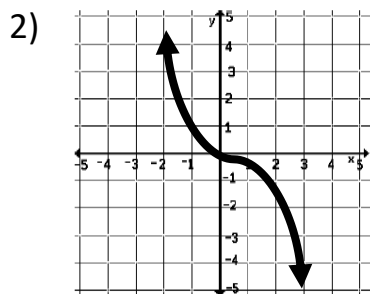
Equation: **Put the equation in slope intercept form: $y = mx + b$**

Functions – 8.F.3

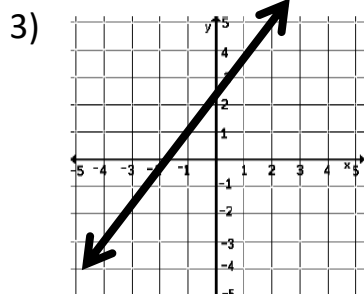
- 1) Explain in your own words what it means for a function to be linear.

Answers will vary, but for a function to be linear it must be increasing at a constant rate and the graph must be a straight line.

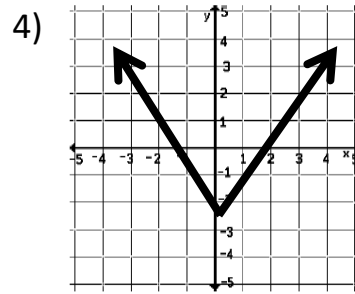
Determine if the following functions are linear or non-linear:



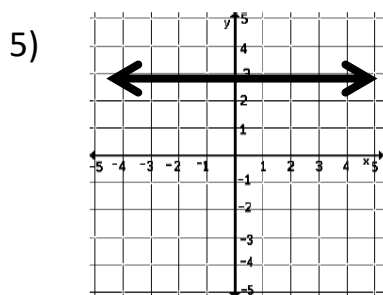
Non-Linear



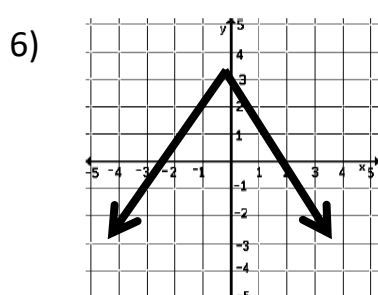
Linear



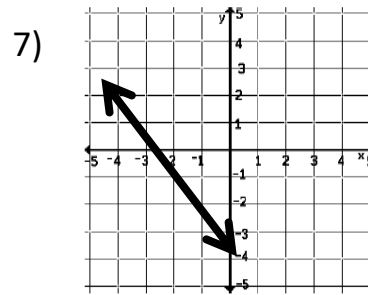
Non-Linear



Linear



Non-Linear



Linear

Determine if the following equations are linear or non-linear:

8) $y = \frac{2}{3}x + 4$

Linear

9) $y = x^2 + 1$

Non-Linear

10) $y = x$

Linear

11) $y = |x|$

Non-Linear

12) $y = 4x^3 - 5$

Non-Linear

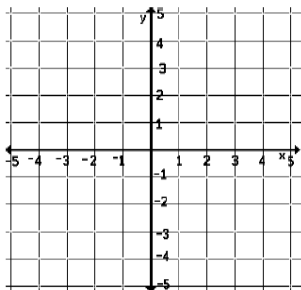
13) $y = -2x - 1$

Linear

Functions – 8.F.3

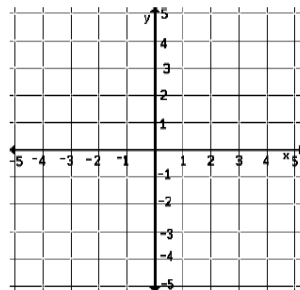
- 1) Give an example of a graph that is linear and an example of a graph that is non-linear:

LINEAR



Answers will vary

NON-LINEAR



- 2) Give an example of an equation that is linear and an example of an equation that is non-linear.

LINEAR

NON-LINEAR

Answers will vary

- 3) Write the equation of a linear function with slope m , initial value b , independent quantity x , and dependent quantity y .

$$y = mx + b$$

Determine whether the following statements are true or false. If the statement is false correct the sentence to make it true.

True 4) A function whose graph is linear is a straight line.

True 5) Linear functions can be proportional and non-proportional.

False 6) Every line is a linear function.

Not every line is a linear function and not every line is a function.

True 7) A function that is linear is increasing or decreasing at a constant rate.

False 8) A graph that is linear has a curved line.

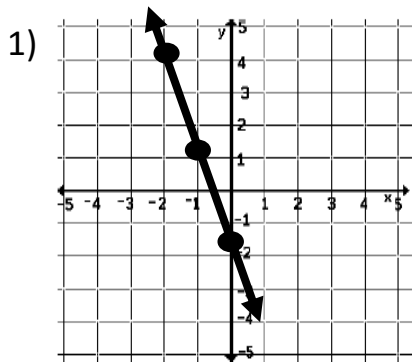
A graph that is linear has a straight line.

False 9) When both values of a function increase together, the function is called a decreasing function.

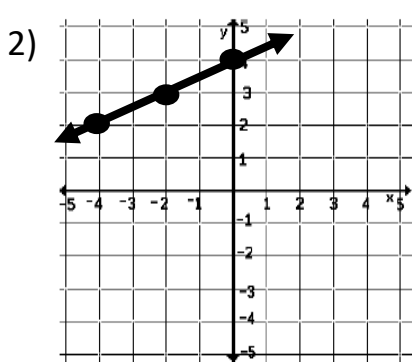
The function is called an increasing function.

Functions – 8.F.4

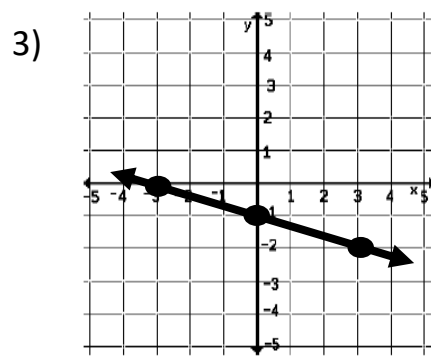
Find the rate of change using rise over run, be sure to show your work on the graph. Also, write the equation for the function.



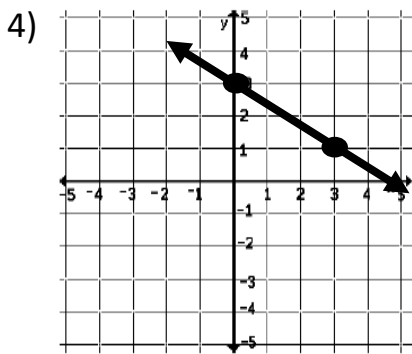
$$y = -3x - 2$$



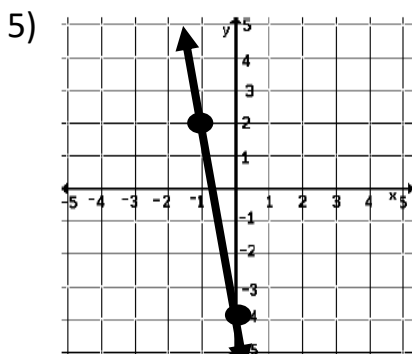
$$y = \frac{1}{2}x + 4$$



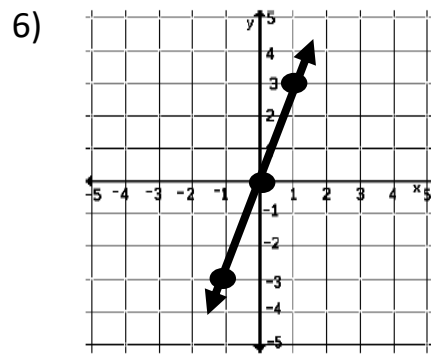
$$y = -\frac{1}{3}x - 1$$



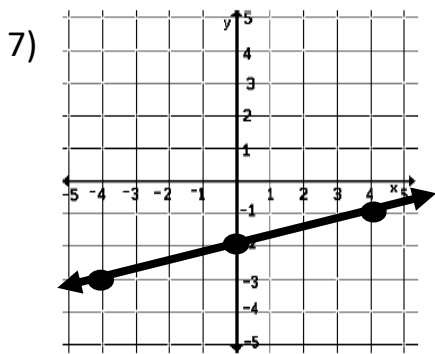
$$y = -\frac{2}{3}x + 3$$



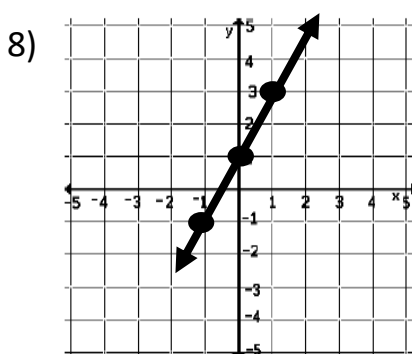
$$y = -6x$$



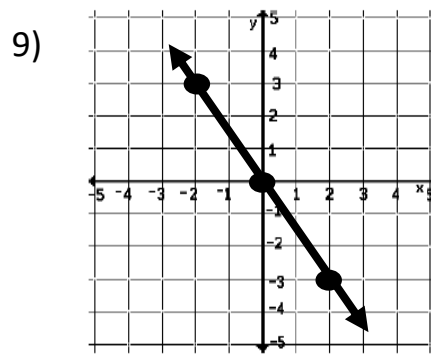
$$y = 3x$$



$$y = \frac{1}{4}x - 2$$



$$y = 2x + 1$$

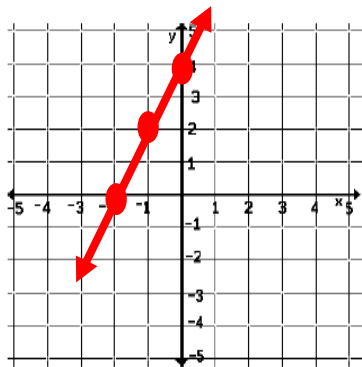


$$y = -\frac{3}{2}x$$

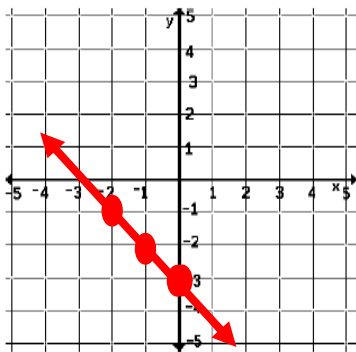
Functions – 8.F.4

Graph the following functions.

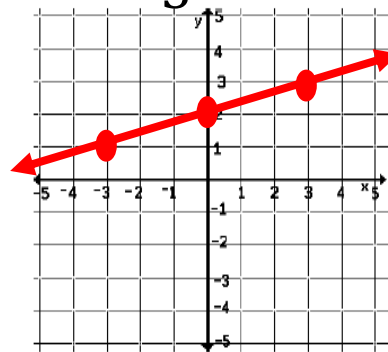
1) $y = 2x + 4$



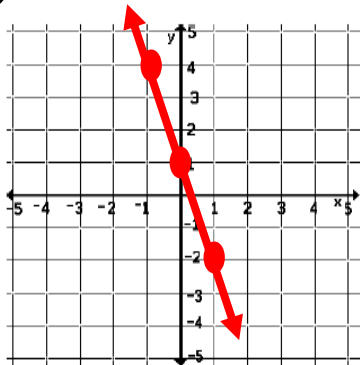
2) $y = -x - 3$



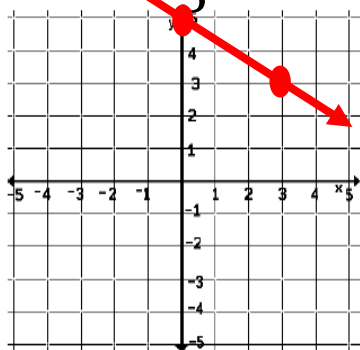
3) $y = \frac{1}{3}x + 2$



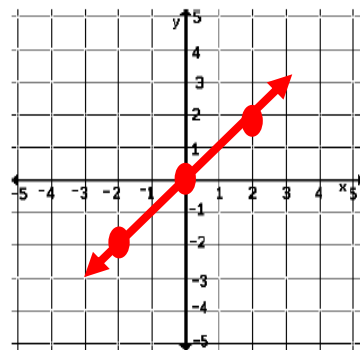
4) $y = -3x + 1$



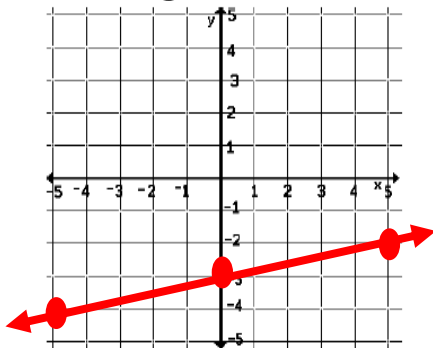
5) $y = -\frac{2}{3}x + 5$



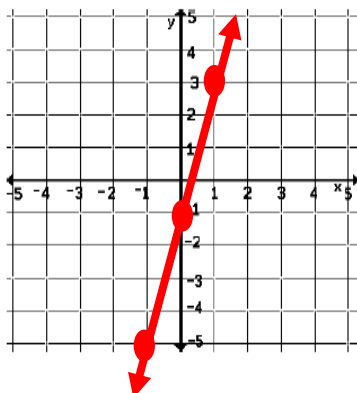
6) $y = x$



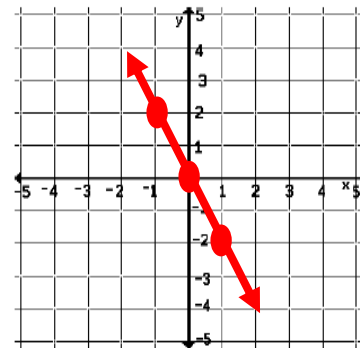
7) $y = \frac{1}{5}x - 3$



8) $y = 4x - 1$



9) $y = -2x$



Name: _____ Date: _____ Hour: _____

Functions – 8.F.4

Find the rate of change between the two ordered pairs:

1) $(2, 8)$ and $(1, 12)$

-1

2) $(-4, 5)$ and $(3, 7)$

$\frac{2}{7}$

3) $(0, 6)$ and $(5, 16)$

2

4) $(-1, -1)$ and $(-4, -9)$

$\frac{8}{3}$

5) $(7, -4)$ and $(-4, 7)$

-1

6) $(4, 5)$ and $(12, 29)$

3

Determine the rate of change of the following equations:

7) $5y = 15x + 10$

3

8) $y = \frac{3}{4}x + 1$

$\frac{3}{4}$

9) $2x + 4y = 12$

$-\frac{1}{2}$

10) $6x + 3y = 18$

-2

11) $2y = 5x - 8$

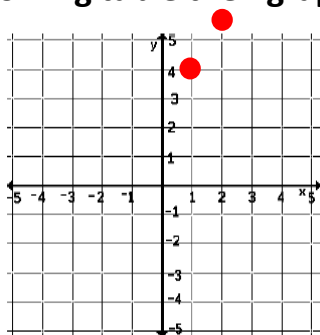
$\frac{5}{2}$

12) $y = x + 9$

1

Find the rate of change from the following table then graph the function on the coordinate plane.

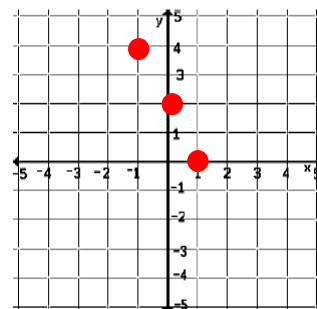
13) Rate of Change: **2**



x	1	2	3
y	4	6	8

14) Rate of Change: **-2**

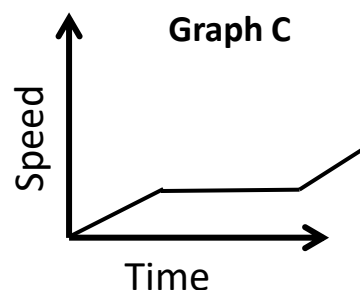
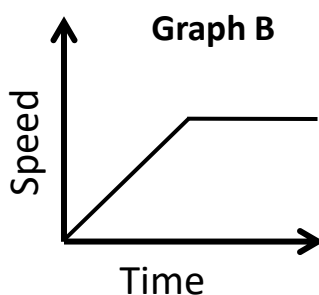
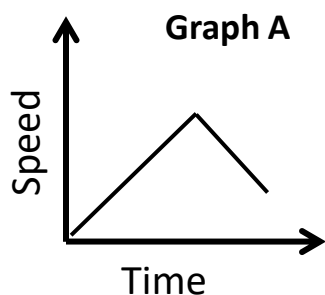
x	-1	0	1
y	4	2	0



Name: _____ Date: _____ Hour: _____

Functions – 8.F.5

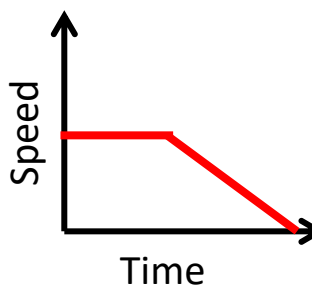
Match the graphs that go with the following situations:



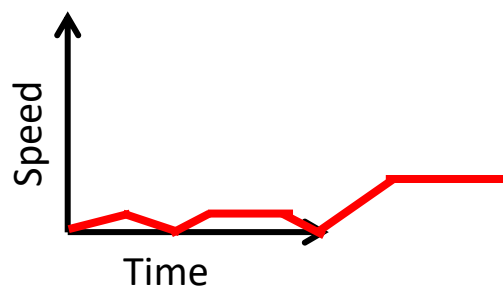
- 1) **C** Malik begins his ride slowly but then stops to talk with some friends on jet skis. After a few minutes, he continues his ride, gradually increasing his speed.
- 2) **A** Sierra steadily increases her speed through most of her ride. After about ten minutes she slows down to turn around and returns to the boat dock.
- 3) **B** Jake steadily increases his speed for the first part of his ride. He then keep a constant speed as he continued his ride.

Graph the following situations

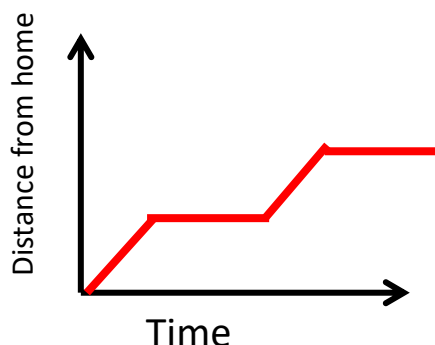
- 4) A car is moving at a constant speed and then gradually stops.



- 5) Jamie turns on her car, backs out of the drive way, stops for a car to go by and then continue driving at a constant rate until she gets to a stop sign. Once it is clear she accelerates to the speed limit.



- 6) Maggie leaves home and goes to the mall. She stays at the mall to do a little Christmas shopping and then leaves to go to dinner with her friends which is even farther away from her house.



Name: _____ Date: _____ Hour: _____

Functions – 8.F.5

Answer the following questions:

- 1) What does it mean when a graph of speed starts at $(0, 0)$?

The object is not moving to start

- 2) If distance is represent on the y – axis and time on the x-axis, what does a line with an upward slope represent?

The object is moving farther away

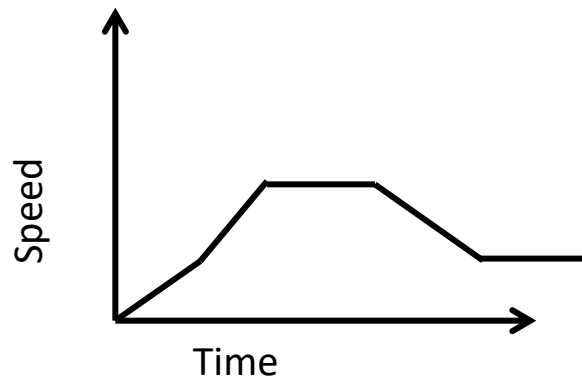
- 3) If speed is on the y axis and time on the x-axis, what does a line with a slope of zero represent?

The objet is moving at a constant speed

Write a short story for the following graphs:

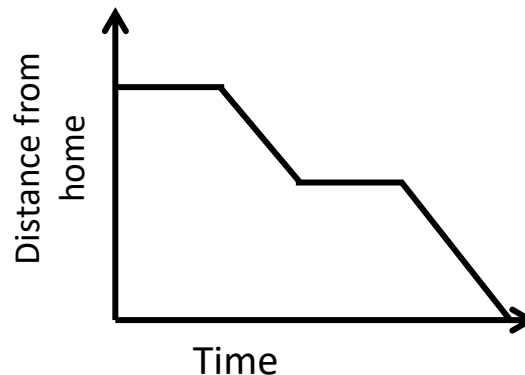
4)

Answers will vary



5)

Answers will vary



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~Math in the Midwest

