

# Building a route optimization system that takes elevation into consideration

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# Catalogue



- 1. Background
- 2. Methodology
- 3. Result
- 4. Limitation
- 5. Conclusion

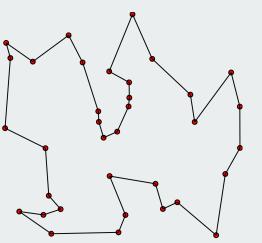
# Background



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- System
  - Elevation
  - No Internet
- Traveling salesman problem
- Carbon footprint







Integration

2D-Road Json file
Point 1  $\{x_1, y_1\}$ Point 2  $\{x_2, y_2\}$ Point 3  $\{x_3, y_3\}$ Point 4  $\{x_4, y_4\}$ 

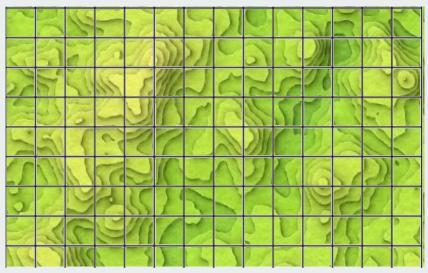
### Elevation raster file

Za	Z <sub>b</sub>	Z <sub>C</sub>
Zd	Z <sub>e</sub>	Zf
Zg	Z <sub>h</sub>	Zi



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Integration

3D-Road Json file

Point 1  $\{x_1, y_1, z_1\}$ 

Point 2  $\{x_2, y_2, z_2\}$ 

Point 3  $\{x_3, y_3, z_3\}$ 

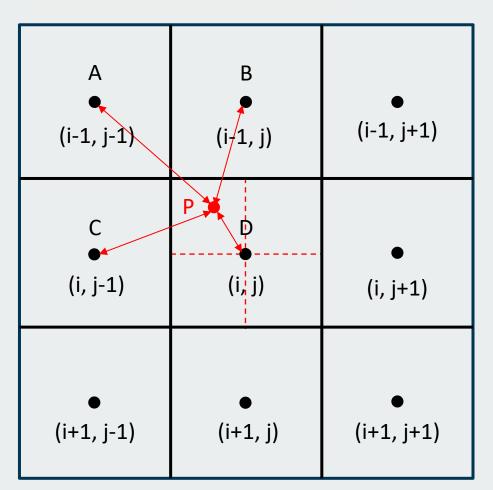
Point 4  $\{x_4, y_4, z_4\}$ 



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# Integration



- 1. Find the grid the point p belongs to.
- 2. Find the subregion
- Use the elevation data of four grids surrounding the point p to interpolate the elevation.
- 4. Calculate the weight for the point p. For example: the weight of point A is:  $w_A = 1/\text{distance}(P, A)$
- 5. Calculate the elevation of P



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Create Network graph



Node: Store the position info

Edge: Connect nodes

Store attributes



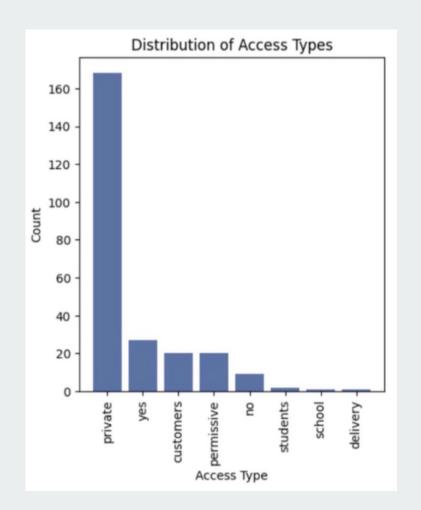
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Create Network graph

# Considering:

- 1. Road type
- 2. Access type
- 3. One-way road

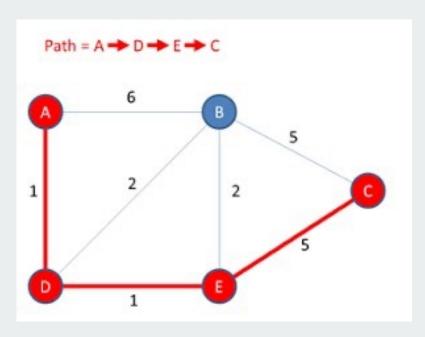
Road type	Speed limit (km/h)		
Primary	50		
Secondary	50		
Tertiary	50		
Trunk	50		
Residential	20		
Motorway	80		
Service	20		
Unclassified	50		



Route planning

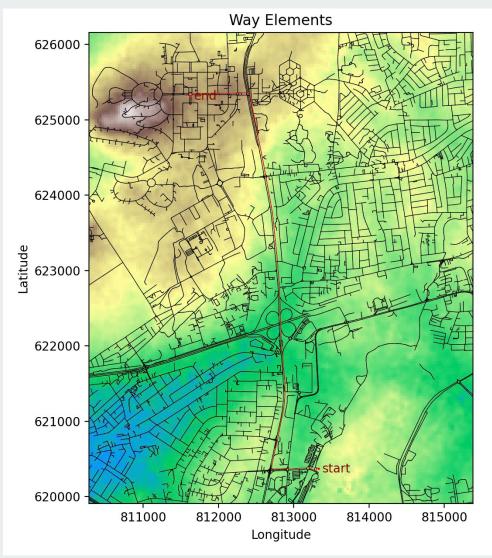
Dijkstra algorithm

Find the path with least distance/time





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Pointer network



**Adjacent Matrix** 

 $\begin{array}{cccccc} 0 & D_{12} & D_{13} & D_{14} \\ D_{21} & 0 & D_{23} & D_{24} \\ D_{31} & D_{32} & 0 & D_{34} \\ D_{41} & D_{42} & D_{43} & 0 \end{array}$ 

 $D_{ij}$ : Actual distance from i to j

To handle TSP in real-world street:

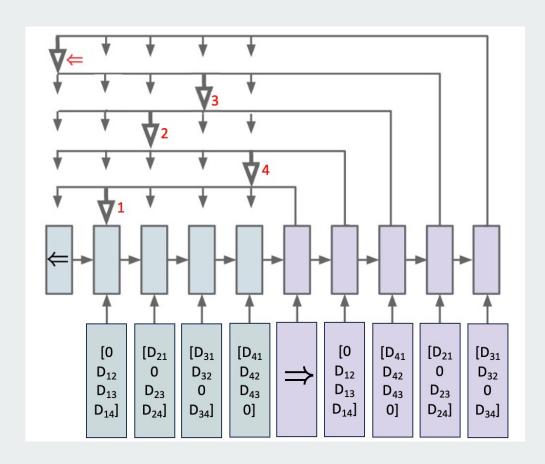
X Simple straight-line distance

Actual distance along the street



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## Pointer network



Input: **Adjacent Matrix** 

 $0 D_{12} D_{13} D_{14}$  $D_{21} \quad 0 \quad D_{23} \quad D_{24}$  $D_{31}$   $D_{32}$  0  $D_{34}$ D<sub>41</sub> D<sub>42</sub> D<sub>43</sub> 0

Output: List of optimised route [1,4,2,3]

# Result



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# Integration and Network

case	distance	distance(Google)	Relative Error	time	time(Google)	Relative Error
unit	km	km		minute	minute	
1	6.55	6.5	0.77%	12.85	13	1.15%
2	6.94	7.7	9.9%	14.32	15	4.5%
3	7.5	7.4	1.4%	13.62	13	4.8%
4	5.4	6.8	20.6%	12.18	22	44.6%
5	9.97	9.7	2.7%	18.89	21	10.04%

100 random paths are tested:

RMSE of distance: 11.95% RMSE of travel time: 23.73%

# Result



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### Pointer network

### Criterion

Accuracy: The values and order of the output list need to be correct

Mean route length ratio: The ratio between length of predicted route and of optimal route

Accuracy: 67%

Mean route length ratio: 1.02

Optimal route: [0 4 1 2 3]

✓ Predicted route: [0 4 1 2 3]

XPredicted route: [0 4 1 3 2]

# Limitation

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Data quality





Some roads are one-way roads but do not show up in the road data

# Limitation



# **Assumptions**

- The ratio of traffic to capacity is 0.5 for all road segments.
- No Traffic light
- Clear road

Error in travel time

# Conclusion



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#### The route planning function:

- 11.95% relative error for finding the shortest path
- 23.73% relative error for finding the most time-saving path compared to Google Maps.

#### Pointer Network:

- 67.0% of the accuracy of the model
- 1.02 of average route length ratio compared to the optimal route length.



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Thanks for listening!