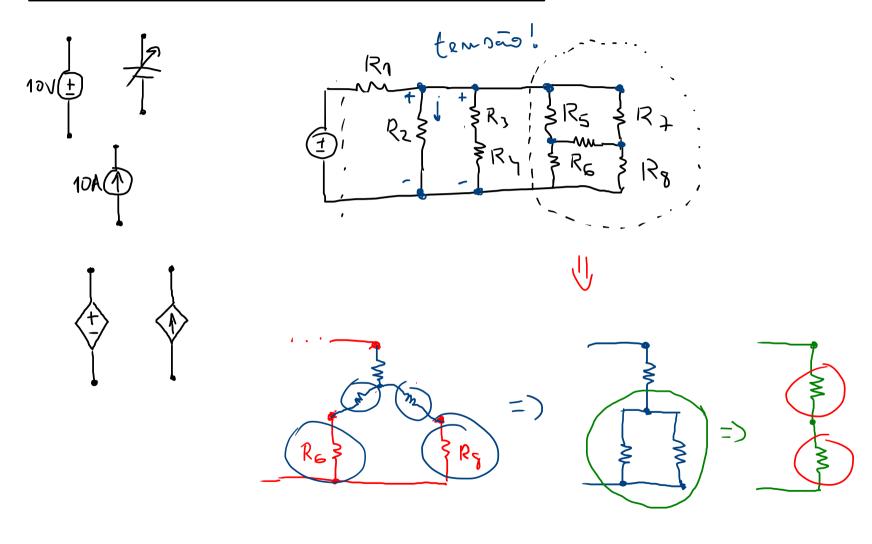
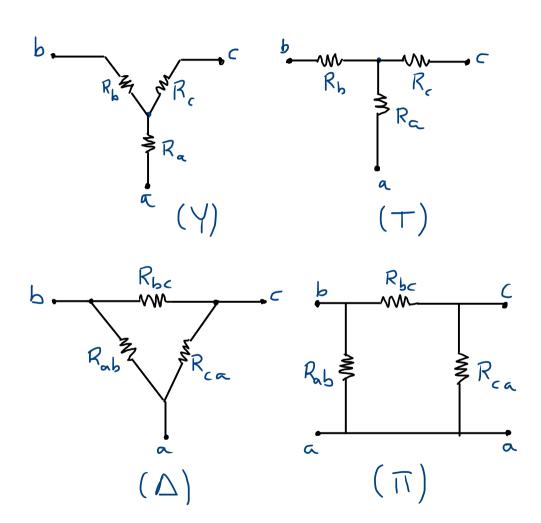
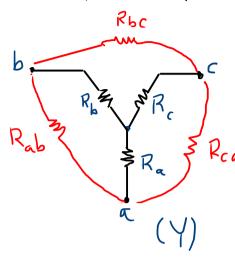
## Circuitos cc (Puramente resistivos)



Transformações Y-A « D-Y:



Transformações Y-A « D-Y:



$$R_{a} + R_{b} = \frac{R_{ab}(R_{bc} + R_{cc})}{R_{ab} + R_{bc} + R_{ca}}$$

$$R_{ab} + R_{bc} + R_{ca}$$

$$\frac{b-C}{R_b+R_c} = \frac{R_{bc}(R_{ab}+R_{ca})}{R_{ab}+R_{bc}+R_{ca}} (\frac{1}{1})$$

$$\frac{C-\alpha}{R_{a}+R_{c}=\frac{R_{ca}\left(R_{ab}+R_{bc}\right)\left(\Pi\right)}{R_{ab}+R_{bc}+R_{ca}}$$

Transformações 
$$Y-\Delta = \Delta-Y$$
:

 $a-b$ 
 $R_a+R_b = R_{ab}(R_{bc}+R_{cc})$  (I)

$$\frac{\text{Nab}\left(\text{Nbc}^{\top}\text{Kc}_{c}\right)}{\text{Rab} + \text{Rbc} + \text{Rca}} (I)$$

$$R_b + R_c = \frac{R_{bc}(R_{ab} + R_{ca})}{R_{ab} + R_{bc} + R_{ca}} (II)$$

$$\frac{1}{R_{ab} + R_{bc} + R_{ca}}$$

$$= \frac{R_{ca} \left( R_{ab} + R_{bc} \right)}{\left( \Pi \right)}$$

$$\frac{C-\alpha}{R_{a}+R_{c}=\frac{R_{c}\alpha\left(R_{a}b+R_{b}c\right)}{R_{a}b+R_{b}c}\left(\frac{\Pi}{R_{a}b}\right)} \frac{R_{c}=\frac{R_{b}c}{R_{b}c}R_{c}\alpha}{R_{a}b+R_{b}c+R_{c}\alpha}$$

$$\frac{R_{c}=\frac{R_{b}c}{R_{a}b+R_{b}c}R_{c}\alpha}{R_{a}b+R_{b}c} \frac{R_{c}\alpha}{R_{c}\alpha}$$

$$(I) + (III) - (II);$$

$$R_{\alpha} = \frac{R_{ab}R_{ca}}{R_{ab} + R_{bc} + R_{ca}}$$



Transformações Y-A · D-Y: Relacionando as eg. (I) e(V): |(I)+(面)-(耳):

 $(IV) \left| \frac{R_a}{R_b} = \frac{R_{ca}}{R_{bc}} \quad (VII)$ Ra= Rab Rca Rab + Rbc + Rca Relaces eg. (II) e (V):

 $R_{b} = \frac{R_{cb} R_{bc}}{R_{ab} + R_{bc} + R_{ca}}$ 

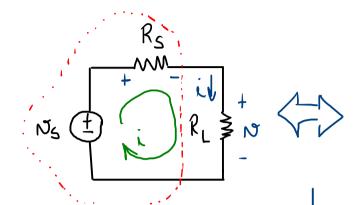
 $R_{c} = \frac{R_{bc} \cdot R_{ca}}{R_{ab} + R_{bc} + R_{ca}}$  (

(V)  $\frac{R_{C}}{R_{b}} = \frac{R_{Ca}}{R_{ab}} \quad (VIII)$ Comb. on eq. (VIII):

 $(VI) \frac{R_a}{R_c} = \frac{R_{ab}}{R_{bc}} (IX)$ 

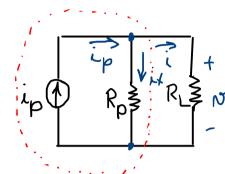
Transformações Y-D . D-Y: Subst. as eq. (VA) e (IX) em Relacionando as eq. (I) e(V):  $R_b + R_c = R_{bc} \left( \frac{R_a}{R_c} + \frac{R_a}{R_b} \right)$  $\frac{R_{a}}{R_{b}} = \frac{R_{ca}}{R_{bc}} \qquad (VII)$ Relaces eq. (II) e(v):  $R_{bc}\left(\frac{R_{a}}{R_{c}}+1+\frac{R_{a}}{R_{b}}\right)$  $\frac{R_{c}}{R_{b}} = \frac{R_{ca}}{R_{ab}} \quad (VIII)$ Rbc = RaRb + RbRc + RaRc Comb. cs eq. (VE) e (VII)! Ra = Rab (IX) Rc Rbc Rab= RaRb + RbRc + RaRc Roce = RaRb + RbRc + RaRc

-> Convensão de modelos de fontes:



$$N_s = R_{s,\lambda} + N$$

$$\dot{L} = \frac{N_5}{R_S} - \frac{N}{R_S}$$



 $R_s = R_p$ 

