```
import numpy as np
from sympy import*
import matplotlib.pyplot as plt
```

Double-click (or enter) to edit

```
n = 15 # numero de pontos

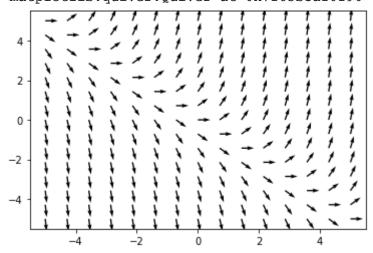
y = np.linspace(-5,5,n)
t = np.linspace(-5,5,n)
Y,T = np.meshgrid(y,t)

# Y,T posicoes
#dy,dt Direcao da seta

f = y+T
angulo = np.arctan(f)
dy = np.cos(angulo)
dt = np.sin(angulo)

plt.quiver(Y,T,dy,dt)
```

<matplotlib.quiver.Quiver at 0x7f65bcaf0f90>



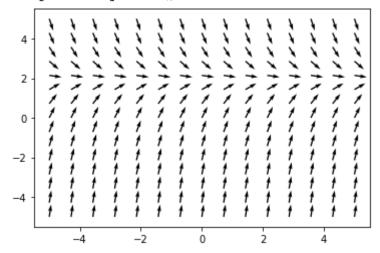
Ex 1 a

$$y' = 2 - y$$

n = 15
t = np.linspace(-5,5,n)
y = np.linspace(-5,5,n)
Y,T = np.meshgrid(y,t)

```
f = 2-Y
angulo = np.arctan(f)
dy = np.cos(angulo)
dt = np.sin(angulo)
plt.quiver(T,Y,dy,dt)
```

<matplotlib.quiver.Quiver at 0x7f65bcdcc3d0>



```
n = 15
y = np.linspace(-2,2,n)
t = np.linspace(-2,2,n)
T,Y = np.meshgrid(y,t)
```

<matplotlib.quiver.Quiver at 0x7f65c216c5d0>

```
n = 15
x = np
```

y = np.linspace(-2,2,n)

t = np.linspace(-2,2,n)

T,Y = np.meshgrid(y,t)

f = -2-Y

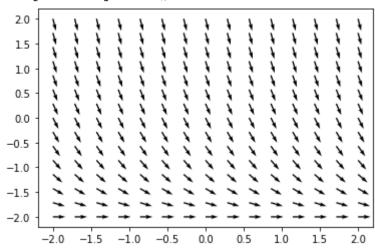
angulo = np.arctan(f)

dy = np.cos(angulo)

dt = np.sin(angulo)

plt.quiver(T,Y,dy,dt)

<matplotlib.quiver.Quiver at 0x7f65bd189490>



Questao 3 a)

$$Y^2 - Y(x) = \cos x Y'(\cos x) = 0 \sin x Y'' \cos(x) = -\cos(x)$$

Questao 3 b) Y''-Y=0 Y''=Y $Y(x)=\cos(hx)$ $Y'\cos(hx)=\sin(hx)$ $Y''\cos(hx)=\cos hx$

Questao 3 c)

$$ty' = t^2 y' = (t^2 + y)/t y(t) = 3t + t^2 y'(3t + t^2) = 3t + 2t$$

+ Code — + Text

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