Exercise 2.34

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Exercise from the *Sequences as Conventional Interfaces* section of Structure and Interpretation of Computer Programs.

Evaluating a polynomial in *x* at a given value of *x* can be formulated as an accumulation. We evaluate the polynomial

$$a_n x^n + a_{n-1} x^{n-1} + \ldots + a_1 x + a_0$$

using a well-known algorithm called Horner's rule, which structures the computation as

$$(\dots(a_nx+a_{n-1})x+\dots+a_1)x+a_0$$

In other words, we start with a_n , multiply by x, add a_{n-1} , multiply by x and so on until we reach a_0 . Fill in the following template to produce a procedure that evaluates a polynomial using Horner's rule. Assume that the coefficients of the polynomial are arranged in a sequence, from a_0 through a_n .

horner-eval: $number \times list \rightarrow number$

Return the evaluation of the polynomial with the coefficients given by the coefficient-sequence at a given number x using Horner's rule.