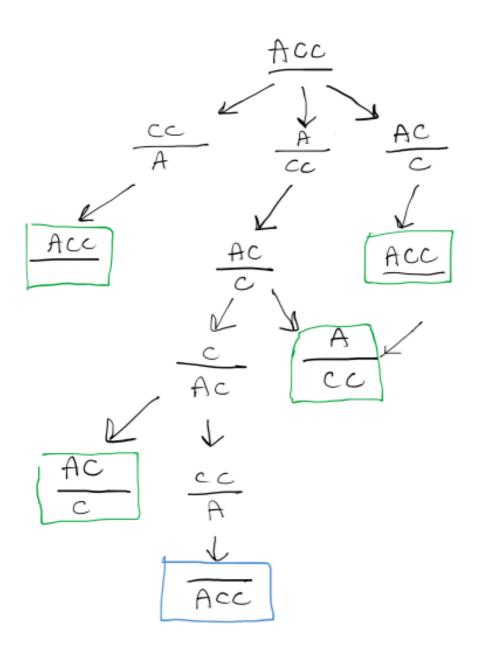
## O Search Space: Problem 1

GOAL = ACC

Repeated = state werve state = seen before



For the number of possible arrangements of eight queens on a chessboard. I would accept several different answers, so long as they are explained well.

- 1) 64 choose 8 = 4426165368. There are exactly 64 choose 8 ways you can place eight queens on the board. This is fine, but a little naïve.
- 2) 8^8 = 16777216. I can put the first queen in any of eight slots in the first row. I can put the second queen in any of eight slots in the second row,..., I can put the eighth queen in any of eight slots in the second row. So, eight to the power of eight.
- 3) 8! = 40320. I can put the first queen in any of eight slots in the first row. I can put the second queen in any of slots in the second row, except for a column that I already used for the first row, so that is seven choices. I can put the third queen in any of slots in the third row, except for a column that I already used for the first two rows, so that is six choices,.., I can put the eight queen in any of slots in the eight row, except for a columns that I already used for the first seven rows, so that is one choice.
- 4) <other>

If we were doing generate and test, then clearly option '3' is how we would do it.



1) Total Arrangements:

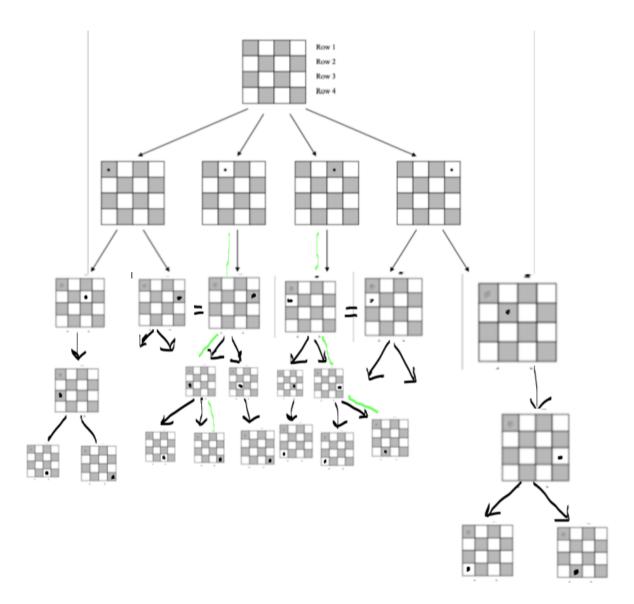
8 = 40320 arrangements.

(1) Arrangements per second:

1000

50, 40,320 = 40.32 seconds for all the arrangements

- B) 40.32 seconds for all. since they are spread out in the search space, and one can be anywhere. we can just divide the total by 12. 40.32 = 3.36 seconds to at least yet 4 solution!
- c) Example would be the twin prime numbers. First we need to not be sure if solution exists in the first place. The Twin primes conjecture concerns pairs of prime numbers w? a difference of 2. The numbers 5 and 7 are twin primes. (5,7)



## two solutions

The N Queen is the problem of placing N chess queens on an N×N chessboard so that no two queens attack each other. For example, following are **two solutions** for 4 Queen problem.