
Three dimensional coordinates into two dimensional coordinates transformation.
Overworked english edition. Almost completely rewritten chapters from top to bottom.

Three dimensional coordinates into two dimensional coordinates transformation

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german draft: gerhold-3dto2d-de.pdf

Remark. This is a development version. With proper mistakes. The coordinate system itself is easy, useful and a working tool.

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2.6 Some topology

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3.2.2 Examples for $f \circ g$

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