### **PROMGRAMMING ASSIGNMENT 3**

## LEAST SQUARES ISN'T GOOD ENOUGH FOR ME

### LINEAR PROGRAM

Objective: Minimize...

$$\max_{1 \le i \le n} |ax_i + b - y_i|$$

Set of Constraints:

 $a = \mathbb{R}$ ,  $b = \mathbb{R}$ ,  $x = \mathbb{R}$ ,  $y = \mathbb{R}$  (all of variables are real numbers)

### **OPTIMAL/BEST SOLUTION**

Problem: [Set of Points]

$$(1, 3), (2, 5), (3, 7), (5, 11), (7, 14), (8, 15), (10, 19)$$

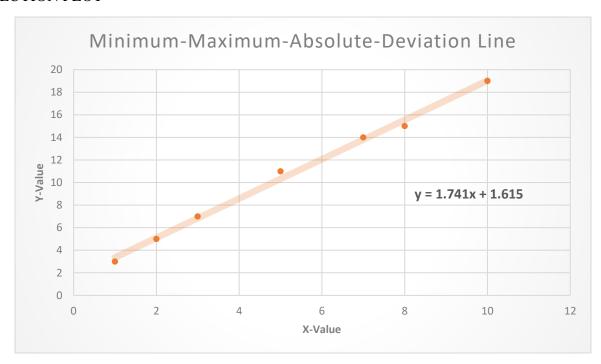
Optimal/Best Solution:

$$y = 1.741x + 1.615$$

#### LINEAR PROGRAM SOLVER OUTPUT

// Result from program

### **SOLUTION PLOT**



### LOCAL TEMPERATURE CHANGE

#### LINEAR PROGRAM

Objective: Minimize...

$$T(d) = \underbrace{x_0 + x_1 \cdot d}_{\text{linear trend}} + \underbrace{x_2 \cdot \cos\left(\frac{2\pi d}{365.25}\right) + x_3 \cdot \sin\left(\frac{2\pi d}{365.25}\right)}_{\text{seasonal pattern}} + \underbrace{x_4 \cdot \cos\left(\frac{2\pi d}{365.25 \times 10.7}\right) + x_5 \cdot \sin\left(\frac{2\pi d}{365.25 \times 10.7}\right)}_{\text{solar cycle}}$$

Set of Constraints:

 $x = \mathbb{R}$  (real numbers)

d = W (whole numbers)

#### **OPTIMAL SOLUTION**

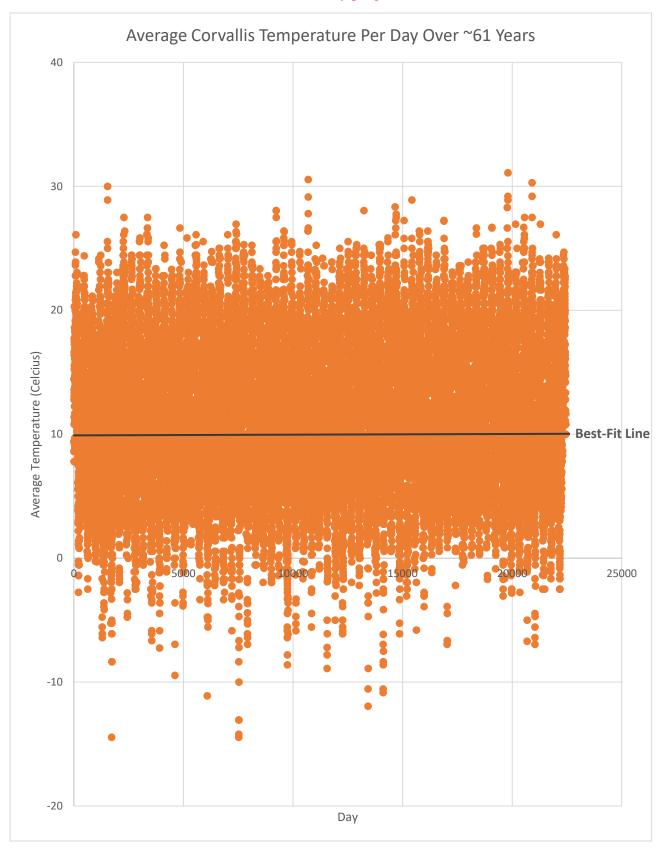
Values of Variables:

// From the program

Linear Program Solver Output:

// Result from program

# SOLUTION PLOT // Needs linear line calculated by program



# ANSWERS TO YOUR QUESTIONS

- 1) Based on the value x<sub>1</sub>, how many degrees Celsius per century is Corvallis changing? Corvallis is changing at # degrees Celsius per century.
- 2) Is it a warming or cooling trend?

The average temperature change of Corvallis is a warming/cooling trend.