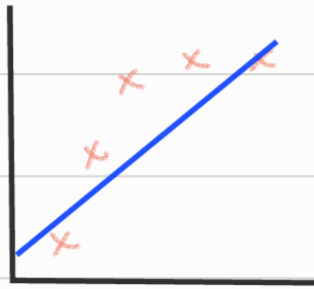


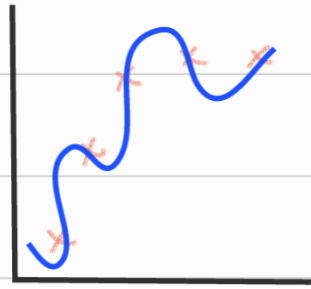
Diagnosing Bias vs. Variance

편향

분산



Underfit



Overfit

Bias

High

Low

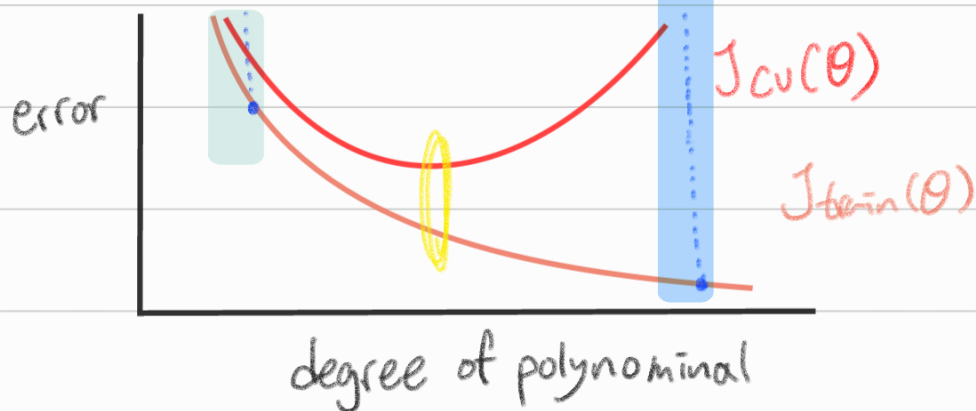
Variance

Low

High

$d=1$

$d=4$



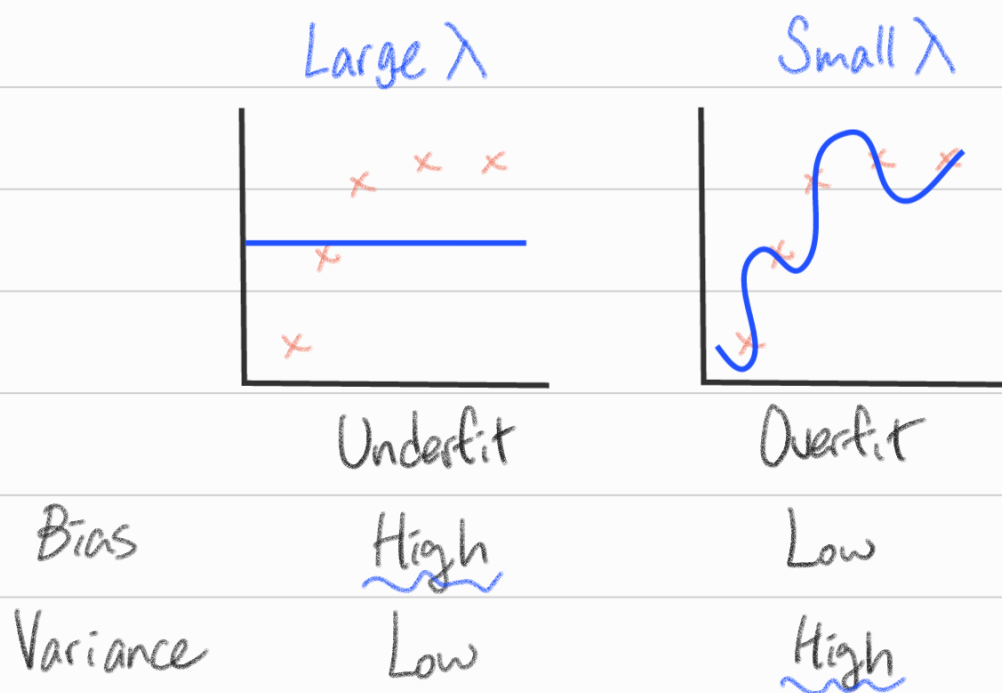
Bias (underfit):

$J_{train}(\theta)$ & $J_{cv}(\theta)$ both high

Variance (overfit):

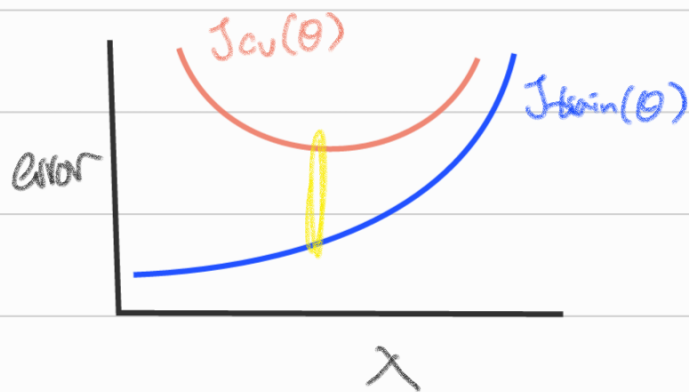
$J_{train}(\theta)$ low, but $J_{cv}(\theta)$ high

Regularization and Bias / Variance



Choosing the regularization parameter λ

1. Try $\lambda = 0$
2. Try $\lambda = 0.01$
3. Try $\lambda = 0.02$
- \vdots



Iterate through the λ s

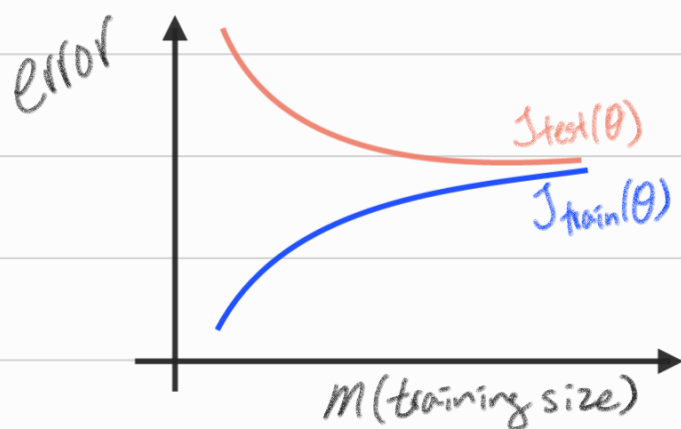
and go through all the models to learn some θ

Compute the cv error using the learned θ

Learning Curves

$$J_{\text{train}}(\theta) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2$$

$$J_{\text{cv}}(\theta) = \frac{1}{2m_{\text{cv}}} \sum_{i=1}^{m_{\text{cv}}} (h_{\theta}(x_{\text{cv}}^{(i)}) - y_{\text{cv}}^{(i)})^2$$



If the training set size is small, then the training error is small.

(Very easy to fit)

cv & test error decreases

as m increases

(more data, generalization \uparrow)

If a learning algorithm is suffering from high bias, (편향) getting more training data will not help much

If a learning algorithm is suffering from high variance (분산) getting more training data is likely to help