Assignment-3

MAHENDRA KUMAR **EE22MTECH11017**

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1 From Uniform to Other

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$$F_{V}(x) = \Pr\left(U \le 1 - exp\frac{-x}{2}\right)$$

$$F_{V}(x) = 1 - \Pr\left(U \le exp\frac{-x}{2}\right)$$

$$F_{V}(x) = 1 - \int_{-\infty}^{exp\frac{-x}{2}} f_{X}(x) dx$$

$$V = -2\ln(1 - U) \tag{1.1.1}$$

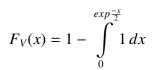
and plot its CDF.

1.1 Generate samples of

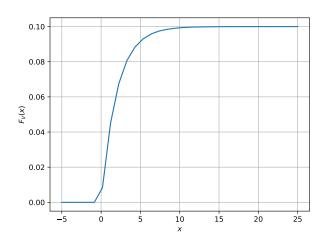
Solution: The following code are

https://github.com/ee22mtech 11017/assingment/blob/main/ assign 3.c

https://github.com/ee22mtech 11017/assingment/blob/main/ cdf plot.py



$$F_V(x) = 1 - exp^{\frac{-x}{2}}$$



The CDF of X

1.2 Find a theoretical expression for $F_V(x)$.

Solution:

$$F_V(x) = \Pr(V \le x)$$

$$F_V(x) = \Pr(-2\ln(1-U) \le x)$$

$$F_V(x) = \Pr\left(\ln(1-U) \ge \frac{x}{-2}\right)$$

$$F_V(x) = \Pr\left(1-U \ge \exp\frac{x}{-2}\right)$$