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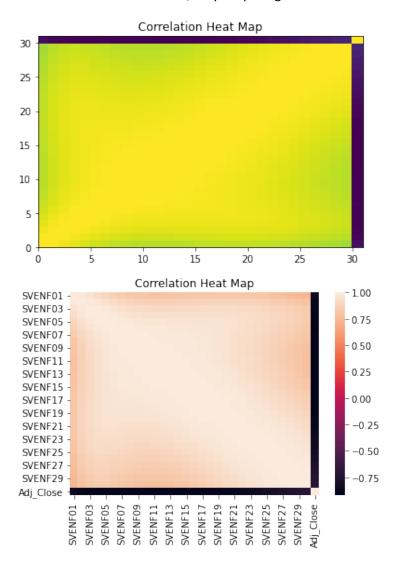
IE598 MLF F18

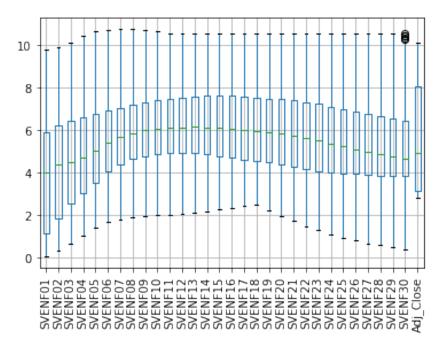
Module 5 Homework (Dimensionality Reduction)

Use the Treasury Yield Curve dataset

Part 1: Exploratory Data Analysis

Describe the data set sufficiently using the methods and visualizations that we used previously. Include any output, graphs, tables, that you think is necessary to represent the data. Label your figures and axes. DO NOT INCLUDE CODE, only output figures!





Statistical descriptions of all features is too large of a table to place here, so it can be found in my printed PDF of my code attached at the end of this document

Split data into training and test sets. Use random_state = 42. Use 85% of the data for the training set. Use the same split for all experiments.

Part 2: Perform a PCA on the Treasury Yield dataset

Compute and display the explained variance ratio for all components, then recalculate and display on n_components=3.

What is the cumulative explained variance of the 3 component version.

Cumulative explained variance for 3 components: 0.994405917309303

Part 3: Linear regression v. SVM regressor - baseline

Fit a linear regression model to both datasets (the original dataset with 30 attributes and the PCA transformed dataset with 3 PCs.) using SKlearn. Calculate its accuracy R2 score and RMSE for both in sample and out of sample (train and test sets). (You may use CV accuracy score if you wish).

Fit a SVM regressor model to both datasets using SKlearn. Calculate its accuracy R2 score and RMSE for both in sample and out of sample (train and test sets). (You may use CV accuracy score if you wish).

Part 4: Conclusions

Write a short paragraph summarizing your findings. Which model performs best on the untransformed data? Which transformation leads to the best performance increases? How does training time change for the two models. Report your results using the Results worksheet format. Embed the completed table in your report.

Overall, the linear regression model did the best in accuracy on the untransformed data. However, most likely, this model, along with the SVR model for untransformed data, are most likely not generalizable since it is dependent on 30 features. When the data was transformed using PCA, the accuracy was very comparable to what was shown for the full 30 feature model, but the model will most likely be more generalizable as a result of reducing the data to 3 principal components.

	Experiment 1 (Treasury Yields)			
	Linear		SVR	
Baseline (all attributes)	Train Acc:	0.902273	Train Acc:	0.89202
baseline (all attributes)	Test Acc:	0.90413	Test Acc:	0.89246
PCA transform (3 PCs)	Train Acc:	0.86722	Train Acc:	0.86248
rea transitini (5 Pes)	Test Acc:	0.86624	Test Acc:	0.86117

Part 5: Appendix

Link to github repo: https://github.com/eemayes2/IE517 F21 HW5

IE517_HWK5

September 24, 2021

```
[1]: #Import libraries needed
    import numpy as np
    import pandas as pd
    import seaborn as sns
    import matplotlib.pyplot as plt
    import warnings
    warnings.filterwarnings('ignore')
    #Check if any null values we need to change
    def num_missing(x):
        return sum(x.isnull())
[2]: #Read in Data
    df = pd.read_csv('hw5_treasury yield curve data.csv', header=0)
    #Reminder: ATT1-13 is noise, MEDV is target variable
    df.head()
[2]:
            Date SVENF01 SVENF02 SVENF03
                                                   SVENF28
                                                            SVENF29
                                                                     SVENF30
    Adj Close
    0 5/17/2019
                   2.1224
                            2.0266
                                                    3.6471
                                                             3.6970
                                      2.1023
                                                                       3.7458
    10.130177
    1 5/16/2019
                   2.1239
                            2.0317
                                      2.1096
                                                    3.6660
                                                             3.7153
                                                                      3.7636
                                              . . .
    10.130177
    2 5/15/2019
                   2.0874
                            1.9956
                                      2.0844
                                                    3.6421
                                                             3.6847
                                                                      3.7257
    10.150118
    3 5/14/2019
                   2.1319
                            2.0559
                                      2.1451
                                                    3.7132
                                                             3.7630
                                                                       3.8113
    10.130177
    4 5/13/2019
                                                    3.6655
                   2.1051
                            2.0234
                                      2.1180
                                                             3.7098
                                                                       3.7525
    10.130177
    [5 rows x 32 columns]
[3]: df = df.drop(columns = ['Date'])
    print(df.apply(num_missing, axis = 0))
   SVENF01
                0
   SVENF02
                0
                0
   SVENF03
```

SVENF04 0 SVENF05 0 SVENF06 0 SVENF07 0 0 SVENF08 SVENF09 0 SVENF10 0 SVENF11 0 SVENF12 0 SVENF13 0 SVENF14 0 SVENF15 0 SVENF16 0 0 SVENF17 0 SVENF18 0 SVENF19 SVENF20 0 0 SVENF21 SVENF22 0 0 SVENF23 SVENF24 0 SVENF25 0 SVENF26 0 SVENF27 0 SVENF28 0 SVENF29 0 SVENF30 0 0 Adj_Close dtype: int64

0.1 Part 1: EDA

[4]: df.describe()

Before Standardizing

[4]:		SVENF01	SVENF02		SVENF30	Adj_Close
	count	8071.000000	8071.000000		8071.000000	8071.000000
	mean	3.785311	4.258972		5.167371	5.509793
	std	2.648060	2.498137		1.847834	2.491110
	min	0.072700	0.327300		0.411100	2.801050

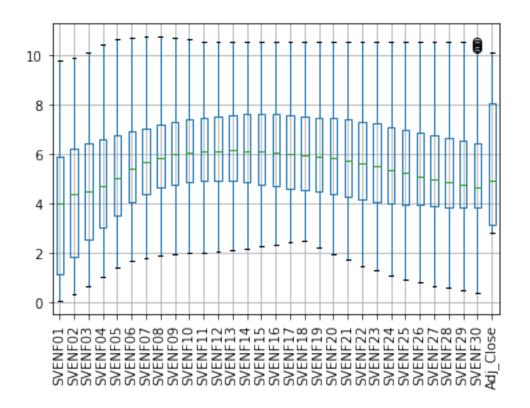
25% 1.144050 1.865600 3.831350 3.130587 50% 3.986500 4.393300 4.956219 . . . 4.669000 75% 5.901500 6.221250 . . . 6.421850 8.051437

max 9.813800 9.887800 10.535100 10.150118 . . .

[8 rows x 31 columns]

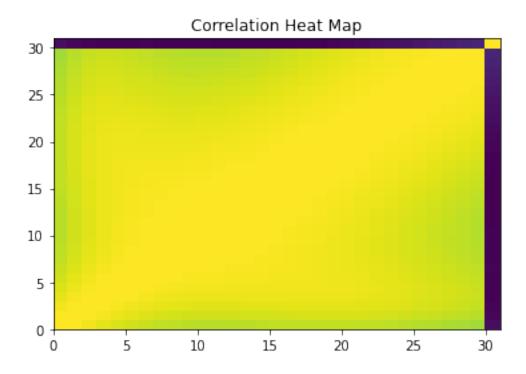
```
[27]: #Boxplots
df.boxplot()
plt.xticks(rotation = 90)
```

[27]: (array([1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 21, 22, 23, 24, 25, 26, 27, 28, 29, 30, 31]), <a list of 31 Text major ticklabel objects>)



```
[6]: corMat = pd.DataFrame(df.corr())

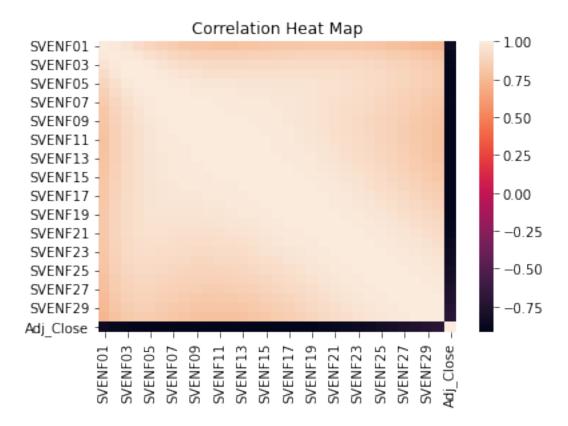
plt.pcolor(corMat)
plt.title("Correlation Heat Map")
plt.show()
```



```
[7]: correlation_mat = df.corr()

sns.heatmap(correlation_mat, annot = False)
plt.title("Correlation Heat Map")
plt.show()

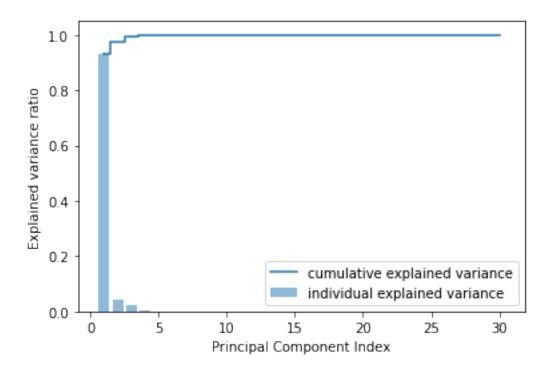
#heavy correlation for most features
```



0.2 PCA on dataset

```
[10]: #Cumulative explained variance
    cov_mat = np.cov(X_train_std.T)
    eigenvals, eigenvecs = np.linalg.eig(cov_mat)
    print('\nEigenvalues \n%s' % eigenvals)
```

```
Eigenvalues
    [2.79579848e+01 1.22313057e+00 6.55411544e-01 1.45561136e-01
     1.99031388e-02 2.06243818e-03 2.84492074e-04 3.29679042e-05
     2.55310505e-06 2.02358034e-07 1.41807223e-08 1.14065184e-09
     1.87834406e-10 2.79223564e-10 1.97434888e-10 2.08170843e-10
     2.16456135e-10 2.61581427e-10 2.21833140e-10 2.26975790e-10
     2.24866287e-10 2.31123423e-10 2.57846729e-10 2.56093138e-10
     2.35379808e-10 2.52582442e-10 2.49758675e-10 2.38344430e-10
     2.43769541e-10 2.44978760e-10]
[11]: tot = sum(eigenvals)
     var_exp = [(i/tot) for i in sorted(eigenvals, reverse = True)]
     cum_var_exp = np.cumsum(var_exp)
     print(var exp)
     print(cum var exp)
    print(len(var_exp))
    [0.9317969749380347. 0.04076507559642957. 0.021843866774838572.
    0.004851330579495056, 0.000663341249742568, 6.87379176250734e-05,
    9.481686747978828e-06, 1.0987699468249641e-06, 8.509109602390575e-08,
    6.744284524055292e-09, 4.726218380051956e-10, 3.8016185315353525e-11,
    9.306095353676375e-12, 8.71810986919668e-12, 8.593638070386526e-12,
    8.535193547628366e-12, 8.418187396993204e-12, 8.324075570815556e-12,
    8.164768289399366e-12, 8.12446687552559e-12, 7.943656188689898e-12,
    7.84484986872113e-12, 7.702991064291871e-12, 7.564756762006768e-12,
    7.494450263299693e-12, 7.393360094241526e-12, 7.2141527135822344e-12,
    6.9380165690743895e-12, 6.580203582839132e-12, 6.260234154352169e-12]
    [0.93179697 0.97256205 0.99440592 0.99925725 0.99992059 0.99998933
     0.99999881 0.99999991 0.99999999 1.
                                                  1.
                                                             1.
     1.
                1.
                           1.
                                      1.
                                                  1.
                                                             1.
     1.
                1.
                           1.
                                      1.
                                                  1.
                                                             1.
                                                                       ]
     1.
                1.
                                      1.
                                                  1.
                                                             1.
                           1.
    30
[12]: plt.bar(range(1,31), var_exp, alpha = 0.5, align = 'center', label =
     →'individual explained variance')
     plt.step(range(1,31), cum_var_exp, where = 'mid', label = 'cumulative explained_
      ⇔variance')
     plt.ylabel('Explained variance ratio')
     plt.xlabel('Principal Component Index')
     plt.legend(loc = 'best')
     plt.show()
```



```
[13]: print("Cumulative explained variance for 3 components: " + str(cum_var_exp[2]))
```

Cumulative explained variance for 3 components: 0.994405917309303

```
[14]: from sklearn.decomposition import PCA
pca = PCA(n_components = 3)
X_train_pca = pca.fit_transform(X_train_std)
X_test_pca = pca.transform(X_test_std)
```

0.3 Lin Reg v. SVM Reg: Baseline

Linear Regression: Full set

```
[15]: from sklearn.linear_model import LinearRegression
    from sklearn.metrics import mean_squared_error, r2_score

lr = LinearRegression()
    lreg = lr.fit(X_train_std, y_train)
    y_pred = lreg.predict(X_test_std)
    y_train_pred = lreg.predict(X_train_std)

[16]: print("Train Score: " + str(lreg.score(X_train_std, y_train)))
    print("Test Score: " + str(lreg.score(X_test_std, y_test)))
    print("Mean Squared Error (MSE): " + str(mean_squared_error(y_test, y_pred)))
    print("RMSE: " + str(np.sqrt(mean_squared_error(y_test, y_pred))))
```

```
print("Train R^2: " + str(r2_score(y_train, y_train_pred)))
     print("Test R^2: " + str(r2_score(y_test, y_pred)))
    Train Score: 0.9022730353400435
    Test Score: 0.9041309535337262
    Mean Squared Error (MSE): 0.6121021683244493
    RMSE: 0.7823695855057565
    Train R^2: 0.9022730353400437
    Test R^2: 0.9041309535337262
       Linear Regression: PCA
[17]: lr_pca = LinearRegression()
     lregpca = lr_pca.fit(X_train_pca, y_train)
     y_pred = lregpca.predict(X_test_pca)
     y_train_pred = lregpca.predict(X_train_pca)
[18]: print("Train Score: " + str(lregpca.score(X_train_pca, y_train)))
     print("Test Score: " + str(lregpca.score(X_test_pca, y_test)))
     print("Mean Squared Error (MSE): " + str(mean_squared_error(y_test, y_pred)))
     print("RMSE: " + str(np.sqrt(mean_squared_error(y_test, y_pred))))
     print("Train R^2: " + str(r2_score(y_train, y_train_pred)))
     print("Test R^2: " + str(r2_score(y_test, y_pred)))
    Train Score: 0.8672181160186359
    Test Score: 0.8662415053375473
    Mean Squared Error (MSE): 0.8540177213873134
    RMSE: 0.924130792359671
    Train R^2: 0.8672181160186357
    Test R^2: 0.8662415053375473
       SVM Reg: Baseline
[19]: from sklearn import svm
     clf_svr = svm.SVR(kernel = 'linear')
     clf_svr.fit(X_train_std, y_train)
     y_pred = clf_svr.predict(X_test_std)
     y_train_pred = clf_svr.predict(X_train_std)
[20]: print("Train Score: " + str(clf_svr.score(X_train_std, y_train)))
     print("Test Score: " + str(clf_svr.score(X_test_std, y_test)))
     print("Mean Squared Error (MSE): " + str(mean squared error(y_test, y_pred)))
     print("RMSE: " + str(np.sqrt(mean_squared_error(y_test, y_pred))))
     print("Train R^2: " + str(r2_score(y_train, y_train_pred)))
     print("Test R^2: " + str(r2_score(y_test, y_pred)))
```

Train Score: 0.8920208361922309 Test Score: 0.8924613825895129

```
Mean Squared Error (MSE): 0.686609738198755 RMSE: 0.8286191756161301 Train R^2: 0.8920208361922309 Test R^2: 0.8924613825895129
```

SVM Reg: PCA

```
[21]: clf_svr = svm.SVR(kernel = 'linear')
clf_svr.fit(X_train_pca, y_train)
y_pred = clf_svr.predict(X_test_pca)
y_train_pred = clf_svr.predict(X_train_pca)
```

```
[22]: print("Train Score: " + str(clf_svr.score(X_train_pca, y_train)))
print("Test Score: " + str(clf_svr.score(X_test_pca, y_test)))
print("Mean Squared Error (MSE): " + str(mean_squared_error(y_test, y_pred)))
print("RMSE: " + str(np.sqrt(mean_squared_error(y_test, y_pred))))

print("Train R^2: " + str(r2_score(y_train, y_train_pred)))
print("Test R^2: " + str(r2_score(y_test, y_pred)))
```

Train Score: 0.8624827979809777 Test Score: 0.8611702699819538

Mean Squared Error (MSE): 0.8863964116075648

RMSE: 0.9414862779709351 Train R^2: 0.8624827979809778 Test R^2: 0.8611702699819538

0.4 Statements & Print to PDF

```
[23]: print("My name is Emma Mayes")
print("My NetID is: eemayes2")
print("I hereby certify that I have read the University policy on Academic

→Integrity and that I am not in violation.")
```

My name is Emma Mayes
My NetID is: eemayes2
I hereby certify that I have read the University policy on Academic Integrity and that I am not in violation.

```
[]: !wget -nc https://raw.githubusercontent.com/brpy/colab-pdf/master/colab_pdf.py
from colab_pdf import colab_pdf
colab_pdf('IE517_HWK5.ipynb')
```

File colab_pdf.py already there; not retrieving.

WARNING: apt does not have a stable CLI interface. Use with caution in scripts.

WARNING: apt does not have a stable CLI interface. Use with caution in scripts.

Extracting templates from packages: 100%