

Communication Systems

Lab – 6

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Figure 1

In this figure we observe differences when we have different frequency sensitivity factors k_f . Change in k_f , changes the frequency deviation of the modulated signals which are 10, 50 and 100 in order. Thus, it is expected to observe more obvious change in frequency at s3 because of the greatest frequency deviation value and least at the first graph because of the least frequency deviation value.

$$\Delta f = k_f A_m$$

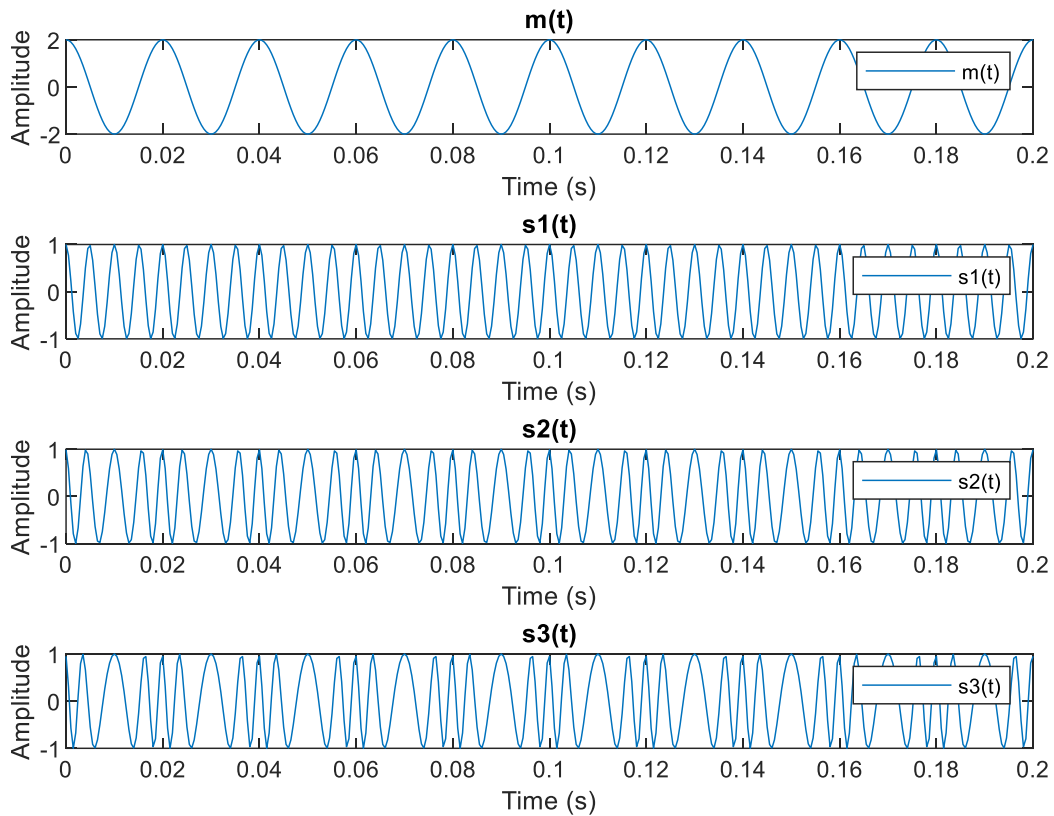


Figure 2

In this graph, we observe peaks at frequencies of $m(t)$ and $c(t)$. We obtain peaks at their frequencies with half of their amplitudes because of fourier transform of cosine function.

$$m(t) = 2\cos(2\pi 50t) \text{ Fourier } \Rightarrow [\delta(-50) + \delta(50)]$$

$$c(t) = \cos(2\pi 200t) \text{ Fourier } \Rightarrow \frac{1}{2}[\delta(-100) + \delta(100)]$$

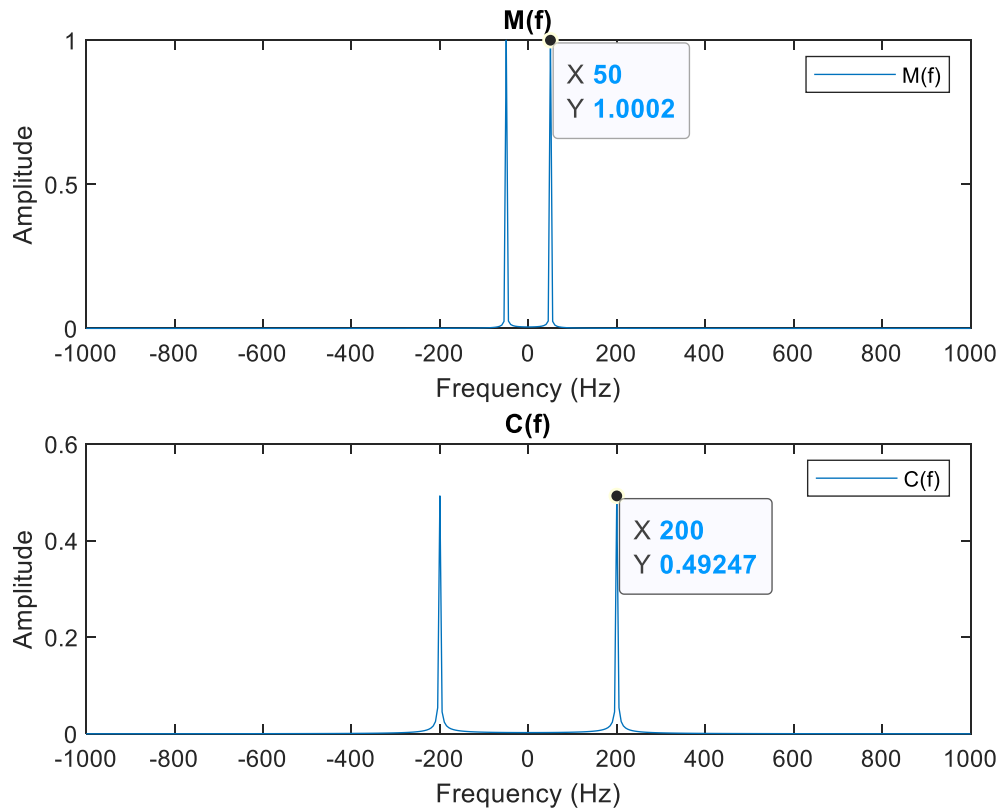


Figure 3

In this figure, different from figure 1, we observe effect of k_f at frequency domain. We see different graph because change at k_f changes the modulation index of the signal which is $\beta = \frac{k_f A_m}{f_m}$. The modulation index values are 0.2, 1 and 2. $s_1(t)$ is narrowband FM and $s_3(t)$ is wide band FM. To explain why we have peaks at that value, we observe peaks at the carrier frequency and around it with f_m Hz distances. Also, their amplitudes are related to $A_c/2$ and Bessel function because of the formula

$$S(f) = \frac{A_c}{2} \sum_{n=-\infty}^{\infty} J_n(\beta) [\delta(f - f_c - n f_m) + \delta(f + f_c + n f_m)]$$

$\beta = 0.2$	$\beta = 0.5$	$\beta = 1$	$\beta = 2$
0.990	0.938	0.765	0.224
0.100	0.242	0.440	0.577
0.005	0.031	0.115	0.353
		0.020	0.129
		0.002	0.034
			0.007
			0.001

According to Bessel function with different modulation index, our values are like the table. That is why, the amplitudes are decreasing while they are going far from the f_c . Also, we can clearly see that increase in modulation index, increases the number of significant side frequencies. Because of that, we observe common frequency at 0Hz for $S_3(f)$.

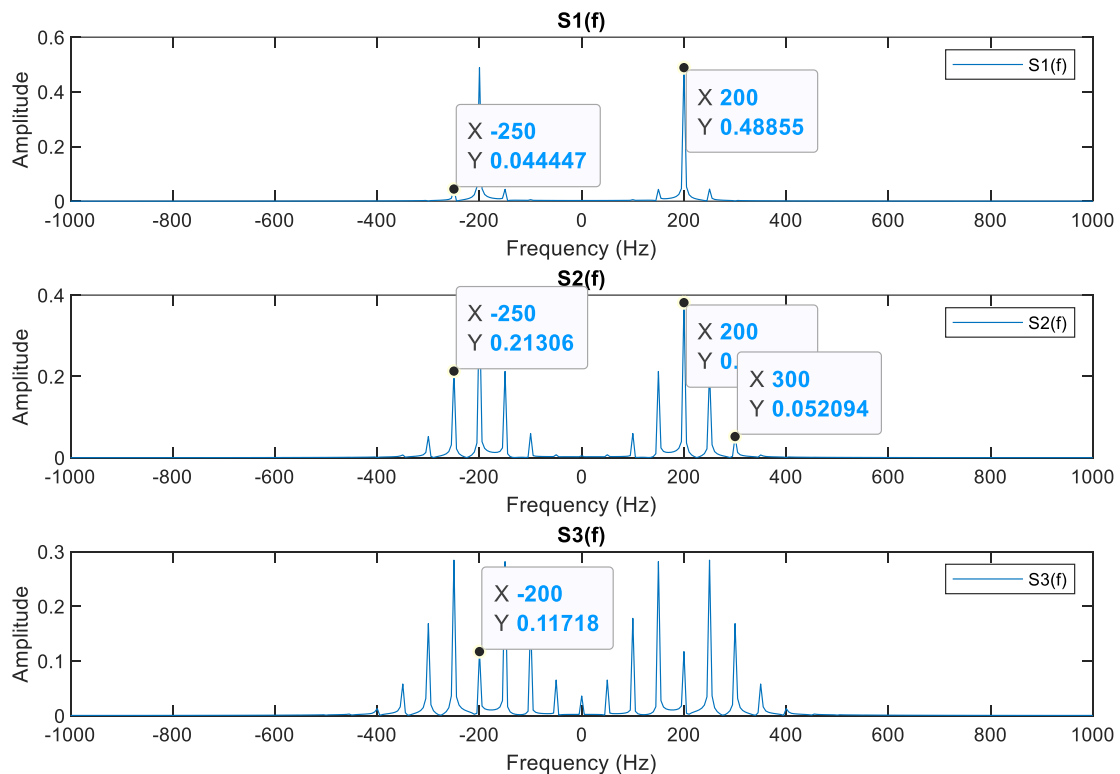


Figure 4

In this figure, we see that almost the same $m(t)$ is obtained from the demodulation. The worst demodulation is $s_3(t)$ because it has the widest bandwidth overall from Carlson's Rule which is $BT = 2(\Delta f + f_m)$. Greater bandwidth results in intersection of side frequencies which makes signal to lose some data. This is valid for $s_2(t)$ but with less affect. Also, $s_1(t)$ is almost identical to the original $m(t)$ which tells us that increase in frequency sensitivity factor results in distortion on the demodulated signal.

