A. Legendary Coach Mode

Time limit: 1 sec Memory Limit: 256 MB

Problem Statement

Rishabh is very sad as all of his friends have the legendary coach mode access but he doesn't. To help him his friends gave him a problem. They will give him the coach mode access if he is able to solve the problem but as a lazy person he is, he in-turn gave the problem to you. Now it's on you to help him get the legendary coach mode access. The problem is:

You are given a tree with N nodes. Each edge in this tree has a number associated with it. A path in this tree is a happy path if all adjacent edges in the path have different numbers. Also, a node is happy if every simple path with that node as one of its endpoints is a happy path.

Let X be the number of happy nodes in the tree. You need to print X^{X^X} modulo $10^9 + 7$.

Input

The first line of input contains a single integer N ($1 \le N \le 10^5$).

Each of the next N - 1 lines contains 3 integers a_i, b_i, c_i indicating that there is an edge from a_i to b_i with number c_i on it. $(1 \le a_i, b_i, c_i \le N)$

It is guaranteed that the given edges form a tree.

Output

Output a single number : X^{X^X} modulo $10^9 + 7$ where X is the number of happy nodes. If there are no happy nodes output 0.

Sample Input 1

8 1 3 1

3 4 3

454

5 6 3

672

682

Sample output 1

418385479

Sample Input 2

8

 $1\ 2\ 2$

1 3 1

243

271

352

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\begin{array}{ccc} 5 & 6 & 2 \\ 7 & 8 & 1 \end{array}
```

Sample output 2

0

Sample Input 3

9

 $1\ 2\ 2$

1 3 1

 $1\ 4\ 5$

155

 $2\ 6\ 3$

3 7 3

481

592

Sample output 3

60594596

Explanation

For Sample 1 : Number of Happy Nodes = 4

For Sample 2 : Number of Happy Nodes = 0

For Sample 3: Number of Happy Nodes = 5