# Francisch Avencange Avencebur

# Apobiena quisiparim

$$S = \frac{\beta}{w_0}$$
 - xapaniep. included
$$M(s) = \frac{N(s)}{D(s)} / - payronauna - qo-us$$

- 1. Currey H(s) Kox ei budpors? Currey no A4X
- 2. Peausongus Kak egerase resorgennouverne? Venip hunarus

Om ne peanizyens Ab u RC izensum. Nymm RLC personations gast corp.

Ognans unggenbroise un ne xoreses. Ux nommo zonemes yourseisme! - aviubnoil RC - yeur / gruniper



$$H(s) = |H(s)| e^{j \arg H(s)}$$

Aux opux

$$|H(s)|^2 = |H(s)| \cdot |H(s)| - |\kappa| + |\kappa| +$$

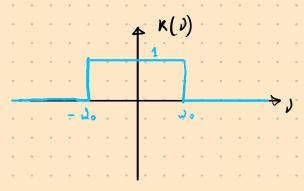
Aux

- · Apuren T. W. nommann N h & benjecth. 10 H'(s) = H(s'), i.e. parenique H(s) · H(s\*) | s-3)
- Mognenum zagary:  $\gamma \gamma n = s=j \partial$ ,  $M(s^*) = M(-s)$ , a vax gyornee parlo varos:  $M(s) \cdot M(s^*)|_{s=j \partial} = M(s) \cdot M(-s)|_{s=j \partial}$

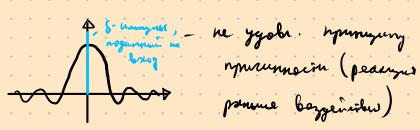
$$M(s) \cdot M(-s) = |K(v)|^2$$
 $Aux^2 - y$  stati qu'un este notop nyién a neusceb

Corbezque nyién a nomble  $Aux^2$  beenga Lyges curriespurno (unl. esnoc. Zamenos  $S - s - s$ ), a nordhiny un bossinem b  $M(s)$ , nordhiny -  $M(-s)$ .

#### Monday. grunsip numerux raction



$$h(t) = \int_{-1}^{1} h(f) e^{2\pi i f t} df = \frac{\sin 2\pi t}{\pi t}$$



Tie. Faran grustp ne peauzyen.

Donyerun nepæbnomeprovis AUX l'enove mongeranne: 1 1///// norda jagapmanus

$$M(s) \cdot M(-s) \Big|_{s=j_0} = \frac{1}{1+\epsilon^2 F_n^2(\nu)}$$

$$|F_n(v)| = \begin{cases} \leq 1, & J \in (-i, i) \\ \geq N_1, & \geq N \end{cases}$$

Bamanin bertopa:

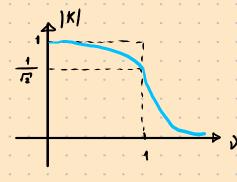
2. 
$$F_n(v) = P_n(v) - grunsp Uessemble, rge  $P_n(v)$  -noumon Yessemble$$

# Basephopi

$$H(s) \cdot H(-s) \Big|_{s=jv} = \frac{1}{1+\epsilon^2 v^{2n}}$$

$$E^2\left(\frac{J}{W_0}\right)^{2n}$$
 - uzneneme  $E$  subularenino uznenemuso  $W_0$ ,  $V.e.$   $E$  ne nymen - on breign 1

$$K(v) = \frac{1}{\sqrt{1+v^2n}}$$



Non no so sia AUX reorg. Cipemies k ugeausnoù nperogramoù. bierga goet zoryxame -3 gb

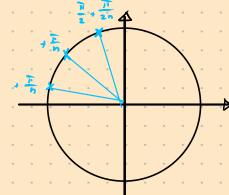
$$M(s) \cdot M(-s) \Big|_{s=j} = \frac{1}{1+y^{2n}} = > H(s) M(-s) = \frac{1}{1+\left(\frac{s}{j}\right)^{2n}}$$

Muyen namous: 
$$\left(\frac{5}{i}\right)^{2h} + 1 = 0$$

$$\left(\frac{s}{i}\right)^{2n} = e^{j\pi}e^{j\cdot 2\pi k}, \quad k \in \mathbb{Z} \qquad -1 = e^{j\pi}$$

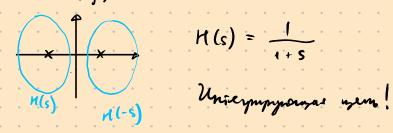
$$S = e^{j\frac{\pi}{2n}} \cdot e^{j\cdot 2\pi \cdot \frac{K}{2n}}$$
  $j = e^{j}$ 

$$S_{K} = e^{i\left[\frac{\pi}{2} + \frac{\pi}{2n} + \frac{\overline{\mu}}{n}K\right]} - nouse nough, q - no. H(s) \cdot H(-s)$$

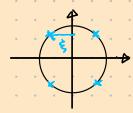


# Typunepu

$$n=1$$
 :  $\frac{1}{1+\left(\frac{S}{1}\right)^2} = \frac{1}{1-S^2}$   $S=\pm 1$  - harrow



$$H(s) = \frac{1}{1+s}$$



Kopm - } + 1 1-3

$$N(s) = \frac{1}{s^2 + \epsilon s + 1}$$

