

Can we predict the price of wine?

- What factors influence pricing?
- Can we determine if we are getting a good deal for our money when purchasing a bottle of wine?



Data Set

- Open Data @ Kaggle.com
- 150,930 records:
 - Wine
 - Country
 - Description
 - Grading (points)
 - Price
 - Province
 - Region_1
 - Region_2
 - Grape variety
 - Winery



Our Sample

Data Cleansing

- Dropped ID, description, region_2
- Dropped NaNs
- Re-ordered DataFrame

Sampling

■ 3000 random records

Georeferencing sampling

- Latitude and Longitude (geocode.api)
- With coordinates obtain altitude (elevation.api)

```
# Drop columns no needed
data.drop(columns=["Unnamed: 0", "description", "region_2"], inplace=True)

# Remove missing values
data.dropna(inplace=True)

#Order DataFrame Columns
data = data[["designation", "winery", "variety", "region_1", "province", "country", "price", "points"]]
data.head(10)
```

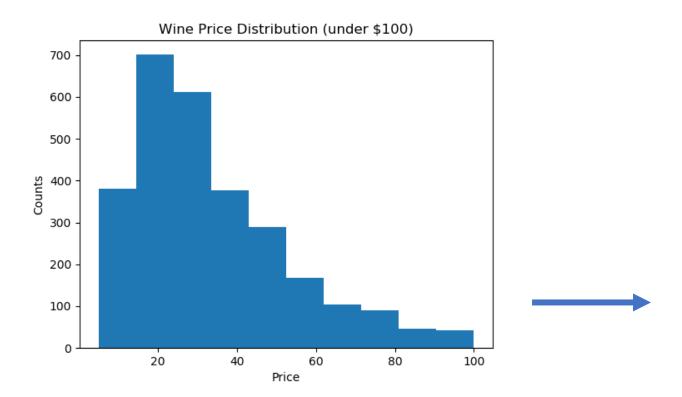
```
# Sample for project purpose
sample = data.sample(n=3000, axis=0, random_state = 4)
sample.reset_index(drop = True, inplace=True)
```

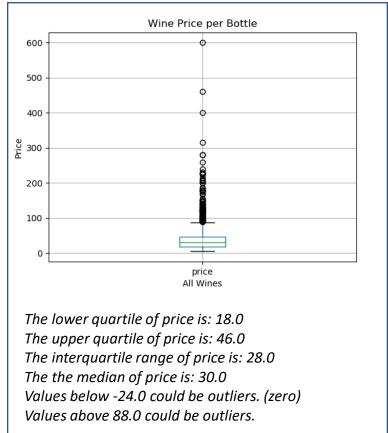
```
Processing row 9 Winery location Concannon, Livermore Valley, California 37.666199 -121.7397388 found Processing row 10 Winery location Sandrone, Barolo, Piedmont 44.6208903 7.9546253000000001 found Processing row1 Winery elevation 323.2424926757812 found Processing row2 Winery elevation 354.9888916015625 found Processing row3 Winery elevation 280.32470703125 found
```

Our Sample

Sample Cleansing

- Dropped records with no Latitude, Longitude or Altitude (88 -> 2,912)
- Dropped "Canada" due to low number of observations (3 -> 2909)
- Focused on wines under \$100usd (100 -> 2,809) _____





Final Sample

- **2,809** wines
- 1,791 wineries
- 172 varieties of wine
- 6 countries
- 48 provinces

Sample Description

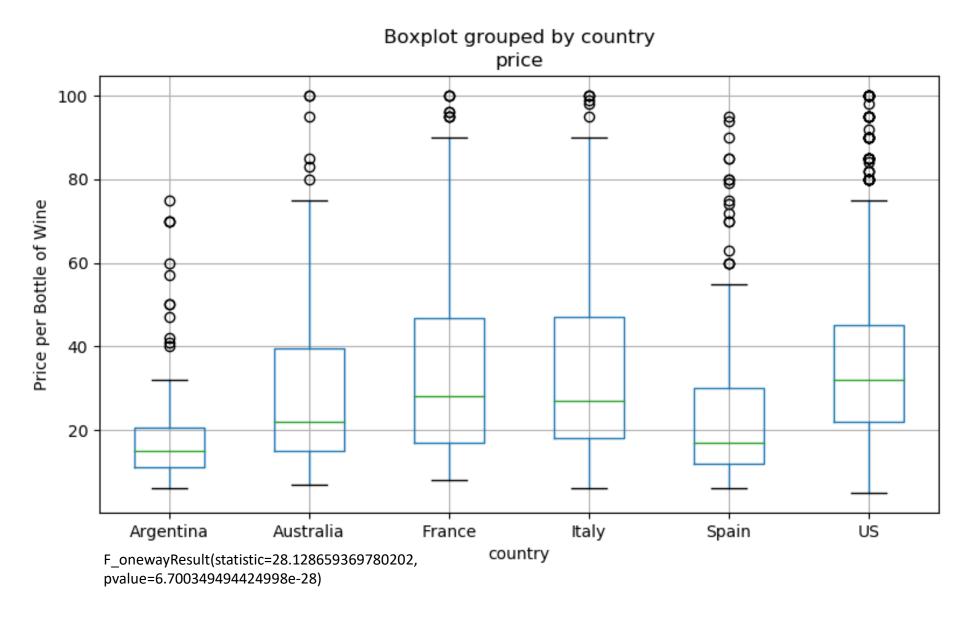
	price	points	latitud	longitud	elevation
count	2809.000000	2809.000000	2809.000000	2809.000000	2809.000000
mean	33.421858	88.090780	34.552359	-58.581826	270.499286
std	20.057513	3.215317	21.708023	73.716641	320.600963
min	5.000000	80.000000	-42.809838	-123.799459	0.666450
25%	18.000000	86.000000	37.599994	-122.265389	66.650963
50%	28.000000	88.000000	39.086566	-118.040206	188.161011
75%	45.000000	90.000000	44.663166	7.285526	352.602264
max	100.000000	98.000000	49.236201	153.288288	6907.093262

Price and Rating Statistics Grouped by Country

	price				points			
	mean	median	var	std	mean	median	var	std
country								
Argentina	19.389313	15.0	182.239577	13.499614	86.106870	86	9.850029	3.138476
Australia	30.099237	22.0	450.951615	21.235621	88.152672	88	8.222666	2.867519
France	34.234266	28.0	488.460716	22.101147	88.681818	89	8.147528	2.854387
Italy	34.035382	27.0	442.564044	21.037206	88.322160	88	6.741168	2.596376
Spain	24.451613	17.0	347.711768	18.647031	86.622120	86	8.375064	2.893970
US	35.849370	32.0	359.793364	18.968220	88.274718	88	11.800974	3.435255



Price seems to have a significant amount of variation per country



The ANOVA demonstrates "Prices per Country" are independent groups

Wine Price vs Rating (points) 100 y = 3.47x + -272.5480 Price per Bottle of Wine 60 40 20

87.5

The correlation between both factors is 0.56 The r-squared is: 0.31001201962230474

85.0

80.0

Moderate and positive correlation for prices and rating (points)

Rating Points

90.0

92.5

95.0

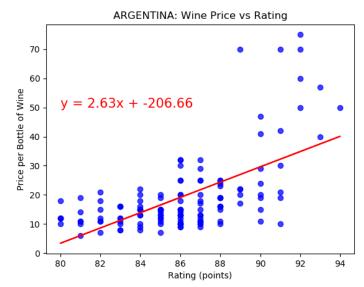
97.5



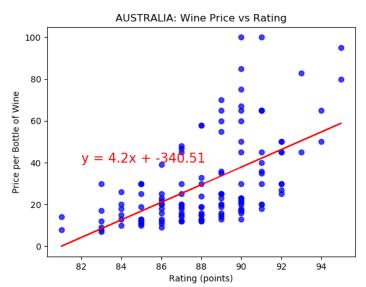


Does it mean that prices are higher for better tasting wines? or are we prone to be more easygoing when rating more expensive wines?

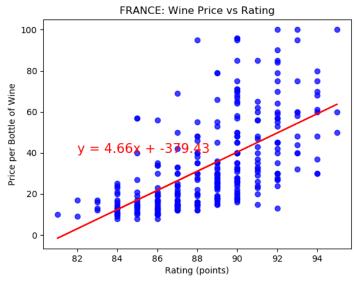
Same relationship of price and rating in every country



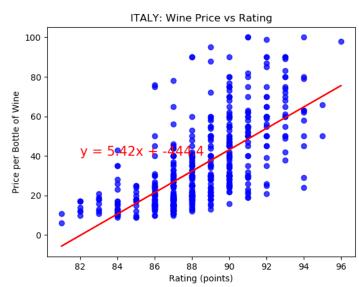
The correlation between both factors is 0.61 The r-squared is: 0.3724878603227943



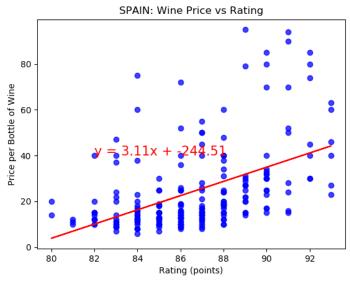
The correlation between both factors is 0.57 The r-squared is: 0.3222847769928225



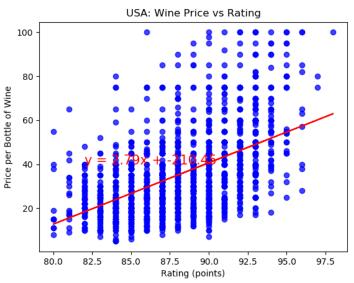
The correlation between both factors is 0.6 The r-squared is: 0.3629254372526378



The correlation between both factors is 0.67 The r-squared is: 0.44695987199960985

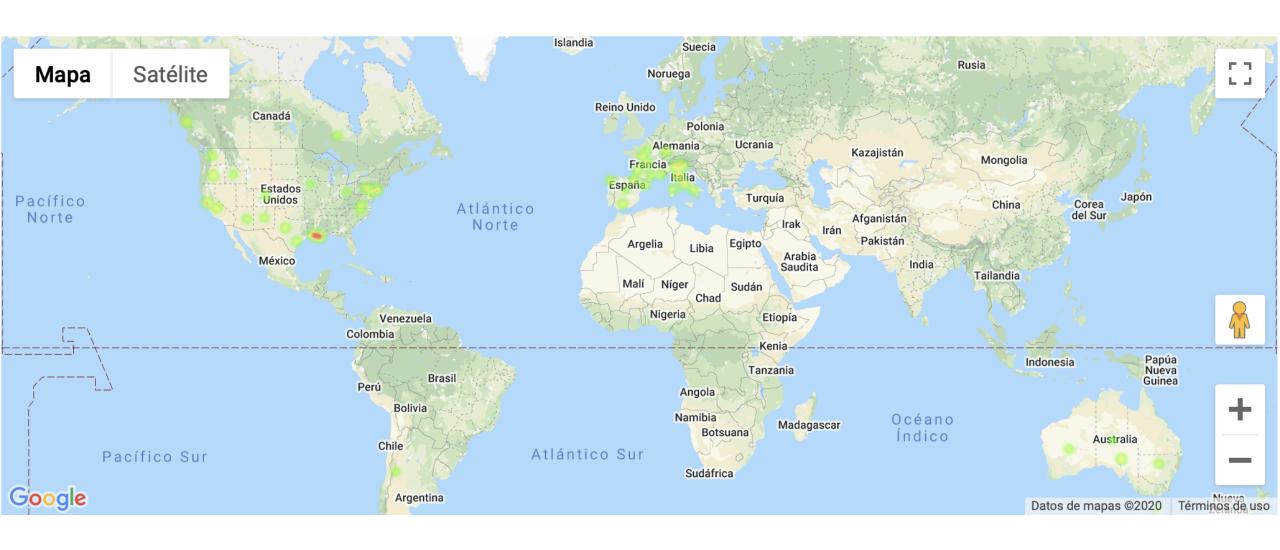


The correlation between both factors is 0.48 The r-squared is: 0.23221956621624312

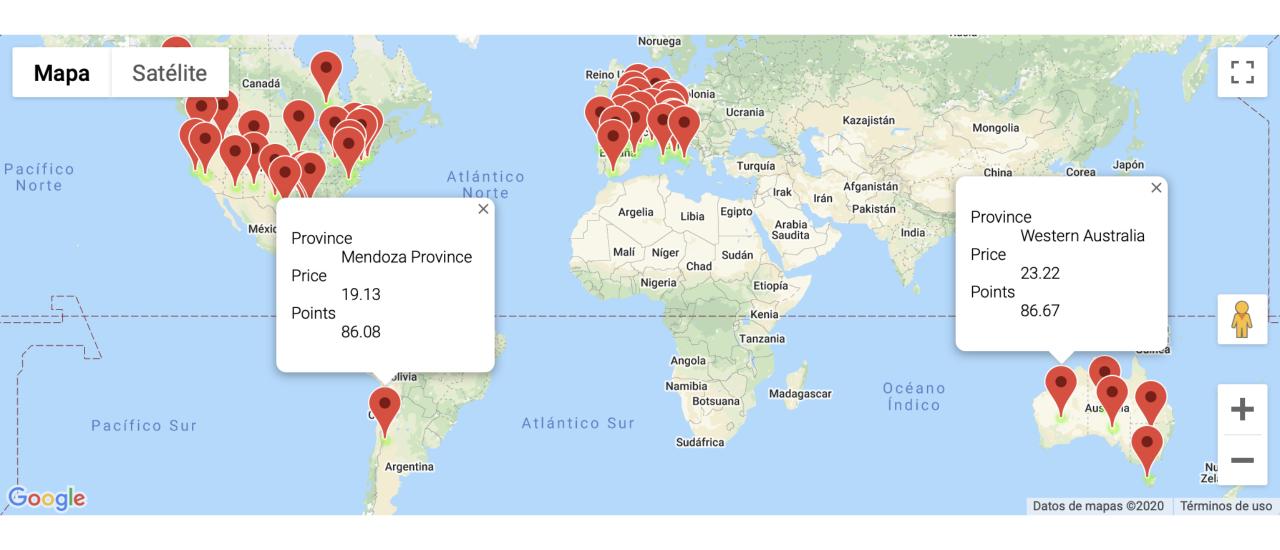


The correlation between both factors is 0.51 The r-squared is: 0.2553412894715367

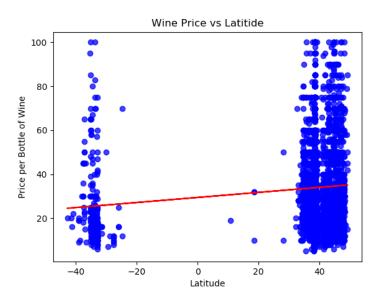
Heat Map for Wine Prices by Province, Country



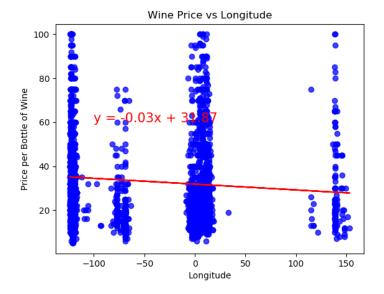
Markers for Wine Prices by Province, Country



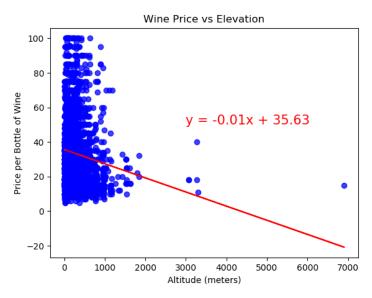
Latitude, Longitude and Elevation do not seem to be explanatory variables for wine pricing



The correlation between both factors is 0.12 The r-squared is: 0.015506105074422814



The correlation between both factors is -0.1 The r-squared is: 0.009471488415690064



The correlation between both factors is -0.13 The r-squared is: 0.01709064379223488

Regression Models

Model 1	Nodel 1 OLS Regression Results					
Dep. Variable:	price	R-squared (uncentered):	0.763			

Dep. Variable:	price	R-squared (uncentered):	0.763
Model:	OLS	Adj. R-squared (uncentered):	0.762
Method:	Least Squares	F-statistic:	999.8
Date:	Tue, 04 Aug 2020	Prob (F-statistic):	0.00
Time:	21:04:07	Log-Likelihood:	-12255.
No. Observations:	2809	AIC:	2.453e+04
Df Residuals:	2800	BIC:	2.458e+04
Df Model:	9		

Covariance Type: nonrobust

	coef	std err	t	P> t	[0.025	0.975]
points	0.5100	0.041	12.341	0.000	0.429	0.591
latitud	0.2148	0.063	3.404	0.001	0.091	0.339
longitud	0.1092	0.039	2.767	0.006	0.032	0.187
elevation	-0.0052	0.001	-3.982	0.000	-0.008	-0.003
country_Australia	-21.4376	8.712	-2.461	0.014	-38.521	-4.355
country France	-20.1779	5.529	-3.650	0.000	-31.019	-9.337
country Italy	-19.9438	5.505	-3.623	0.000	-30.739	-9.149
country Spain	-25,4182	5.182	-4.905	0.000	-35.579	-15.257
country_US	-3.6810	4.937	-0.746	0.456	-13.363	6.000

Omnibus:	519.566	Durbin-Watson:	1.984
Prob(Omnibus):	0.000	Jarque-Bera (JB):	869.939
Skew:	1.221	Prob(JB):	1.24e-189
Kurtosis:	4.213	Cond. No.	1.29e+04

- [1] Std errors assume covariance matrix of errors is correctly specified
- [2] Strong Multicollinearity

Model 2

OLS Regression Results

	· g ·							
Dep. Variabl	e:		===== price	R-squ	ared:		0.310	
Model:		!	OLS		R-squared:		0.310	
Method:		Least Sq		-	tistic:		1261.	
Date:		Tue, 04 Aug			(F-statistic)	:	1.76e-228	
Time:		, ,	03:59		ikelihood:		-11887.	
No. Observat	ions:		2809	AIC:			2.378e+04	
Df Residuals			2807	BIC:			2.379e+04	
Df Model:			1					
Covariance T	ype:	nonre	obust					
	:======			=====			========	
	coef	std err		t	P> t	[0.025	0.975]	
const	-272.5446	8.621	-31	.613	0.000	 -289.449	-255.639	
points	3.473	0.098	35	.513	0.000	3.282	3.665	
	======			======				
Omnibus:			5.549		n-Watson:		2.000	
Prob(Omnibus	;):	(0.000		e-Bera (JB):		644.306	
Skew:		:	1.031	Prob(JB):		1.23e-140	
Kurtosis:			4.119	Cond.	No.		2.42e+03	
[1] Ctd. expert accume coverioned matrix of expert is correctly an acified								

- [1] Std errors assume covariance matrix of errors is correctly specified
- [2] Strong Multicollinearity

Model 3 OLS Regression Results

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Dep. Variable:	price	R-squared:	0.320
Model:	OLS	Adj. R-squared:	0.319
Method:	Least Squares	F-statistic:	329.5
Date:	Tue, 04 Aug 2020	Prob (F-statistic):	1.16e-232
Time:	21:03:50	Log-Likelihood:	-11867.
No. Observations:	2809	AIC:	2.374e+04
Df Residuals:	2804	BIC:	2.377e+04
Df Model:	4		
Covariance Type:	nonrobust		

		=======	=======			=======
	coef	std err	t	P> t	[0.025	0.975]
const	-268.0631	8.688	-30.855	0.000	-285.098	-251.028
points	3.4056	0.098	34.628	0.000	3.213	3.598
latitud	0.0326	0.016	2.069	0.039	0.002	0.064
longitud	-0.0175	0.005	-3.859	0.000	-0.026	-0.009
elevation	-0.0025	0.001	-2.422	0.016	-0.004	-0.000

Omnibus:	442.278	Durbin-Watson:	2.005
Prob(Omnibus):	0.000	Jarque-Bera (JB):	713.949
Skew:	1.062	Prob(JB):	9.29e-156
Kurtosis:	4.261	Cond. No.	1.18e+04
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- [1] Std errors assume covariance matrix of errors is correctly specified
- [2] Strong Multicollinearity

Model 4

OLS Regression Results

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Dep. Variable:		price	R-squared (u	ncentered):		0.759
Model:		OLS	Adj. R-squar	ed (uncenter	red):	0.759
Method:	Least	Squares	F-statistic:			1473.
Date:	Tue, 04	Aug 2020	Prob (F-stat	istic):		0.00
Time:		21:04:12	Log-Likeliho	od:		-12275.
No. Observations:		2809	AIC:			2.456e+04
Df Residuals:		2803	BIC:			2.460e+04
Df Model:		6				
Covariance Type:	n	onrobust				
=======================================	coef	std err	 t	P> t	[0.025	0.975]
points	0.3124	0.019	16.313	0.000	0.275	0.350
country_Australia	2.5568	2.377	1.076	0.282	-2.104	7.217
country_France	6.5265	2.041	3.197	0.001	2.524	10.529
country Italy	6.4399	1.883	3.421	0.001	2.748	10.131
country_Spain	-2.6127	2.108	-1.240	0.215	-6.745	1.520
country_US	8.2688	1.761	4.695	0.000	4.815	11.722
						===
Omnibus:		535.860	Durbin-Watso	n:	1.9	980
Prob(Omnibus):		0.000	Jarque-Bera	(JB):	908.4	477
Skew:		1.250	Prob(JB):		5.33e-	198
Kurtosis:		4.228	Cond. No.		96	54.
=======================================				========		===

[1] Std errors assume covariance matrix of errors is correctly specified

Testing Data Set

Test Sample

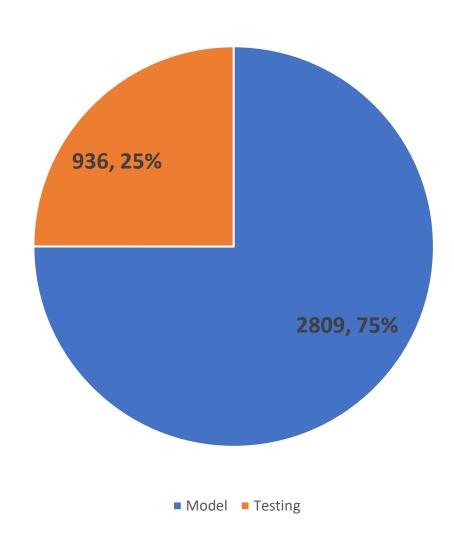
■ 1000 random records from same dataset

Georeferencing sampling

- Latitude and Longitude (geocode.api)
- With coordinates obtain altitude (elevation.api)

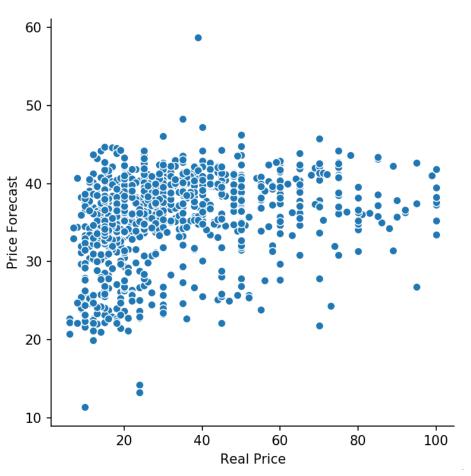
Sample Cleansing

- Dropped records with no Latitude, Longitude or Altitude (30 -> 970)
- Dropped "Canada" (5 -> 965)
- Only wines under \$100usd (14 -> 936)

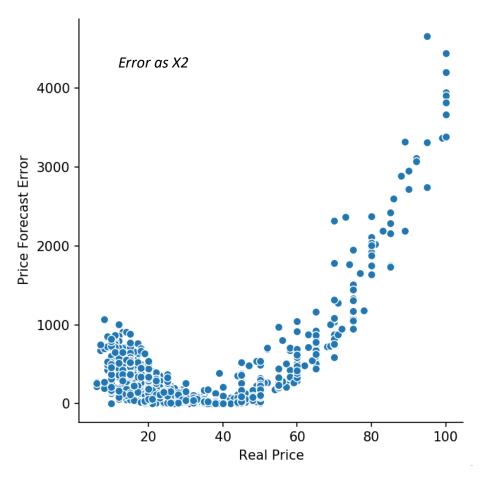


Observations

Model 1 Testing Results

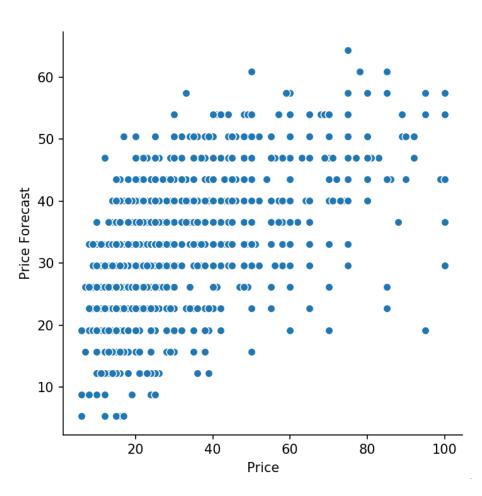


Price Forecast = 0.51(Points) + .2148(Latitude) + .1092(Longitude) - (.0052)(Elevation) - (21.4376)(Australia) - (20.1779)(France) - (19.9438)(Italy) + (25.4182)(Spain)

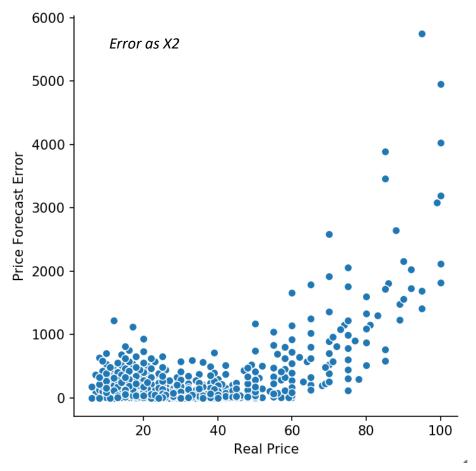


MSE = 368.09077103952404 RMSE = +- 19.1856918311413

Model 2 Testing Results

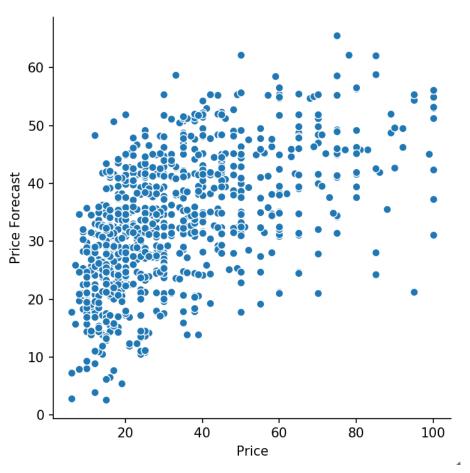


Price Forecast = -268.0631 + 3.4056(Points)

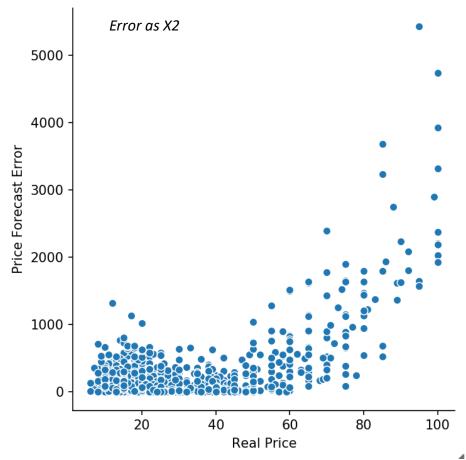


MSE = 274.20792466784167 RMSE = +- 16.559224760472382

Model 3 Testing Results

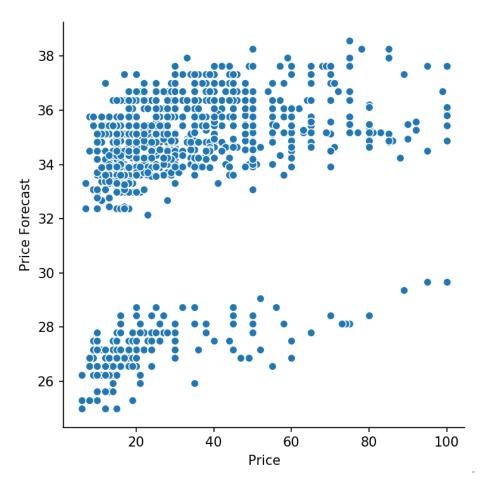


Price Forecast = -268.0631 + 3.4056(Points) + .0326(Latitude) - (.0175)(Longitude) - (.0025)(Elevation)

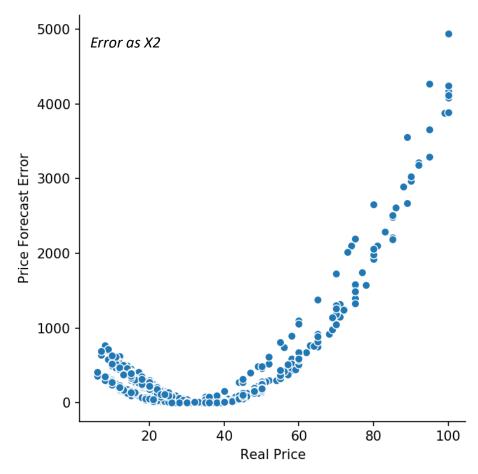


MSE = 271.8739375731748 RMSE = +- 16.48860023086177

Model 4 Testing Results



Price Forecast = 0.3124(Points) + 6.5265(France) + 6.4399(Italy) + 8.2688(US)



MSE = 362.7593081679807 RMSE = +- 19.04624131339254

Conclusions

- Overall, the models are more accurate for wine bottles priced between \$20 and \$60.
- Model 4 can be adjusted for better fit. It also depicts two price clusters: 1) High price wines: USA, Italy and France and 2)
 Low Price wines: Argentina, Australia and Spain.
- A larger sample data set could result in a more promising model. Our sample was limited due to budget constraints.
- Wine tasting 'ratings' seems to be an important contributor to wine prices. Future research could establish if better ratings contribute to higher prices or if higher prices contribute to better ratings. Regardless, wine producers need to pay close attention to reviews. On the other hand, wine consumers can rely on ratings when purchasing wine but keeping in mind that there are diminishing returns as the price continues to increase.
- Other factors not considered in our study should be observed to have a more solid model, as for example: grape variety, harvest year, winery years of operation as well as weather variables per region like rain per year and temperature.
- Even though the wine market is considered as a global market, our research shows *prices per country* are independent, maybe influenced by local market dynamics. Thus, pricing models per country could be done at later stage.
- Future research could be done by reframing the question as what is the probability this is a good wine? Using a log regression and factors such as price, ratings, country of origin, etc. could give us a probability of success.
- As there are diminishing returns for taste rating, another approach could be to use an optimization model that seeks to maximize rating while minimizing price to pursue best value deals.

