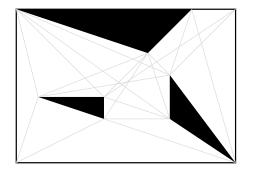
#### Outline

1 Related works



- Existing works rely on visibility graph (VG)
  - any pair of visible points has an edge
- Run shortest path algorithm on *VG* (e.g. *Dijkstra*)
- Building global VG can be expensive  $O(V^2)$

(V: the number of vertex)

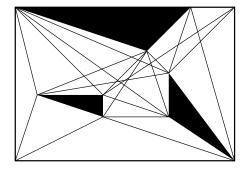






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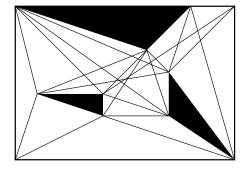
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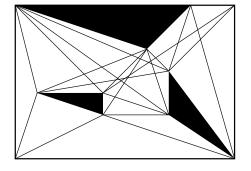






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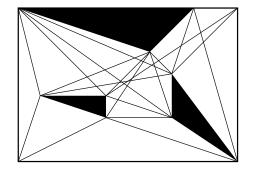
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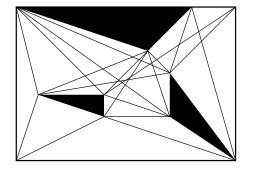
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- Zhang, EDBT 2004: Local Visibility Graph (LVG)







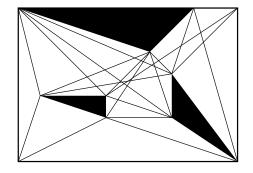
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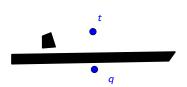




- Given: q, t
- Start with a small VG in circle(q, r)

$$r = d_e(q, t)$$

- Compute shortest path on current VG
- Enlarge the circle
  - build VG
    - incrementally
  - update shortest
  - \_
- Terminate when  $r > d_0(a, t)$



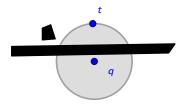




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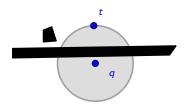




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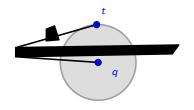




- $\blacksquare$  Given: q, t
- Start with a small VG in circle(q, r)

$$r = d_e(q, t)$$

- Compute shortest path on current VG
- Enlarge the circle
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  update shortest
- Terminate when  $r > d_0(a, t)$



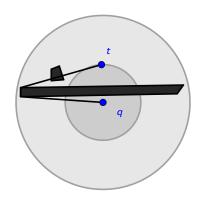




- $\blacksquare$  Given: q, t
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$$r = d_e(q, t)$$

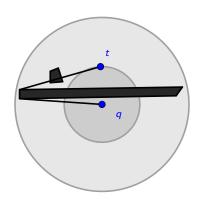
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- Terminate when  $r > d_a(a, t)$







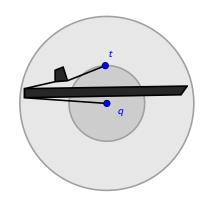
- $\blacksquare$  Given: q, t
- Start with a small VG in circle(q, r)
  - $r = d_e(q, t)$
- Compute shortest path on current VG
- Enlarge the circle
  - build VG incrementally
  - update shortest path
- Terminate when  $r > d_r(a, t)$







- $\blacksquare$  Given: q, t
- Start with a small VG in circle(q, r)
  - $r = d_e(q, t)$
- Compute shortest path on current VG
- Enlarge the circle
  - build VG incrementally
  - update shortest path
- Terminate when  $r > d_1(a, t)$







- $\blacksquare$  Given: q, t
- Start with a small VG in circle(q, r)

$$r = d_e(q, t)$$

- Compute shortest path on current VG
- Enlarge the circle
  - build VG incrementally
  - update shortest path
- Terminate when  $r > d_o(q, t)$

