## Archaic cuneiform numbers

# Robin Leroy, Anshuman Pandey, and Steve Tinney 2024-08-03

## **Contents**

1	Summary					
2	Pro	posed changes to the Standard	2			
	2.1	Summary of proposed characters	2			
	2.2	Properties	2			
	2.3	Character names list	2			
	2.4	Core specification text	2			
3	Rati	ionale for curviform-cuneiform disunification	2			
	3.1	The cuneiform encoding model	3			
	3.2	Arguments for curviform–cuneiform unification	3			
		3.2.1 P020054	3			
	3.3	Metrology	4			
		3.3.1 Fractions	6			
	3.4	Early metrology	6			
		3.4.1 Use in modern publications	7			
	3.5	Non-numeric usage	7			
	3.6	Limited benefits of diachronic encoding for numerals				
		3.6.1 Compatibility with transliteration	8			
	3.7	Compatibility considerations	8			
		3.7.1 The case of $SAR_2$	8			
4	Rati	Rationale for ED-Uruk numeral unification 8				
5	Considerations on individual numeral series 8					
6	Characters not included in this proposal					
	6.1	Missing numerals	8			
	6.2	Stacking patterns	8			
7	Ack	Acknowledgements 8				

	Uruk III & earlier	ED – Ur III	OB & later
Numerals	This proposal		
Numerals		Existing Xsux	
Non-numeric signs	Future Pcun		

Table 1: Usage of existing, proposed, and future characters across functions and time periods.

### 1 Summary

This document proposes encoding some numerals used in the Uruk and Early Dynastic periods in conjunction with the Sumero-Akkadian cuneiform script<sup>1</sup> and the proto-cuneiform script<sup>2</sup>. The proposed characters are listed in section 2.

The non-numeric signs of proto-cuneiform will be the subject of a separate proposal; we need only note here that the divergence between the approaches to character identity in modern scholarship requires that proto-cuneiform be disunified from cuneiform: proto-cuneiform is effectively treated as an undeciphered script. In contrast, the cuneiform encoding model is semantic, requiring an understanding of the text to correctly encode it.

However, the *numerals* used in proto-cuneiform should be unified with ones used in the Early Dynastic period, for the reasons set forth in section 4. The proposed "curved", or "curviform", numerals<sup>3</sup> should however *not* be unified with the already-encoded cuneiform numerals<sup>4</sup>. Since the encoding proposals for the cuneiform script twenty years ago provisionally considered the curviform numerals to be glyph variants of the cuneiform numerals, a detailed rationale is provided in section 3, including compatibility considerations in section 3.7.

The overall picture of unifications and disunifications over time is illustrated in table 1. The Script\_Extensions property assignments in section 2.2 reflect the overlap.

[TODO(egg): Mention the other sections here too.]

## 2 Proposed changes to the Standard

- 2.1 Summary of proposed characters
- 2.2 Properties
- 2.3 Character names list
- 2.4 Core specification text

#### 3 Rationale for curviform-cuneiform disunification

TODO(egg): blurb.

 $<sup>^1</sup> ISO$ 15924: Xsux, Script property value long name: Cuneiform; encoded since Unicode Version 5.0.  $^2 ISO$ 15924: Pcun, not yet encoded.

 $<sup>^{3}</sup>$  ▷ -III 1-9(aš° =  $N_{1}$ ), · -# 1-5(u° =  $N_{14}$ ), ▷ -||| 1-9(ŋeš₂° =  $N_{34}$ ), ▷ -||| 1-5(ŋeš'u° =  $N_{48}$ ), etc.  $^{4}$  ▷ -||| 1-9(aš), <-\limins 1-5(u), \[ \] - \| \| \| \] 1-5(ŋeš'u), etc.

#### 3.1 The cuneiform encoding model

As outlined in, *e.g.*, [UTR56], the cuneiform encoding model is diachronic; each character may have wildly different glyphs depending on time period and region. For instance, the sign IM may resemble in texts from Early Dynastic IIIa Šuruppag as in the character code charts, if later in the third millenium<sup>5</sup>, if in Old Babylonian cursive, if in Neo-Assyrian, but is always encoded as U+1214E CUNEIFORM SIGN IM.

This encoding model allows for the interoperable representation of editions of diachronic reference works such as sign lists<sup>6</sup> and dictionaries<sup>7</sup>, and of composite texts<sup>8</sup>. By being compatible with similarly diachronic transliteration practice (that is, by avoiding distinctions finer than those made in transliteration), the encoding model also allows for automated conversion of transliterated corpora to cuneiform, which has proven useful as a processing step in analyses such as [Rom24; JJ24]<sup>9</sup>. The diachronic approach is also useful for pedagogical applications<sup>10</sup>.

#### 3.2 Arguments for curviform-cuneiform unification

In this context, the argument was made in [Ando4], as part of discussion of the cuneiform encoding<sup>11</sup> that the curviform numerals, which occasionally appear in the Ur III period and are used heavily in the Early Dynastic period, were a stylistic distinction unifiable with the cuneiform digits, and that an archaizing Ur III font or an Early Dynastic font could have curviform glyphs for the appropriate characters.

#### 3.2.1 P020054

Some co-occurrence of curviform and cuneiform digits was known and acknowledged. [Ando4, p. 3] cites [NDE93, p. 62], which is a copy of [**Po20054**], an Early Dynastic IIIb administrative tablet from Nirsu. The excerpt cited, lines 1–3 of column 1 of the obverse, is as follows:

<sup>&</sup>lt;sup>5</sup>Merging with U+1224E  $\Re$  NI<sub>2</sub>.

 $<sup>^6</sup>$ Notably [VT+14] and the online edition of [Bor10] in [Jim+23, Signs].

<sup>&</sup>lt;sup>7</sup>Notably [TJV17] and the online edition of [Sch10] in [Jim+23, Dictionary].

<sup>&</sup>lt;sup>8</sup>For example, there are Neo-Assyrian and Neo-Babylonian copies parts of the laws of 以上 《包工中), as well as Old Babylonian copies in both archaizing and cursive styles. Some sections are known only from those copies. See [Oel22, pp. 110 sqq.].

 $<sup>^9</sup>$ Attendees may recall the summary given on the third day of UTC #180, as recorded in [Con24]. Other readers may refer to [Svä+24, pp. 242, 148].

<sup>&</sup>lt;sup>10</sup> For instance, Old Babylonian grammar may be taught in the Neo-Assyrian script, as in [Cap02].

 $<sup>^{11}</sup>$ At that time scoped to the répertoire of the Ur III period and later, see [EF03, p. 1], although many disunifications, such as & ≠ & , were informed by Early Dynastic distinctions.

 $<sup>^{12}</sup>$ As noted in [Pow87, p. 466], this sign has a very short "tail" in this period, so that it is wider than it is tall, and can at first look like a large 2 in copies. The photos in CDLI clearly show that this is in fact a vertical wedge.

The argument made in [And04, p. 4] is that this is comparable to a stylistic distinction such as 15

```
465 metres, equal lengths
198 metres, equal widths
this field: 9, 18 hectares, deeply ploughed
```

where the numerals have the same structure ([Ando4] contrasts this to the different structures of ASCII digits and roman numerals). That document further claims that "the number signs do not normally carry in their individual signs the meaning of what they are used to measure", and that curviform and cuneiform numerals "are not normally mixed together in a single numerical expression". It therefore comes to the conclusion that the use of curviform numerals should be seen as a formatting distinction, rather than one that should be represented in plain text.

Although they had been part of the preliminary proposal [EFT03], the curviform numerals were therefore removed from [EFT04b] and [EFT04a], which both state that "The distinction between curved numerals and their cuneiform descendants is treated as glyphic for the purposes of the present proposal; this issue will need to be revisited in subsequent encoding phases."

The time has come to revisit this issue. As we will see in section 3.3, numerals can only be interpreted in the context of what they measure *i.e.*, as part of a metrological system. In section 3.4 we will see that in some periods, the distinction between curviform and cuneiform numerals is commonly used to distinguish metrological systems. In addition, we will show that some metrological systems commonly mix curviform and cuneiform in single numerical expressions.

#### 3.3 Metrology

Edubba'a D

Before diving into the usage of the curviform numerals in the Early Dynastic period to explain the constrast with cuneiform numerals, it is useful to understand the usage of the already-encoded characters in the Ur III and Old Babylonian periods.

As is well known<sup>16</sup> a sexagesimal place value system (SPVS) was used in Meso-

 $<sup>^{13}</sup>$ Note that ED IIIb  $\checkmark$  numerals have a somewhat different appearance from those of the Ur III period used here; the sign  $\checkmark$  here looks more like Ur III  $\checkmark$ .

<sup>&</sup>lt;sup>14</sup>Transliteration after [Lec20, p. 8].

<sup>&</sup>lt;sup>15</sup>We have taken the liberty of adjusting the analogy to use measures approximately equal to those in [**P020054**], instead of a field of five by twenty-five metres.

<sup>&</sup>lt;sup>16</sup>See, e.g., [Uni16, Section 22.3.3 "Non-Decimal Radix Systems", sub "Cuneiform Numerals"].

potamia from the late third millenium onwards. One should bear in mind, however, that other systems were used; the SPVS was primarily used in calculations, with results being expressed in non-positional systems [Robo8, p. 76; Rob22]. The digits 1–59 of the SPVS have inner structure which is reflected in the encoding: the digits 1–9 are the individual characters [-\frac{\frac{1}{1}}{1}, the multiples of ten (10–50) are  $\langle -\%$ , but the other digits 11–59 are sequences  $\langle -\%$ ; in effect the base-sixty digits are themselves written in base ten, with a different set of symbols for the tens place. This reflects the origin of the sexagesimal place value system; it derives from a non-positional system, hereafter the cuneiform discrete counting system  $S_{Ur\ III/OB}$ , which had different signs for the units  $1-\frac{11}{11}$ , tens  $\langle -\%$ , sixties  $1-\frac{11}{11}$  (with larger wedges than the units), six hundreds  $1-\frac{11}{11}$ , three thousand six hundreds  $1-\frac{11}{11}$ , and thirty-six thousands  $1-\frac{11}{11}$ .

The relations between the values of the signs in the cuneiform discrete counting system may be summarized by the following factor diagram<sup>17</sup>, where the number over arrow indicates the multiple of the preceding sign (right of the arrow) corresponding to the following sign (left).

The discrete counting system was not the only non-positional system in use in the Ur III and Old Babylonian periods; different systems were in use depending on what was being counted or measured. For instance, field areas were measured using the following system, where for the named units we have provided the name of the unit in transliterated Sumerian, normalized Old Babylonian Akkadian, and the approximate metric equivalent [Frio7, p. 378; Rob19]:

$$\Leftrightarrow \stackrel{10}{\leftarrow} \Leftrightarrow \stackrel{6}{\leftarrow} \stackrel{1}{\cancel{\xi}} \stackrel{10}{\leftarrow} \stackrel{3}{\longleftarrow} \stackrel{6}{\leftarrow} \stackrel{6}{\leftarrow} \stackrel{2}{\leftarrow} \stackrel{2}{\longleftarrow} \stackrel{2}{\longleftarrow} \stackrel{2}{\longleftarrow} \stackrel{2}{\longleftarrow} \stackrel{1}{\longleftarrow} \stackrel{1}{\longleftarrow} \stackrel{1}{\downarrow} \stackrel{1$$

Note that for the range of areas given above<sup>18</sup>, this system does not use any symbols separate from the numerals for the individual units ( $ub\hat{u}m$ ,  $ik\hat{u}m$ , eblum, and  $b\bar{u}rum$ ). As mentioned in [Rob19], the whole numeric expression for the area would be followed by the sign  $\equiv$  functioning as punctuation, but the numerals are tied to the metrology; thus a surface of 5  $b\bar{u}r\bar{u}$  1 eblum 4  $ik\hat{u}$  (100  $ik\hat{u}$ , 36 ha) would be written<sup>19</sup>  $\ll \bowtie \equiv$  . Contrast this with systems where the same numerals are

<sup>&</sup>lt;sup>17</sup>These diagrams, which have become standard in discussions of Mesopotamian metrology, originate with [Fri78, p. 10], where they are called *step-diagrams*.

<sup>&</sup>lt;sup>18</sup> For areas smaller than a quarter  $ik\hat{u}m$ , an overt unit is used, with 1  $m\bar{u}sarum$  (36 m²) written [  $\frac{1}{8}\Box$ ], equal to one hundredth of an  $ik\hat{u}m$ , then sexigesimally subdivided in 60  $\frac{1}{2}\Box$  (shekels). For areas greater than 3600  $b\bar{u}r\bar{u}$ , the ♦- and ♦-numerals are reused with a suffix  $\Box$  (gal, Sumerian: big), as follows [Robo8, p.295 with notes b and c; Frio7, p. 378; Rob19]:

<sup>&</sup>lt;sup>19</sup>As in the surface of the field of **!! <=! '\' (** the city of Apisal) reported on P102305 r. 1.

used for different units, and overt units are used, as in "88 acres 3 roods 33 perches". Note also that the same signs are shared between multiple systems, with different relations; the  $\check{S}AR_2$  sign  $\Leftrightarrow$  is equal to sixty times the U sign  $\Leftrightarrow$  in the area system, but to three hundred and sixty times  $\Leftrightarrow$  in the discrete counting system.

Another such system of note is the one for capacities<sup>20</sup> [Frio7, p. 376; Rob19],

where the numerals for  $ban_2$  are +,  $\neq$ ,  $\neq$ ,  $\neq$ , and  $\neq$ , and those for bariga are  $\neq$ ,  $\neq$ , and  $\neq$  (contrast ordinary  $\parallel$  and  $\parallel$  otherwise used with  $\mid$ -numerals). As described in [Hue11, p.585 with notes (b) and (f)], the sign GUR  $\neq$  $\mid$ , while it is used only with volumes in excess of one gur, is written after the whole expression, after the overt unit sign  $\Rightarrow$  if present, and after the word for "grain" if present, as in

$$3554 \text{ gur}$$
 3 ban<sub>2</sub> 6 sila<sub>3</sub> of grain.

Observe that while large numbers of gur follow system  $S_{Ur\,III/OB}$ , the use of horizontal (AŠ) numerals for the gur disambiguates from the vertical bariga, as  $\label{IIII}$  would be 10 gur 1 bariga, and  $\label{IIIII}$  would be 11 gur; again even with some overt units, most of the numerals that participate in a metrological system have an interpretation dependent on that system. To quote [Robo8, p. 78]: "The SPVS temporarily changed the status of numbers from properties of real-world objects to independent entities that could be manipulated without regard to [...] metrological system. [...] Once the calculation was done, the result was expressed in the most appropriate metrological units and thus re-entered the natural world as a concrete quantity."

This intertwining of units and numerals explains the large number of alreadyencoded numeral series:

- I-I used in  $S_{Ur \, III/OB}$  and the SPVS as well as with overt units;
- $\leftarrow$  wsed in  $G_{Ur\;III/OB}$ , of which  $\leftarrow$  are also used in  $S_{Ur\;III/OB}$  and the SPVS as well as with overt units;
- $\P$ -\ used in  $S_{Ur III/OB}$  and the SPVS;
- - used in  $C_{Ur \, III/OB}$  as well as in the weight system;
- 十, 丰, 隼, 卧, 戡 used in C<sub>Ur III/OB</sub>;
- I, I, II, II used in C<sub>IIr III/OB</sub>—note the overlap with I–₩;
- $\prec$  and  $\bowtie$  used in  $G_{\text{Ur},\text{III}/OB}$ .

#### 3.3.1 Fractions

#### 3.4 Early metrology

[TODO(egg):The prose needs to be rewritten]

 $<sup>^{20}</sup>$ Used for volumes of grain, but also oil, dairy products, beer, etc., as well as to express the capacity of boats; volumes of earthworks instead use system  $G_{\rm Ur\,III/OB}$  based on a height of one cubit, see[Pow87, p. 488; Robo8, p. 294; Rob19].

<sup>&</sup>lt;sup>21</sup>From P309594.

 $<sup>^{22}</sup>$ A larger unit, the guru<sub>7</sub> ( $kar\hat{u}m$ , grain heap), is sometimes used instead, with 一**國吟**無<= $\diamondsuit$  士 (1  $kar\hat{u}m$  = 3600 kurru). See [Frio7, p. 415; Rob19].

Indeed, some metrological systems from the Early Dynastic period match the ones previously mentioned. In particular, the discrete counting system used in the Early Dynastic period (and earlier in the Uruk period) clearly mirrors system  $S_{\text{Ur III/OB}}$  [Frio7, p. 374; DE87, pp. 127, 165]:

$$\bullet \stackrel{10}{\longleftarrow} \bullet \stackrel{6}{\longleftarrow} \stackrel{10}{\longleftarrow} \stackrel{10}{\longrightarrow} \stackrel{10}{\longrightarrow$$

Likewise the area system used in the Early Dynastic IIIb period mirrors system  $G_{Ur \; III/OB}$  [**Deimel1922**; NDE93, p. 63; Frio7, p. 378; Gom16]:

$$\bullet \xleftarrow{10} \bullet \xleftarrow{6} \overset{6}{\Leftarrow} \xleftarrow{10} \bullet \xleftarrow{3} \bullet \overset{6}{\leftarrow} \triangleright, \tag{G}_{\text{ED IIIb}}$$

The reader will have noticed that in system S, the vertical I from  $S_{Ur \, III/OB}$  becomes a horizontal  $\stackrel{\square}{\sim}$ . This is noted in [Ando4, p. 4]. It is however far from the only case of such a reallocation of function. The earlier form of System G was [DE87, pp. 141, 165; Frio7, p. 378]:

$$\bullet \stackrel{6}{\leftarrow} \bullet \stackrel{10}{\leftarrow} \bullet \stackrel{3}{\leftarrow} \stackrel{10}{\leftarrow} \bullet \stackrel{6}{\leftarrow} \triangleright, \tag{G}$$

Observe that, as noted in [DE87, p. 142],  $^{\odot}$  changes meaning from 10 $^{\bullet}$  in system G to 10 $^{\bullet}$  in system  $G_{ED\ IIIb}$ . System G is used in the Uruk period, but also in the ED I–II period (it is the "area 2" system in [**Chambon2003**], whereas  $G_{ED\ IIIb}$  is the "area 1" system).

#### 3.4.1 Use in modern publications

#### 3.5 Non-numeric usage

The beginning of the scribal art is a single wedge. That one has six pronunciations; it also stands for 'sixty'. Do you know its reading?

Examenstext A

#### 3.6 Limited benefits of diachronic encoding for numerals

[Composite texts dating back to the period where curved numerals are in use tend to be limited to lexical texts, which do not usually have numbers. When they do, diachronic encoding is prevented by diš-aš distincitons anyway. Administrative texts, which are where numbers are most prominent, are not composite.]

[Diachronic reference works tend to not include numbers, or when they do, to treat them specially (for intance, they are shown at the end of sign lists such as TODO).]

[The overarching goal of having consistent representation for equivalent numeric expressions from different periods is quickly foiled by changes in metrology.]

Note that in [Rom24] [TODO(egg): Cite the GitHub repository], as in many other such analyses, numbers are removed as an early step in processing; these therefore would not benefit from diachrony in the encoding of numeric expressions.

3.6.1 Compatibility with transliteration

#### 3.7 Compatibility considerations

3.7.1 The case of ŠAR<sub>2</sub>

## 4 Rationale for ED-Uruk numeral unification

#### 5 Considerations on individual numeral series

[TODO Document to the extent possible the metrological systems in which each sign is used. Note the disunification of N9 and N10 from 4(ban<sub>2</sub>@c) and 5(ban<sub>2</sub>@c).]

## 6 Characters not included in this proposal

#### 6.1 Missing numerals

 $(N_{17}, 12N_{14}, \text{etc.})$  7(diš  $ten\hat{u}$ )

#### 6.2 Stacking patterns

(... are a mess, vary within Uruk, and are not transliterated/documented by Englund, so let's not go there for now.)

## 7 Acknowledgements

#### References

- [Ando4] L. Anderson. *Unification of Cuneiform Numbers*. 2004. UTC: L2/04-099.
- [Bor10] R. Borger. *Mesopotamisches Zeichenlexikon*. Alter Orient und Altes Testament 305. Ugarit-Verlag, 2010.
- [Cap02] R. Caplice. *Introduction to Akkadian*. 4th ed. Editrice Pontificio Istituto Biblico, 2002.

  ISBN: 88-7653-566-7.
- [Con24] P. Constable, ed. *Minutes of UTC Meeting 180* (July 23–25, 2024). July 29, 2024.
  UTC: L2/24-159.
- [DE87] P. Damerow and R. K. Englund. "Die Zahlzeichensysteme der archaischen Texte aus Uruk". In: M. W. Green and H. J. Nissen. Zeichenliste der archaischen Texte aus Uruk. Archaische Texte aus Uruk 2. An offprint of this chapter is available at https://cdli.mpiwg-berlin.mpg.de/files-up/publications/englund1987a.pdf. Gebr. Mann Verlag, 1987. Chap. 3, pp. 117–165.
- [EF03] M. Everson and K. Feuerherm. Basic principles for the encoding of Sumero-Akkadian Cuneiform. May 25, 2003.UTC: L2/03-162.

- [EFT03] M. Everson, K. Feuerherm, and S. Tinney. *Preliminary proposal to encode the Cuneiform script in the SMP of the UCS*. Nov. 3, 2003. UTC: L2/03-393R.
- [EFT04a] M. Everson, K. Feuerherm, and S. Tinney. *Final proposal to encode the Cuneiform script in the SMP of the UCS*. June 8, 2004. UTC: L2/04-189.
- [EFT04b] M. Everson, K. Feuerherm, and S. Tinney. *Revised proposal to encode the Cuneiform script in the SMP of the UCS*. Jan. 29, 2004. UTC: L2/04-036.
- [Frio7] J. Friberg. A Remarkable Collection of Babylonian Mathematical Texts. Manuscripts in the Schøyen Collection: Cuneiform Texts I. Sources and Studies in the History of Mathematics and Physical Sciences. Springer, 2007. ISBN: 978-0-387-34543-7.
- [Fri78] J. Friberg. A Method for the Decipherment, through Mathematical and Metrological Analysis, of Proto-Sumerian and Proto-Elamite Semi-Pictographic Inscriptions. The Third Millenium Roots of Babylonian Mathematics 1. Department of Mathematics, Chalmers University of Technology, 1978.
- [Gom16] B. Gombert. "ED IIIb metrology: texts from Lagas". In: CDLI:wiki. A Library of Knowledge of the Cuneiform Digital Library Initiative. Apr. 12, 2016.
  eprint: https://cdli.ox.ac.uk/wiki/doku.php?id=ed\_iii\_metrological\_systems.
- [Hue11] J. Huehnergard. *A Grammar of Akkadian*. 3rd ed. Brill, 2011. ISBN: 978-1-57506-941-8.
- [Jim+23] E. Jiménez, Z. Földi, A. Hätinen, A. Heinrich, T. Mitto, G. Rozzi, I. Khait, J. Laasonen, F. Simonjetz, et al., eds. *electronic Babylonian Library*. 2023–. eprint: https://www.ebl.lmu.de/.
- [JJ24] T. Jauhiainen and H. Jauhiainen. "Advancing Cuneiform Text Dating Through Automatic Analysis". 69th Rencontre Assyriologique Internationale (July 8–12, 2024). July 11, 2024 14:00.
- [Lec20] C. Lecompte. "The Measurement of Fields During the Pre-sargonic Period". In: *Mathematics, Administrative and Economic Activities in Ancient Worlds*. Ed. by C. Michel and K. Chemla. Why the Sciences of the Ancient World Matter 5. Springer, 2020.
- [NDE93] H. J. Nissen, P. Damerow, and R. K. Englund. Archaic Bookkeeping. Early Writing and Techniques of Economic Administration in the Ancient Near East. Trans. by P. Larsen. The University of Chicago Press, 1993.
   ISBN: 0-226-58659-6.
- [Oel22] J. Oelsner. Der Kodex Ḥammu-rāpi. dubsar 4. Zaphon, 2022.
- [Pow87] M. Powell. "Maße und Gewichte". In: *Reallexikon der Assyriologie und vorderasiatischen Archäologie*. Ed. by D. O. Edzard. Vol. 7 Libanukšabaš–Medizin. 1987–1990, pp. 457–530.

- [Robo8] E. Robson. Mathematics in Ancient Iraq. A Social History. Princeton University Press, 2008.
  ISBN: 978-0-691-09182-2.
- [Rob19] E. Robson. "Oracc metrology guidelines". In: Oracc: The Open Richly Annotated Cuneiform Corpus. Dec. 18, 2019.
  eprint: http://oracc.org/doc/help/editinginatf/metrology/metrologicaltables/.
- [Rob22] E. Robson. "Overview of Metrological Systems". In: The Digital Corpus of Cuneiform Mathematical Texts. 2022. eprint: http://oracc.org/dccmt/Metrology/.
- [Rom24] A. Romach. "The Neo Assyrian Land Sale Documents from Dur-Katlimmu: A Stylometric Analysis of Their Scribal Features". 69th Rencontre Assyriologique Internationale (July 8–12, 2024). July 10, 2024 12:00.
- [Sch10] W. Schramm. Akkadische Logogramme. Göttinger Beiträge zum Alten Orient 5. Universitätsverlag Göttingen, 2010.
   ISBN: 9783941875654.
   DOI: 10.17875/gup2010-511.
- [Svä+24] S. Svärd, M. Lorenzon, J. Töyräänvuori, J. Valk, T. Alstola, E. Bennett, R. Uotila, and T. Auranne, eds. *RAI 69 Abstracts*. July 2024. eprint: https://www.helsinki.fi/assets/drupal/2024-07/RaiAbstractBookAjoitettuJaPäivätty 1.pdf.
- [TJV17] S. Tinney, P. Jones, and N. Veldhuis, eds. *The electronic Pennsylvania Sumerian Dictionary*. 2nd ed. 2017–. eprint: http://oracc.org/epsd2.
- [Uni16] The Unicode Consortium. *The Unicode Standard*. Version 16.0.0. The Unicode Consortium, Sept. 10, 2024.

  ISBN: 978-1-936213-34-4.

  eprint: https://www.unicode.org/versions/Unicode16.0.0/
  /core-spec/.
- [UTR56] R. Leroy, ed. *Unicode Cuneiform Sign Lists*. Unicode Technical Report #56. eprint: https://www.unicode.org/reports/tr56/.
- [VT+14] N. Veldhuis, S. Tinney, et al., eds. *Oracc Sign List*. 2014–. eprint: http://oracc.org/osl/.