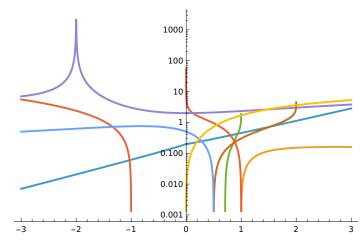
```
In[1]:= (*
        LogPlot[]
        LogLogPlot[]
        LogLinearPlot[]
        *)
  ln[2]:= f1[x_] := (Exp[x]/(Surd[x^2, 3] + 5))
        f2[x_] := Log10[x]/x
        f3[x_] := Log10[x/Sqrt[1-x^2]]
        f4[x_] := (1 - x^2)/(Surd[x, 3])
        f5[x_] := Abs[x + (4/(x + 2))]
        f6[x_] := Log10[(1 + x)/(2 - x)]
        f7[x_{-}] := (1 - 2 x) / (x^2 - x + 2)
        f8[x_] := x + Log[x^2 + 1]
 In[10]:= Plot
        {
        f1[x],
        f2[x],
        f3[x],
        f4[x],
        f5[x],
        f6[x],
        f7[x],
        f8[x],
       },
       \{x, -3, 3\}
Out[10]=
```

Out[11]=



```
In[12]:= LogLogPlot[
        {
        f1[x],
        f2[x],
        f3[x],
        f4[x],
        f5[x],
        f6[x],
        f7[x],
        f8[x],
        },
        {x, -3, 3}
Out[12]=
           1
        0.500
        0.100
        0.050
        0.010
        0.005
                 0.01
                               0.05
                                     0.10
                                                    0.50
                                                           1
```

```
LogLinearPlot[
{
    f1[x],
    f2[x],
    f3[x],
    f4[x],
    f5[x],
    f6[x],
    f7[x],
    f8[x],
    },
    {x, -3, 3}

Out[13]=

0

-2

-4
```

In[14]:= **f1'[x]** 

f2 '[x]

f3 '[x]

f4 '[x]

f5 '[x]

f6 '[x]

f7 '[x]

f8 '[x]

Out[14]=

$$-\frac{2 e^{x} x}{3 \sqrt[3]{x^{2}} \left(5 + \sqrt[3]{x^{2}}\right)^{2}} + \frac{e^{x}}{5 + \sqrt[3]{x^{2}}}$$

Out[15]=

$$\frac{1}{x^2 \log[10]} - \frac{\log[x]}{x^2 \log[10]}$$

Out[16]=

$$\frac{\sqrt{1-x^2}\left(\frac{x^2}{(1-x^2)^{3/2}}+\frac{1}{\sqrt{1-x^2}}\right)}{x\log(10)}$$

Out[17]=

$$-\frac{2 x}{\sqrt[3]{x}} - \frac{1 - x^2}{3 x \sqrt[3]{x}}$$

Out[18]=

$$\left(1 - \frac{4}{(2+x)^2}\right) Abs'\left[x + \frac{4}{2+x}\right]$$

Out[19]=

$$\frac{(2-x)\left(\frac{1}{2-x} + \frac{1+x}{(2-x)^2}\right)}{(1+x) \text{ Log[10]}}$$

Out[20]=

$$-\frac{(1-2 x) (-1+2 x)}{(2-x+x^2)^2}-\frac{2}{2-x+x^2}$$

Out[21]=

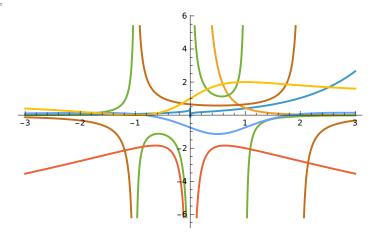
$$1 + \frac{2 \times 1}{1 + x^2}$$

$$DFf3[x_] := f3'[x]$$

$$DFf5[x_] := f5'[x]$$

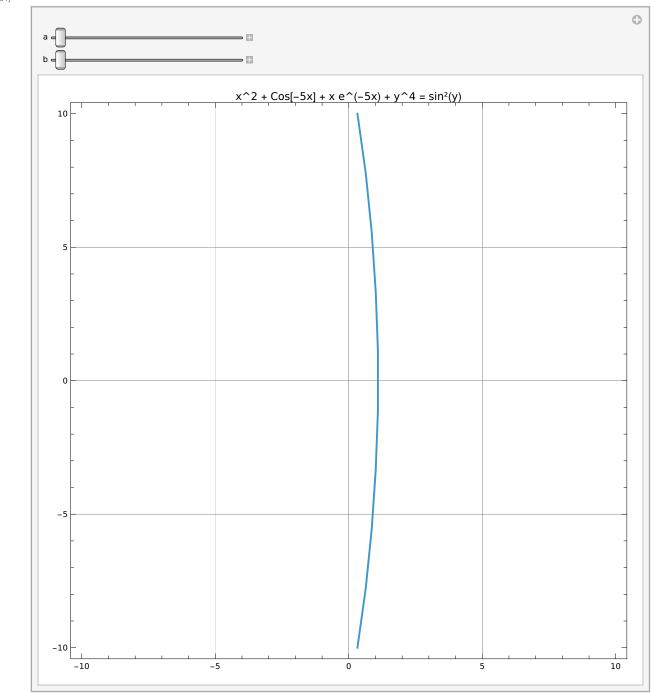
```
In[30]:= Plot[
     {
         DFf1[x],
         DFf2[x],
         DFf3[x],
         DFf5[x],
         DFf6[x],
         DFf7[x],
         DFf8[x],
         },
         {x, -3, 3}
         ]
```

Out[30]=



## Функция $x^2 + \cos(a^*x) + xe^(bx) + 5 + y^4 = [\sin(y)]^2$ в 2d

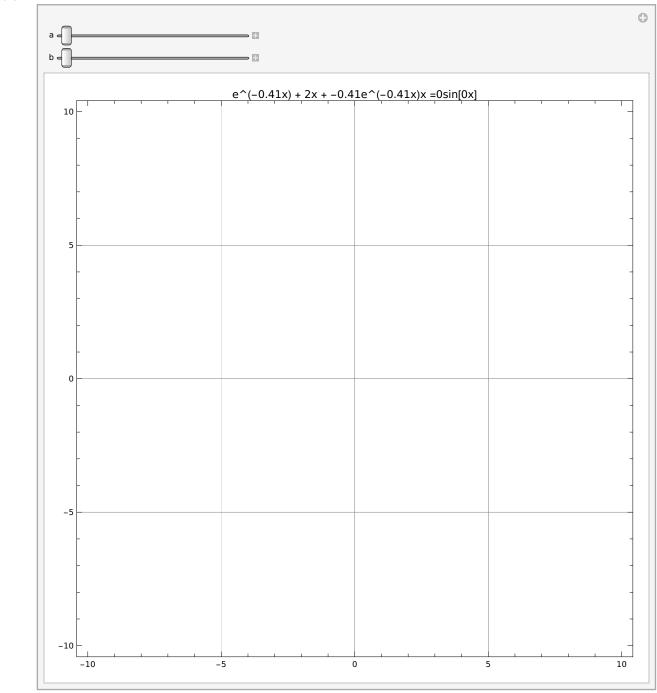
Out[31]=



Производная от функции  $x^2 + \cos(a^*x) + xe^(bx) + 5 + y^4 = [\sin(y)]^2$ 

#### в 2d по X

Out[32]=



Производная от функции  $x^2 + \cos(a^*x) + xe^(bx) + 5 + y^4 = [\sin(y)]^2$ 

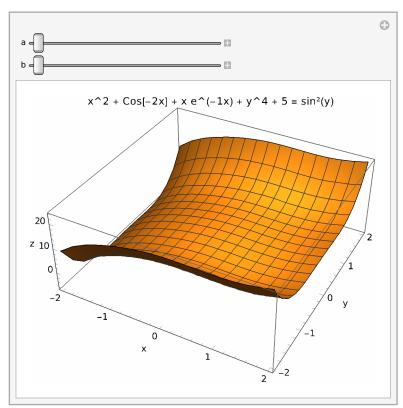
### в 2d по Y

```
In[33]:= Plot[
2 x - Cos[x] x Sin[x],
{x, -10, 10}
]
Out[33]=

20
-10
-10
-5
10
```

-20

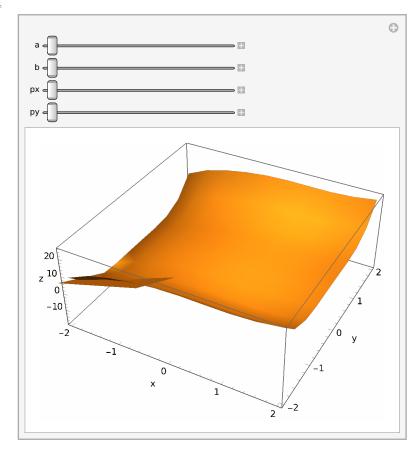
# Функция $x^2 + \cos(a^*x) + xe^*(bx) + 5 + y^4 = [\sin(y)]^2 в 3d$



### Касательная к Функции x^2 + cos(a\*x)+ xe^(bx) +5+y^4 = [sin(y)]^2

```
In[35]:= Manipulate
      Module[{f, grad, tangentPlane, x0 = px, y0 = py},
       f[x_{-}, y_{-}] := x^2 + Cos[a*x] + x*Exp[b*x] + 5 + y^4 - Sin[y]^2;
       grad = \{D[f[x, y], x], D[f[x, y], y]\} /. \{x \to x0, y \to y0\};
       tangentPlane[xx_, yy_] := f[x0, y0] + grad[1]*(xx - x0) + grad[2]*(yy - y0);
       Show
       Plot3D
       x^2 + Cos[a * x] + x * Exp[b * x] + 5 + y^4 - Sin[y]^2,
       \{x, -2, 2\},\
       {y, -2, 2}
       Plot3D
         tangentPlane[x, y],
         \{x, x0 - 1, x0 + 1\},\
         {y, y0 - 1, y0 + 1}
     ],
     AxesLabel → {"x", "y", "z"}
      ],
      {a, -2, 2, 0.1},
      {b, -1, 1, 0.1},
      \{px, -1.5, 1.5, 0.1\},\
      {py, -1.5, 1.5, 0.1}
```

Out[35]=



# Кривизна у функции x^2 + cos(a\*x)+ xe^(bx) +5+y^4 = [sin(y)]^2 в 2d

```
Module[{f, grad, hess, curvature, radius, center, x0 = px, y0 = py}, f[x_-, y_-] := x^2 + Cos[a*x] + x*Exp[b*x] + 5 + y^4 - Sin[y]^2; (* Градиент и нормаль *)  grad = \{D[f[x, y], x], D[f[x, y], y]\} /. \{x \to x0, y \to y0\};  normal = Normalize[grad];  tangent = \{-normal[2], normal[1]\};
```

```
(* Кривизна *)
curvature = Module[{fxx, fxy, fyy},
 fxx = D[f[x, y], x, x] /. \{x \to x0, y \to y0\};
 fxy = D[f[x, y], x, y] /. \{x \rightarrow x0, y \rightarrow y0\};
 fyy = D[f[x, y], y, y] /. \{x \rightarrow x0, y \rightarrow y0\};
 (fxx*normal[2]^2 - 2*fxy*normal[1]*normal[2] + fyy*normal[1]^2)
 Norm[grad]
];
radiusCurvature = If[Abs[curvature] > 0.0001, 1/Abs[curvature], 1000];
center = {x0, y0} + radiusCurvature*normal*Sign[curvature];
Show
 ContourPlot[f[x, y] == 0, \{x, -3, 3\}, \{y, -3, 3\},
 ContourStyle → {Blue, Thick}
    ],
 If[Abs[curvature] > 0.001,
 Graphics[{
  {Red, Dashed,
   Circle[center, radiusCurvature]},
  {Red, PointSize[0.03], Point[\{x0, y0\}]},
  {Green, PointSize[0.02], Point[center]},
  {Dashed, Gray, Line[\{\{x0, y0\}, center\}\}}
 }]
 ],
 PlotRange \rightarrow \{\{-5, 5\}, \{-5, 5\}\},\
 ImageSize → 500
],
{a, -2, 2, 0.1},
{b, -1, 1, 0.1},
\{px, -2, 2, 0.1\},\
{py, -2, 2, 0.1}
```

Out[36]=

