

# Lecture with Computer Exercises: Modelling and Simulating Social Systems with MATLAB

Project Report

# Modelling the phenomenon of congestion at Gotthard

A case study

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Zurich December 2014

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Eric Hayoz Eric Hayoz

Janick Zwyssig



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#### 1 Abstract

Abstract of Eric Hayoz & Janick Zwyssig, Modelling the phenomenon of congestion at Gotthard – A case study, 2014:

This work describes the modelling of congestion on the stage between Erstfeld and the Gotthard tunnel in Göschenen, in the canton of Uri. In a first step a simulation based on the Nagel-Schreckenberg model was created. The model was supplemented by a second lane, a red-light and the ability to change the lane. A mapping from real data to the model allows to compare values. The main goal is to train the model that one can compare the measured congestion to a real traffic jam. For that the authors have implemented a congestion measurement and have processed datasets, provided by ASTRA (Amt für Strassen). A parameter setting that fits the reference data best was found.

Finally the trained model was feed by another, unused dataset to compare the results. Unfortunately, due to abnormalities of the datasets and some restrictions of the model the found data ....

#### 2 Individual contributions

We devided the code work as follows: Eric Hayoz:

- Implementation NaSch-Modell for 2 cars
- Handling Dataset with inFlow and Speed
- Correlation Reality Model
- Creating optiFinder

Janick Zwyssig:

- Implementation NaSch-Modell for n cars
- Implementation laneChange & redLight
- curve fitting for results
- congestion measurement

In the end both authors contributed to every section. The article was written together.

#### 3 Introduction

Nowadays, traffic jams belong to every day life. Because Switzerland is an important transit way to Southern Europe for traffic, the Gotthard tunnel is an unavoidable bottleneck. The tunnel stretches over 15 Kilometers from Göschenen, Kanton Uri to Airolo in the canton of Ticino. Over and over again it comes to long traffic jams, at peak times up to 20 Kilometers. Responsible for that are on the one hand holidays in Switzerland or neighbor countries and on the other hand the lane reduction from two to one lane. Switzerland has been discussing this issue for many years and the construction of a second tunnel was proposed. The purpose of the second tunnel should be built for security reasons and not in order to increase the traffic flow. This is due to an election 20 years ago, called the Alpenschutzinitiative. In the near future there will be a restauration of the tunnel. That's why the discussion about a second tunnel will commence once again.

The authors have the goal to investigate the Gotthard tunnel on the north side in Göschenen. That's why a model has been created. By means of the number of cars passing through Erstfeld (a village 19 Kilometers from the tunnel), the length of congestion can be measured. The Nagel-Schreckenberg model will be employed for the simulation.

#### 3.1 Motivation

As one of the authors is born in the canton of Uri he knows about the traffic issues at the Gotthard tunnel. This explains the personal motivation to investigate the phenomenon of traffic congestions. The other author is often on the way by car, he has already wasted a lot of time in traffic congestions and thus has also have burning interest in efficient solutions to handle them.

## 4 Description of the Model

#### 4.1 The Nagel-Schreckenberg model

This model was created in the 90s by the German physicists Kai Nagel and Michael Schreckenberg to simulate traffic flow on highways. It explained the so called *Phantom-Congestion* which occurs when drivers linger by not accelerating even if they have the opportunity to do so.

The model is a cellular automata based on four very simple rules, which are applied in sequence. One complete loop is called an iteration.

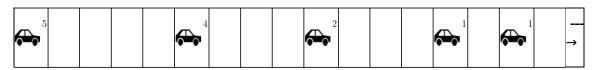
- 1. Acceleration: Each vehicle, that has not yet reached the maximum speed (which is 5), increases its speed by one unit.
- 2. Deceleration: If the size of the gap (in cells) between two vehicles is less than the speed of the following car (in speed units), this cars speed is reduced to a value equivalent to the size of the gap.
- 3. Lingering: Every vehicle reduces its speed by 1 with a probability p ( $0 \le p \le 1$ ).
- 4. Moving forward: Every vehicle moves forward the number of cells equal to its speed.

#### 4.2 Example of an iteration

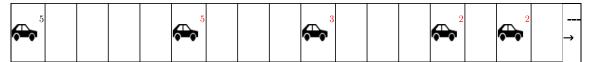
Symbol	Meaning
1	A vehicle with a speed of 1 (27 km/h)
3 3	A vehicle that has accelerated or decelerated to a speed of 3 (81 km/h)
2	A vehicle has moved with a speed of 2 (going 2 cells forward)

Figure 1: Nagel-Schreckenberg model – Symbols

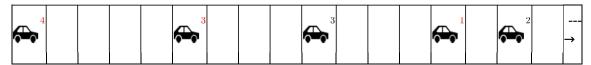
Random startup setting for time t



Step (1) – Acceleration,  $v_{max} = 5$ 



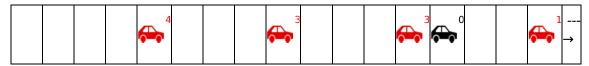
Step (2) – Deceleration



Step (3) – Lingering ( $\rho = 1/3$ , affecting the two leading cars)



Step (4) – Moving (Setting for the time t + 1)



#### 4.3 Situation

The distance between Erstfeld and the Gotthard tunnel is relevant for the model. The highway to the tunnel is two-laned and will be reduced to one lane in front of the tunnel. As on the figure 2 shown, the authors resigned to depicted any exits. The reason for this is first to reduce complexity of the model and second to neglect irrelevant factors. In case of congestion there is a red light that regulates the traffic flow, which is also taken into account in the model.

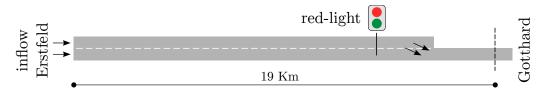


Figure 2: Sketch of model



Figure 3: map of Uri, A: Erstfeld, B: Gotthard tunnel at Göschenen

# 5 Implementation

## 5.1 Correlation between reality and model

Item	Reality	Model
Time	1s	1 iteration
Maximum speed	120 km/h (we defined vmax as 100 km/h to get even values)	5 (only 6 levels)
Length of an average car (Skoda Octavia)	4.5 m	1 cell
Distance Erstfeld - Göschenen	19'000 m	4222 cells (19'000 m / 4.5 m, rounded)

Figure 4: Units

Variable name	Meaning	Values
moveProb	Probability for a car to move forward	01
moveCorr	Modify moveProb for a given time (in order to improve congestion length prediction)	-11
laneChange	Probability for a car to change its lane	01
-	Value of laneChange as a function of distance	Constants in equation
	to changeCell (for locations where cars have to	
	change from left to right)	
$\operatorname{redLight}$	Illuminate a dropcounter redlight in front of tun-	0, 1
	nel (it turns on if congestion length $> 2$ km and	
	redLight is set to 1)	
dropCounter	Length of a period when redlight is ON	0 Inf
-	Maximum speed just in front of tunnel	05

Figure 5: Variables

#### 5.2 Inflow

The inflow is given in #cars / 180 s. For every iteration in our model, the cars are spawned in Erstfeld (starting position) on the two lanes with a total probability p = #cars/180. As there are normally slightly more vehicles on the right lane, we multiply p for the right lane with a factor of 1.1 and the p for the left lane with a factor of 0.9.

#### 5.3 Average speed

First we convert the average speed from km/h (0...120) to "Nagel-Schreckenberg-Speed" (0...5). If the speed is more than 5, we round down to 5. Example: Average Speed is 94 km/h. Converting into Nagel-Schreckenberg-Speed results in 4.7. Our model would in this case spawn 70% of the cars with a speed of 5, and 30% with a speed of 4.

#### 5.4 Lane Change and red-light

As cars change lane often in reality, it should be also a part of the model. Furthermore, it is necessary to change the lane due to lane reduction in front of the tunnel. The probability to change the lane from left to the right is higher than the other way around. That yields more cars on the right lane. In front of the tunnel the probability for a lane change increases, due to lane reduction.

Red-light is activated if the congestion length exceed the length of one Kilometre. It's acting approximately 40 meters in front of the lane reduction. Every second one car can pass through the tunnel.

#### 5.5 Congestion Length

The length of a congestion is given in Kilometres. First we calculate the length of the congestion in our simulation and then multiply the length (unit: cells) by the length of a cell (4.5 m) to enable a comparison between the virtual (calculated) congestion with the real (measured) congestion.

Measuring the congestion length in our model: To obtain a stable output, we divide the highway into blocks with a length of 50 cells. If a block fulfils the two following criteria, it is declared a congestion block: high density and low average speed. We count the congestion blocks starting in Göschenen heading northbound to Erstfeld, and we only accept one uncongested block between any two blocks, otherwise we consider the congestion as terminated at the point where two or more blocks do not fulfil the congestion criteria anymore.

#### 5.6 Processing the datasets delivered by ASTRA

The attached extract shows among other things that we have information about the inflow values and average speeds in 3 minutes intervals. We also have the length of the congestion at specific times (random times and course measurements). These are the three values that we used.

Datum	Fahrzeuge pro 3Min		Fahrzeuge pro 3Min Vergleichstage Fr 25.7.2014 - Sa 26.7.2014	Durchschnittsgesc hwindigkeit Vergleichstage Fr 25.7.2014 - Sa 26.7.2014	Fahrzeuge pro 3Min Vergleichstage Fr 1.8.2014 - Sa 2.8.2014	Durchschnittsgesch windigkeit Vergleichstage Fr 1.8.2014 - Sa 2.8.2014
2014-07-18 00:00-00:03	30	114	22	110	33	110
2014-07-18 00:03-00:06	22	116	15	98	37	107
2014-07-18 00:06-00:09	22	115	25	116	42	115

Figure 6: Inflow values with average speeds

Datum	Uhrzeit		hen Name	und AS			Warte- zeit	Verkehrs-information	Empfehlung
02.08.2014	05:10	39	Wassen	40	Göschenen			stockender Verkehr	keine
02.08.2014	05:30	39	Wassen	40	Göschenen	2	20	Stau, Verkehrsüberlastung	keine
02.08.2014	06:11	39	Wassen	40	Göschenen	3	30	Stau, Verkehrsüberlastung.Einfahrt Gö gesperrt.	keine

Figure 7: Congestion data

#### 6 Simulation Results and Discussion

The reference data for congestion measurement is provided by ASTRA (Bundesamt für Strassen). There are four datasets:

- Dataset 1: measurement of 2014 July, 18. 19.
- Dataset 2: measurement of 2014 August, first
- Dataset 3: measurement of 2014 July, 25. 26.
- Dataset 4: measurement of 2014 August, second

In a first step the model will be trained by dataset 1 and 2. The authors wrote a program which calculates specified values of a specified variable (moveProb and moveCorr) for a given number of times. With other words, it finds the optimal parameter values that minimize the error of measured congestion. In a second step, the datasets 3 and 4 are used to evaluate the previous trained model.

#### 6.1 Preparing dataset – curve fitting

The timestamps for the measurement are irregular. In order to compare the congestion from the model to the reference data, the breakpoints will be interpolated. The resulting curve can be used to generate regular timestamps for measurement. The authors have opted for a linear interpolation. That means that every point will be connected by a straight line with its neighbour, see on the figures below. A linear interpolation is reasonable because the congestion length between two breakpoints cannot change very quickly.

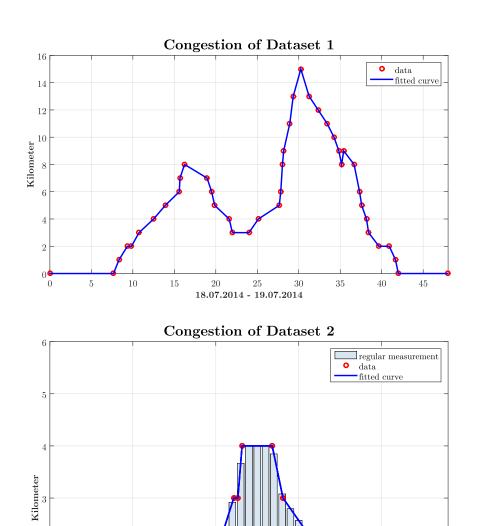


Figure 9: Dataset 2, added regular measurements for comparison

01.08.2014

20

#### 6.2 Train model

There are two parameters to fit the model:

- moveProb: describes how accurate cars moving forward
- moveCorr: increases moveProb in case of congestion

Prediction is the ratio between all x-values that are inscribed by the intersection of the two curves and the reference curve. The big difference to precision is the way of counting. It would be very beneficial for the prediction value, if there is a lot of congestion. The outcome of this would be a poor precision value. That's why precision and prediction are used to find the optimal parameter. Because precision is more important, the weight for it is three times greater than for prediction.

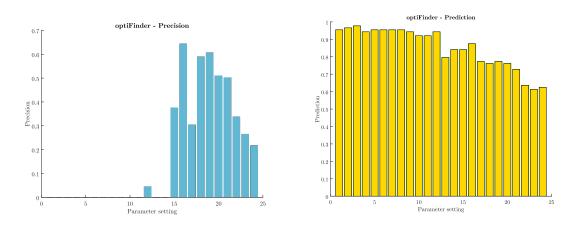


Figure 10: left: precision, right prediction for Dataset 2

The weighting of prediction and precision lead to the values for moveProb and moveCorr.

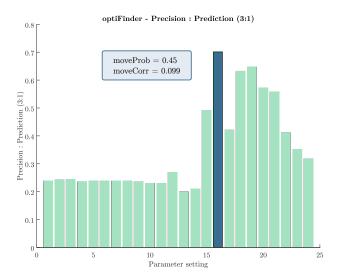


Figure 11: resulting values from weighting prediction (1x) and precision (3x)

### 7 Summary and Outlook

The authors created a model based on the Nagel-Schreckenberg model. It was extended to fit the situation at the Gotthard-Strassentunnel Nordportal between Erstfeld and Göschenenen. Its purpose is to predict traffic congestions in front of the tunnel.

The model was firstly trained with two datasets (24h and 48h), which were both provided by ASTRA.

The authors soon realised that there were some uncasualities in the congestion plot diagrams, which lead back to measuring mistakes or inaccuracy of the dataset. They had to adjust these abnormalities in order to obtain appropriate output.

At the very end, the finished model had to prove its accuracy by predicting traffic congestions with two other datasets (24h and 48h, also provided by ASTRA), which have not been used before.

#### 7.1 Outlook

Both of the authors invested much time and effort in this project, and they really liked working on it. It is indisputable that some misleading measurements from the datasets distorted the results, but the results...

Without a doubt systems of this nature will play an important role in the future.

# 8 Appendix

#### References

- [1] Andreas Schadschneider. Traffic flow modelling. http://www.thp.uni-koeln.de/~as/Mypage/traffic.html. April 2000
- [2] Torsten Held, Stefan Bittihn. Cellular automata for traffic simulation Nagel-Schreckenberg model. March 2011
- [3] K. Nagel and M. Schreckenberg. A cellular automaton model for freeway traffic. 1992

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#### Code

```
Listing 1: interpolate
   function [Y_congestion, data] = interpolate(dataset, interval, showPlot)
1
2
   %% parameters
3
   % INPUT:
   %
                       choose one of 4 datasets, {1,2,3,4}
4
       dataset:
   %
       interval:
                       interval of measured congestion in minutes
5
6
   %
       showPlot:
                       show interpolated curve, {0=false, 1 = true}
   % OUTPUT:
7
8
   %
       Y_congestion:
                       length of congestion, #measures depend on interval
9
   %
                       vector, contains time data
       data:
10
   %% Prepare data (ASTRA)
11
12
   switch dataset
13
14
       case 1
           15
               18.07.2014 09:20' '18.07.2014 09:50' '18.07.2014 10:45' '18.07.2014
               12:30' '18.07.2014 13:55' '18.07.2014 15:36' '18.07.2014 15:41' '
               18.07.2014 16:14' '18.07.2014 18:57' '18.07.2014 19:30' '18.07.2014
               19:52' '18.07.2014 21:37' '18.07.2014 22:00' '19.07.2014 00:00' '
               19.07.2014 01:08' '19.07.2014 03:39' '19.07.2014 03:50' '19.07.2014
               04:02' '19.07.2014 04:11' '19.07.2014 04:55' '19.07.2014 05:20' '
               19.07.2014 06:15' '19.07.2014 07:15' '19.07.2014 08:20' '19.07.2014
               09:25' '19.07.2014 10:15' '19.07.2014 10:50' '19.07.2014 11:10' '
               19.07.2014 11:25' '19.07.2014 12:40' '19.07.2014 13:20' '19.07.2014
               13:35' '19.07.2014 14:10' '19.07.2014 14:25' '19.07.2014 15:40' '
               19.07.2014 16:55' '19.07.2014 17:40' '19.07.2014 18:00' '19.07.2014
               23:59'};
           congestion = [0 0 1 2 2 3 4 5 6 7 8 7 6 5 4 3 3 4 5 6 8 9 11 13 15 13 12
16
                11 10 9 8 9 8 6 5 4 3 2 2 1 0 0];
       case 2
17
18
           time = { '01.08.2014 00:00 ' '01.08.2014 06:26 ' '01.08.2014 10:05 ' '
               01.08.2014 11:05' '01.08.2014 11:20' '01.08.2014 11:35' '01.08.2014
               13:24' '01.08.2014 14:03' '01.08.2014 16:15' '01.08.2014 17:00' '
               01.08.2014 17:22' '01.08.2014 23:59'};
           congestion = [ 0 0 2 3 3 4 4 3 2 1 0 0];
19
20
       case 3
           time = {'25.07.2014 00:00' '25.07.2014 09:55' '25.07.2014 10:10' '
21
               25.07.2014 11:45' '25.07.2014 11:55' '25.07.2014 12:00' '25.07.2014
               12:40' '25.07.2014 13:35' '25.07.2014 16:45' '25.07.2014 17:10' '
               25.07.2014 18:30' '25.07.2014 19:14' '25.07.2014 20:48' '25.07.2014
               21:50' '25.07.2014 23:44' '26.07.2014 00:00' '26.07.2014 01:57' '
               26.07.2014 02:38' '26.07.2014 03:45' '26.07.2014 04:20' '26.07.2014
               04:36' '26.07.2014 04:55' '26.07.2014 05:30' '26.07.2014 05:40' '
               26.07.2014 07:50' '26.07.2014 09:00' '26.07.2014 10:15' '26.07.2014
               12:00' '26.07.2014 13:00' '26.07.2014 13:45' '26.07.2014 14:30'
               26.07.2014 14:55' '26.07.2014 15:10' '26.07.2014 16:33' '26.07.2014
               16:47' '26.07.2014 17:01' '26.07.2014 23:59'};
           congestion = [0 0 1 3 4 5 6 7 6 5 4 3 4 3 4 4 4 4 4 5 6 7 8 9 11 13 15
22
               13 10 8 6 4 3 2 1 0 0];
       case 4
23
           time = {'02.08.2014 00:00' '02.08.2014 05:10' '02.08.2014 05:30' '
24
```

```
02.08.2014 06:11' '02.08.2014 06:40' '02.08.2014 07:25' '02.08.2014
                07:50' '02.08.2014 08:05' '02.08.2014 08:45' '02.08.2014 08:56' '
                02.08.2014 10:48' '02.08.2014 10:53' '02.08.2014 11:30' '02.08.2014
                12:08' '02.08.2014 12:51' '02.08.2014 13:42' '02.08.2014 14:05' '
                02.08.2014 14:15' '02.08.2014 14:30' '02.08.2014 14:45' '02.08.2014
                15:03' '02.08.2014 16:00' '02.08.2014 16:17' '02.08.2014 23:59'};
25
            congestion = [ 0 0 2 3 4 5 6 7 8 9 11 13 11 10 9 8 7 6 5 4 3 2 0 0];
26
        otherwise
            disp (['dataset ' num2str(dataset) ' does not exist. Available datasets:
    training(1, 2); evaluation(3,4)'])
28
29
   end
30
   % generate date vector
31
   data = datevec(time, 'dd.mm.yyyy HH:MM');
32
33
34 % compute #seconds since 00:00 of first day
   seconds = zeros(1, length(time));
35
   first_date = datenum(data(1,1:3));
36
   for i = 1:length(time)
37
        curr_date = datenum(data(i,1:3));
38
39
        if curr_date == first_date
40
           seconds(1,i) = data(i,4)*3600 + data(i,5)*60;
41
           xMax = 24;
        else
42
43
           seconds(1,i) = data(i,4)*3600 + data(i,5)*60 + 24*3600;
44
           xMax = 48;
45
        end
46
   end
47
48 % data for curve fitting
49 	 X = seconds / 3600;
   Y = congestion;
50
51
52 %% Curve Fitting
53 [xData, yData] = prepareCurveData(X, Y);
54
   % Set up fittype and options.
55
56 ft = 'linearinterp';
57  opts = fitoptions(ft);
58 opts.Normalize = 'on';
59
60
   % Fit model to data.
61 [fitresult] = fit(xData, yData, ft, opts);
62
   if showPlot
63
64
       % Plot fit with data.
       figure('Name', ['Dataset ' num2str(dataset)]);
65
       p = plot(fitresult, '-b', xData, yData, 'or');
66
       set(p, 'LineWidth', 2)
67
68
69
       % Label axes
70
       ylim([0 16]);
       if mod(dataset,2)
71
          xlabel([datestr(data(1,:),'dd.mm.yyyy') ' - ' datestr(data(end,:),'dd.mm.
              yyyy')],'fontweight','bold','fontsize',11);
73
         xlabel(datestr(data(1,:),'dd.mm.yyyy'),'fontweight','bold','fontsize',11);
74
```

```
75
      if dataset == 2
              ylim([0 6]);
76
           end
77
       end
78
79
       xlim([0 xMax]);
       ylabel('Kilometer', 'fontweight', 'bold', 'fontsize',11);
t = title(['Congestion of Dataset ' num2str(dataset)]);
80
81
       set(t,'fontweight','bold','fontsize', 18);
82
83
       grid on
84 end
85\, %% Generate congestion data for error-evaluation
86 Y_congestion = fitresult(interval/60:interval/60:xMax);
87 end
```

#### Listing 2: optiFinder

```
1 function [moveProb, moveCorr] = optiFinder(dataset)
2 % Optimum Finder for:
3 % - moveProb
4 % - moveCorr
6 %% moveCorr
7 mc_start = 0;
8 mc_stop = .099;
9 mc_step = .033;
10
11 %% moveProb
12 mp_start = .3;
13 mp_stop = .55;
14 mp_step = .05;
15
16 isAnimated = 0;
17 rounds = 4;
18  numberMC = round((mc_stop-mc_start)/mc_step+1);
19  numberMP = round((mp_stop-mp_start)/mp_step+1);
20 evaluation = zeros(2, numberMC * numberMP);
21 precision_tot = 0;
22 prediction_tot = 0;
v = 0;
24
25 set(0, 'DefaultFigureVisible', 'off') % suppress bar graph output
26 for moveProb = mp_start:mp_step:mp_stop
   for moveCorr = mc_start:mc_step:mc_stop
27
        v = v+1:
28
29
      for j = 1:rounds
          [precision, prediction] = NaSch_Datasets_v1(dataset, moveProb, isAnimated
30
              , moveCorr);
31
          precision_tot = precision_tot + precision;
          prediction_tot = prediction_tot + prediction;
32
33
      end
      evaluation(1,v) = precision_tot/rounds;
34
      evaluation(2,v) = prediction_tot/rounds;
35
36
      precision_tot = 0;
      prediction_tot = 0;
37
   end
38
39 end
40 % diagram of different errors
41 set(0, 'DefaultFigureVisible', 'on') % do not suppress following bar graph output
figure()
hold on;
44 title('optiFinder - Precision')
45 x = 1:length(evaluation);
46 y = evaluation(1,:);
47
   xlabel('Parameter setting');
48
   ylabel('Precision');
49 bar(x,y, 'EdgeColor', 'g', 'FaceColor', 'g')
50
51 figure()
   hold on;
52
53 title('optiFinder - Prediction')
54 x = 1:length(evaluation);
y = evaluation(2,:);
```

```
56 xlabel('Parameter setting');
57 ylabel('Prediction');
58 bar(x,y, 'EdgeColor','g', 'FaceColor','g')
60 figure()
61 hold on;
62 title('optiFinder - Precision : Prediction (3:1)')
63 x = 1:length(evaluation);
64  y = (3*evaluation(1,:)+evaluation(2,:))/4;
65  xlabel('Parameter setting');
66 ylabel('Precision : Prediction (3:1)');
bar(x,y, 'EdgeColor', 'g', 'FaceColor', 'g')
68
69 [Max, Index] = max(y);
70 T = zeros(numberMC, numberMP);
71 \quad T(Index) = 1;
72 [value, location] = max(T(:));
73 [R,C] = ind2sub(size(T),location);
74 moveProb = mp_start + (C-1) * mp_step;
75 moveCorr = mc_start + (R-1) * mc_step;
76 end
```

#### Listing 3: model.m

```
function [precision, prediction] = NaSch_Datasets_v1(dataset, moveProb,
       isAnimated, moveCorr)
2
3
   % values
   % NaSch_Datasets_v1(1,.525,0,0,0,.055): perfectly symmetric
4
5 % NaSch_Datasets_v1(2,.525,0,0,0,.05): less error
7 %% parameters
8
   % INPUT:
9
       dataset: choose one of 4 datasets, {1,2,3,4} (don't use 3,4:evaluation)
       moveProb: the probability for a car to move forwards, 0..1
   %
10
       isAnimated: start program with animation, boolean 1=true O=false
12 % OUTPUT:
13
       error_tot: total
14
   %
15 % EXAMPLE:
16 % NaSch_lC_Stats_v1(2, .5, 0 , 1, 0)
17
18
   % parameters for comparison model - reality
                             % length of each cell (average length of cars => Skoda
19 1C = 4.5;
       Octavia)
20 1R = 19000;
                             % length in Reality (Erstfeld - Goeschenen, 13min)
21 N = round(1R / 1C);
                             % 4222 cells
                             % measure every #min
   measureInterval = 30;
   [I, S] = Datasets(dataset);
24 nIter = length(I)*180; % number of iterations; datasets: #cars/180s => we want
        1 iteration / s
q = 0;
                             % running variable for reading outSet
26 redLight_act = 1;
                            % activate redLight
27
28 % set parameter values
29 conv = 1000/1C; % "convert", #cells that matches 1km
30 cC = N-22;
                      % "change cell", where cars have to change the lane
31
   vmax = 5;
                       % maximal velocity of the cars (vmax = 5 = 100 \text{ km/h})
32 L = 11;
                      % length of lane where cars can change (in front of cC)
33 \quad vmax_L = 3;
                      % maximal velocity in L
34 \quad a = 0.2;
                      % min probabilty that car changes lane at cC - L
35 b = 0.6;
                      \mbox{\ensuremath{\mbox{\%}}} max probability that car changes lane at cC
36 laneChange = .1;
                      % the probability for a car to change the lane, 0..1
37 dropCounter = 2;
                      % dropCounter: #seconds a car can pass the redlight, redlight
        is active
38
                       % after 2km congestion. Use '1' to turn off redlight. Do NOT
                       % use odd numbers.
39
40 redLight = 0;
                       % automatic redLight, do NOT turn on
41 inflowCounter = 0; % count cars
42
43 % use quadratic increments for the probabilty between a and b (p = k*x^2+d)
                                         % for x=cC-L is p = a
44
   k = (a - b)/(L*L-2*cC*L);
   d = b - cC*cC*(a - b)/(L*L-2*cC*L); % for x=cC is p = b
45
46
47 % set statistical variables
48 \quad vSum = 0;
                % sum of speeds
   nCars = 0;
                    % #cars on road
49
50
51 % define variables in a block (2 x bL)
52 bL = 50; % block length: length of a block // 225m
```

```
53 \text{ bD = 0};
                       % block density: density of cars in a block, 0..1
54 \text{ bV} = 0;
                       % block velocity: average velocity in a block, 0..vmax
55 \text{ bC} = 0;
                       \% block counter: counts number of blocks (congestion), 0..(N \%
         bL)
    bE = 0;
56
                       % empty counter: counts number of blocks (no congestion),
         {0,1,2}
57
    % congestion length in each round
58
59
    if mod(dataset,2)
         divider = 48*60 / measureInterval;
60
61
         divider = 24*60 / measureInterval;
62
63 end
64
    congLength = zeros(1,nIter/divider);
65 congPlot = zeros(1, divider);
66 currentCongestion = 0;
                                              % congestion optimization
67 first = 1;
68 opt_act = 0;
69
    congStart = 0;
70
71 % define road (-1 = no car; 0..vmax = car, value represents velocity)
72 X = -ones(2,N);
73
74
    % take average inflow (every 2 hours)
   if mod(dataset,2)
75
76
         inflow = zeros(1,24);
         for i = 0:23
77
78
             inflow(1,i+1) = sum(I(1,1+i*40:40+i*40)) / 40;
79
         end
80
    else
81
         inflow = zeros(1,12);
         for i = 0:11
82
83
             inflow(1,i+1) = sum(I(1,1+i*40:40+i*40)) / 40;
84
         end
85 end
86 p=1;
87
    \%\% main loop, iterating the time variable, t
88
    for t = 1:nIter
89
         %% NaSch and laneChange
90
         \ensuremath{\text{\%}} cars change lane with given probability laneChange
91
92
         for i = 1:cC-L
             % left to right --> probabilty laneChange if X(1,i) ~= -1 && X(2,i) == -1 && rand < laneChange
93
94
                  X(2,i) = X(1,i);
95
                  X(1,i) = -1;
96
97
             end
             % right to left --> probabilty 0.95*laneChange
if X(2,i) ~= -1 && X(1,i) == -1 && rand < 0.95*laneChange</pre>
98
99
                  X(1,i) = X(2,i);
100
                  X(2,i) = -1;
101
             end
102
103
         end
104
         % acceleration (NaSch -- RULE 1) =========
105
106
         for i = 1:2*N
             if X(i) ~= -1 && X(i) < vmax</pre>
107
                X(i) = X(i) + 1;
108
```

```
109
             end
110
         end
111
112
         \% cars have to change lane due to lane reduction
113
         for i = cC-L:cC
114
115
             \mbox{\ensuremath{\%}} reduce velocity of lanes in front of lane reduction
             if X(1,i) > vmax_L
116
117
                 X(1,i) = vmax_L;
             elseif X(2,i) > vmax_L
118
119
                 X(2,i) = vmax_L;
120
121
122
             % lane change on road
             if X(1,i) = -1 \% change lane if possible
123
                  if i == cC && X(2,i) == -1
124
                     X(2,i) = X(1,i) + 2;
                                                  % accelerate after lane change
125
                      X(1,i) = -1;
126
                  elseif X(2,i) == -1 && rand < (k*i*i + d)
127
                      X(2,i) = X(1,i) + 2; \% +2 accelerate
128
129
                      X(1,i) = -1;
                  elseif X(1,i)+i > cC % avoid overrunning changeCell
130
                      X(1,i) = cC-i;
131
132
                  end
             end
133
134
         end
135
136
         % red light
         if X(1,cC-10) ~= -1 && redLight
137
             X(1,cC-10) = 0;
138
139
             if mod(t+dropCounter/2,dropCounter) == 0
                 X(1,cC-10) = 2;
140
141
             end
         end
142
143
         if X(2,cC-10) ~= -1 && redLight
144
             X(2,cC-10) = 0;
145
             if mod(t,dropCounter) == 0
146
                 X(2,cC-10) = 2;
147
148
         end
149
150
151
         % slowing down (NaSch -- RULE 2) =========
         for row = 1:2
152
153
             for i = 1:N
                 if X(row,i) ~= -1
154
                      for j = 1:X(row,i)
155
156
                          if i+j \le N
                               if X(row,i+j) ~= -1
157
158
                                   X(row,i) = j-1;
159
                                   break
                               end
160
                          end
161
                      end
162
163
                 end
             end
164
165
166
```

```
% randomization (NaSch -- RULE 3) =========
167
168
         for i = 1:2*N
             if X(i) > 0
169
170
                  X(i) = X(i) - (rand > moveProb);
171
             end
         end
172
173
         % car motion (NaSch -- RULE 4) ==========
174
175
         %% inflow
176
         % update positions X(1..N)
177
         Xold = X;
178
         for row = 1:2
179
180
             for i = 1:N
                  if Xold(row,i) > 0 && i + Xold(row,i) <= N</pre>
181
182
                      X(row,i+X(row,i)) = X(row,i);
                      X(row,i) = -1;
183
                  elseif Xold(row,i) > 0 && i + Xold(row,i) > N
184
185
                      X(row,i) = -1;
                  end
186
187
             \verb"end"
188
         \verb"end"
189
190
         if t > q*180 % datasets: #cars / 180s => every 180s we take new inflow value
              from dataset
191
             q = q + 1;
192
193
             % average inflow
             if \mod(q,40) == 0
194
195
                p = p + 1;
196
             end
197
198
             if mod(dataset,2)
                  if p > 24
199
                     p = 24;
200
201
                  \verb"end"
             else
202
203
                  if p > 12
204
                     p = 12;
205
                  end
206
             end
207
             rateI = inflow(1,p)/(2*180);
208
             rateS_m = S(1,q); \% mean speed
209
210
             rateS_m = rateS_m/(3.6*5.55555); % convert km/h into NaSch-units
             if rateS_m > 5
211
212
                 rateS_m = 5;
213
              elseif rateS_m < 2</pre>
                 rateS_m = 2;
214
215
         \verb"end"
216
217
         rateS = ceil(rateS_m) - (rand < (ceil(rateS_m)-rateS_m));</pre>
218
219
220
         % update position X(1,1) left lane (inflow left)
221
         \% calculate inflow rate per second, divide by 2 because
         \% the 2 rows, multiply by .95 because left lane
222
         rate = rateI*.95;
223
```

```
224
225
         if rand < rate && X(1,1) == -1
             X(1,1) = rateS; % all cars enter with speed of rateS
226
227
             inflowCounter = inflowCounter + 1;
228
         end
229
230
         % update position X(2,1) right lane (inflow right)
         rate = rateI*1.05;
231
232
         if rand < rate && X(2,1) == -1
233
234
             X(2,1) = rateS; % all cars enter with speed of rateS
             inflowCounter = inflowCounter + 1;
235
         end
236
237
         %% statistics
238
239
         % average speed (only with animation)
         if isAnimated
240
241
             for row = 1:2
242
                  for i = 1:cC
                      if X(row,i) ~= -1
243
244
                           vSum = vSum + X(row,i);
245
                           nCars = nCars + 1;
246
                      end
247
                  end
             end
248
249
250
             vAverage = vSum / nCars;
251
             % reset vSum for next round
             vSum = 0;
252
253
             nCars = 0;
254
         end
255
256
         % congestion length
         for i = cC:-bL:1
257
             % compute density of cars and average velocity in a block
258
259
             for j = 2*i:-1:2*(i-bL) + 1
                  if X(j) ~= -1
bV = bV + X(j);
260
261
                      bD = bD + 1;
262
263
                  end
264
             end
             if bD == 0
265
266
                 bD = 1;
             end
267
268
             bV = bV / bD;
             bD = bD / (2*bL);
269
270
271
             \% test if block satisfy conditions for a congenstion
             \mbox{\ensuremath{\mbox{\%}}} count only connected congestion, gaps are allowed.
272
273
             \% gap is #gaps allowed between two 'congestion-blocks'
274
             gap = 1;
             if bV < 1 && bD > .48
275
                 bC = bC + 1;
276
                  bE = 0;
277
278
              elseif bE >= gap
                  bC = bC - gap;
279
                  break
280
             else
281
```

```
bE = bE + 1;
282
283
                 bC = bC + 1;
             end
284
             % reset variables
285
             bV = 0;
286
             bD = 0;
287
288
         end
289
290
        k = measureInterval * 60;
        congLength(1,1+mod(t-1,k)) = bC * bL;
291
292
        \% measure congestion for interval[min], store mean in congPlot
293
         if mod(t,k) == 0
             congPlot(1,t/k) = sum(congLength/conv) / k;
294
295
             \c^{1} congPlot(1,t/k) = round((sum(congLength/conv) / k)/.5)*.5;
                 half up
296
             % "traffic optimization" (faster congestion growth at beginning)
297
             if congPlot(1,t/k) > 1 && first == 1
298
299
                moveProb = moveProb + moveCorr;
                                                         % slow down moveProb when
                    congestion begins
                first = 0;
301
                congStart = t;
302
                opt_act = 1;
303
             end
304
305
             \% enable redlight, if congestion longer than 1km
             if congPlot(1,t/k) > 1 && redLight_act
306
307
                 redLight = 1;
308
             else
                 redLight = 0;
309
310
             end
             currentCongestion = congPlot(1,t/k);
311
312
         end
313
        % reset moveProb after x*3600 seconds
314
315
         if t >= congStart + 2*3600 && currentCongestion < 2 && opt_act</pre>
            moveProb = moveProb - moveCorr;
316
317
            first = 0;
318
            opt_act = 0;
319
         end
320
        % reset counters
321
322
        bC = 0;
        bE = 0;
323
324
        %% animation
325
326
         if isAnimated
327
             %clf;
             hold on;
328
             xlim([N-100 N+1])
329
             ylim([-20 20])
330
             plot(N-100:cC+1, 0.5*ones(1,length(N-100:cC+1)), 'Color', [.75 .75],
331
                  'LineWidth', 12)
             plot(N-100:N+1, -0.5*ones(1,length(N-100:N+1)), 'Color', [.75 .75 .75],
332
                 'LineWidth', 12)
             plot(N-100:cC+1, 0*(N-100:cC+1), '--', 'Color', [.95 .95 .95], '
333
                 LineWidth', .8)
             title([ 'Iterationsschritt: ' num2str(t), ' Congestion: ' num2str(
334
```

```
currentCongestion), ' Average Speed: ' num2str(vAverage), ' inFlow:
                  ' num2str(rateI)])
335
336
             for row = 1:2
                 for i = N-100:N
337
                     if X(row,i) ~= -1
338
339
                          draw_car(i, 1.2*(1.5-row), 0.8, 0.2);
                     end
340
341
                 end
             end
342
             pause (0.01)
343
        end
344
    end
345
346
    %% END OF MAIN LOOP
347
348
    disp (['inflow and outflow are equal to ' num2str(inflowCounter)]);
349
350
351
    % diagram of comparison model - reality
   [Y_dataset, data] = interpolate(dataset, measureInterval, 0);
352
   figure
353
354 hold on;
355
    title(' Comparison Model - Reality ')
356
    xval = measureInterval / 60;
    bar(xval:xval:nIter/3600,congPlot);
357
   bar(xval:xval:nIter/3600,Y_dataset, .4, 'FaceColor',[.8,.85,.9])
359
360
    ylim([0 16]);
    if mod(dataset,2)
361
        xlabel([datestr(data(1,:),'dd.mm.yyyy') ' - ' datestr(data(end,:),'dd.mm.
362
            yyyy')]);
    else
363
364
         xlabel(datestr(data(1,:),'dd.mm.yyyy'));
        if dataset == 2
365
           ylim([0 6]);
366
         end
367
    end
368
369
    ylabel('Kilometer');
    if mod(dataset,2)
370
        xlim([0 48]);
371
372
    else
373
        xlim([0 24]);
374
    grid on;
375
376
    hold off;
377
378
    %% error evaluation
379
    area_dataset = sum(Y_dataset);
    error = 0;
380
    for i = 1:length(congPlot)
381
        error = error + abs(congPlot(i)-Y_dataset(i));
382
383
384
    error = error / area_dataset;
    if error > 1
385
386
       error = 1;
387
    end
    precision = 1 - error;
388
389
```

```
390 intersect = 0;
391 soloCounter = 0;
392 for i = 1:length(congPlot)
393
          if Y_dataset(i) > 0
               soloCounter = soloCounter + 1;
394
              if congPlot(i) > 0
395
396
              intersect = intersect + 1;
397
               end
398
          end
399 end
400 prediction = intersect / soloCounter;
401
402 end
403
404 %% datasets
405 function [InFlow, Speed] = Datasets(inSet)
406 switch inSet
407
          case 1
              InFlow = csvread('Dataset.csv', 2, 1, 'B3..B962')';
Speed = csvread('Dataset.csv', 2, 2, 'C3..C962')';
408
409
410
          case 2
              InFlow = csvread('Dataset.csv', 2, 5, 'F3..F482')';
Speed = csvread('Dataset.csv', 2, 6, 'G3..G482')';
411
412
413
          case 3
              InFlow = csvread('Dataset.csv', 2, 3, 'D3..D962')';
414
              Speed = csvread('Dataset.csv', 2, 4, 'E3..E962')';
415
416
          case 4
              InFlow = csvread('Dataset.csv', 482, 5, 'F483..F962')';
Speed = csvread('Dataset.csv', 482, 6, 'G483..G962')';
417
418
419 end
420 end
```