Chapter 5 + Section 1.6 (and) - Free Energies Enthalpy > energy plus the work to make room for the system under constant preserve from the environment H= U+PV = total energy to create the system and put it into an environment But, the system can get its thermal energy from the surroundings, so all we really need to do is provide to the system any additional work Gribbs Free Evergy G= H-TS = evergy to make the system and make room for the system minus the heat G= U+PV-TS we get to extract from surroundings. Helmholtz Free Everagy > total everagy to create the system

F = U-TS from the surroundings

$$W = -P(V_2 - V_1)$$

$$\Delta U = \int_{Z} N k_B \Delta T = \int_{Z} P(V_2 - V_1)$$

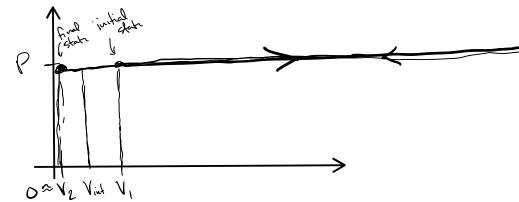
$$Q = \Delta U - W = \Delta U + P \Delta V$$

$$Q = \int_{Z} P(V_2 - V_1) + P(V_2 - V_1)$$

$$Q = \left(\frac{f}{2} + 1\right) P \Delta V$$

$$\Delta H = \Delta U + P \Delta V = Q$$

Another example, what if we cause something to hoppin inside the tube t we measure the heat given off at constant pressure. $H_2(g) + \frac{1}{2}O_2(g) \longrightarrow H_2O(Q)$



 $= \operatorname{Vb} \cdot \operatorname{A}$

_ but not -

= DP · DV

$$V = \frac{nRT}{p} = \frac{15.831.298}{10^5} = 0.037 \,\text{m}^3 = 37 \,\text{L}$$

No after the reachin?

$$V = \frac{n}{\sqrt{n}} \rightarrow \sqrt{2} n \rightarrow \frac{\sqrt{n}}{\sqrt{n}} = \frac{n_2}{n_1} = \frac{1}{1.5}$$

Wint = 1.8.31.298 = 0.0248 m³

This conducers

to give ~ OL

of liquid, giving

up heat along the way

Wint = 0.0248 m3

So what total work has been dom?

$$W = -\int_{0.037m^{2}}^{0.037m^{2}} = -10^{5} Pa (0 - 0.037m^{3})$$

= 3700 $J = 3.7 kJ$

$$\frac{2H_{4}(q)+2O_{2}(q)}{CO_{2}(q)+2H_{2}O(q)} = \frac{2H_{2}O(q)}{CO_{2}(q)+2H_{2}O(q)}$$

$$2H_{2} + O_{2} = 2H_{2}O(9)$$

$$M = -241.82 M$$

$$\times 2$$

$$-483.64 M$$

Whent if
$$H_2O(g) \rightarrow (l)$$
 $CH_4 + 2O_2 \Rightarrow Co_2 + 2H_2O(l)$
 $CH_3 + 2O_4 \Rightarrow Co_2 + 2H_2O(l)$
 $CH_4 + 2O_5 \Rightarrow Co_2 + 2H_2O(l)$

OH reaction = ?

t) 3

also do 1.55

dG StWather at constant T, p

Thermodynamic Potentials dF=dW-TdS LF = tQ + tW - TdS for a reversible process (no new entropy is created) tQrev = T15 dF=Tds+dW-TdS IF = IW work don

an the system by

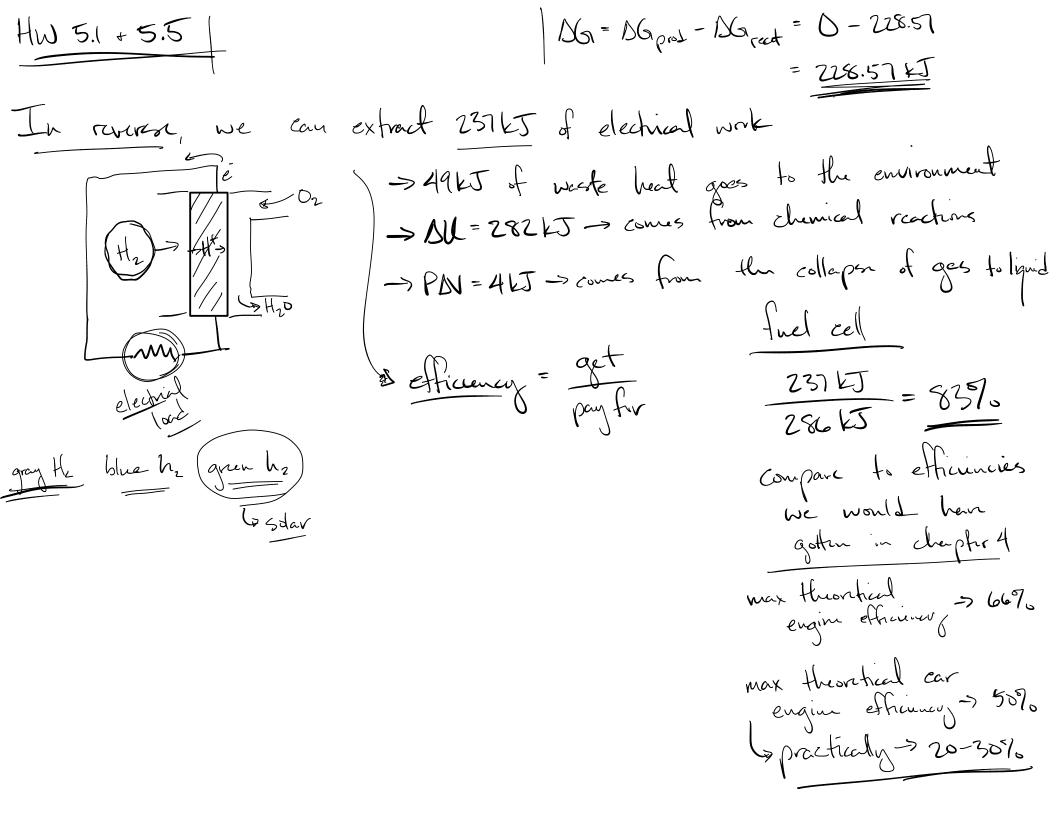
you or by sorroundings oflurnise, (not a reversible process) JE < JW

How is Dong meccount? First measure DH > heat absorbed or released for a reaction at constant pressure to no other work has been done Then calculate DS from initial + final states using heat capacity data AS = SCOUT SG= SH-TDS So lets do an example: (5.2) at 298K + 1 bar N2 + 3H2 -> 2NH3 DH=OLJ DH=OLJ S=191.61 J Kusl S=130.68 J Knsl SH=-46.1125 S= 192.45 / Kund DH = 2 msl. (-46.11 kJ/msl) = -92.22 kJ $\Delta S = S_f - S_i = 2.192.45$ - 3(130.68) - 191.61

= -198.75 J/K

DG = DH - TDS watch out for 15! = -9222KJ - 298(-0.19875 KJ/K) for the host $\Delta G = -16.45 \text{ kJ}$ for thistir $\Delta G = 2 \text{ mol.} \left(-16.45 \text{ kJ}\right) = -32.9 \text{ kJ}$ $\Delta G = 2 \text{ mol.} \left(-16.45 \text{ kJ}\right) = -32.9 \text{ kJ}$ (austhor example) Electrolysis, Fuel Cells, Betteris (author example) H20 -> H2 + 502 I electrical work must be done DH = 286 KJ ~ heat out when we run in veriren To run this reaction forward we med to put in 286 KJ of energy La som of this will push asid the Amospher PAV = In RT = 1.5 ml. (8.31 / 298K) = 3714J Cacs form = 3.7 kJ So, 282 KJ will remain in the system in the form of potential energy in the chemical bonds

Do we med to do all of this work, or can we got some hulp from survoiring?
lalland is the dreman in entropy?
$S_{H_2} = 70 \text{ M}$ $S_{H_2} = 131 \text{ M}$ $S_2 = 205 \text{ M}$ $S_2 = 205 \text{ M}$ $S_2 = 205 \text{ M}$
products
DS=Sp-Sr= 233.55/2-705/2= 163.55/2
entropy increased
JQ STJS
Q=TDS=298K.163.55/k
Q = 48.7 KJ
So of the 286 KT that go in. 48.7 KT can come from hat from surroundings
286kJ-48.7kJ = 237.3kJ -> com from electrical work
1 G= DH-TOS DG = -228.57 LT DG = O LT DG= O LT



 $Pb + PbO_2 + 4H^+ + 250_4^{-2} \longrightarrow 2PbSO_4 + 2H_2O$ start w/ SH = - 316 kJ/mil Ceveragy out from reaction at constant presence What about DG= -394 LJ/mol Telectrical energy out DG is more than the DH. How? Heat is coming in to the system from surroundings!

How much?

394 KJ - 316 KJ = 78 KJ

mol No= DH-TOS DG-DH = -TDS -394 -(-316)=-2980S 78KJ = TDS merce DS>0 increase in entropy means the heat

is being absorbed = DS = 78KJ = 261.7 J with

for

with

with from surroundings

Evergy -> potential (voltage) Voltage = $\frac{\Delta W_E}{q} = \frac{394 \text{ kJ}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c. N}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.84 \text{ V}}{2 \text{ c. N}_4 \cdot 1.6 \cdot 10^{-19} \text{ c}} = \frac{2.$ ned to know how wanty electronis are moved during the reaction

Thermodynamic identity

du = TdS-PdV + MdN

but what about H, F, G,? How do there change when conditions change?

L=11+00

dH=du+pdy+VJp

Latus-poty + pdN

LH=TJS+ Vdp+ rdN

So the variables have changed from the we tend to use enthalpy when dp=0 dN=0 dN=0 dN=0 dN=0 dN=0 dN=0

What about F? F=4-TS JF = JU - TJS - SJT JF = SIT-PIV+MIN

what about 6? -> you derive this

We can ver these identities to derive many nexted statements.

Ex: dF = -SJT - pdV + rdN

hold V + N constant -> dV + dN are 0

JF = -SJT

S = - (IF) what does this mean? entropy is the rate of change of F with T

$$\rho = \left(\frac{\partial F}{\partial V}\right)_{T,N}, \qquad \mu = \left(\frac{\partial F}{\partial N}\right)_{T,V}$$

What about Gibbs? $V = \left(\frac{\partial G}{\partial P}\right)_{T,N}, \quad M = \left(\frac{\partial G}{\partial N}\right)_{T,P}$ $S = -\left(\frac{\partial G}{\partial T}\right)_{P,N}$ Volume st How does the Gibb Free Energy change ut pressure Use reference duta > 1 mol of C (graphit) => 5.3.10 m³ DGE=OKT = most stable form Gibbs will increase by 5.3.10°T for each additional Pa of presence about atmosphine present Ex: 1 ms/ of H20(e) at 25°C (2986K) Gibbs at 30°C? (303K). milksmig. GH20 = -237.13kJ at 298K and I atm NG = 5. DT $S = \left(\frac{26}{57}\right)_{P,N}$ $S_{H_20} = 69.917$ = 69.91.5K = 349.55) Gilbos + -237.13 6 -236.78 65 5.14) - Monday