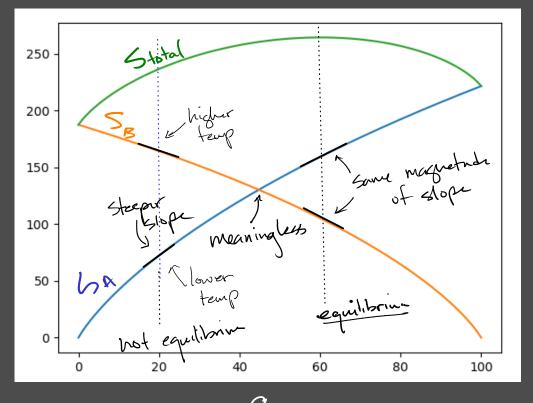
Chapter 3

Equilibrium occurs when

HW: 1,3

Anaconda miniconda



Apply to hot Einstein cooled (9>7N) att of packets energy of one of energy / energy packet $Q = \left(\frac{eq}{N}\right)^{N} \qquad q >> N \quad limit$ S=kg ln Q = kgN ln(egt) U=q.E T = (35) S=kBN(ln U + Ine) S= kgN lull - kgN luNE + kgN $\frac{1}{T} = \frac{35}{3h} - \frac{k_B N}{IA}$ # of oscillators An Einstein Solid T= U => W= NKBT >> Equipartition Theorem $N = \frac{N}{3}$ # of oxiallators N=3n=> L=3nkeT (>1-D kinetic energy (>1-D potential energy

What about on ideal goes Sakur-Tetroda equation Q = f(N). VN. U3N/2 S=kgln 2=kgln V" + kgln U" + kgln f(N) = kgN(lnV +3|n U + hn fw)) 1 = 35 = 3 KBN U= 3NKBT // f=3 -> 3-D kinetic energy

Entropy + Heat Experiment to determine heat capacity. Also have a theory to make a prediction CV = (31)N'N C> U(T) idrel gas (monoatomic) high temp solid C,= 3NkB = 3nmR C, = 3 (NKBT) = NKR = NmR Review the process for any material to predict heat capacity 1. Use combinatories + QM to find an } expression for I in terms of U,V,N etc.) Stat mech give | -> Ch. 6 2.5= Kg lust 3. T = (35) N.V. etc. 4. Solve for · U in terms of T 5. take partial of U w.r.t. T > Cv

We can measure 5, by going buckwards. 25 = 35 du soriginal definition of autropy T does not change nuch n/a little &Q added conestant volume (isochavic) tw=0 du=dQ $\Delta S = \frac{Q}{T}$ } phase change 15=C,17 tw= pdv > can be constant but du=tQ+tw S= Stratt can also be a function qn=fd-bqn of temp itself. du=TdS-pdV

S(Tf) -S(0) = Strutt need to know all the way to Zero.

20 or some constant > residual entropy

much experimental data for many substances tabulated by chemists!

Paramagnetism

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- dipoles aligned parallel
to the B have lower energy state
- antiparallel requires U to turn it around
- U is determined by number of I and I
dipoles others are

not allowed

by QM

 $\sqrt{N^{+} |N^{+}|} = \frac{N^{+} (N-N^{+})}{N!}$

Every is dependent NyorN, and the strength of B. Les energy to flip one dipole = 2 mB - µB -> | -> µB

To odown DU=2µB U= µB(N, - N,) = µB(N - 2N,) magnetization = total magnetic moment $M = \mu \left(N_r - N_{\downarrow} \right) = \frac{U}{B}$ goal: how does M + U depund on temperature?

$$T = \left(\frac{\partial S}{\partial N}\right)^{-1}$$

$$S = k_B \ln S$$

$$S = \frac{N!}{N_T(N-N_T)!}$$

Floodyfic Solution
$$\frac{S}{K_B} = \ln N! - \ln N_{\uparrow}! - \ln (N - N_{\uparrow})!$$

$$\frac{S}{K_B} = N \ln N - N_{\uparrow} \ln N_{\uparrow} - (N - N_{\uparrow}) \ln (N - N_{\uparrow})!$$

$$\frac{1}{T} = \frac{S}{JU} \qquad U = \mu R(N - 2N_{\uparrow}) = 7 \qquad N_{\uparrow} = \frac{N}{2} - \frac{U}{Z_{\mu}R}$$

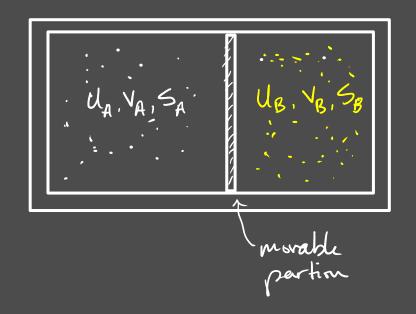
$$\frac{1}{T} = \frac{3S}{JN_{\uparrow}} \cdot \frac{JN_{\uparrow}}{JU} = 7 \qquad \frac{k_B}{Z_{\mu}R} \cdot \ln \left(\frac{N - \frac{N_{\mu}B}{N}}{N + \frac{N_{\mu}R}}\right) = \frac{1}{T}$$

Pressure

For 2 ideal goesses in contact:

2 total = [f(N)]^2 (VAVB) (UAUB) 3N/2

Stotal = kgln S2 total



equilibries 35total = 0

the same T for Eustin Golids Stobel = 0

vew

$$\frac{3(S_A + S_B)}{3V_A} = 0$$

$$\frac{3S_{A}}{3V_{A}} + \frac{3S_{B}}{3V_{A}} = 5$$

$$dV_{A} = -dV_{B}$$

$$\frac{\partial S_A}{\partial V_A} - \frac{\partial S_B}{\partial V_B} = 0$$

$$\frac{\partial S_A}{\partial V_A} = \frac{\partial S_B}{\partial V_B}$$

From intintion

at equilibrium

> constant U, N

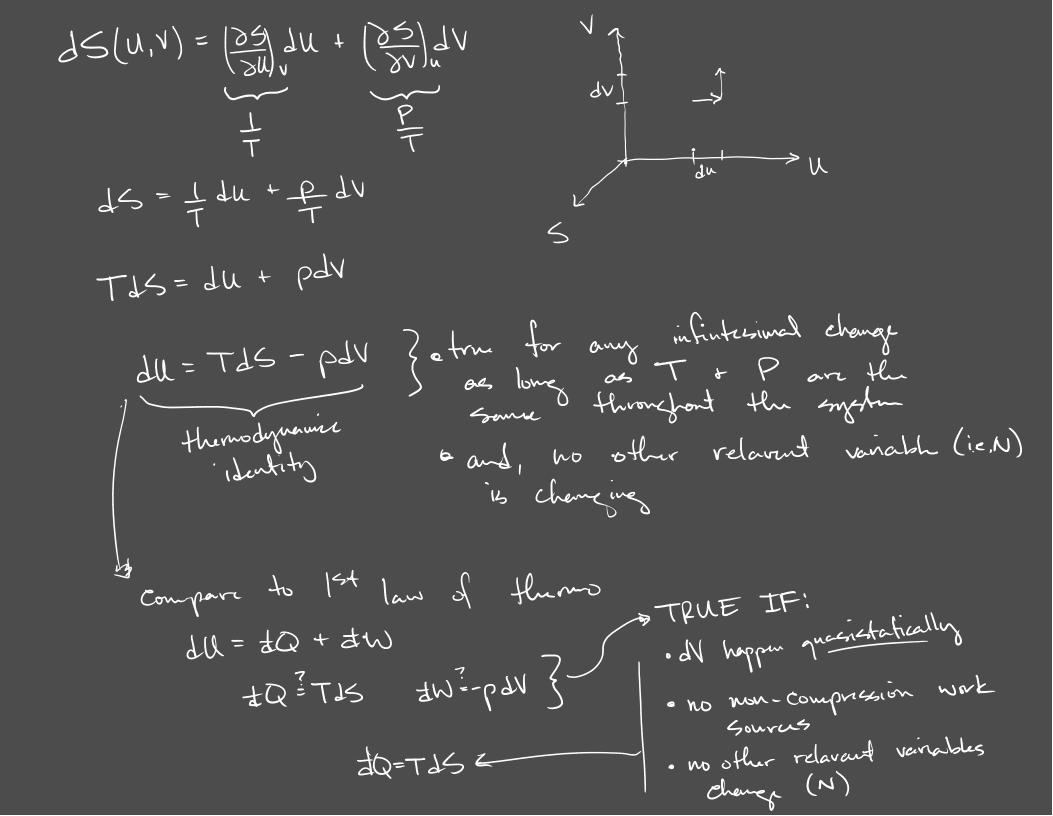
At equilibrium the presence is the same in both gesses.

If the presence were not the same, the partition would more until the presence was the same.

$$P = \frac{7}{2} \left[\frac{N \cdot m}{K m^{3}} \right] = \left[\frac{N \cdot m}{K m^{3}} \right] = \left[\frac{Ra}{K} \right]$$

$$P = T\left(\frac{35}{3V}\right)_{V,N}$$

we need to unitiply by a T 15 this right? - CHECK W/ ideal gus 2 - f(N) V" U S= Kg[Inf(N) + N InV + N InU3/27 P=T(\frac{35}{2V})=T.KB.N(\frac{2N}{2N}) P=TkgM V = NkgT //



So, an diabatic and quainstatic process is therefore called isentropic. dQ = 0 = 15

So now even for non-constant volume

16= 1Q => Q

Is temp does not change.

of water: -> 2260 KJ heat added

What about a not-quaisistatic process ? will not change much for small du dw + dQ = dll = TdS - pdV greater than aQ < Tas.

 $dS \ge \frac{dQ}{T}$

$$\frac{U_{f}}{U_{i}} = \frac{T_{f}}{T_{i}} = \left(\frac{V_{i}}{V_{f}}\right)^{3}$$

Chemical Potrufial - thermal equil -> Temps same . mechanical equil -> pressure seme · diffusine equil -> ? Stotal) = 0 at equilibrium , Uq, NA, SA Ly, NB, SB 35A = 35B 3NA = 3NB Tporons boundary con exchença energy and particles $-T \frac{3}{3N_A} = -T \frac{3}{3N_B}$ Chemical -> $M = -T \left(\frac{25}{2N} \right) u_{,V}$ Sparticles more from higher μ to lower μ .

modify thermodynamic identity 25 (N,V,N) = (35) 24 + (35) 2V Tds = du + pdv - mdN du = TdS-pdV + ndN F conedat 5, V du = mdN $\mu = \left(\frac{\partial U}{\partial N}\right)_{S,N}$ to add/remon a particle t keep entropy constant (henally remove energy)
so p is hegative