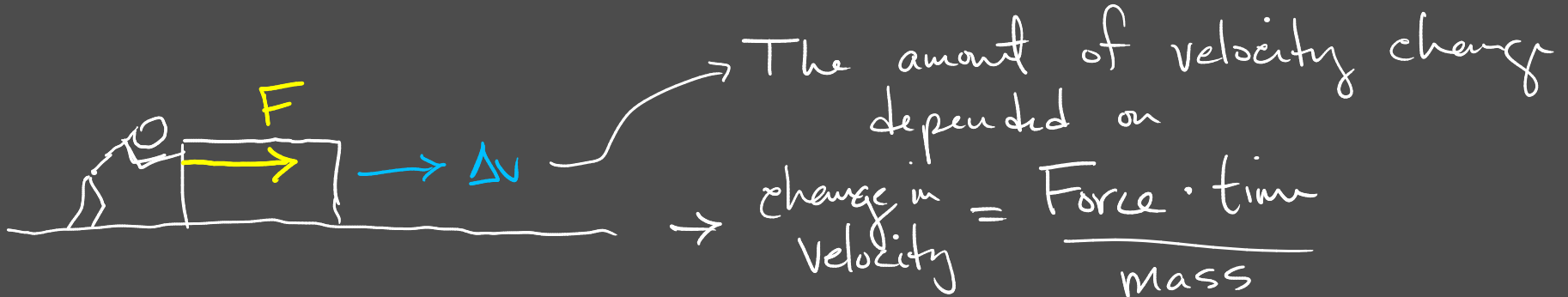


Forces - the cause of change in motion

- push or pull
- attempt to change velocity
- multiple forces combine and act at the same time on an object



$$\rightarrow (m) \Delta v = \frac{F \cdot \Delta t}{m} (m)$$

$$\frac{m \cdot \Delta v}{\Delta t} = \frac{F \cdot \Delta t}{\Delta t} \quad \leftarrow \text{come back in Ch. 7}$$

$$F = \frac{m \cdot \Delta v}{\Delta t}$$

$$F_{\text{NET}} = m \cdot a$$

Force = mass · acceleration

Contact Forces

- * push/pull
- * tension - force on an object through a rope/wire/chain
- * normal force - force due to contact with a surface. Always directed perpendicularly to the surface
- * friction - force between surfaces directed parallel to the surface
- * spring force - force is proportional to amount of stretch/compression

Non-contact forces

Fundamental Forces:

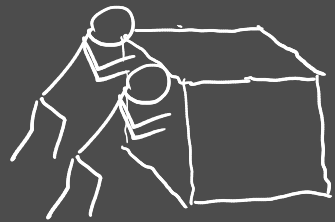
- long-range
- * gravitational force - force between any objects that have the property of mass
 - * electromagnetic force - force between any objects that have the property of charge
 - * weak force
 - * strong force
- } very short range

weight

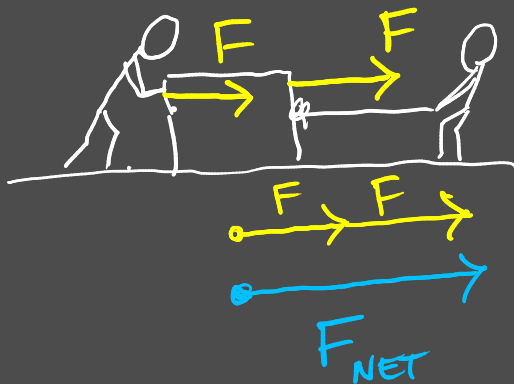
$$F_g = \text{weight} = \frac{\text{mass}}{[\text{kg}]} \times \underbrace{9.8 \text{ m/s}^2}_{g}$$

on earth
↓

What about multiple forces?

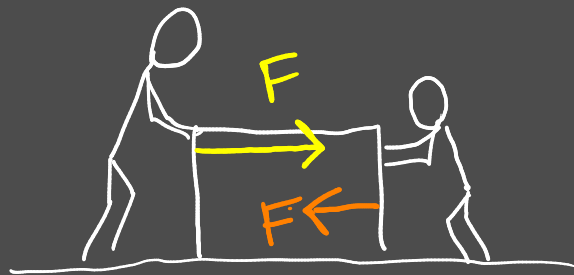


} 2 standard push
work together
to double the
force.



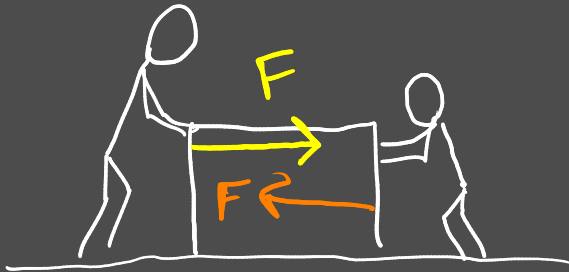
} 2 push act together
in way that is
indistinguishable from
a single net force

→ effective force



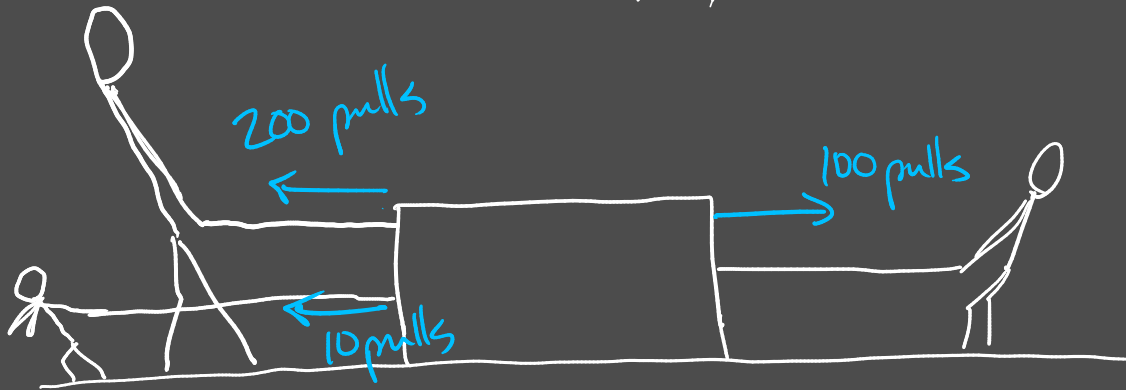
} forces in opposing directions
work to diminish the
net force

Adding forces up to find the
net force.



$$F_{NET} = 0$$

.....> +x



$$F_{NET} = +100 + (-200) + (-10)$$

$$F_{NET} = -110 \text{ pulls}$$

Newton's Laws

Newton's 1st Law - what happens when no net force acts

- * if the object is not moving, it continues to not move
- * if the object is moving, it continues to move in the same direction at the same speed (constant velocity)

if $a=0$
then no net force

$$\underline{F_{NET} = m \cdot a}$$

Newton's 2nd Law - law of motion

- * net force causes acceleration
- * net force = mass * acceleration

Newton's 3rd - law of interaction

- * forces always occur in pairs
- * every action has an equal and opposite reaction

← Careful



LAB | Measuring forces - we want to reliably measure a push/pull

↳ units 1 standard push = 1 ~~Remington~~
= 1 Newton

$$F_{\text{NET}} = m \cdot a$$

$$[\text{kg}] \left[\frac{\text{m}}{\text{s}^2} \right] = 1 \frac{\text{kg} \cdot \text{m}}{\text{s}^2} = 1 \text{ Newton}$$

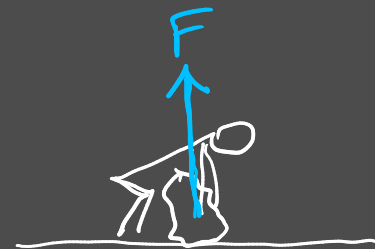
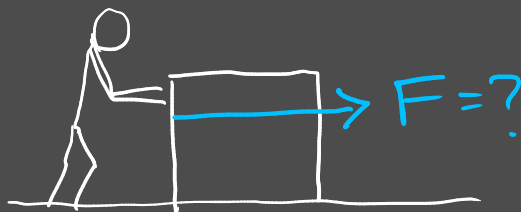
→ 1st way - measure the force's effect

$$m, \Delta v, t \rightarrow \underline{\underline{F_{\text{NET}}}}$$

→ 2nd way - compare all push/pulls to force of gravity

$$F_g = m \cdot 9.8 \frac{\text{m}}{\text{s}^2}$$

- consistent amounts of mass cause consistent force

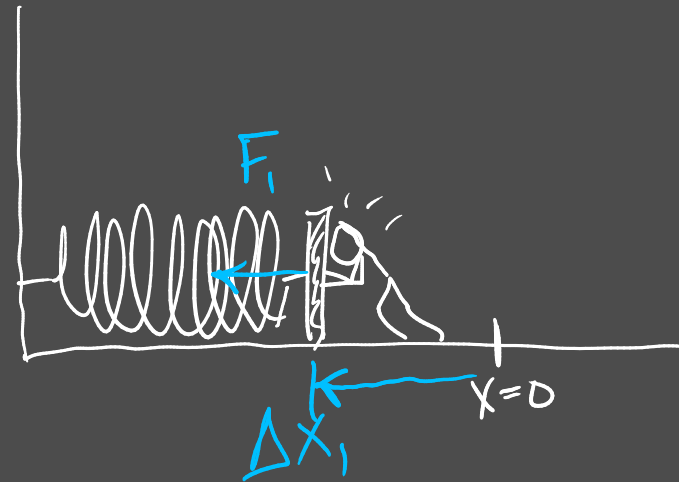
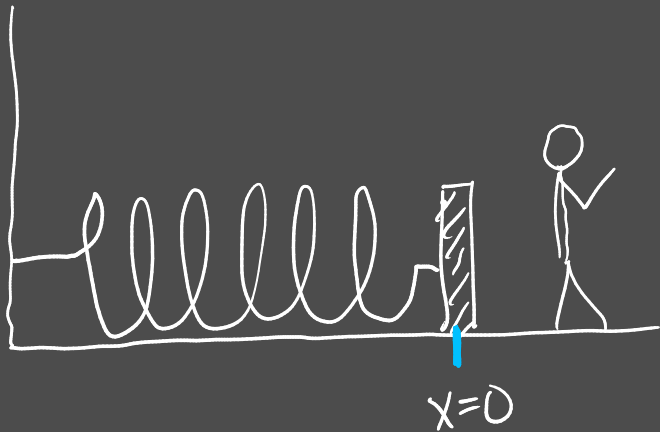


→ 3rd way → use a spring!

- portable

- reliable

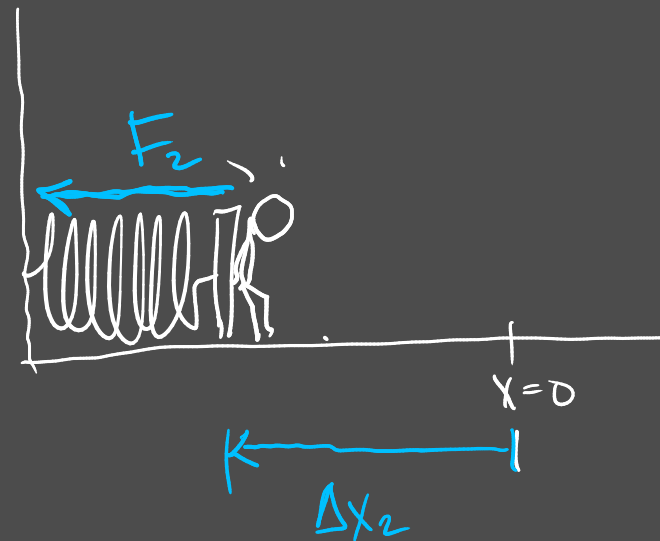
- need to calibrate



$$\frac{F_1}{\Delta x_1} = \frac{F_2}{\Delta x_2} = k$$

↙ spring constant

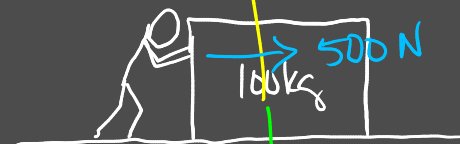
↘ measure of stiffness



Examples:

Newton's 2nd $\rightarrow F_{\text{NET}} = ma$

normal = +980N
force



$$\begin{aligned} F_g &= mg \\ F_g &= 100\text{kg} \cdot 9.8\text{m/s}^2 \\ F_g &= 980\text{N} \\ F_g &= -980\text{N} \end{aligned}$$

$\rightarrow +x$

$\rightarrow 500\text{N}$



$\leftarrow \text{friction} = 100\text{N}$

$$\rightarrow a = \frac{F}{m}$$

$$a = \frac{500\text{N}}{100\text{kg}}$$

$$a = 5\text{m/s}^2$$

$$\begin{aligned} F_{\text{NET}} &= +500\text{N} + (-100\text{N}) \\ &= +400\text{N} \end{aligned}$$

$$F_{\text{NET}} = ma$$

$$400\text{N} = 100\text{kg} \cdot a$$

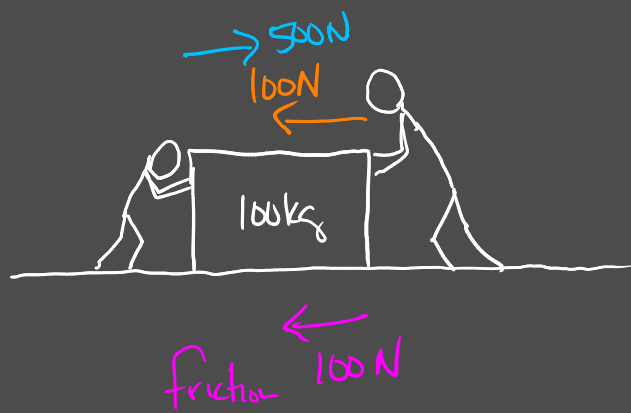
$$\downarrow$$

$$a = 4\text{m/s}^2$$

$\boxed{F_{\text{NET}}}$ \rightarrow sum of the individual forces

\rightarrow separate net force for vertical and horizontal motion

\rightarrow we observe no vertical motion, so Newton's 1st tells us the F_{NET} in that direction is zero



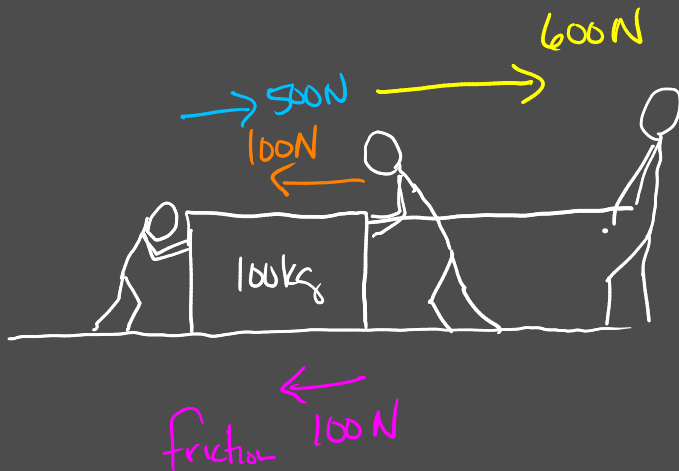
$$F_{NET} = +500N + (-100N) + (-100N)$$

$$= 300N$$

$$F_{NET} = m \cdot a$$

$$300N = 100kg \cdot a$$

$$a = 3m/s$$

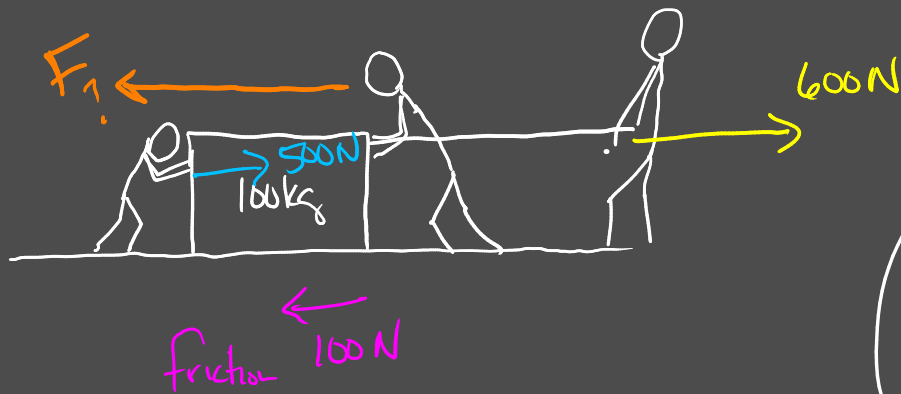


$$F_{NET} = 500N - 100N - 100 + 600N$$

$$= 900N$$

$$900N = 100kg \cdot a$$

$$a = 9m/s^2$$



$$F_{\text{NET}} = 0 = 500\text{N} - 100\text{N} + 600\text{N} + F_?$$

$$0 = 1000\text{N} + F_?$$

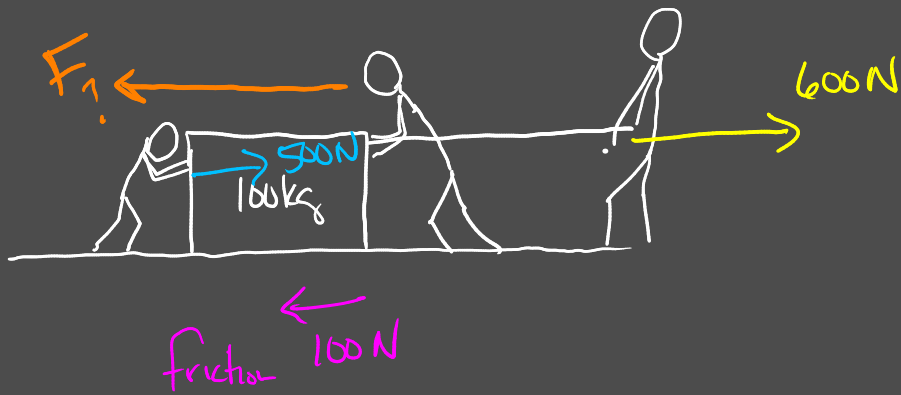
$$\boxed{-1000\text{N} = F_?}$$

$$\rightarrow F_{\text{NET}} = 0, a \stackrel{!}{=} 0$$

Can the object be in motion? YES!
it can have a constant velocity

Can the object be at rest? YES!
(motionless)

Only is still a constant velocity



$$a = 7 \text{ m/s}^2$$

$$F_{\text{NET}} = m \cdot a$$

$$F_{\text{NET}} = 100 \text{ kg} \cdot 7 \text{ m/s}^2$$

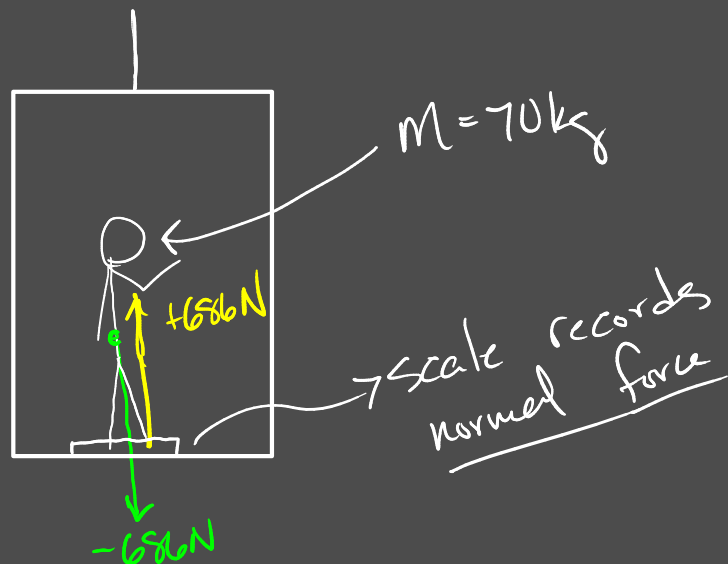
$$\Rightarrow F_{\text{NET}} = 700 \text{ N}$$

$$700 \text{ N} = \underbrace{500 \text{ N} + 600 \text{ N} - 100 \text{ N}}_{1000 \text{ N}} + F_2$$

$$700 \text{ N} = 1000 \text{ N} + F_2$$

$$-300 \text{ N} = F_2$$

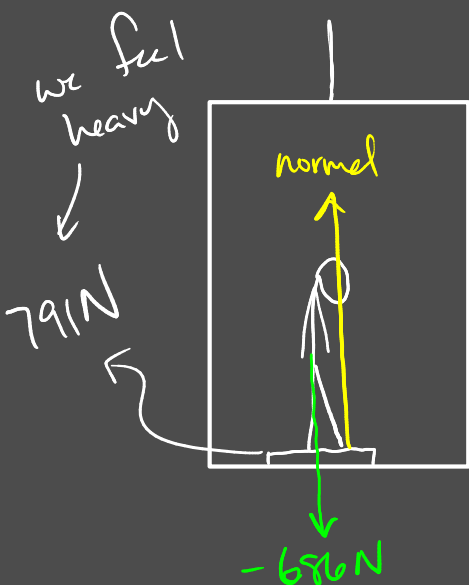
Vertical Forces/Motion:



#1 | elevator is motionless
 weight: $-686\text{ N} = m \cdot g = 70\text{ kg} \cdot 9.8\text{ m/s}^2$
 normal: 686 N ← b/c elevator is not moving

#2 | elevator is going up at constant speed:
 weight: -686 N
 normal: 686 N

#3 | elevator is accelerating upward $+1.5\text{ m/s}^2$
 weight: -686 N
 normal:



$$F_{\text{NET}} = 70\text{ kg} \cdot 1.5\text{ m/s}^2$$

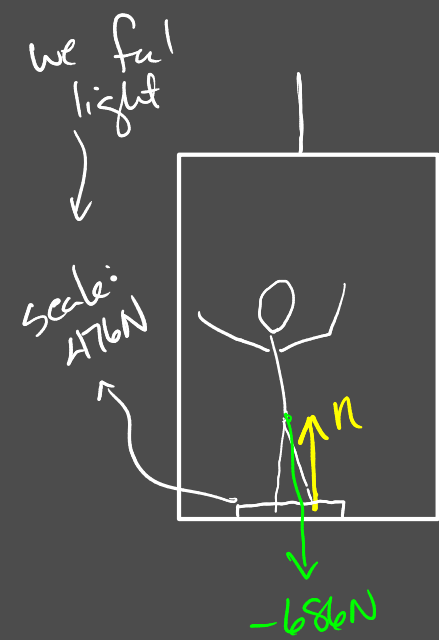
$$F_{\text{NET}} = 105\text{ N}$$

$$\text{normal} + \text{weight} = F_{\text{NET}}$$

$$\text{normal} + (-686\text{ N}) = 105\text{ N}$$

$$n = 105\text{ N} + 686\text{ N}$$

$$\boxed{n = 791\text{ N}}$$



$$F_{\text{NET}} = 70\text{kg} \cdot (-3\text{m/s}^2)$$

$$F_{\text{NET}} = -210\text{N}$$

$$-210\text{N} = \text{normal} + \text{weight}$$

$$-210\text{N} = n + (-686\text{N})$$

+686 +686

$$n = +476\text{N}$$

#4] acceleration is downward
 -3m/s^2 .

weight: -686N

normal: $+476\text{N}$