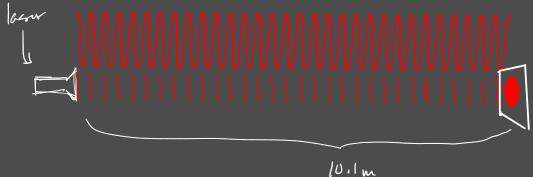
Diffraction and Interference - Chapter 25

Coherent light - single wavelength

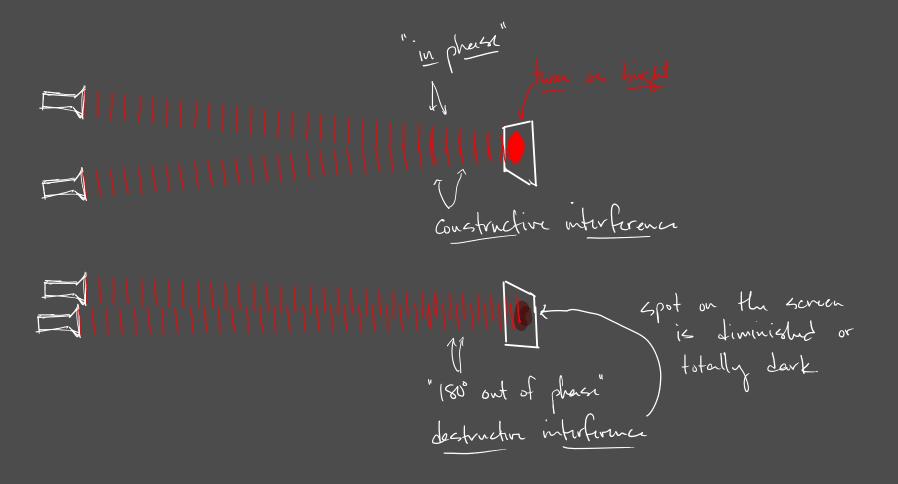
- every part of the

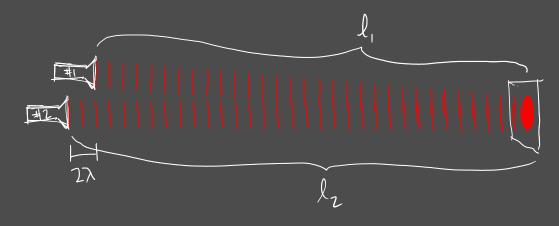
beam is "in phase"

or lined up with itself

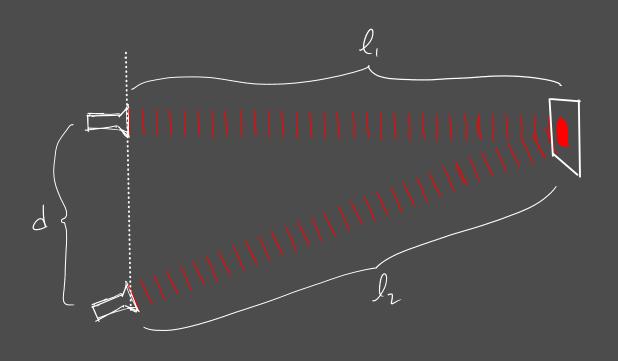


$$\lambda = 0.33 \, \text{m}$$
 How many λ'_s fit both the lawer of the seven?
 $\frac{\text{total distance}}{\text{a wavelength}} = \# \text{ of wavelengths} = \frac{10.1 \, \text{m}}{0.33 \, \text{m}} = \frac{30.6}{20.6} \approx 31 \, \text{m} = \frac{30.6}{20.33 \, \text{m}} = \frac{30.6}$

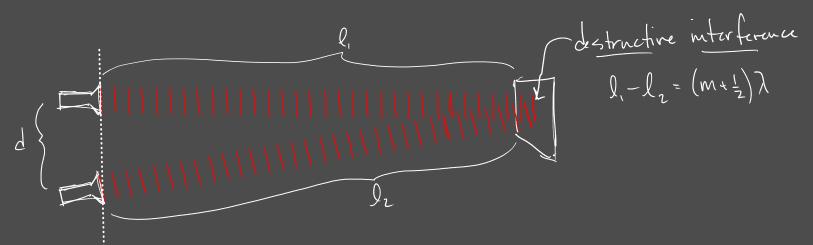


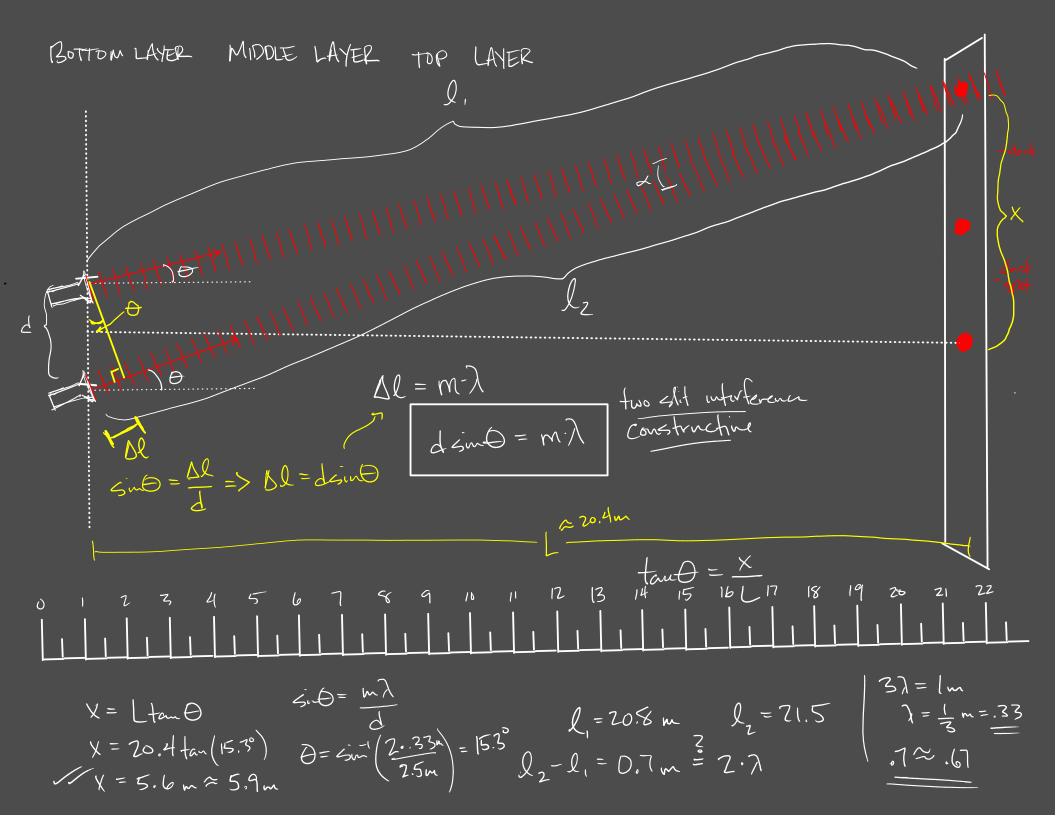


Construction interference $\Delta l = l_2 - l_1 = m \cdot \lambda$ M = 0, 1, 2, 3, ... destructive interference $\Delta l = l_2 - l_1 = (m + \frac{1}{2}) \cdot \lambda$ M = 0, 1, 2, 3 ...



l2-l, = m.)

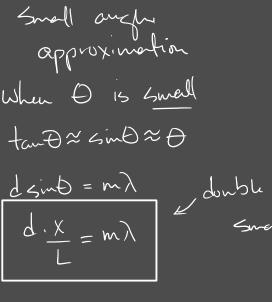


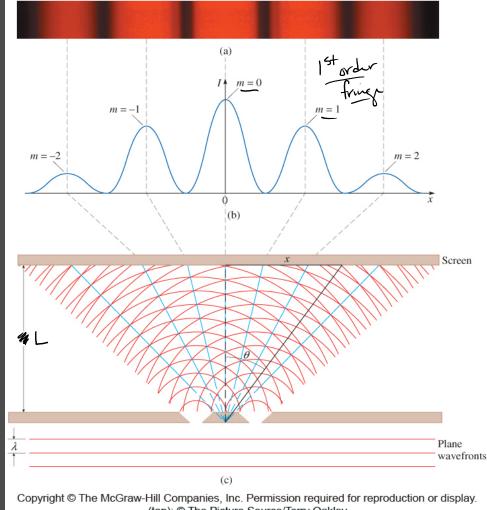


Comble dit

Constructive interference

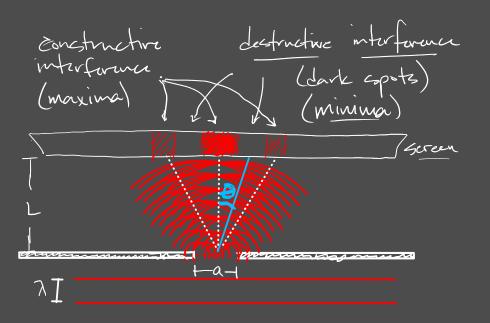
() Sint = m) tant = X Small augh approximation When O is small

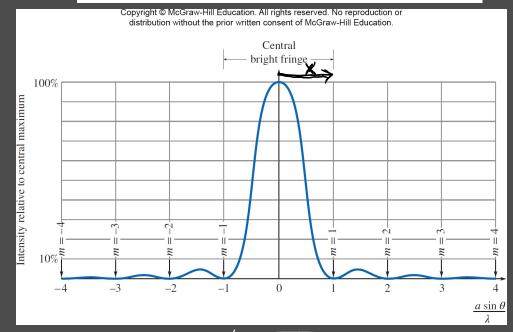




(top): © The Picture Source/Terry Oakley

 $\frac{d \cdot x}{d \cdot x} = m\lambda$ double slit constructive interference $\frac{d \cdot x}{d \cdot x} = m\lambda$ small angle approximation





locations of the minima:

a. sin $\Theta = m \wedge$ fringe from the center

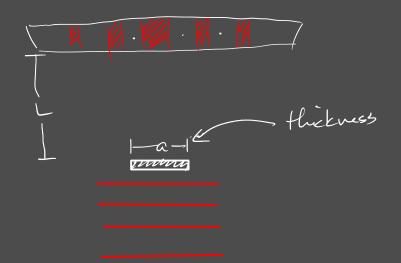
2 stit width

This pattern also vacalts from a small obstruction to the light beam

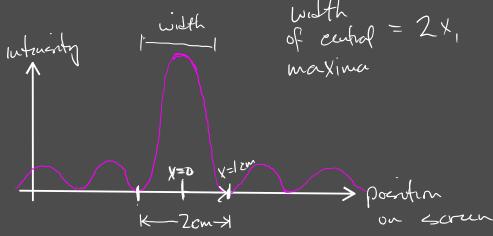
Smell augh approximation $SmeD = \frac{x}{1}$ a

 $\frac{\partial}{\partial x} = m\lambda$

Sit $\sqrt{2+L^2}$ minima $\sqrt{2+L^2}$ approximation $\sqrt{2+L^2}$ approximation $\sqrt{2+L^2}$ approximation $\sqrt{2+L^2}$ approximation $\sqrt{2+L^2}$ approximation $\sqrt{2+L^2}$



The diffraction pattern from a single slit is viewed on a distant screen. Using violet light, the width of the central maximum is 2.0 cm. (a) Would the central maximum be narrower or wider if red light is used instead? (b) If the violet light has wavelength 0.43 μ m and the red light has wavelength 0.70 μ m, what is the width of the central maximum when red light is used?



$$\frac{ax}{L} = m\lambda$$

$$x = m\lambda \cdot L$$

$$y = m\lambda \cdot L$$

$$z = m\lambda \cdot L$$

path length difference dætruction interference $\rightarrow (M+\frac{1}{2})\lambda$ optical path longth > n.l Δ path longth = $n\left(\frac{2t}{\cos \theta_t}\right) - n(AD)$ $N_{\mathcal{D}}$ AD = ACSINDi = cos Ot Sudi = NE Sud path = $\frac{t}{\cos \theta_t}$ AD= ACNG SLD+ AC=2t.tanOt AD = Mf Zt Subt tandt A)= No 2t. 5m2 De N = Zut -A/Nf 2+5=206,

-> N = Znt cosOt $\frac{1}{\sqrt{p}} + \sqrt{\frac{e}{\sqrt{m+\frac{1}{2}}}}$ destr. No < Nf phase shift from reflection external reflection N_0 $\frac{\lambda}{2}$ chift TT -> phase shift (relatue) from internal and external reflections infirmal reflection No Conf No Conf No Colors extrangles 7 2 coluft

BUT WAIT! from reflection higher index to a lower index material

 $\leq m \left(k \left(x - vt \right) + \phi_{R} \right)$

Sin (KX-wt + De)

Φ_e = π)

 $Sin(kx-wt+\pi)$ $\frac{k}{K} \leftarrow 2\pi$ $Sin(kx-wt+k\pi)$ $Sin(kx-wt+k\pi)$ Sin(k(x+2)-wt)

Me extract refl

No shift

No shift

No shift