

Thermo Intro

temperature

Fahrenheit

Celsius

Rankine

Kelvin

Room temp 20°C ($\sim 70^{\circ}\text{F}$)

↓

293K

$$\Delta F = \frac{9}{5} \Delta C$$

$$T_F = \frac{9}{5} T_C + 32$$

$$T_K = T_C + 273.15$$

Number, moles, molar mass, density

1 mole of things = $6.022 \cdot 10^{23}$ things
particle
atom
molecule

$N \rightarrow$ number of particles

$n \rightarrow$ number of moles

$\overset{12}{\curvearrowright} \rightarrow 12$ protons and neutrons
 $\hookrightarrow 6$ protons

1 mole is a gram
of protons and neutrons

Ex. mass of one proton?

mass of one proton \times number of proton = mass
of collection

$M \rightarrow$ total mass of
a collection

$m \rightarrow$ mass of one
particle

$$m \times N = M$$

$$m = \frac{M}{N} = \frac{1 \text{ gram}}{N_A} \rightarrow \text{Avogadro's number } 6.022 \cdot 10^{23}$$

$$m = 1.7 \cdot 10^{-24} \text{ grams} \\ = 1.7 \cdot 10^{-27} \text{ kg}$$

What about N_2 ?

$$1 \text{ mole of } N_2 = 2 \cdot \left(14 \frac{\text{g}}{\text{mol}}\right) = 28 \text{ g}$$

Dry air?

78% N_2 , 21% O_2 , 1% Ar

$$0.78 \cdot (28 \text{ g/mol}) + 0.21 (32 \text{ g/mol}) + 0.01 (40 \text{ g/mol}) = 29 \text{ g/mol}$$

Ideal Gas Law \rightarrow an equation of state

- experimental law

\rightarrow state variables

number of particles
(microscopic)

$PV = Nk_B T$

\rightarrow Boltzmann's constant

$k_B = 1.38 \cdot 10^{-23} \text{ J/K}$

$P = \frac{F}{\text{Area}}$ $[Pa] = \left[\frac{N}{m^2}\right]$ $[m^3]$ \rightarrow Temperature $[K]$

Alternative form $\rightarrow PV = nRT$ (macroscopic)

\rightarrow universal gas constant

$$N k_B = n \cdot R$$

$$\uparrow N = n \cdot N_A \leftarrow \text{definition of moles}$$

$$n \cdot N_A \cdot k_B = n \cdot R$$

$$N_A \cdot k_B = R = 6.022 \cdot 10^{23} \frac{\text{part}}{\text{mol}} \cdot 1.38 \cdot 10^{-23} \frac{\text{J}}{\text{K}}$$

$$R = 8.31 \frac{\text{J}}{\text{K} \cdot \text{mol}}$$

Volume of 1 mole of air at room temp and atmospheric pressure

$\hookrightarrow 293\text{K}$ or 300K

$\hookrightarrow 1 \text{ atm} = 1.013 \cdot 10^5 \text{ Pa}$

$$V = \frac{nRT}{P} = \frac{1 \text{ mol} \cdot 8.31 \text{ J/Kmol} \cdot 300\text{K}}{10^5 \text{ Pa}} = 0.024 \text{ m}^3$$

$$\begin{aligned} V_{\text{cube}} &= s^3 \\ \sqrt[3]{0.024 \text{ m}^3} &= s = 0.288 \text{ m} \\ &\sim 30 \text{ cm} \end{aligned}$$

Laws of Thermodynamics

0. Thermometers work

1. Conservation of Energy

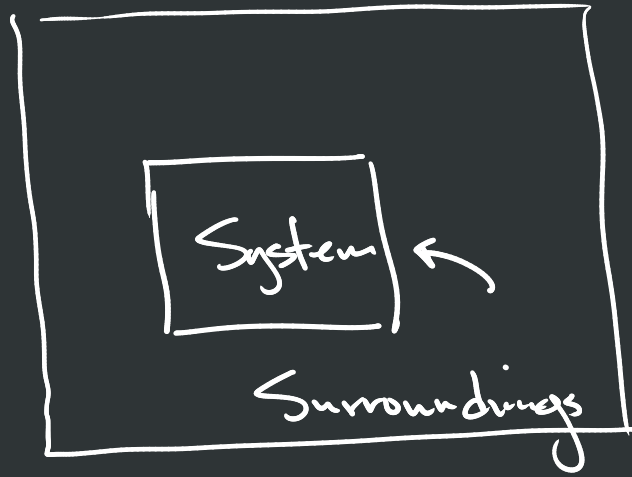
2. Heat flows from high temp to low temp

Entropy is maximized

No perpetuated motion machine

3. You can't reach absolute zero

1st Law \rightarrow Conservation of Energy



Energy of a system can change

Work + Heat

\downarrow
Force applied
over distance

\downarrow
Spontaneous flow
of energy due
to a difference
in temperature

$$dU = Q + W$$

$$\rightarrow dU = \delta Q + \delta W$$

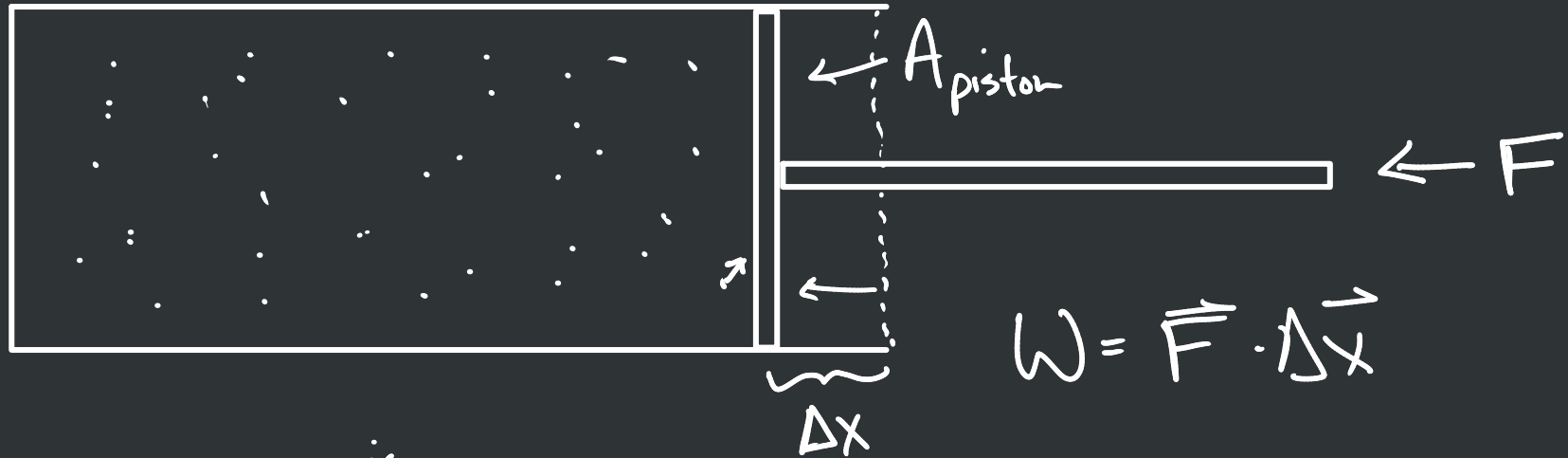
\uparrow inexact differential

$$dU = \delta Q + \delta W$$

\hookrightarrow internal energy of the system, heat is added
or work is done to the system they are positive

~~$$dQ = Q(x+dx) - Q(x)$$~~

Compression Work (or Expansion)



$$W = \vec{F} \cdot \Delta \vec{x}$$

$$P_{\text{gas}} = \frac{F_{\text{gas}}}{A_{\text{piston}}}$$

$$W = P_{\text{gas}} \cdot \underbrace{A_{\text{piston}} \cdot \Delta x}_{\Delta V}$$

↓

$$W = -P \Delta V$$

ΔV is (-) in compression but energy is increasing

assuming pressure is uniform throughout the chamber

compression (expansion) must happen quasistatically

$$dU = \delta Q + \delta W$$

$$\delta W = -P dV$$

$$W = \int -P dV$$

