

Vowel harmony with QFLFP

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Phonology Seminar Sp19

5/1/2019

- Vowel harmony transformations with neutral vowels utilize:
 - ▶ unbounded spreading
 - ▶ blocking
 - ▶ transparency

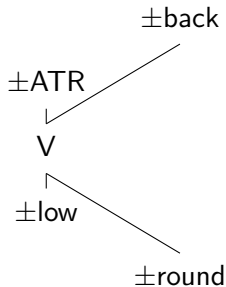
- Vowel harmony patterns with neutral vowels utilize:
 - ▶ unbounded spreading
 - ▶ blocking
 - ▶ transparent vowels
- Unbounded spreading and blocking are QFLFP definable over multi-tiered autosegmental representations
 - ▶ when association is a total function

Introduction

- Vowel harmony patterns with neutral vowels utilize:
 - ▶ unbounded spreading
 - ▶ blocking
 - ▶ transparent vowels
- Unbounded spreading and blocking are QFLFP definable over multi-tiered autosegmental representations
 - ▶ when association is a total function
- Harmony across transparent vowels may not be

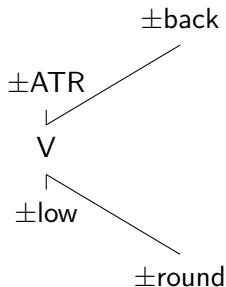
Multi-tiered ARs

Bottle brush representation

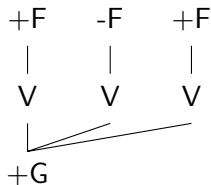


Multi-tiered ARs

Bottle brush representation

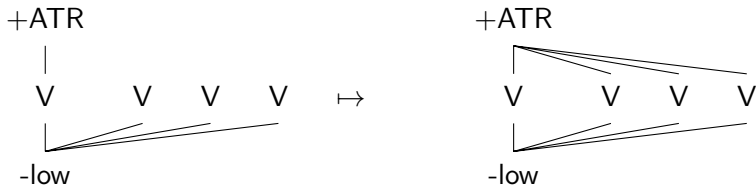


Obey OCP, NCC



Unbounded Spreading

An Akan-like pattern demonstrates unbounded spreading of ATR when all vowels are [-low]



Defining Multi-tiered ARs with QFLFP

Like strings, ARs can be defined with QFLFP

- Assume all features are present underlyingly
- Signature: $\langle D; p, \mathcal{A}, P_V, P_{+ATR}, P_{-low} \rangle$
- First, define the unary relations of each element in the output structure in terms of the input structure
 - ▶ $P'_V(x) \stackrel{\text{def}}{=} P_V(x)$
 - ▶ $P'_{+ATR}(x) \stackrel{\text{def}}{=} P_{+ATR}(x)$
 - ▶ $P'_{-low}(x) \stackrel{\text{def}}{=} P_{-low}(x)$

Defining the Association Relation

- Chandlee & Jardine (2019) introduce the binary association relation, which I define between each feature tier and the vowel tier

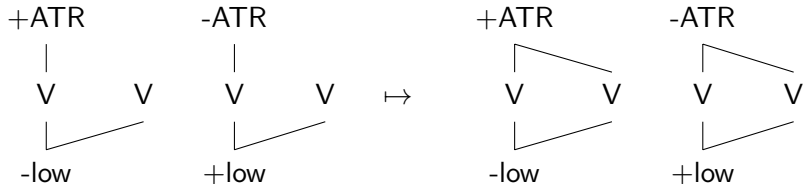
- ▶ $\mathcal{A}'_{ATR}(x, y) \stackrel{\text{def}}{=} [\text{If } p \mathcal{A}_{ATR}(x, y) \vee R(x', p(y'))](x, y)$

- ▶ $\mathcal{A}'_{low}(x, y) \stackrel{\text{def}}{=} \mathcal{A}_{low}(x, y)$

- ★ x evaluated as a feature and y as a vowel

Blocking

In the same Akan-like pattern, a [+low] vowel blocks the spread of ATR

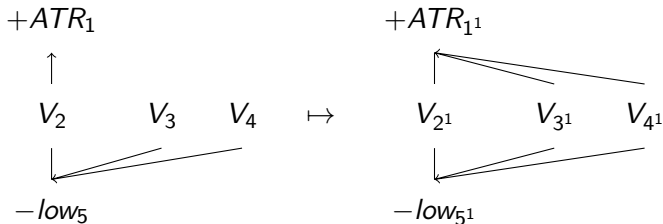


Defining Blocking

- Again, each element in the output is also present in the input
 - ▶ $P'_V(x) \stackrel{\text{def}}{=} P_V(x)$
 - ▶ $P'_{+ATR}(x) \stackrel{\text{def}}{=} P_{+ATR}(x) \quad P'_{-ATR}(x) \stackrel{\text{def}}{=} P_{-ATR}(x)$
 - ▶ $P'_{+low}(x) \stackrel{\text{def}}{=} P_{+low}(x) \quad P'_{-low}(x) \stackrel{\text{def}}{=} P_{-low}(x)$
- Blocking cannot be defined using the binary association relation
 - ▶ $\mathcal{A}'_{ATR}(x, y) \stackrel{\text{def}}{=} [Ifp \mathcal{A}_{ATR}(x, y) \vee (R(x', p(y')) \wedge \dots)](x, y)$
 - ▶ $\mathcal{A}'_{low}(x, y) \stackrel{\text{def}}{=} [Ifp \mathcal{A}_{low}(x, y) \vee (R(x', p(y')) \wedge \dots)](x, y)$
- Must introduce a new variable, which requires a quantifier, or
- refer to unassociated input vowels

Association Function

- Vowels cannot be associated to multiple feature values on the same tier
- Unidirectional association function
 - ▶ from vowel(s) to a feature: x evaluated as a vowel, y as a feature

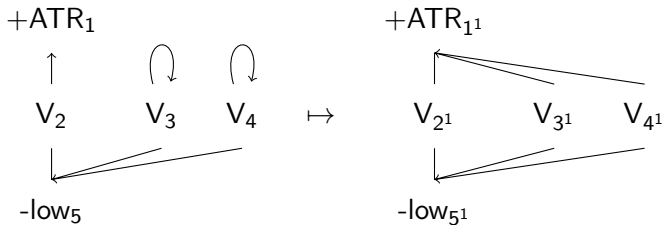


- $\alpha'_{ATR}(x) \approx y \stackrel{\text{def}}{=} [If p \alpha_{ATR}(x) \approx y \vee R(p(x'), y')](x, y)$
- $\alpha'_{low}(x) \approx y \stackrel{\text{def}}{=} [If p \alpha_{low}(x) \approx y \vee R(p(x'), y')](x, y)$

Total Function

- “unassociated” input vowels associate to themselves

► $\text{unspec}_{ATR}(x) \stackrel{\text{def}}{=} \alpha_{ATR}(x) \approx x$



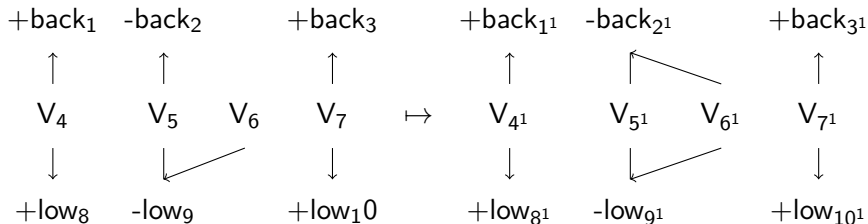
Blocking with association function

$\langle D; p, \alpha_{ATR}, \alpha_{low}, P_V, P_{+ATR}, P_{-ATR}, P_{+low}, P_{-low} \rangle$

- $P'_V(x) \stackrel{\text{def}}{=} P'_V(x)$
- $P'_{+ATR}(x) \stackrel{\text{def}}{=} P'_{+ATR}(x) \quad P'_{-ATR}(x) \stackrel{\text{def}}{=} P'_{-ATR}(x)$
- $P'_{+low}(x) \stackrel{\text{def}}{=} P'_{+low}(x) \quad P'_{-low}(x) \stackrel{\text{def}}{=} P'_{-low}(x)$
- $\alpha'_{ATR}(x) \approx y \stackrel{\text{def}}{=} [lfp(\alpha_{ATR}(x) \approx y \wedge \neg x \approx y) \vee (R(p(x'), y') \wedge unspec_{ATR}(x))](x, y)$
- $\alpha'_{low}(x) \approx y \stackrel{\text{def}}{=} \alpha_{low}(x) \approx y \wedge \neg x \approx y$

Transparency

Can the association function and QFLFP also be used to describe harmony across transparent vowels?



- If all features are present underlyingly, works same as blocking?

Thank you!

References

- Chandlee, J. & Jardine, A. (2019). Autosegmental input strictly local functions
- Clements, G. (1976). Vowel harmony in non-linear generative phonology: An autosegmental model. Bloomington, Indiana University Linguistics Club
- Goldsmith, J. (1976). Autosegmental phonology (PhD thesis). Massachusetts Institute of Technology