```
1 %% Symbolic variables
 2 % Generalized coordinates
 3 syms x real;
 4 syms thetal real;
 5 syms theta2 real;
 7 % Time derivative of generalized coords
8 syms dx real;
9 syms dthetal real;
10 syms dtheta2 real;
12 q = [x; theta1; theta2]; % generalized coords. vector
13 dq = [dx; dtheta1; dtheta2];
15 % Parameters
16 syms m real;
17 syms M real;
18 syms L real;
19
20 % Constants
21 g = 9.81; % acceleration due to gravity
22
23 % Position of masses M
24 p0 = [x; 0];
25 p1 = p0 + [L*sin(theta1); -L*cos(theta1)];
26 p2 = p1 + [L*sin(theta2); -L*cos(theta2)];
27
28 % Time derivaitve of position of masses M \,
29 dp1 = jacobian(p1, q) * dq;
30 dp2 = jacobian(p2, q) * dq;
31
32
33 %% Lagrange
34 % Kinetic energy
35 T = 1/2 * m * dx^2 + 1/2 * M * (dp1') * dp1 + 1/2 * M * (dp2') * dp2;
36 T = simplify(T);
37
38 % Potential energy
39 V = M * g * p1(2) + M * g * p2(2);
40 V = simplify(V);
41
42 % External force
43 F = -10*x - dx;
44 Q = [F; 0; 0];
45
46 % Lagrange function
47 L = T - V;
48
49
50 % Lagrange equation (see (2) in task text)
51 W hessian = hessian(L, dq);
52 other vector = Q + jacobian(L,q)' - jacobian(W hessian * dq, q) * dq;
53
54
55 %% Export function
56 state = [x; theta1; theta2; dx; dtheta1; dtheta2];
57 \text{ params} = \{L, M, m\};
58
```