```
1 % Copied and modified code from ballode.m from Matlab.
 2
 3 % model parameters
 4 m = 1; % mass
 5 c = 0.01; % friction coefficient
 6 g = 9.81; % acceleration of gravity
 7 BallDynamics = Q(t,y) vertcat(y(3:4),-[0;g] -c/m*norm(y(3:4),2)*y(3:4));
 9 tstart = 0;
10 tfinal = 20;
11 y0 = [0;10;0;0];
12 refine = 4;
13 options = odeset('Events', @events, 'OutputFcn', @odeplot, 'OutputSel', 2, ...
     'Refine', refine);
15
16 fig = figure;
17 ax = axes;
18 \text{ ax.XLim} = [0 \ 20];
19 ax.YLim = [0 11];
20 box on
21 hold on;
22
23 tout = tstart;
24 yout = y0.';
25 \text{ for } i = 1:10
      % Solve until the first terminal event.
27
      [t,y,te,ye,ie] = ode23(BallDynamics,[tstart tfinal],y0,options);
      fprintf('stopped at t = %G when y = %G and y dot = %G\n', t(end), y(end,2), y \checkmark
28
(end, 4));
     if ~ishold
29
         hold on
30
31
     end
32
     % Accumulate output. This could be passed out as output arguments.
33
     nt = length(t);
34
     tout = [tout; t(2:nt)];
35
     yout = [yout; y(2:nt,:)];
36
37
     ud = fig.UserData;
     if ud.stop
38
39
         break;
40
     end
41
42
     y0(1) = y(nt,1);
43
      y0(2) = y(nt, 2);
44
     y0(3) = y(nt,3);
45
     y0(4) = -1*y(nt, 4);
46
47
      % A good guess of a valid first timestep is the length of the last valid
48
      % timestep, so use it for faster computation. 'refine' is 4 by default.
49
      options = odeset(options, 'InitialStep', t(nt)-t(nt-refine),...
50
         'MaxStep', t(nt)-t(1));
51
52
      tstart = t(nt);
53 end
54
55 plot(teout, yeout(:,1), 'ro')
56 xlabel('time');
57 ylabel('height');
```