assignment12

April 22, 2021

0.1 Task 12.1

Load the data from 'Petroleum to phase dataset', a dataset collecting a set of field measurements and theoretical values about how oil may flow within pipes, depending on several geometrical and environmental values (e.g., inclination of the pipe, geometry of the pipe, temperature of the fluid, etc.).

The problem is actually a classification problem, where:

- the inputs are the geometrical and environmental values mentioned above
- the outputs are different flow regimes. The following acronyms indicate the various classes, that should be intended as "types of flow regimes":

```
    B = bubble,
    I = intermittent,
    C = churn,
    A = annular,
    DB = disperse bubble,
    M = mist,
```

SS = stratified smooth,SW = stratified wavy

As a task, execute the code below and familiarize with the results.

```
[1]: # import the normal stuff
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns

# import necessary stuff from sklearn
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import GridSearchCV
from sklearn.metrics import accuracy_score

# set the default parameters for the figures
plt.rcParams['figure.figsize'] = [10, 5]
plt.rcParams['font.size'] = 16
```

```
[2]: # read the part of the dataset that refers to the field measurements
    data = pd.read_csv('./Petroleum2PhaseData/Petroleum2PhaseData.csv', sep=';')
     # visualize the data, so to see if everything is where it should be
     structure of the table:
     - "Class_id" = "Class_name" = output class
      (note that these two fields are actually equivalent,
       with "Class_name" being one of the acronyms listed above)
     - all the other columns: the various geometrical and
      environmental values mentioned above = input features
    data.head()
[2]:
       Class_id Class_name
                                                    ID Roughness Ang Density_L \
                                 Vsl
                                           Vsg
    0
              2
                        SS 0.029427 0.087232 0.0258
                                                               0.0
                                                                           860.0
    1
              5
                                                               0.0
                                                                           860.0
                         I 0.057772 0.086743
                                               0.0258
    2
              5
                         I 0.119709 0.086256
                                               0.0258
                                                               0.0
                                                                           860.0
    3
              5
                         I 0.210969 0.084695
                                               0.0258
                                                               0.0
                                                                           860.0
```

```
4
         5
                   I 0.361904 0.085076 0.0258
                                                      0.0
                                                                 860.0
  Density_G Visc_L Visc_G
                              ST
                                      Ρ
0
      4.134
             0.007 0.00001 0.032
                                  350.0 22.0
1
      4.134
             0.007 0.00001 0.032
                                  350.0 22.0
2
      4.134
             0.007 0.00001 0.032
                                  350.0 22.0
3
      4.134
             0.007 0.00001 0.032
                                  350.0 22.0
      4.134
             0.007 0.00001 0.032 350.0 22.0
4
```

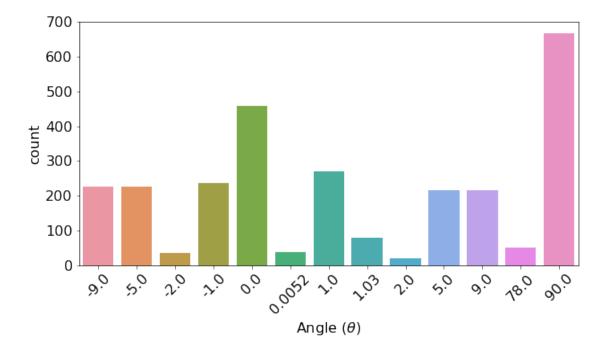
```
[15]: """
Checking the unbalancedness on the inputs

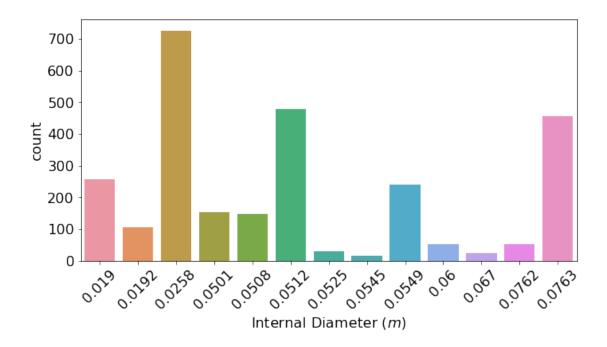
Note: one of the features, "Ang" (i.e., the inclination of the pipe in degrees), has the peculiarity of inducing a slightly unbalanced dataset, as shown in the first plot below.
The same for the internal diameter.

Something similar may be verified for the other variables, if wished
"""

# plot how many samples there exist for each value of the Ang variable plt.figure()
sns.countplot(x = 'Ang', data = data)
plt.xticks(rotation=45)
plt.xlabel(r'Angle ($\theta$)')
```

[15]: Text(0.5, 0, 'Internal Diameter (\$m\$)')





```
[8]:

"""

Checking the unbalancedness on the outputs

The dataset is such that some classes are much more represented than the other ones. This is an issue, as said in the course. For a nice recap of what problems one may encounter in this situation, see

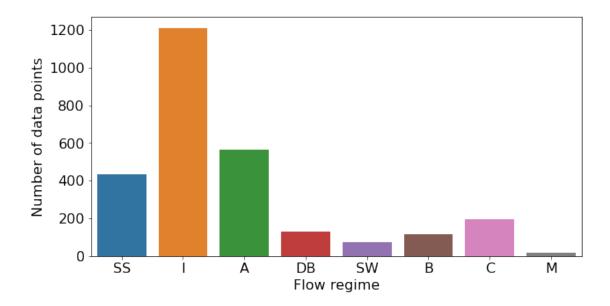
https://towardsdatascience.com/

handling-imbalanced-datasets-in-machine-learning-7a0e84220f28

"""

plt.figure()
sns.countplot(x = 'Class_name', data = data)
plt.xlabel("Flow regime")
plt.ylabel("Number of data points")
```

[8]: Text(0, 0.5, 'Number of data points')



0.2 Task 12.2

Comment what you expect this unbalancedness will cause when, later on, we will use some pre-made algorithms for classifying test data from this dataset.

Answer:

It will struggle to classify other classes than SS, I, A because there is so much more data for those classes compared to the others.

0.3 Task 12.3

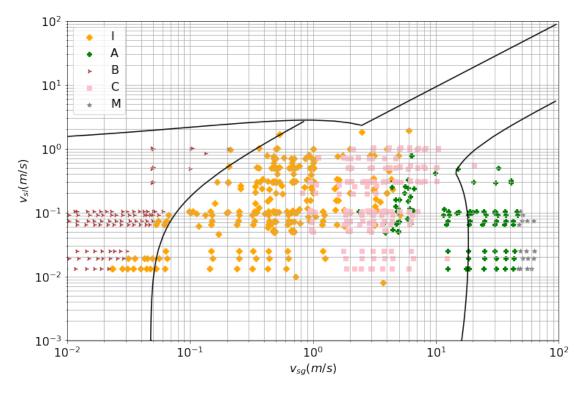
Load the part of data from the 'Petroleum to phase dataset' relative to the theoretical values about how oil may flow within pipes, depending on several geometrical and environmental values. This data corresponds to some boundaries on the inputs space that define opportune regions where the flows should nominally be of certain types. These boundaries will be then compared later on against the field measurements that we loaded above.

```
= pd.read_csv('./Petroleum2PhaseData/DecisionBoundaries/horizontal/
      ⇔wavy.txt',
                         sep='\t').values
      # load the theoretical data relative to vertically placed pipes
                 = pd.read_csv('./Petroleum2PhaseData/DecisionBoundaries/vertical/
     v annular
      →annular.txt',
                           sep='\t').values
     v_bf
                  = pd.read_csv('./Petroleum2PhaseData/DecisionBoundaries/vertical/

→bf.txt',
                           sep='\t').values
                 = pd.read_csv('./Petroleum2PhaseData/DecisionBoundaries/vertical/
     v db

db.txt',
                           sep='\t').values
[17]: # to compare the measured data against the theoretical
     # boundaries, select only the measurements relative to vertically placed pipes
     vertical = data['Ang'] > 89
     v_data = data[vertical]
     # actually through selecting only a subset of measurements
     # we do not get anymore all the classes represented
     print(v_data['Class_name'].unique())
     # for readability -- assign the various samples to individual variables
     I = v_data.loc[v_data['Class_name']=='I']
     A = v_data.loc[v_data['Class_name']=='A']
     B = v_data.loc[v_data['Class_name']=='B']
     C = v_data.loc[v_data['Class_name']=='C']
     M = v_data.loc[v_data['Class_name']=='M']
     ['I' 'A' 'B' 'C' 'M']
[18]: # initialize the plot
     f = plt.figure(figsize = (12, 8))
     # draw the theoretical boundaries with some black lines
     plt.plot(v_annular[:,0], v_annular[:,1], color='black')
                            v_bf[:,1], color='black')
     plt.plot(v_bf[:,0],
     plt.plot(v_db[:,0],
                             v_{db}[:,1],
                                             color='black')
     # draw what has been measured in the field
     i = plt.scatter(I ['Vsg'], I ['Vsl'], marker='D', color='orange')
     a = plt.scatter(A ['Vsg'], A ['Vsl'], marker='P', color='green')
     b = plt.scatter(B ['Vsg'], B ['Vsl'], marker='4', color='brown')
     c = plt.scatter(C ['Vsg'], C ['Vsl'], marker='s', color='pink' )
     m = plt.scatter(M ['Vsg'], M ['Vsl'], marker='*', color='grey' )
```

ancillary settings
plt.xscale('log')
plt.yscale('log')



0.4 Task 12.4

Comment the results visualized by the figure above, focusing on: - comparing the theoretical vs. the measured data, - using this comparison to motivate whether one should try to see whether instead of the theoretical boundaries one should use a data driven approach.

(Note that something similar would happen if you were plotting measured vs. theoretical for horizontally placed pipes.)

Answer:

We see that the theoretical lines does not divide the data perfectly, and there is especially some

room for improvement between the green and pink/yellow clusters (moving the line to 10¹). There is also perhaps possible to divide yellow and pink around 10⁰. The divide between yellow and red can also maybe be moved a little, but this causes smaller margins.

However, the theoretical lines has no distiction between yellow and pink, and also not green and gray. This could perhaps be improved using a data driven modelling.

On the other hand, there is a lot of overlap between some of the classes, and is is possible that a good divide is not possible to achieve. It is also possible that the imbalance will dominate some classes and make the data driven model worse.

Still, this only shows two dimensions, and if we were to include more measurement dimensions it's possible we could achieve a better separation.

0.5 Task 12.5

test set size

= 4392

from sklearn.metrics import confusion matrix

Run the code below, that loads the dataset in a way that is convenient for applying the classification algorithms in the sklearn package.

```
[19]: # for readability, give the classical names to the variables
     Y = data['Class_id'].values

→'ST']].values
     # scale also the X data, so to avoid scaling issues. See also
     # https://towardsai.net/p/data-science/
      \hookrightarrow how-when-and-why-should-you-normalize-standardize-rescale-your-data-3f083def38ff
     scaler = StandardScaler()
     X = scaler.fit transform(X)
     # divide also the dataset in training and test sets
     X train, \
     X test, \
     y_train, \
             = train_test_split(X, Y, test_size=0.2, random_state=1)
     y_test
     # DEBUG
     print("training set size = {}\ntest set size = {}\".format(X_train.size,__
      →X_test.size))
    training set size = 17536
```

```
[20]: """

Ancillary function that plots a confusion matrix in a nice way.

Normalization can be applied by setting `normalize=True`
"""
```

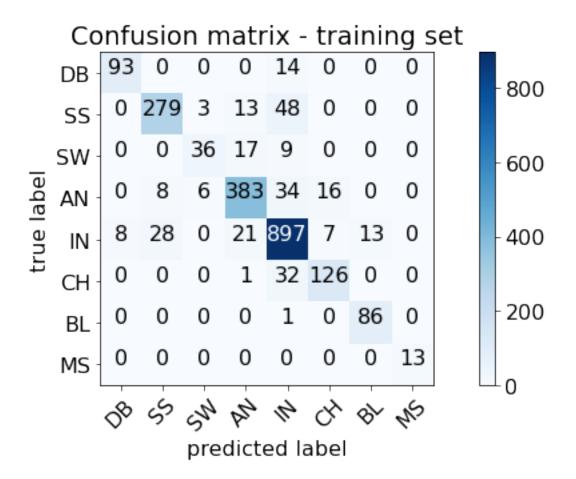
```
import itertools
def plot_confusion_matrix(cm,
                                    # the actual matrix
                          classes,
                          normalize = False,
                          title = 'Confusion matrix',
                                    = plt.cm.Blues ):
                          cmap
   if normalize:
        cm = cm.astype('float') / cm.sum(axis=1)[:, np.newaxis]
   plt.figure()
   plt.imshow(cm, interpolation='nearest', cmap=cmap)
   tick_marks = np.arange(len(classes))
   plt.xticks(tick_marks, classes, rotation=45)
   plt.yticks(tick_marks, classes)
   fmt = '.1f' if normalize else 'd'
   thresh = cm.max() / 2.
   for i, j in itertools.product(range(cm.shape[0]), range(cm.shape[1])):
       plt.text(j, i, format(cm[i, j], fmt),
                 horizontalalignment="center",
                 color = "white" if cm[i, j] > thresh else "black")
   plt.ylabel('true label')
   plt.xlabel('predicted label')
   plt.title(title)
   plt.colorbar()
   plt.tight_layout()
```

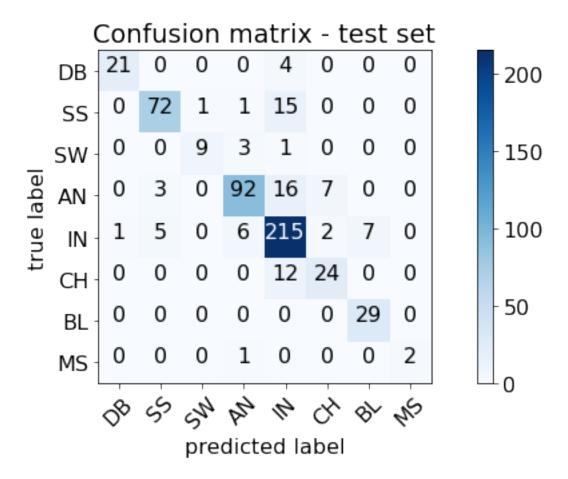
0.6 Task 12.6 - Logistic Regression

Complete the code below, that implements a logistic regression algorithm.

```
[60]: LogisticRegression(C=10000, max_iter=10000, multi_class='multinomial')
[61]: # compute the performance indexes on the training and test sets
      y_lr_predict_train = lr.predict(X_train)
      y_lr_predict_test = lr.predict(X_test)
      accuracy_LR_train = accuracy_score(y_train, y_lr_predict_train)
      accuracy_LR_test = accuracy_score(y_test, y_lr_predict_test)
      # DEBUG
      print("accuracy of logistic regression\n - on the training set: {}\n - on the⊔
      →test set: {}".format(accuracy_LR_train, accuracy_LR_test))
      # compute the confusion matrices on the training and test sets
      cm_train = confusion_matrix(y_train, y_lr_predict_train)
      cm_test = confusion_matrix(y_test, y_lr_predict_test)
      # for readability
      classes = ['DB', 'SS', 'SW', 'AN', 'IN', 'CH', 'BL', 'MS']
      # plot the confusion matrices
      plot_confusion_matrix(cm_train,
                           classes,
                           normalize = False, # try both "True" and "False"!
                           title ='Confusion matrix - training set')
      plot_confusion_matrix(cm_test,
                           classes,
                           normalize = False, # try both "True" and "False"!
                                    ='Confusion matrix - test set')
```

```
accuracy of logistic regression
  - on the training set: 0.8727189781021898
  - on the test set: 0.8451730418943534
```





0.7 Task 12.7

Comment the performance indexes and confusion matrices above, and state whether you think there may be overfitting / underfitting phenomena.

Answer:

The model has managed to generalize the data well. The test accuracy is smaller than the training accuracy which means that the model is overfitting slightly, but the discrepency is not too large so the overfitting is not too bad. The test and training accuracy went down with increased regularization which makes sense, however, no regularization gave best accuracies for both test and training.

0.8 Task 12.8 - Random Forests

Complete the code below, that implements a random forest classification algorithm.

```
[54]: # import the necessary packages
from sklearn.ensemble import RandomForestClassifier
```

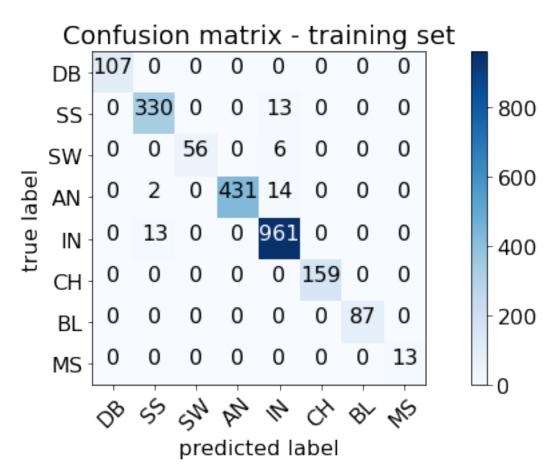
```
rfc = RandomForestClassifier()
      # setup the parameters for the grid-search
      grid_param = {
          'n_estimators': [100, 300, 500, 800, 1000],
          'criterion': ['gini', 'entropy'],
          'bootstrap': [True, False]
      }
      # construct an object that will take care of training
      # the classifier while exhaustively searching for the
      # best parameters values in a grid search fashion
      gd_rfc = GridSearchCV(estimator = rfc,
                           param_grid = grid_param,
                            scoring = 'accuracy',
                            cv
                                    = 5,
                           n_{jobs} = -1
      # launch the actual training & grid search
      gd_rfc.fit(X_train, y_train)
      # DEBUG
      print("Best parameters found by GridSearchCV:")
      print(gd_rfc.best_params_)
      print("Best performance index found by GridSearchCV:")
      print(gd_rfc.best_score_)
     Best parameters found by GridSearchCV:
     {'bootstrap': False, 'criterion': 'entropy', 'n_estimators': 800}
     Best performance index found by GridSearchCV:
     0.9174348092905212
[55]: # compute the performance indexes on the training and test sets
      y_rfc_predict_train = gd_rfc.predict(X_train)
      y_rfc_predict_test = gd_rfc.predict(X_test)
      accuracy_RFC_train = accuracy_score(y_train, y_rfc_predict_train)
      accuracy_RFC_test = accuracy_score(y_test, y_rfc_predict_test)
      # DEBUG
      print("accuracy of random forests:\n - on the training set: {}\n - on the test,
                {}".format(accuracy_RFC_train, accuracy_RFC_test))
      # compute the confusion matrices on the training and test sets
```

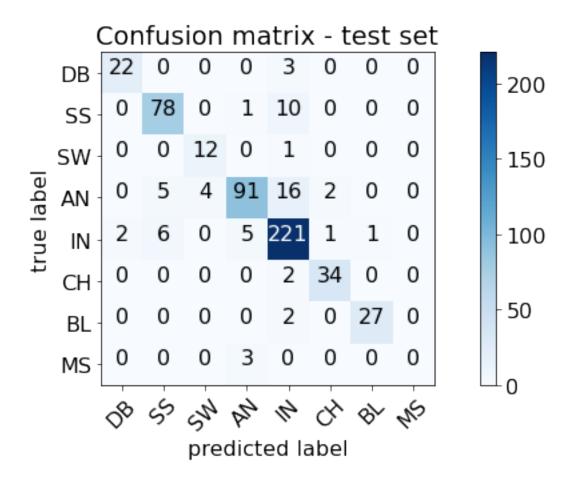
from sklearn.model_selection import GridSearchCV

allocate the object that will perform the classification

accuracy of random forests:

- on the training set: 0.9781021897810219 - on the test set: 0.8834244080145719





0.9 Task 12.9

As in Task 12.7, comment the performance indexes and confusion matrices above, and state whether you think there may be overfitting / underfitting phenomena. Compare moreover the various performance of the random forest again the logistic regressor, and draw your conclusions.

Answer:

We see a higher training accuracy than test accuracy which means the model has overfitted more than the Logistic Regression. Also, for example for MS, we now have none correct classifications and all 3 are incorrect for AN, whereas before it classified 2 correct and 1 as AN.

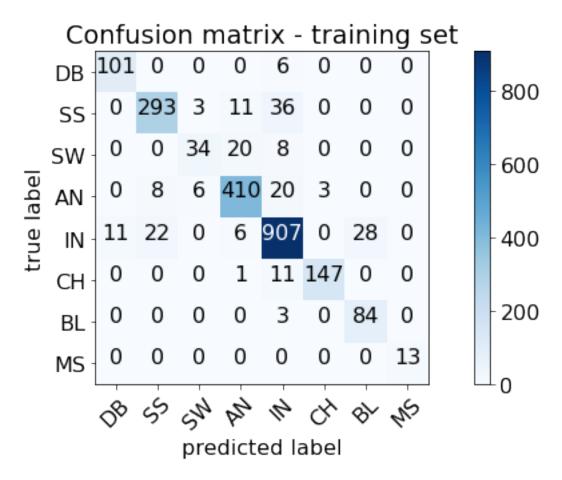
0.10 Task 12.10 - SVC

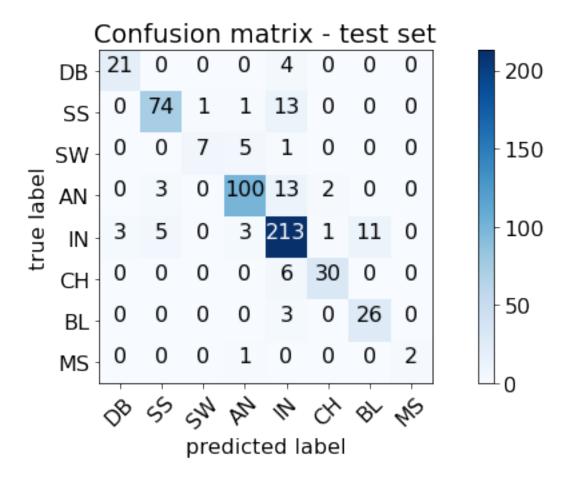
Complete the code below, that implements a support vector classification algorithm.

```
[68]: # import the relative package
      from sklearn.svm import SVC
      # allocate the object that will eventually learn the classification rule
      svc = SVC(C
                            = 100.
                            = "rbf",
                kernel
                degree
                           = 3,
                            = "scale",
                gamma
                coef0
                           = 0
                shrinking = True,
                probability = False,
                tol
                           = 1e-4
                cache_size = 512,
                class_weight = None,
                verbose
                            = True,
                            = 10000.
                max_iter
                decision_function_shape = "ovo")
      # do the actual training
      svc.fit(X_train, y_train)
     [LibSVM]
[68]: SVC(C=100, cache_size=512, coef0=0, decision_function_shape='ovo',
         max iter=10000, tol=0.0001, verbose=True)
[69]: # compute the performance indexes on the training and test sets
      y_svc_predict_train = svc.predict(X_train)
      y_svc_predict_test = svc.predict(X_test)
      accuracy_SVC_train = accuracy_score(y_train, y_svc_predict_train)
      accuracy_SVC_test = accuracy_score(y_test, y_svc_predict_test)
      # DEBUG
      print("accuracy of SVCs:\n - on the training set: {}\n - on the test set:
      →{}".format(accuracy_SVC_train, accuracy_SVC_test))
      # compute the confusion matrices on the training and test sets
      cm_train = confusion_matrix(y_train, y_svc_predict_train)
      cm_test = confusion_matrix(y_test, y_svc_predict_test)
      # for readability
      classes = ['DB', 'SS', 'SW', 'AN', 'IN', 'CH', 'BL', 'MS']
      # plot the confusion matrices
      plot_confusion_matrix(cm_train,
                            classes,
```

accuracy of SVCs:

- on the training set: 0.9073905109489051 - on the test set: 0.8615664845173042





0.11 Task 12.11

As in Task 12.7 and 12.9, comment the performance indexes and confusion matrices above, and state whether you think there may be overfitting / underfitting phenomena. Compare moreover the various performance of the SVC against the random forest and logistic regressor ones, and draw your conclusions.

Answer:

This model has some overfitting, but performs better than the random forest. The performance is comparable to the Logistic Regression. We also see that the MS class has the same result as the LR. However, it performs worse than LR for BL. But RF does a lot better for BL. This shows that different classifiers manages to classify certain classes better, however, the total accuracy was best for SVC and LR.