

- Table:

0	150	330	405	1655	2010
0	0	360	330	2430	1950
0	0	0	180	930	1770
0	0	0	0	3000	1860
0	0	0	0	0	1500
0	0	0	0	0	0

- Where $n = 2$
 parenthesis $(2+1) = 2 - 1 = 2$
 parenthesis $(3) = 2$

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- [10, 15, 54, 7, 1, 21, 42, 33, 3, 46, 5, 12, 8, 37, 12, 57]
- / \
- [10, 15, 54, 7, 1, 21, 42, 33] [3, 46, 5, 12, 8, 37, 12, 57]
- / \ / \ / \ / \
- [10, 15, 54, 7] [1, 21, 42, 33] [3, 46, 5, 12] [8, 37, 12, 57]
- / \ / \ / \ / \ / \
- [10, 15] [54, 7] [1, 21] [42, 33] [3, 46] [5, 12] [8, 37] [12, 57]
- / \ / \ / \ / \ / \ / \ / \ / \ / \

[10]	[15]	[54]	[7]	[1]	[21]	[42]	[33]	[3]	[46]	[5]	[12]	[8]	[37]	[12]	[57]
	\				/				\			/			
[1, 7, 10, 15, 21, 33, 42, 54]								[3, 5, 8, 12, 12, 37, 46, 57]							
			\				/								
[1, 3, 5, 7, 8, 10, 12, 12, 15, 21, 33, 37, 42, 47, 54, 57]															

- c. This problem exhibits optimal structure. The maximization of scalar multiplications will ensure the best multiplication is the higher number instead of the lower one.

3. See hw5.py

4.

- a. knapsack(items, weight):
 if items is empty or weight is 0:
 return 0
 else:
 i = max(i.value/i.weight, i::items)
 i.value + knapsack(items - i, weight - items.weight)

b. See hw5.py

c. See hw5.py

5.

- a. e(S, M, i, j):
 if S == [] or i > j:
 return M
 else:
 return e(S, M-(len(S[i]) + 1), i+1, j)
- b. See printPar.py
- c. bl(S, M, i, j):
 if M < 0:
 return infinity
 else:
 return e(S, M, i, j)
- d. See printPar.py
- e. mb(S, M):
 while e(S, M, 0, infinity) >= 0:
 bl(S, M, 0, infinity)
 bl(S[:mb'(S, M, 0)], M, 0, mb'(S, M)) + mb(S[:mb'(S, M, i)])
- f. mb'(S, M, i):
 if i > |S| or e(S[:i], M, 0, infinity) < 0:
 return i - 1
 else:

$$mb'(S, M, i + 1)$$

6. d values:

s	t	x	y	z
∞	∞	∞	∞	0
2	∞	7	∞	0
2	5	7	9	0
2	5	6	9	0
2	4	6	9	0

π values :

s	t	x	y	z
NIL	NIL	NIL	NIL	NIL
z	NIL	z	NIL	NIL
z	x	z	s	NIL
z	x	y	s	NIL
z	x	y	s	NIL

Weight of the edge at 4:

d Values:

s	t	x	y	z
0	∞	∞	∞	∞
0	6	∞	7	∞
0	6	4	7	2
0	2	4	7	2
0	2	4	7	-2

π values :

s	t	x	y	z
NIL	NIL	NIL	NIL	NIL

NIL	s	NIL	s	NIL
NIL	s	y	s	t
NIL	x	y	s	t
NIL	x	y	s	t