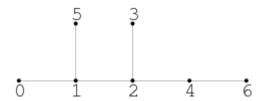
A country network consisting of N cities and N-1 roads connecting them is given. Cities are labeled with distinct integers within the range [0..(N-1)]. Roads connect cities in such a way that each distinct pair of cities is connected either by a direct road or through a path consisting of direct roads. There is exactly one way to reach any city from any other city.

Starting out from city K, you have to plan a series of daily trips. Each day you want to visit a previously unvisited city in such a way that, on a route to that city, you will also pass through a maximal number of other unvisited cities (which will then be considered to have been visited). We say that the destination city is our daily travel target.

In the case of a tie, you should choose the city with the minimal label. The trips cease when every city has been visited at least once.

For example, consider K = 2 and the following network consisting of seven cities and six roads:



You start in city 2. From here you make the following trips:

- day 1 from city 2 to city 0 (cities 1 and 0 become visited),
- day 2 from city 0 to city 6 (cities 4 and 6 become visited),
- day 3 from city 6 to city 3 (city 3 becomes visited),
- day 4 from city 3 to city 5 (city 5 becomes visited).

The goal is to find the sequence of travel targets. In the above example we have the following travel targets: (2, 0, 6, 3, 5).

Write a function:

```
vector<int> solution(int K, vector<int> &T);
```

that, given a non-empty zero-indexed array T consisting of N integers describing a network of N cities and N-1 roads, returns the sequence of travel targets.

Array T describes a network of cities as follows:

• if T[P] = Q and $P \neq Q$, then there is a direct road between cities P and Q.

For example, given the following array T consisting of seven elements (this array describes the network shown above) and K = 2:

```
T[0] = 1
T[1] = 2
T[2] = 3
T[3] = 3
T[4] = 2
T[5] = 1
T[6] = 4
```

the function should return a sequence [2, 0, 6, 3, 5], as explained above.

Assume that:

- N is an integer within the range [1..90,000];
- each element of array T is an integer within the range [0..(N-1)];
- there is exactly one (possibly indirect) connection between any two distinct roads.

Complexity:

- expected worst-case time complexity is O(N);
- expected worst-case space complexity is O(N), beyond input storage (not counting the storage required for input arguments).

Elements of input arrays can be modified.