

1. In the algorithm, I showed fuses as an int array. 1 means healthy fuse and whenever it becomes 0, it means that starting point of 0 is defective fuse.

Algorithm does binary search (it is decrease and conquer) and additionally checks if finds 0, check left index. If it is 1, this means we are at defective fuse. Returns id. Otherwise searches for left sub-array. If it sees 1, directly searches for right sub-array.

Best case: $O(1)$ Average case: $O(\log n)$ Worst case: $O(\log n)$

2. The algorithm takes $m \times n$ int array and checks all items one by one by calling helper function. Helper function checks left, right, upper and lower indexes to see if the current index what we are looking for. So the helper function is $O(1)$.

Best case: $O(1)$

Average case: $O(m \times n)$

Worst case: $O(m \times n)$

3. The algorithm goes from start to end in any case. Finds possible highest ranges by comparing numbers in constant time (Kadane's algorithm variant).

Best case: $\Theta(n)$

Average case: $\Theta(n)$

Worst case: $\Theta(n)$

4. The algorithm uses DFS to explore all paths from source to destination.

Best case: $O(V+E)$ \rightarrow Graph is sparse like a tree

Average case: $O(V^2)$ \rightarrow Depends on the graph structure but it is closer to $O(V^2)$

Worst case: $O(V^2)$ \rightarrow Graph is fully connected complete graph.

5. We need to look for every index because the array is not sorted. So the time complexity is $\Theta(n)$ always. It doesn't matter if we apply divide and conquer. Recurrence relation

$$T(n) = 2T(n/2) + O(1)$$

Best case: $\Theta(n)$

Average case: $\Theta(n)$

Worst case: $\Theta(n)$