

Name: \_\_\_\_\_

1. The function  $f(x)$  (which you don't know) has *first and second derivatives*

$$f'(x) = e^x(x - 4)(x + 3)$$

$$f''(x) = e^x(x^2 + x - 13)$$

Using these provided derivatives, find all critical numbers of the original function  $f(x)$ , and then use the first or second derivative tests to classify them as local maximums, local minimums, or neither. Then give the intervals on which  $f$  is increasing or decreasing.

Use the middle of the page to show your work and record your answers at the bottom of the page.

Critical numbers:

Local maximum(s) at  $x =$

Local minimum(s) at  $x =$

$f$  is increasing on the interval(s):

$f$  is decreasing on the interval(s):

Name: \_\_\_\_\_

1. The function  $f(x)$  (which you don't know) has *first and second derivatives*

$$f'(x) = x(x-1)(x+2)$$

$$f''(x) = 3x^2 + 2x - 2$$

Using these provided derivatives, find all critical numbers of the original function  $f(x)$ , and then use the first or second derivative tests to classify them as local maximums, local minimums, or neither. Then give the intervals on which  $f$  is increasing or decreasing.

Use the middle of the page to show your work and record your answers at the bottom of the page.

Critical numbers:

Local maximum(s) at  $x =$

Local minimum(s) at  $x =$

$f$  is increasing on the interval(s):

$f$  is decreasing on the interval(s):

Name: \_\_\_\_\_

1. The function  $f(x)$  (which you don't know) has *first and second derivatives*

$$f'(x) = \frac{(x+4)(x-2)}{x-1}$$

$$f''(x) = \frac{x^2 - 2x + 6}{(x-1)^2}$$

Using these provided derivatives, find all critical numbers of the original function  $f(x)$ , and then use the first or second derivative tests to classify them as local maximums, local minimums, or neither. Then give the intervals on which  $f$  is increasing or decreasing.

Use the middle of the page to show your work and record your answers at the bottom of the page.

Critical numbers:

Local maximum(s) at  $x =$

Local minimum(s) at  $x =$

$f$  is increasing on the interval(s):

$f$  is decreasing on the interval(s):

Name: \_\_\_\_\_

1. The function  $f(x)$  (which you don't know) has *first and second derivatives*

$$f'(x) = (x + 2)(x - 1)^2$$

$$f''(x) = 3(x - 1)(x + 1)$$

Using these provided derivatives, find all critical numbers of the original function  $f(x)$ , and then use the first or second derivative tests to classify them as local maximums, local minimums, or neither. Then give the intervals on which  $f$  is increasing or decreasing.

Use the middle of the page to show your work and record your answers at the bottom of the page.

Critical numbers:

Local maximum(s) at  $x =$

Local minimum(s) at  $x =$

$f$  is increasing on the interval(s):

$f$  is decreasing on the interval(s):