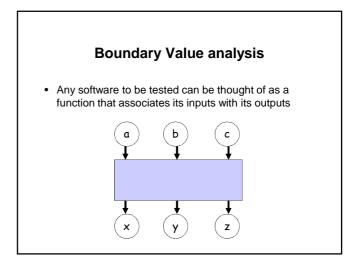
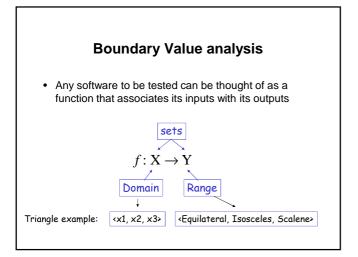
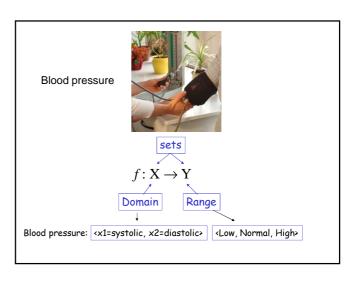
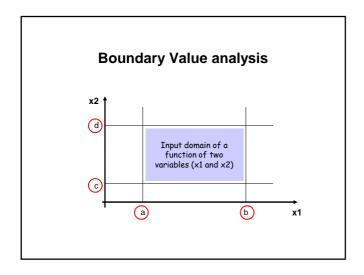
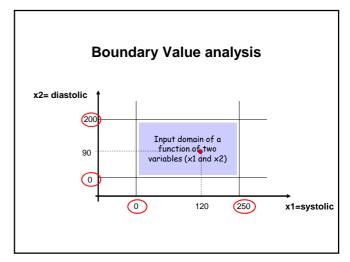
5. Boundary Value testing Boundary Value Analysis Robustness Worst-Case Robust Worst-Case Special Value Random Equivalence classes

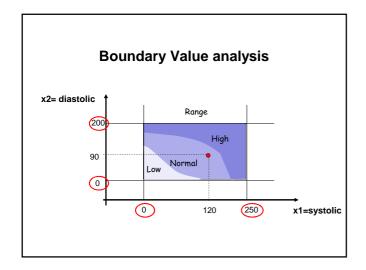








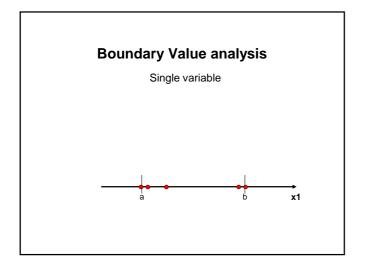


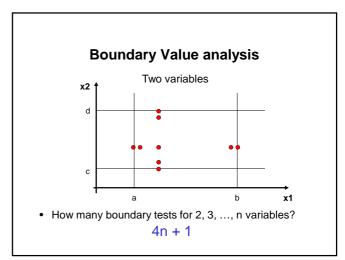


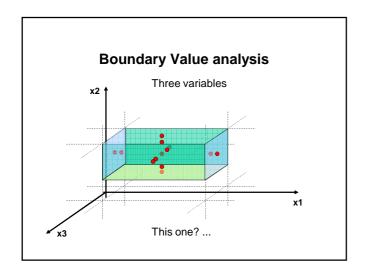
Boundary Value analysis

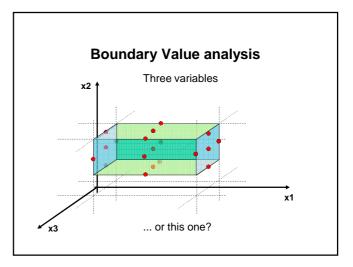
- Boundary value analysis focuses on the boundaries of the domain
- Rationale: errors occur most frequently on or near the boundary
- It makes a Single Fault Assumption:

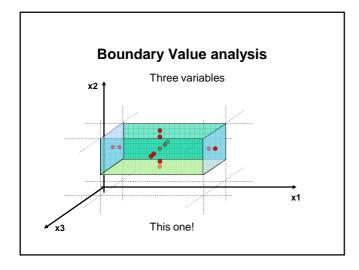
"Failures are only rarely the result of the simultaneous occurrence of two or more faults."











The triangle problem – full specification



Specify boundary tests for the triangle problem

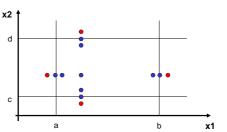
Boundary Value analysis Problems and limitations

- Bounds may not be always obvious (e.g. an upper bound for the triangle problem)
- Bounds may not be appropriate (e.g. for boolean values; Decision Table Testing is better)
- No bounds in cases of enumerated variables (e.g. in bank transactions "deposit", "withdrawal", "query")
- No testing for negative cases



Robustness testing

- Extension of the Boundary Value Analysis
- Examines the cases when the boundaries are slightly exceeded (negative testing)



Robustness testing

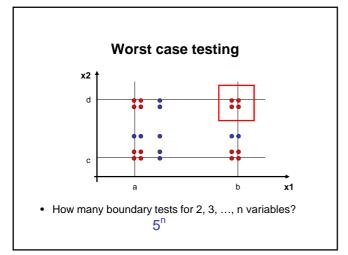
- Main value of robustness testing: focuses attention on exception handling
- This can also influence implementation:
 - Do we carry out explicitly exception handling for every case OR
 - Do we let the behaviour associated with "strong typing" to take its course and abort execution? Do we treat such a case as a "FAILED" test?

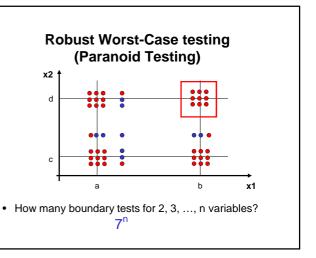
Worst case testing

 Boundary Value Analysis makes the "single fault" assumption

Failures are only rarely the result of the simultaneous occurrence of two or more faults

- Worst case testing is interested in what happens when more than one variable has an extreme value simultaneously
- Best used when variables may have complex interactions and where the impact of failure is large





NextDate function

NextDate is a function of three variables:

- month
- year

It returns the date of the day after the input date in the form of three variables <month, day, year>.

The month, date and year variables have integer values subject to the following conditions:

- 1 ≤ month ≤ 12
- 1 ≤ day ≤ 31
 1820 ≤ year ≤ 2020

NextDate function

- What is the Domain for the NextDate problem?
- What is the dimension of the Domain?
- What is the Range for the NextDate problem?
- How many boundary values are there in total?
- Variable types (SNM / ROV / GV):
 - month?
 - day?
 - year?
- Is the Boundary Value testing likely to uncover most of the errors?

Special value testing

- Tester uses the domain knowledge and experience to select test values
- Ad hoc and not based on any principles
- The least systematic and least uniform of the methods
- Can be of value when used in addition to one of the systematic methods
- · Example: computing next date

Random testing

- Random values are picked from the specified ranges
- The main question: how many values are sufficient?

(Test Coverage Metrics can provide the answer)

• Example - random test cases for the NextDate program

NextDate function

 What is the key reason why the Boundary Value analysis alone is not adequate for the NextDate function?

Boundary Value analysis Problems and limitations

- Bounds may not be always obvious (e.g. an upper bound for the triangle problem)
- Bounds may not be appropriate (e.g. for boolean values; "Decision Table" Testing is better)
- No bounds in cases of enumerated variables (e.g. in bank transactions "deposit", "withdrawal", "query")
- · No testing for negative cases
- Inadequate when there are dependencies between the variables.

Dependency between variables

 Testing for the cases where there are dependencies between the variables is better done using the Equivalence Class Testing methods (next unit)

Equivalence classes

- In mathematics, given a set X and an equivalence relation ~ on X, the equivalence class of an element a in X is the subset of all elements in X which are equivalent to a.
- $[a] = \{ x \in X \mid x \sim a \}$
- If X is the set of all cars, and ~ is the equivalence relation "has the same colour as", then one particular equivalence class consists of all green cars.
- The set of equivalence classes could be naturally identified with the set of all car colours.

Equivalence classes

- Because of the properties of an equivalence relation, it holds that
 - the element \boldsymbol{a} is in the equivalence class [\boldsymbol{a}]
 - any two equivalence classes, according to the same equivalence relation, are either equal or disjoint.
- The set of all equivalence classes of X forms a partition of X:
 - every element of X belongs to one and only one equivalence class
 - every partition of X also defines an equivalence relation over X
 - $a \sim b$ if and only if [a] = [b].

Partition of the set X of cars according to the equivalence relation "has the same colour as"