

## Illumination and shading (2)

Adding “reality” to images  
Shading algorithms  
Flat  
Gouraud  
Phong

## Algorithms for shading of surfaces

- Shading model so far showed how to compute reflectance for individual points on a surface
- Shading varies across surfaces
- Point-by-point computation very expensive
- Three approaches for computing shading for polygonal surfaces
  - Flat shading
  - Gouraud shading
  - Phong shading

### Flat shading

- One reflectance value per polygon surface
- Advantages
  - Computationally simple
- Drawbacks
  - Not very realistic for curved surfaces
  - Polygon structure visibly obvious



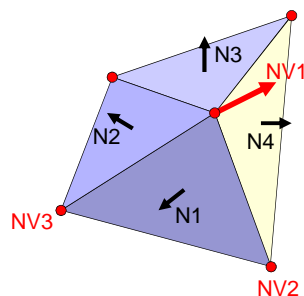
### Gouraud shading

- Interpolates the **reflectance** (colour) across the surface of each polygon from a subset of points for which reflectance has been computed from the model
- Advantages
  - Visually more realistic than flat shading
- Drawbacks
  - Some artifacts may still be visible
  - Computationally more expensive than flat shading



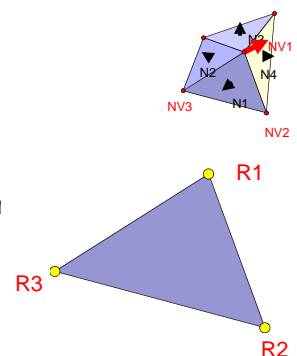
### Gouraud shading

- Input
  - Surface normals
- Algorithm
  1. For each surface calculate vertex normals by interpolating surface normals



### Gouraud shading

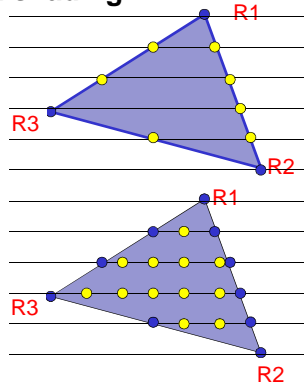
- Algorithm
  2. Compute reflectance at all the vertices
 
$$I = K_a I_a + K_d I_d \cos \theta_d + K_s I_s (\cos \theta_s)^n$$



## Gouraud shading

- Algorithm

3. Compute reflectance for points on the edges for every scan-line by interpolating vertex intensities
4. Compute reflectances for every point within the patch of surface by interpolating along each scan-line between edge reflectances



## Phong shading

- Interpolates the **surface normals** across the surface of each polygon from a subset of points for which the normal has been computed from the model

- Advantages

- Visually more realistic than Gouraud shading

- Drawbacks

- Computationally more expensive than Gouraud shading



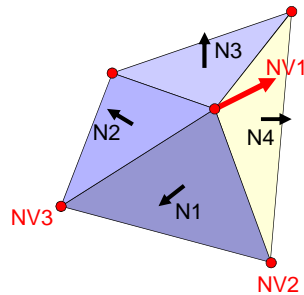
## Phong shading

- Input

- Surface normals

- Algorithm

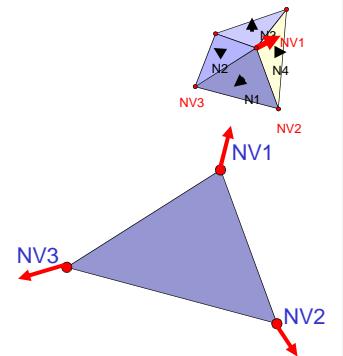
1. For each surface calculate vertex normals by interpolating surface normals



## Phong shading

- Algorithm

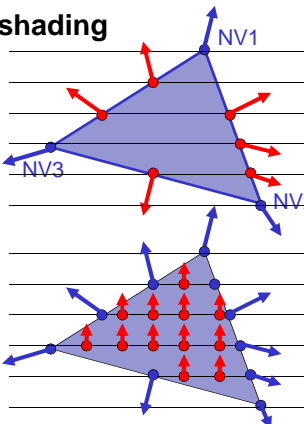
1. For each surface calculate vertex normals by interpolating surface normals



## Phong shading

- Algorithm

3. Compute normal vectors for points on the edges for every scan-line by interpolating vertex normals
4. Compute normal vectors for every point within the patch of surface by interpolating along each scan-line between edge normal vectors

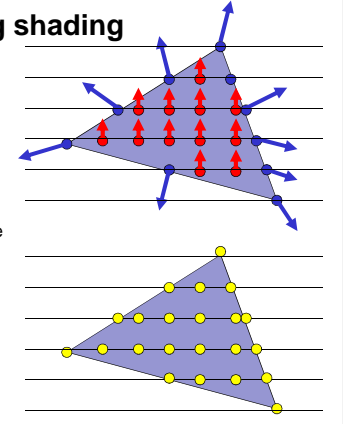


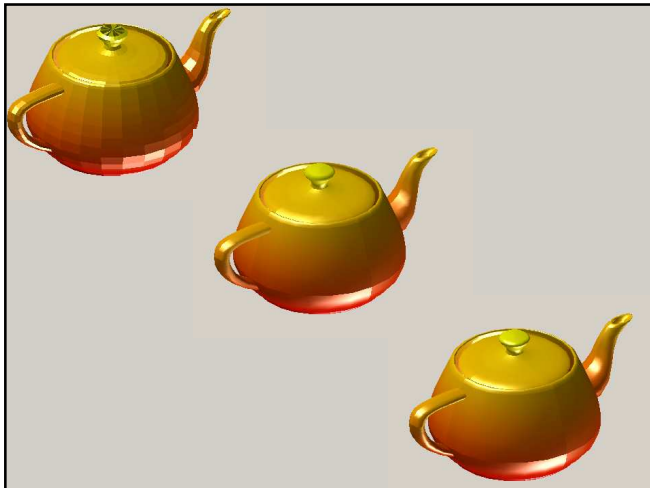
## Phong shading

- Algorithm

5. Compute surface reflectance directly from normal vectors for every point within the patch of surface

$$I = K_a I_a + K_d I_d \cos \theta_d + K_s I_s (\cos \theta_s)^n$$





## Technical issues

- Normal vectors must be normalised (i.e. length always set to 1) (WHY?)
- After interpolation vectors must be re-normalised
- Transforming normal vectors (e.g. after change of the view or after changing position of an object) is not straightforward
- see e.g.  
<http://groups.csail.mit.edu/graphics/classes/6.837/F01/Lecture15/lecture15.ppt>

## Credits

- This presentation has used slides from various web sources, including:
  - [www.classes.cec.wustl.edu/~cse452/lectures/lect11\\_Illumination\\_2pp.pdf](http://www.classes.cec.wustl.edu/~cse452/lectures/lect11_Illumination_2pp.pdf)
  - <http://www1.cs.columbia.edu/~cs4160/slides/lecture15.ppt#767.2>, Rendering: 1960s (visibility)
  - [groups.csail.mit.edu/graphics/classes/6.837/F01/Lecture15/lecture15.ppt](http://groups.csail.mit.edu/graphics/classes/6.837/F01/Lecture15/lecture15.ppt)
  - <http://artis.imag.fr/~Nicolas.Holzschuch/cours/class9.pdf>

## Homework



- A surface is of a uniform red colour.  
 Given two vertices at
    - $V1 = [-80 \ 00 \ 58]$
    - $V2 = [-65 \ -47 \ 58]$
 their vertex normals
    - $N1 = [-0.80 \ -0.04 \ 0.60]$
    - $N2 = [-0.65 \ -0.50 \ 0.60]$
 a vector specifying the direction of light
    - $[-0.30 \ -2.20 \ 2.80]$
 and light colour vector
    - $[1 \ 0.5 \ 0.5]$
- compute the colours (RGB vectors) of the 10 points lying on the line joining the two vertices  $V1$  and  $V2$

## Next lecture

Colour