

Project, Assignment #2

Review of Assignment #1

The first part of the project was to write an input and output interface for your program. The following should have been used as sample material properties: AS/H3501. The geometry parameters, total number of layers, n , individual ply thickness, t_i , ply orientation, θ_i , core thickness, $2z_c$ were input with a specific layup used as an illustrative example. All input parameters were output in SI units as well as the "on-axis" $[S]$ and $[Q]$ matrices.

Assignment #2

Add the capability of dealing with "off-axis" quantities. In your code, include the following algorithms (as subroutines or whatever you are most comfortable with):

- The ability to calculate transforms of both stresses and strains

- 1) From off-axis to on-axis (positive sign convention)
- 2) From on-axis to off-axis (replace the ply angle θ by $-\theta$ in the transformation)

Note: you may use either of Table 3.1, 3.2, 3.3 for stress, and either of Table 3.4, 3.5, 3.6 for strain. (Tables 3.2 and 3.5 are usually preferred, but not required)

- The ability to calculate transforms of both modulus $[Q_{ij}]$ ($i,j=1,2,6$) and compliance $[S_{ij}]$ ($i,j=1,2,6$). Use the multiple angle formulation only, i.e., make use of Tables 3.9 and 3.12, (not 3.8 and 3.11).
- As an intermediate step, it is useful to print out the 5 modulus combinations (U 's) and the 5 compliance combinations (the other U 's) to check for errors.

Print out the following quantities (with appropriate units!):

Example 1: For a given layup, $[45/0/-45/90]_s$, and Kevlar/epoxy (Kev49/epoxy) material, print out off-axis $[Q]$ and $[S]$ matrices for each of the first 4 layers (the symmetric other half will have the same quantities), in SI units ($2 \times 4 = 8$ matrices in total).

Example 2: for a simple layup of $[+30]$ Kevlar/epoxy (Kev49/epoxy), (one layer only!) and an off-axis stress vector of $(\sigma_1, \sigma_2, \sigma_6) = (420, -165, -135)$ MPa, find the resulting off-axis strain using the off-axis compliance matrix $[S_{ij}]$ ($i,j=1,2,6$) and the on-axis stresses (using a stress transformation) and on-axis strains (using a strain transformation). (Note that there is more than one way to obtain all of the desired quantities).

Note: Appropriate items that were output in Assignment #1 should not be removed from your programs. Please keep them in, as they will enhance the clarity of your output report file.