```
In [195]:
          | import os
              import numpy as np
              import pandas as pd
              import matplotlib.pyplot as plt
              %matplotlib inline
              from sklearn import tree
              import graphviz
              from sklearn_pandas import DataFrameMapper
              from sklearn import decomposition
              from sklearn.impute import SimpleImputer
              from sklearn.preprocessing import StandardScaler
              from sklearn.feature_selection import SelectKBest
              from sklearn.model selection import train test split
              from sklearn.decomposition import PCA
              from sklearn.tree import DecisionTreeClassifier
              from sklearn.pipeline import Pipeline
              from sklearn2pmml.decoration import ContinuousDomain
              from sklearn2pmml.pipeline import PMMLPipeline
              from sklearn2pmml import sklearn2pmml
              from six import StringIO
              from IPython.display import Image
              from sklearn import tree
              import sklearn.datasets as datasets
              from sklearn.tree import export graphviz
              import pydotplus
              import graphviz
              import math
              # Line to create Python enviroment
              # conda create -n thing python=3.6 numpy=1.16.2 pandas=0.24.2 scipy=1.2.1 onn
              from sklearn.datasets import load iris
              from sklearn.impute import SimpleImputer
              from sklearn.preprocessing import StandardScaler
              from sklearn.model_selection import train_test_split
              from sklearn.tree import DecisionTreeClassifier
              from sklearn.compose import ColumnTransformer
              from sklearn.pipeline import Pipeline
              from skl2onnx.common.data types import FloatTensorType
              from skl2onnx import convert sklearn
              import onnxruntime as rt
              from onnx.tools.net drawer import GetPydotGraph, GetOpNodeProducer
              import graphviz
              from sklearn.decomposition import PCA
              from sklearn.ensemble import RandomForestClassifier
              from sklearn.pipeline import make pipeline
              from sklearn.linear model import LogisticRegression
```

CS422- Project Report- Elamathi Senthilkumar

Abstract

The main findings from this project was that simple methods sometimes produced better results than anything complex. I also learned how to work with the more complex datasets. And also, I learnt that the model doesnot need to be complex to performs well to fit the model well. I also learned that efficient models which are not computationally expensive is as important as building the accurate models. While working on the large dataset makes me understand that selecting features and other data analysis is necessary for finding the optimal model. I also learnt how to proceed with the general dataset for building the optimal model. If this project were to be continued in the future, by providing the domain and then domain knowledge for this dataset variables would be helpful in feature selection.

Overview

Problem statement

The ultimate objective of this project is to build a model that generalizes well out of sample.

Relevant literature

see references

Proposed methodology

The first step of this project is to reduce the dataset. This is because there are 12 lakhs of datas in the given dataset which makes the computation of the models slower. Next, will select the features manually to keep and use in the model. The data is then scaled and principal component analysis (PCA) is performed on it and then eliminate the features with more outliers inorder to bulid a good model. The final classifier uses a random forest with max_depth = 2 and n_ estimators = 100.

Reading in the data

```
In [2]: data = pd.read_csv('data_public.csv.gz',nrows= 100,error_bad_lines=False, comprint(data.head())
```

```
C
                                                D
                                                                         F
            Α
                        В
                                                             Ε
                                                                            \
0
   231.420023 -12.210984
                           217.624839 -15.611916
                                                   140.047185
                                                                76.904999
   -38.019270 -14.195695
                             9.583547
                                        22.293822
                                                   -25.578283 -18.373955
1
2
   -39.197085 -20.418850
                            21.023083
                                        19.790280
                                                   -25.902587 -19.189004
3
   221.630408
               -5.785352
                           216.725322
                                        -9.900781
                                                   126.795177
                                                                85.122288
   228.558412 -12.447710
                           204.637218 -13.277704
                                                   138.930529
                                                                91.101870
            G
                                    Ι
                                                 J
                                                              Κ
                         Н
                                        127.350084
   131.591871
                            82.873279
                                                    224.592926 -5.992983
0
               198.160805
1
    -0.094457
               -33.711852
                            -8.356041
                                         23.792402
                                                      4.199023
                                                                 2.809159
2
    -2.953836
               -25.299219
                            -6.612401
                                         26.285392
                                                       5.911292
                                                                 6.191587
               197.640135
3
   108.857593
                            82.560019
                                        157.105143
                                                    212.989231 -3.621070
   115.598954
               209.300011
4
                            89.961688
                                        130.299732
                                                    201.795100 -1.573922
           Μ
                                        Class
                        N
                                    0
0 -14.689648
              143.072058
                           153.439659
                                            2
1 -59.330681
              -11.685950
                             1.317104
                                            3
2 -56.924996
                                            2
               -4.675187
                            -1.027830
3 -15.469156
              135.265859
                           149.212489
                                            2
4 -15.128603
              148.368622
                           147.492663
                                            3
```

Here, I took only 100 rows of data from the given dataset. This is because the given dataset consists of 1200000 datas which increases the computational time.

```
labels = ['A', 'B','C','D','E','F','G','H','I','J','K','L','M','N','O']
In [90]:
             # X = pd.DataFrame(data=data.drop('Class', axis=1), columns=labels)
             # y = pd.DataFrame(data=data['Class'],columns=['Class'])
             X train, X test, y train, y test = train test split(data.drop(labels=['Class'
                                                                   data['Class'],
                                                                   test_size=0.3,
                                                                  random state = 0)
             training data = pd.concat([X train,y train],axis=1)
             test_data = pd.concat([X_test, y_test],axis = 1)
             # print(test_data.head())
             print(training data.head())
             print(X train.shape)
             print(y_train.shape)
             print(X test.shape)
             print(y test.shape)
                                                   C
                                                              D
                                                                           Ε
             60
                 239.304171
                              -8.058400
                                         213.516898 -14.848938
                                                                 130.549926
                                                                             89.150737
                 -29.317217 -12.538028
                                                      20.195156
                                                                 -27.048223 -28.950758
             80
                                           22.548496
             90
                 -32.779495 -14.515699
                                           8.628796
                                                      15.405380
                                                                 -18.302331 -24.451934
             68
                 -40.551506 -13.141822
                                           11.965320
                                                      20.643612
                                                                 -22.614439 -32.476179
                 240.311718
                             -7.817104
                                         222.516289 -11.663915
                                                                 123.402682 92.698089
             51
                           G
                                       Н
                                                   Ι
                                                               J
                                                                            Κ
                                                                                          \
                                                                                       L
                 116.322496
                              206.761109
                                          78.783836
                                                      131.202371
                                                                  214.020206 -10.375638
             60
             80
                   -1.217660
                              -26.013388
                                          -4.165968
                                                       22.452930
                                                                     3.593841
                                                                                4.188496
             90
                    1.254471
                              -22.656895
                                           -4.654272
                                                       26.320910
                                                                     2.372705
                                                                                2.605553
                   -0.396090
                              -24.577213
                                          -8.366304
                                                       24.953665
             68
                                                                     8.380710
                                                                                7.043656
             51
                 131.641115
                              193.290140
                                          72.766889
                                                      126.875078 211.699336
                                                                                3.039842
                          Μ
                                      Ν
                                                   0
                                                      Class
             60 -24.253837
                                                          3
                             135.814220
                                         150.660207
             80 -55.205484
                                                          2
                              -9.623017
                                           -6.404541
             90 -55.464372
                              -6.113055
                                           0.800140
                                                          3
             68 -58.483872
                             -10.802592
                                           0.137812
                                                          3
             51 -11.040107
                                                          2
                             146.367650
                                         147.064597
             (70, 15)
             (70,)
              (30, 15)
             (30,)
```

Data Processing and Analysis

Check for missing values

Here, I checked for the missing values which might need to be imputed.

```
In [6]:

    data.isna().sum()

    Out[6]: A
                         0
              В
                         0
              C
                         0
              D
                         0
              Ε
                         0
              F
                         0
              G
                         0
              Н
                         0
              Ι
                         0
              J
                         0
              Μ
              N
                         0
              0
              Class
              dtype: int64
```

No missing data is found here.

```
In [8]:
            data.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 100 entries, 0 to 99
Data columns (total 16 columns):
             Non-Null Count Dtype
     Column
 0
             100 non-null
                              float64
1
     В
             100 non-null
                              float64
 2
     C
                              float64
             100 non-null
 3
     D
             100 non-null
                              float64
 4
     Ε
                              float64
             100 non-null
 5
     F
             100 non-null
                              float64
 6
     G
             100 non-null
                              float64
 7
                              float64
     Н
             100 non-null
 8
                              float64
     Ι
             100 non-null
 9
     J
             100 non-null
                              float64
                              float64
 10
    Κ
             100 non-null
 11
    L
             100 non-null
                              float64
 12
    Μ
             100 non-null
                              float64
                              float64
 13
    Ν
             100 non-null
                              float64
 14
    0
             100 non-null
 15
    Class
             100 non-null
                              int64
dtypes: float64(15), int64(1)
```

memory usage: 12.6 KB

Principle Component Analysis

Next, I found the optimal number of principal components. For this I ran a PCA with number of components set to the total number of features and then generated a scree plot (the code to generate this plot was found at https://districtdatalabs.silvrback.com/principal-component-analysiswith-python (https://districtdatalabs.silvrback.com/principal-component-analysis-with-python) .

```
In [92]: 

sc = StandardScaler()

df_scaled = sc.fit_transform(data.drop('Class', axis=1))

df_scaled = pd.DataFrame(df_scaled, columns=labels)

df_scaled = pd.concat([df_scaled, data['Class']], axis=1)

pca_test = decomposition.PCA(n_components=15)

pca_test.fit(df_scaled.drop('Class', axis=1))

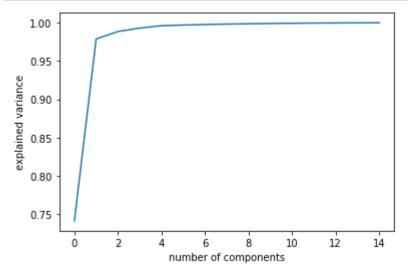
plt.plot(np.cumsum(pca_test.explained_variance_ratio_))

plt.xlabel('number of components')

plt.ylabel('explained variance')

plt.show()

pca_test.explained_variance_ratio_
```



```
Out[92]: array([7.41287199e-01, 2.37577974e-01, 9.73279491e-03, 4.42601851e-03, 3.13996540e-03, 8.67875405e-04, 7.21518397e-04, 5.50155134e-04, 3.93352006e-04, 3.63461292e-04, 3.44300069e-04, 2.14475706e-04, 1.45457288e-04, 1.35602649e-04, 9.98508070e-05])
```

Here, the elbow of the above scree plot occurs at n = 1. So, I took PCA(n_components=1) in all tested pipelines.

Feature Extraction

First, I tried executing executing this with the whole dataset. But the accuracy obtained for all the features are almost similar which is nearly 0.498. Also, the computational time is much higher. Therefore, here we are taking only few rows of datas for processing. By using the brute-force method, I found that its for loop was iterated through each of the 15 features. By removing each of these features and run the model to check which feature removal decreases the accuracy of the model. This decrease implies that the removed feature makes the model to be overfit. Here, for the initial pipeline I took a data scaler, a PCA with one component, and a decision tree with max_depth of 3. https://github.com/jpmml/sklearn2pmml/blob/master/sklearn2pmml/pipeline/__init__.py

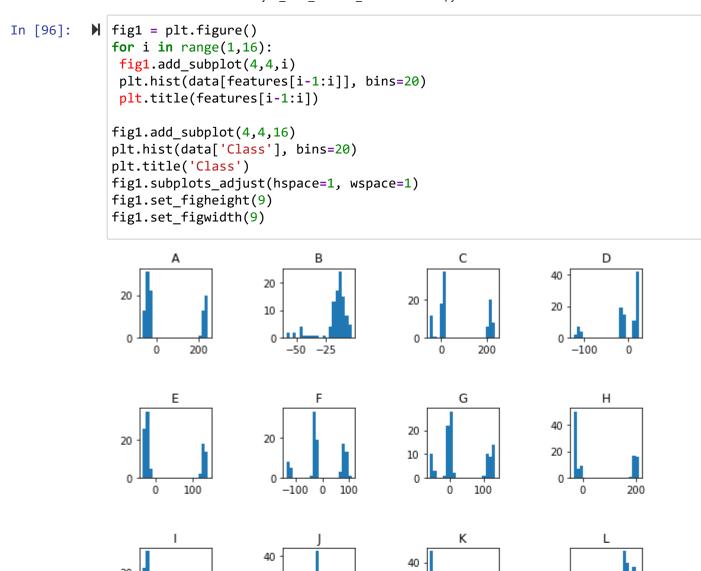
There is no need for us to keep the all correlated columns in our model. So, I build a correlation matrix, plots and histograms to visualize the features that are highly correlated with one another.

In [100]: ► data.corr('pearson')

Out[100]:

	Α	В	С	D	E	F	G	Н	
Α	1.000000	0.443324	0.992221	-0.009377	0.992565	0.908459	0.973585	0.990521	
В	0.443324	1.000000	0.524271	0.806912	0.358606	0.739405	0.595758	0.344047	-
С	0.992221	0.524271	1.000000	0.091479	0.976877	0.942882	0.988951	0.972685	
D	-0.009377	0.806912	0.091479	1.000000	-0.111103	0.396549	0.192673	-0.129988	-
E	0.992565	0.358606	0.976877	-0.111103	1.000000	0.862047	0.948286	0.997669	
F	0.908459	0.739405	0.942882	0.396549	0.862047	1.000000	0.967251	0.852897	
G	0.973585	0.595758	0.988951	0.192673	0.948286	0.967251	1.000000	0.941937	
Н	0.990521	0.344047	0.972685	-0.129988	0.997669	0.852897	0.941937	1.000000	
I	0.847650	-0.042059	0.790781	-0.524268	0.895852	0.561716	0.719230	0.904135	
J	0.876538	0.777072	0.918455	0.459292	0.823763	0.987700	0.948368	0.814217	
K	0.975110	0.269864	0.949360	-0.212315	0.990479	0.803094	0.910336	0.993260	
L	0.063695	0.779927	0.157737	0.935343	-0.029966	0.440751	0.254101	-0.053717	-
М	0.963167	0.344323	0.947965	-0.103628	0.969020	0.839970	0.918592	0.970311	
N	0.959332	0.200390	0.926223	-0.276881	0.981918	0.764119	0.880805	0.984633	
0	0.935314	0.139517	0.895761	-0.351313	0.965898	0.711772	0.842241	0.969694	
Class	-0.069540	0.064982	-0.069030	0.053286	-0.071882	-0.029789	-0.071642	-0.073901	

Type $\it Markdown$ and LaTeX: $\it \alpha^2$



From the above histogram distributions, I determined that there might be some close relationship among the following features.

- A,C,E,K,H
- B,L
- D
- J,N,O
- F
- I,G
- M

Next, I tested these features by taking one feature from the groups to test the accuracy. From here I understood that removing the redundant feature was a good methodology which improves the overall accuracy.

```
▶ to_keep1 = ['A','B','D','I','J','F','M']

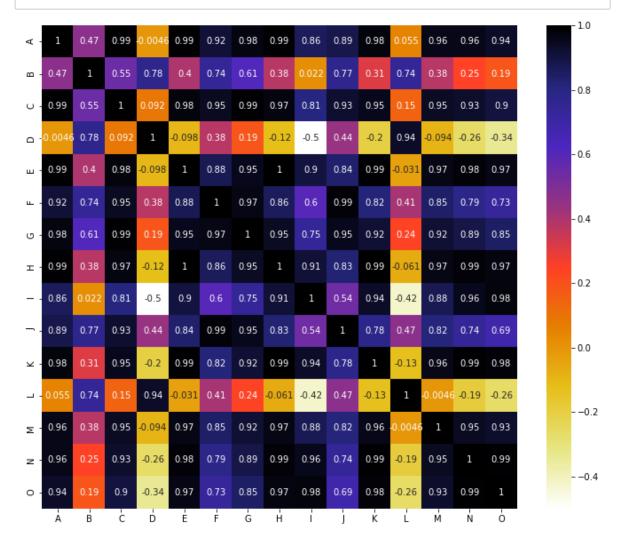
In [107]:
              pipeline1 = PMMLPipeline([
               ('mapper',
               DataFrameMapper([
               (X_train[to_keep2].columns,
               [StandardScaler()])])),
               ('pca',
               PCA(n components=1)),
               ('classifier',
               RandomForestClassifier(max_depth=2,n_estimators=10))
              ])
              pipeline1.fit(training_data,#.drop('Class',axis=1),
               training_data['Class'])
              results = pipeline1.predict(X test)
              actual = np.concatenate(y test.values.reshape(30,1))
              print('Accuracy:',metrics.accuracy_score(actual, results))
```

Accuracy: 0.6

Correlation Plot

Now, let us check further by taking the features that have correlation magnitude greater than 0.95.

https://medium.com/@szabo.bibor/how-to-create-a-seaborn-correlation-heatmap-in-python-834c0686b88e (https://medium.com/@szabo.bibor/how-to-create-a-seaborn-correlation-heatmap-in-python-834c0686b88e)



With the help of this correlation function, we can identify the features which have high correlation magnitude. I refered this code from the given link.

https://gist.github.com/rachidelfermi/655e781b60e83b56c9560d9c872852ca (https://gist.github.com/rachidelfermi/655e781b60e83b56c9560d9c872852ca)

```
In [14]:
         # with the following function we can select highly correlated features
            # it will remove the first feature that is correlated with anything other fea
            def correlation(dataset, threshold):
                col_corr = set() # Set of all the names of correlated columns
                corr matrix = dataset.corr()
                for i in range(len(corr_matrix.columns)):
                   for j in range(i):
                       if abs(corr_matrix.iloc[i, j]) > threshold: # we are interested i
                           colname = corr_matrix.columns[i] # getting the name of colum
                           col corr.add(colname)
                return col_corr
         In [15]:
            len(set(corr features))
   Out[15]: 9
In [16]:
         corr features
   Out[16]: {'C', 'E', 'G', 'H', 'J', 'K', 'M', 'N', 'O'}
```

Now, I dropped these features from the dataset.

Out[17]:

	Α	В	D	F	1	L
26	-31.831440	-16.037890	16.041759	-20.897764	-5.793556	3.788012
86	-31.594503	-14.607033	10.240161	-25.031143	-9.194471	-0.904170
2	-39.197085	-20.418850	19.790280	-19.189004	-6.612401	6.191587
55	224.304563	-10.047709	-12.310613	96.210583	85.212948	0.965348
75	-37.899442	-17.262739	21.526282	-30.937837	-6.392880	2.256472
93	-41.612929	-14.034674	20.445236	-28.321117	-4.724764	-3.535887
16	-30.023792	-8.107719	19.765770	-20.265524	-7.577699	2.464305
73	-31.214595	-16.850719	22.812030	-28.439917	-10.113632	1.876784
54	-36.118938	-14.321411	16.897426	-33.050007	-6.862152	5.856772
95	-30.799124	-8.534127	22.064023	-25.767853	-7.092668	-0.870427
53	246.407178	-9.634963	-15.829488	91.373245	90.988458	2.987500
92	241.526176	-16.947143	-13.764490	75.836688	73.583625	-6.770924
78	-36.098476	-11.680902	17.143544	-30.012980	-2.546599	2.595115
13	-32.610177	-9.981722	13.533336	-25.211891	-9.242013	5.004292
7	-28.620633	-16.324678	19.866385	-22.328572	-8.616671	4.953251
30	-33.426572	-17.053078	16.076831	-28.255024	-11.067195	0.868626
22	-63.798054	-47.508030	-108.156312	-121.994302	48.467472	-38.325831
24	214.501120	-12.386835	-11.482754	84.174828	79.514846	-9.476301
33	-61.020666	-47.286879	-114.643763	-133.597008	69.351557	-44.272380
8	-41.092898	-11.525839	18.670988	-25.918632	-13.371210	-1.041023
43	224.489072	-7.808840	-14.547985	79.584513	94.125792	-11.514014
62	-54.449029	-44.891024	-123.941370	-122.517815	54.352370	-27.607384
3	221.630408	-5.785352	-9.900781	85.122288	82.560019	-3.621070
71	-42.360407	-17.259601	18.507104	-20.698841	-4.648664	8.410465
45	-39.681024	-13.209121	17.586571	-26.202514	-9.300830	7.720388
48	222.190685	-15.306152	-12.990590	91.225028	88.132967	6.068442
6	-35.819795	-16.688245	17.570011	-20.625764	-10.699215	-2.365574
99	-32.366423	-15.652219	22.510080	-32.167443	-9.511788	4.172722
82	-36.698735	-13.690396	16.953206	-26.061282	-7.352873	7.401070
76	-60.974865	-58.692843	-115.455430	-132.341544	53.799941	-43.696538

Feature Removals and models

After removing the highly correlated features from the features from the model, the accuracy for RandomForestClassifier reduces further which shows that the model becomes more generalized.

```
In [57]:
          pipe_3 = make_pipeline(StandardScaler(),
                                     PCA(n components=1),
                                     RandomForestClassifier())
             pipe 3.fit(X train.drop(corr features,axis=1), training data['Class'])
             y pred = pipe 3.predict(X test.drop(corr features,axis=1))
             print('Test Accuracy: %.3f' % pipe_3.score(X_test.drop(corr_features,axis=1),
             Test Accuracy: 0.400
          pipe_1 = make_pipeline(StandardScaler(),
In [58]:
                                     PCA(n components=1),
                                     DecisionTreeClassifier(max depth = 3))
             pipe 1.fit(X train.drop(corr features,axis=1), training data['Class'])
             y pred = pipe 1.predict(X test.drop(corr features,axis=1))
             print('Test Accuracy: %.3f' % pipe_1.score(X_test.drop(corr_features,axis=1),
             Test Accuracy: 0.567
In [21]:
          pipe 2 = make pipeline(StandardScaler(),
                                     PCA(n components=1),
                                     LogisticRegression(random state=0))
             pipe_2.fit(X_train.drop(corr_features,axis=1), training_data['Class'])
             y pred = pipe 2.predict(X test.drop(corr features,axis=1))
             print('Test Accuracy: %.3f' % pipe 2.score(X test.drop(corr features,axis=1),
```

Test Accuracy: 0.600

With the available features after removal, I compared the accuracy of these features in different models such as RandomForestClassifier, Decision tree and LogisticRegression. I obtained 0.4,0.567 and 0.6 accuracies for RandomForestClassifier, Decision tree and LogisticRegression respectively. Thus, LogisticRegression performs well in this case.

Training and cross-validating the final model

The final pipeline is represented as follows.

```
In [180]:
          PCA(n components=1),
                                  RandomForestClassifier(random state=0))
            final pipe.fit(X train.drop(corr features,axis=1), training data['Class'])
            y pred = final pipe.predict(X test)
          In [69]:
            print(final pipeline)
            [Pipeline(steps=[('standardscaler', StandardScaler()),
                           ('pca', PCA(n components=1)),
                           ('randomforestclassifier',
                           RandomForestClassifier(random_state=0))])]
In [187]:
            pipe_2==[pipe_2]
            print(pipe_2)
            Pipeline(steps=[('standardscaler', StandardScaler()),
                           ('pca', PCA(n components=1)),
                           ('logisticregression', LogisticRegression(random state=
            0))])
```

```
In [181]:
           M cross validate(final pipe, data.drop('Class',axis=1), data['Class'], cv=6)
   Out[181]: {'fit time': array([0.12365794, 0.10959029, 0.11055279, 0.09471488, 0.09373
              903,
                      0.09373975]),
               'score time': array([0.
                                               , 0.
                                                           , 0.
                                                                       , 0.01562405, 0.015
              62357,
                      0.01562357]),
               'test_score': array([0.41176471, 0.47058824, 0.47058824, 0.35294118, 0.312
                      0.375
                                ])}
           M cross validate(pipe 2, data.drop('Class',axis=1), data['Class'], cv=6)
In [184]:
   Out[184]: {'fit time': array([0.00995445, 0.00699854, 0.01099992, 0.00899935, 0.00827
              36,
                      0.006999731),
               'score time': array([0.00200033, 0.00207901, 0.00399923, 0.00200009, 0.002
              00009,
                      0.000999931),
               'test score': array([0.52941176, 0.52941176, 0.52941176, 0.47058824, 0.5
                      0.5
                                1)}
```

To evaluate the model, I performed K-fold cross validation on it one last time. The accuracy held around .4 in almost all trials.

After this, the pipeline was trained on the entire dataset for deployment.

Deploying the onnx model

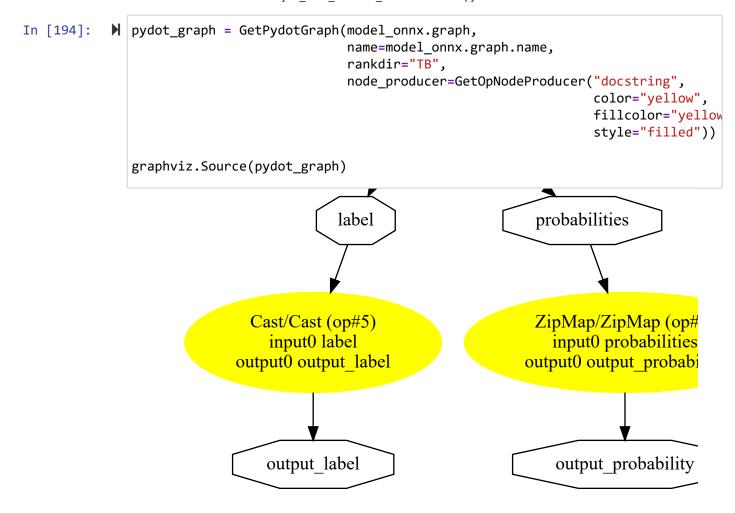
The final step is deploying the model. I refered this in the Individual Project - Pipeline - ONNX - Example given in the Blackboard.

```
In [192]:
           | # input types = dict([(x, FloatTensorType([1, 1])) for x in labels])
              to_keep = ['A','B','D','I','J','F','M']
              input_types = dict([(x, FloatTensorType([None,1])) for x in to_keep])
              print(input types)
              try:
                  model_onnx = convert_sklearn(final_pipe,
                                                'pipeline final onnx',
                                                initial types=list(input types.items()))
              except Exception as e:
                  print(e)
              with open("final_pipeline_Elamathi.onnx", "wb") as f:
                  f.write(model_onnx.SerializeToString())
              {'A': FloatTensorType(shape=[None, 1]), 'B': FloatTensorType(shape=[None,
              1]), 'D': FloatTensorType(shape=[None, 1]), 'I': FloatTensorType(shape=[Non
              e, 1]), 'J': FloatTensorType(shape=[None, 1]), 'F': FloatTensorType(shape=
              [None, 1]), 'M': FloatTensorType(shape=[None, 1])}
In [193]:
              input_types = dict([(x, FloatTensorType([1,15])) for x in X_train.columns.val
              model onnx = convert sklearn(final pipe, initial types=list(input types.items
              with open("onnx_test_Elamathi.onnx", "wb") as f:
               f.write(model_onnx.SerializeToString())

    inputs_onnx = {k: np.array(v).astype(np.float32)[:, np.newaxis] for k, v in X

In [171]:
              session onnx = rt.InferenceSession("iris pipeline.onnx")
              predict_onnx = session_onnx.run(None, inputs_onnx)
              print("\n","predict", predict onnx[0])
```

predict [2 2 2 ... 2 2 2]



Conclusion

Finally, I compared two models and understood that even the simple logistic regression method provides the overall accuracy of 0.6. But, while doing the cross validation, I got the accuracy range of 0.4 for all the features for RandomForestClassification, which shows that this model mostlikely does not overfit or hyperfit the data. I also believes that more testing and better feature selection will makes this model provides more optimal solution. A **positive** result is that my model seems to peform well when cross validated, but a **caveat** is that while doing all these steps, I discarded majority of the information and the data. This means that some crucial piece of information or contributed variance might be lost in one of the discarded features.

References

The codes are refered from the links given above the codes. The other links refered are shown as follows.

http://restanalytics.com/2020-12-07-Using-Scikit-Learn-Pipelines-and-Converting-Them-To-PMML/(http://restanalytics.com/2020-12-07-Using-Scikit-Learn-Pipelines-and-Converting-Them-To-PMML/)

https://medium.com/@szabo.bibor/how-to-create-a-seaborn-correlation-heatmap-in-python-834c0686b88e (https://medium.com/@szabo.bibor/how-to-create-a-seaborn-correlation-heatmap-in-python-834c0686b88e)

https://github.com/jpmml/sklearn2pmml/tree/master/sklearn2pmml/pipeline (https://github.com/jpmml/sklearn2pmml/tree/master/sklearn2pmml/pipeline)

https://towardsdatascience.com/is-random-forest-better-than-logistic-regression-a-comparison-7a0f068963e4 (https://towardsdatascience.com/is-random-forest-better-than-logistic-regression-a-comparison-7a0f068963e4)

https://queirozf.com/entries/scikit-learn-pipeline-examples (https://queirozf.com/entries/scikit-learn-pipeline-examples)