

3D Vision and Machine Perception

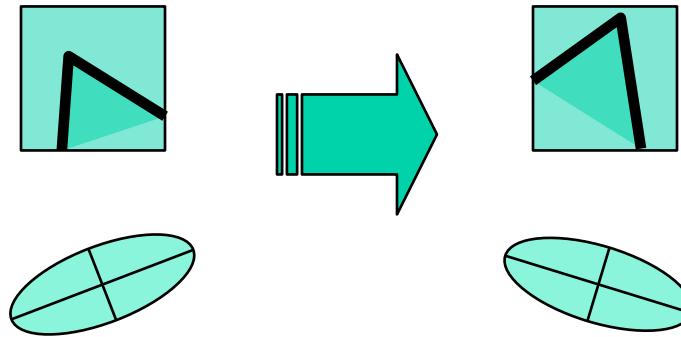
Prof. Kyungdon Joo

3D Vision & Robotics Lab.

AI Graduate School (AIGS) & Computer Science and Engineering (CSE)

Recap: Harris corner response is invariant to rotation

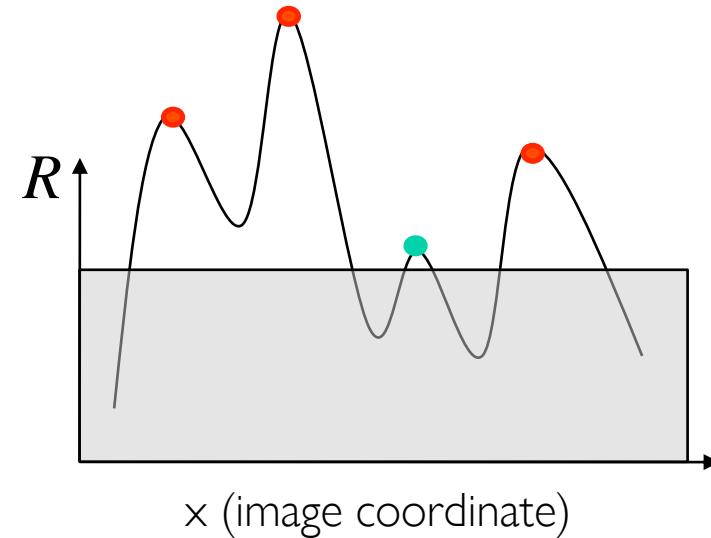
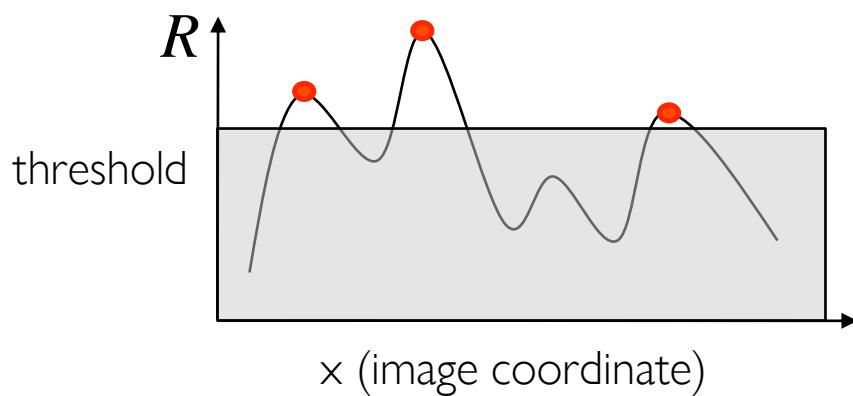
- Ellipse rotates but its shape (eigenvalues) remains the same



- Corner response R is invariant to image rotation

Recap: Harris corner response is invariant to intensity changes

- Partial invariance to **affine intensity** change
 - Only derivatives are used => invariance to intensity shift $I \rightarrow I + b$
 - Intensity scale : $I \rightarrow a I$



Multi-scale detection

- The Harris detector is not invariant to scale change

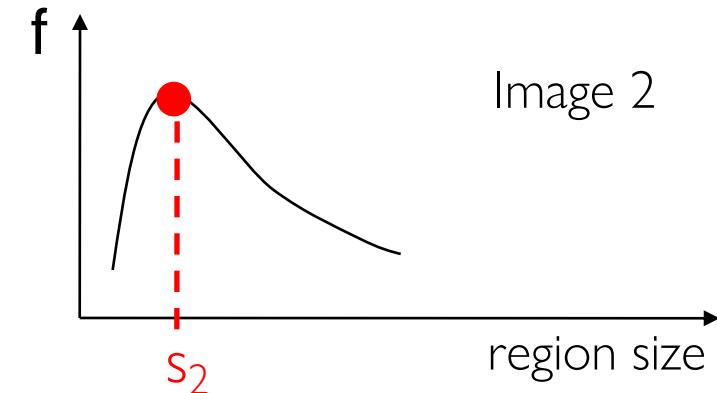
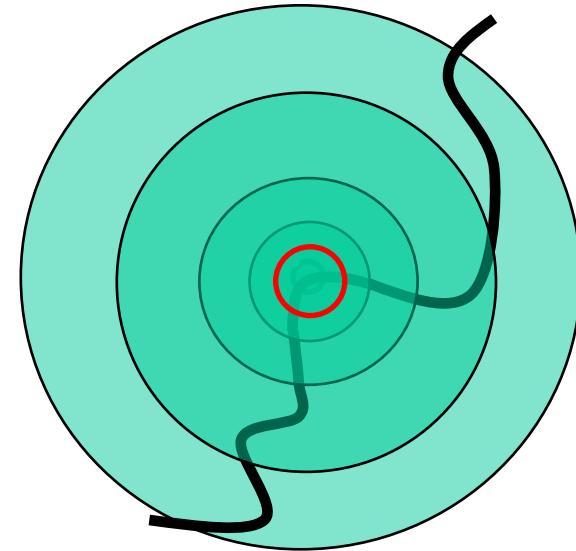
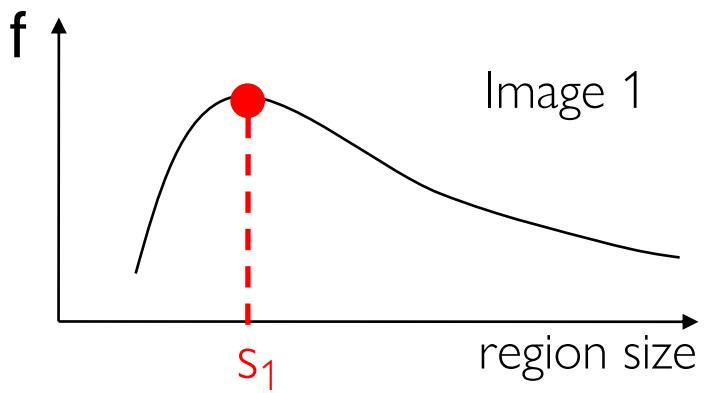
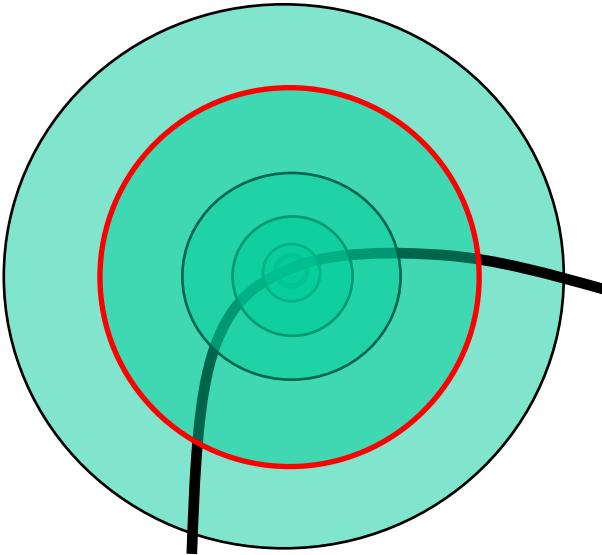


- How can we make a feature detector scale-invariant?
- How can we automatically select the scale?



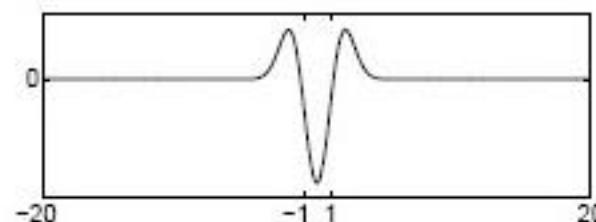
Multi-scale keypoint detection

- Find local maxima in both position and scale

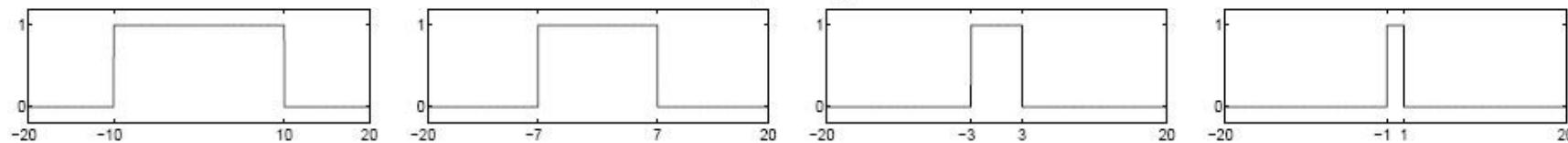


- Formally highest response
when the signal has the same **characteristic scale** as the filter

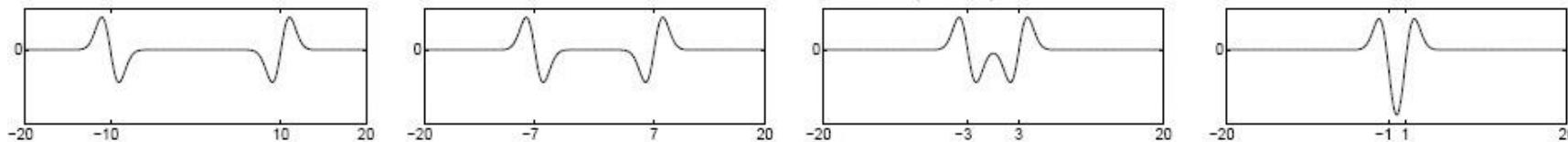
Laplacian filter



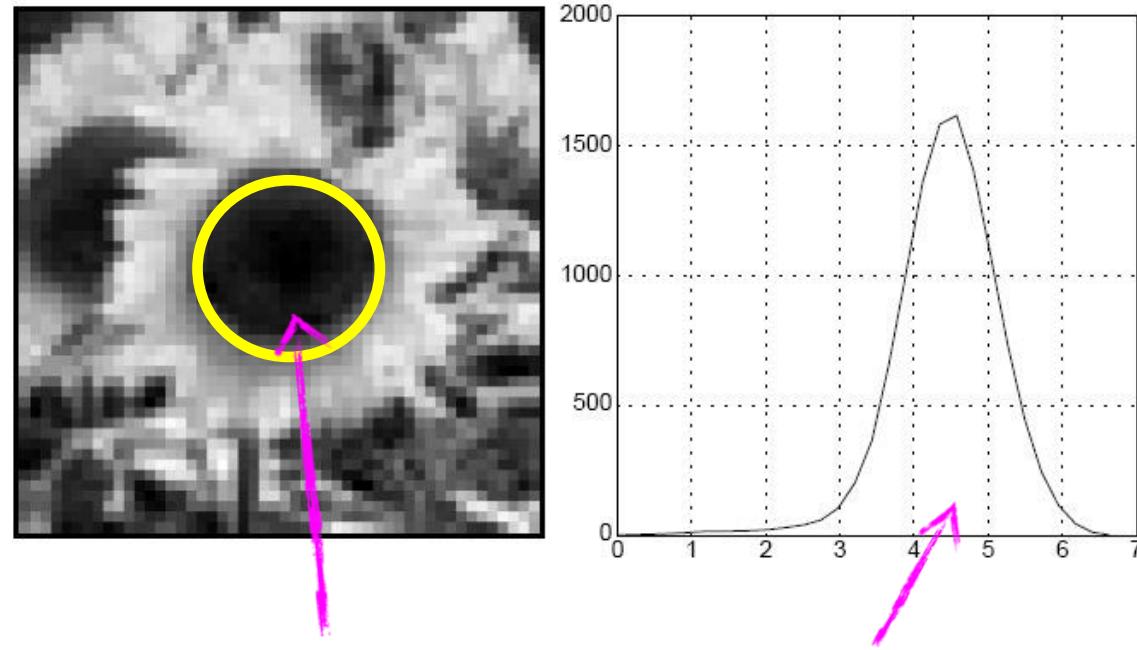
Original signal



Convolved with Laplacian ($\sigma = 1$)



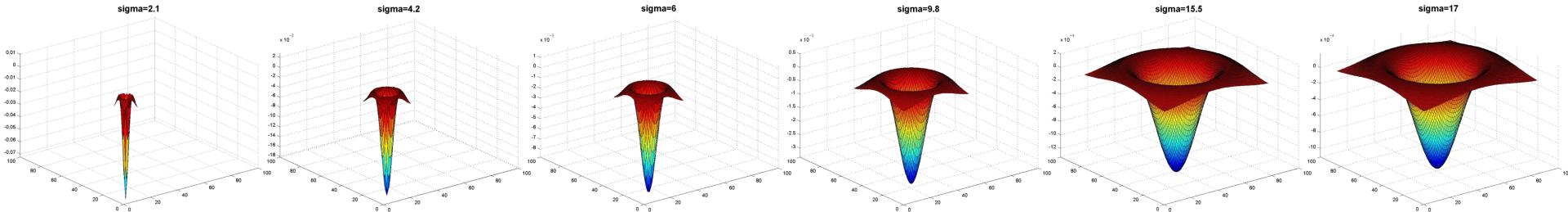
- characteristic scale - the scale that produces peak filter response



characteristic scale

- we need to search over characteristic scales

- What happens if you apply different Laplacian filters?



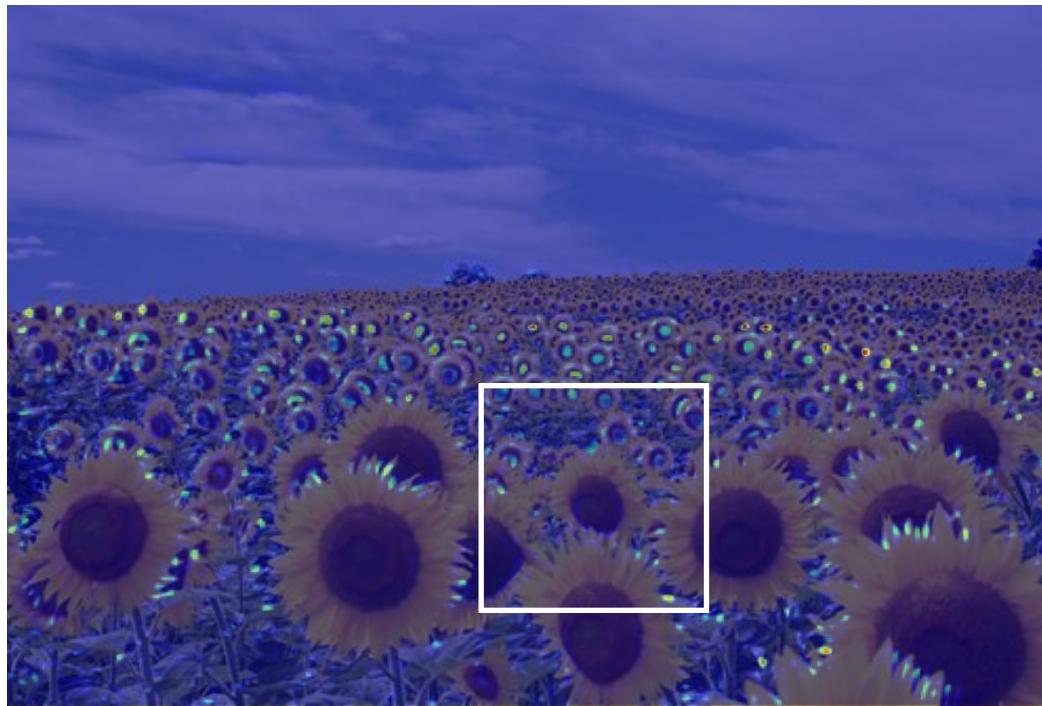
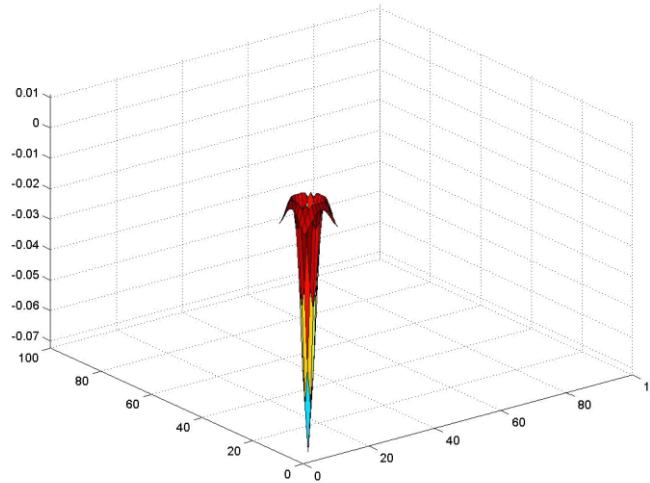
Full size



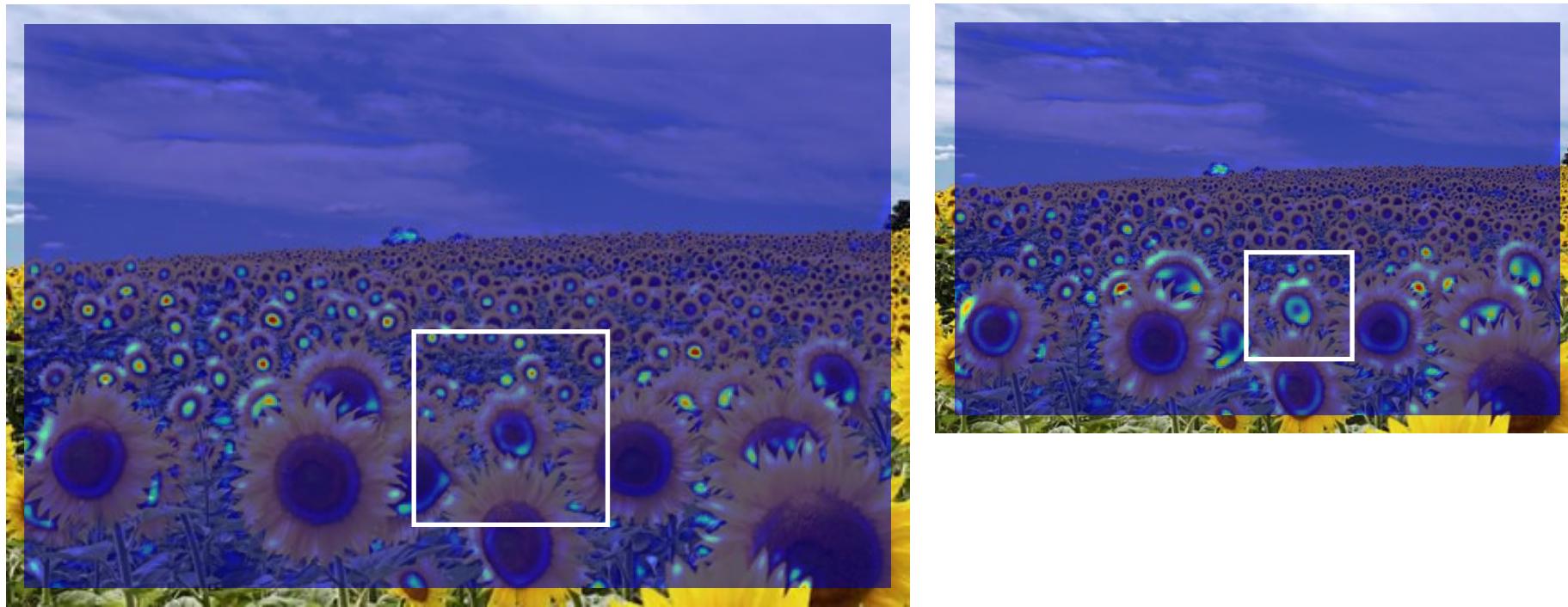
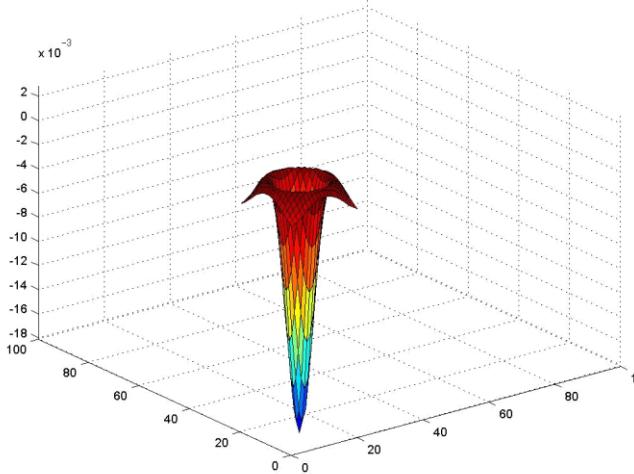
3/4 size

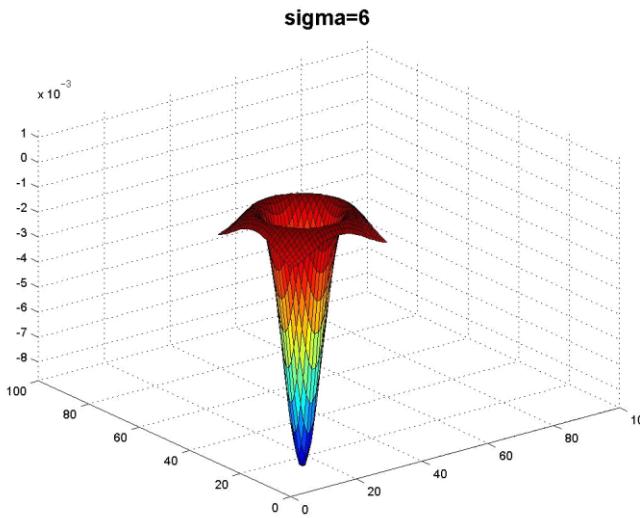


sigma=2.1

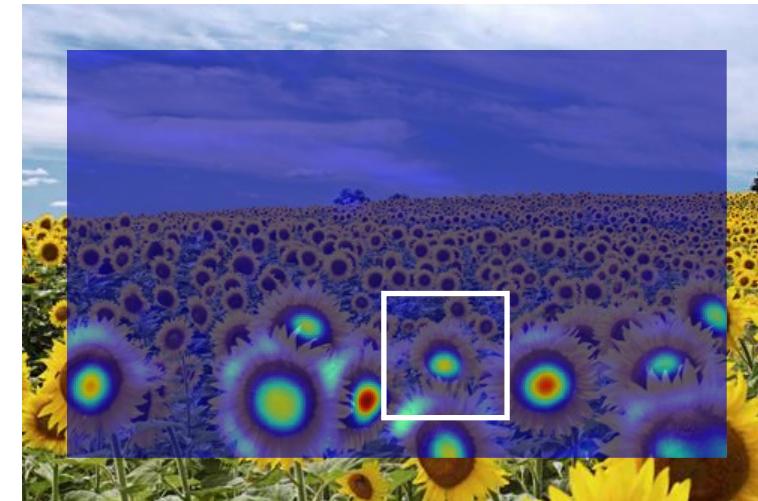
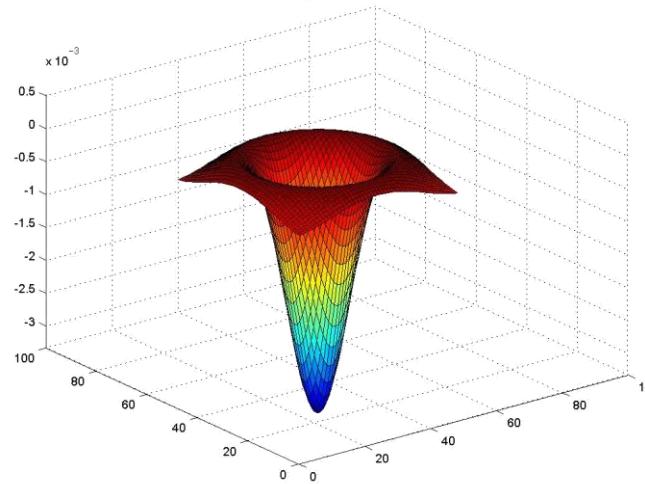


sigma=4.2

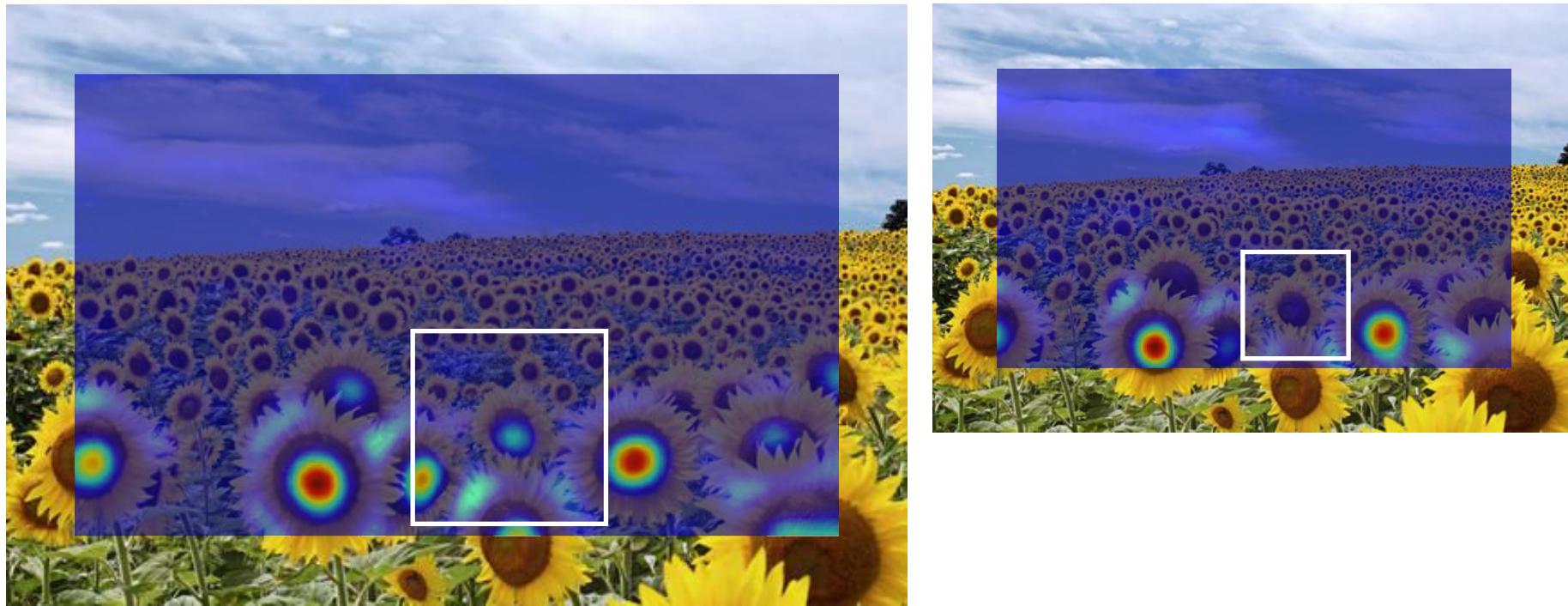
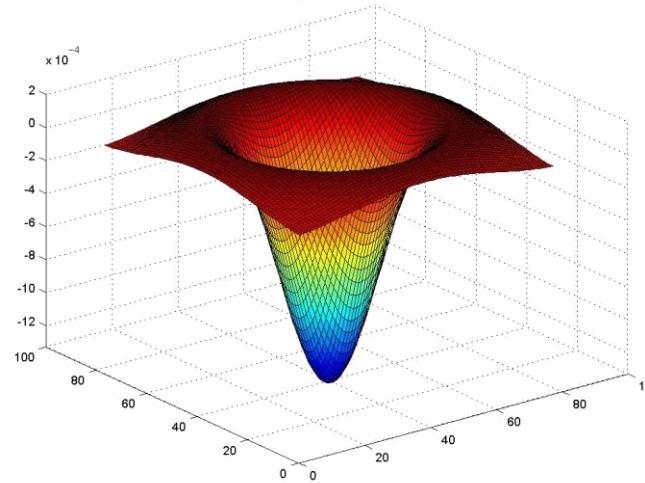




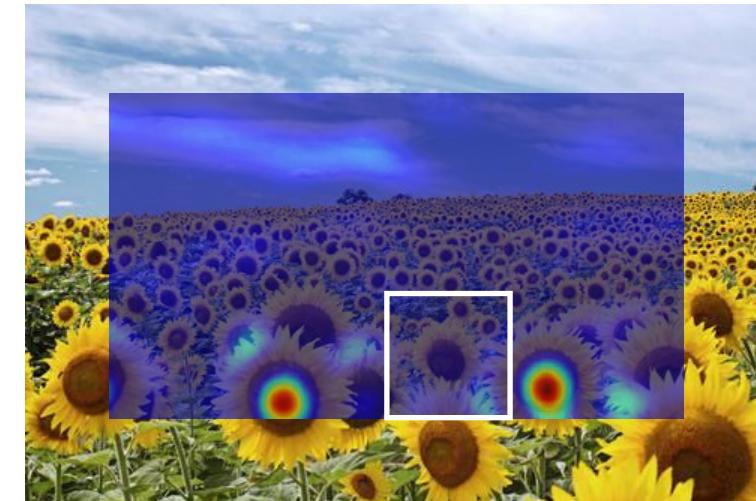
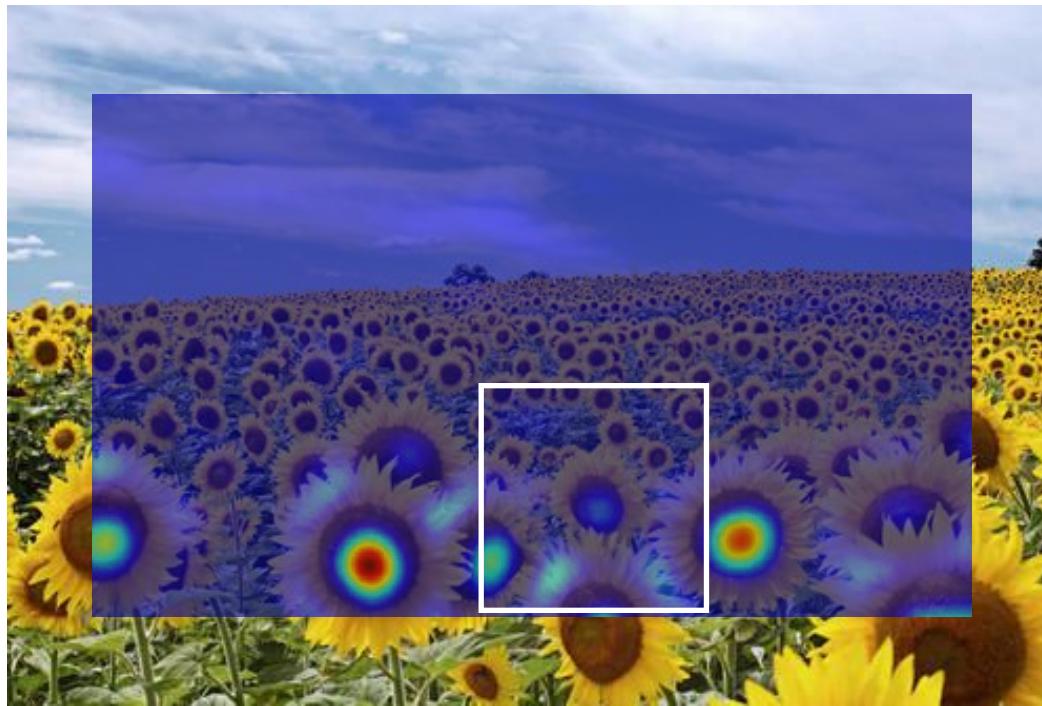
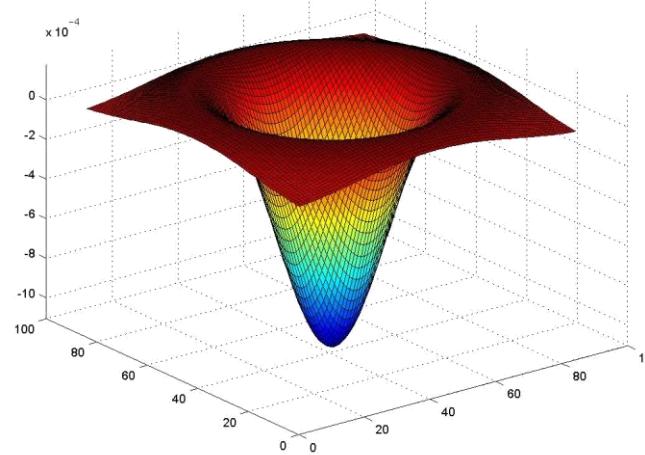
sigma=9.8



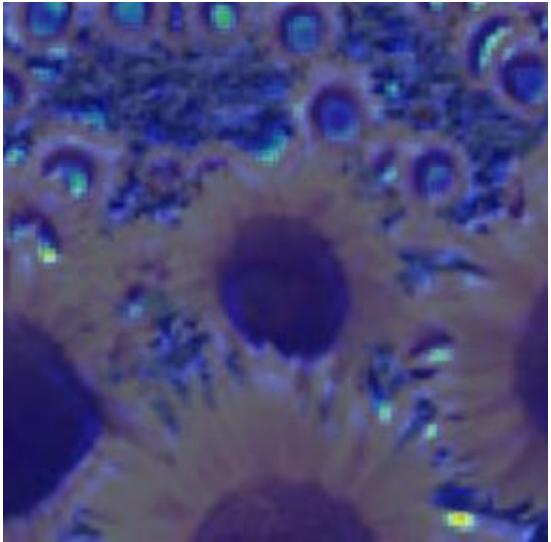
sigma=15.5



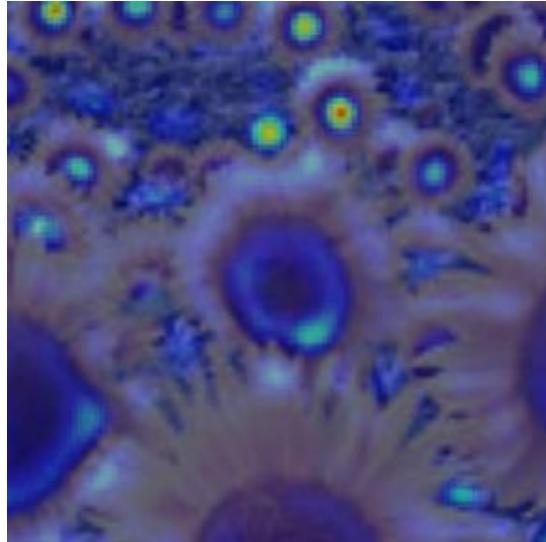
sigma=17



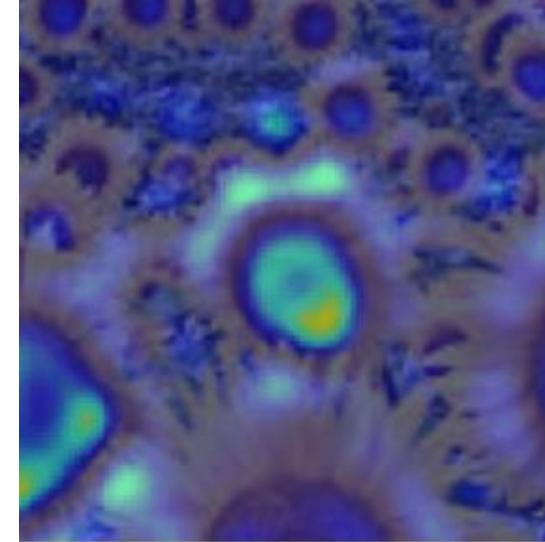
2.1



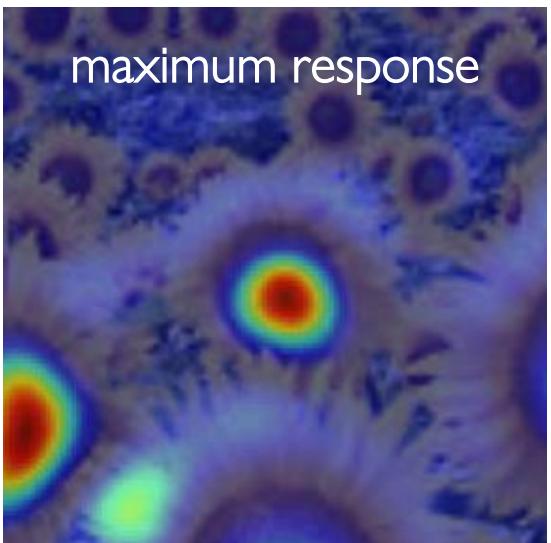
4.2



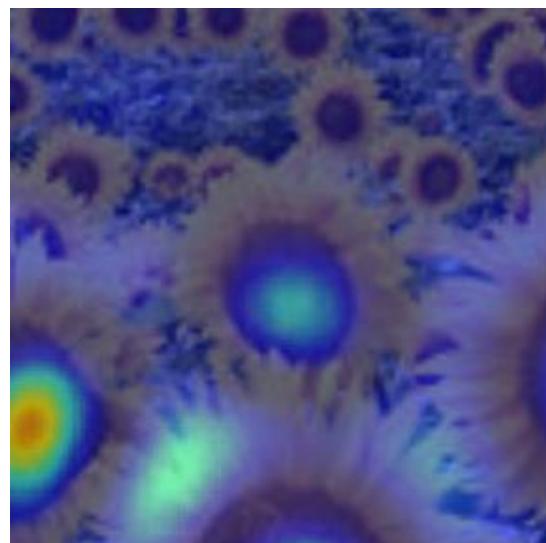
6.0



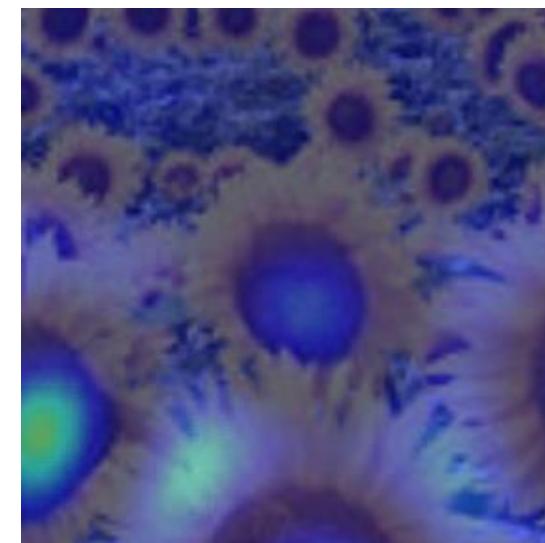
9.8



15.5

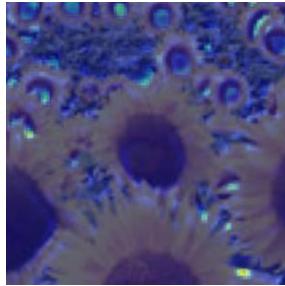


17.0

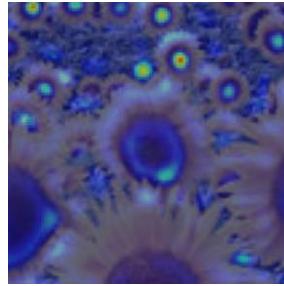


Optimal scale

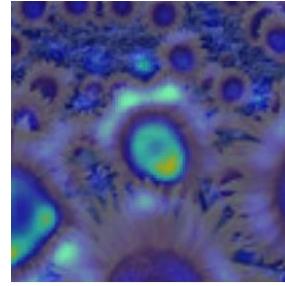
2.1



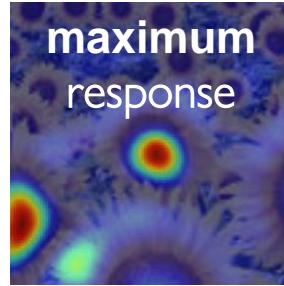
4.2



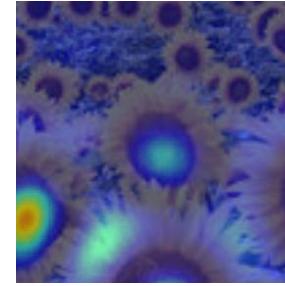
6.0



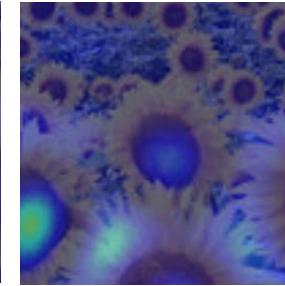
9.8



15.5

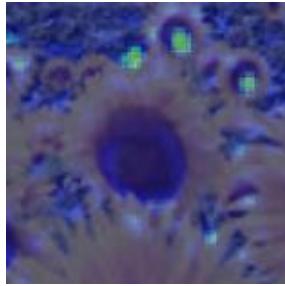


17.0

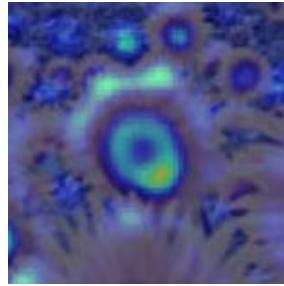


Full size image

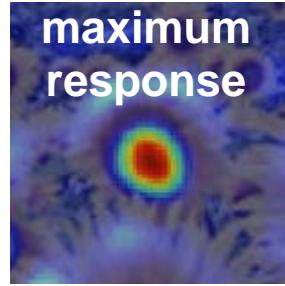
2.1



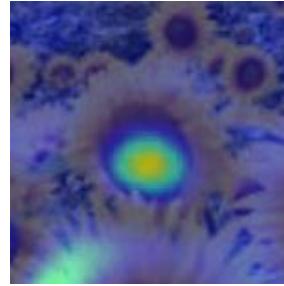
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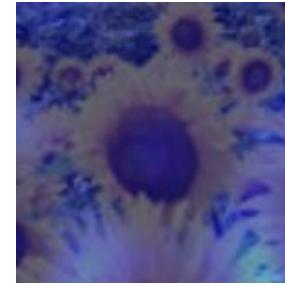
6.0



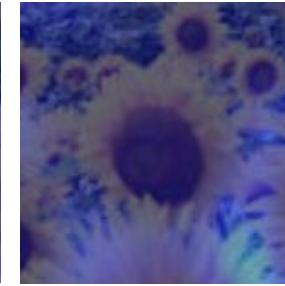
9.8



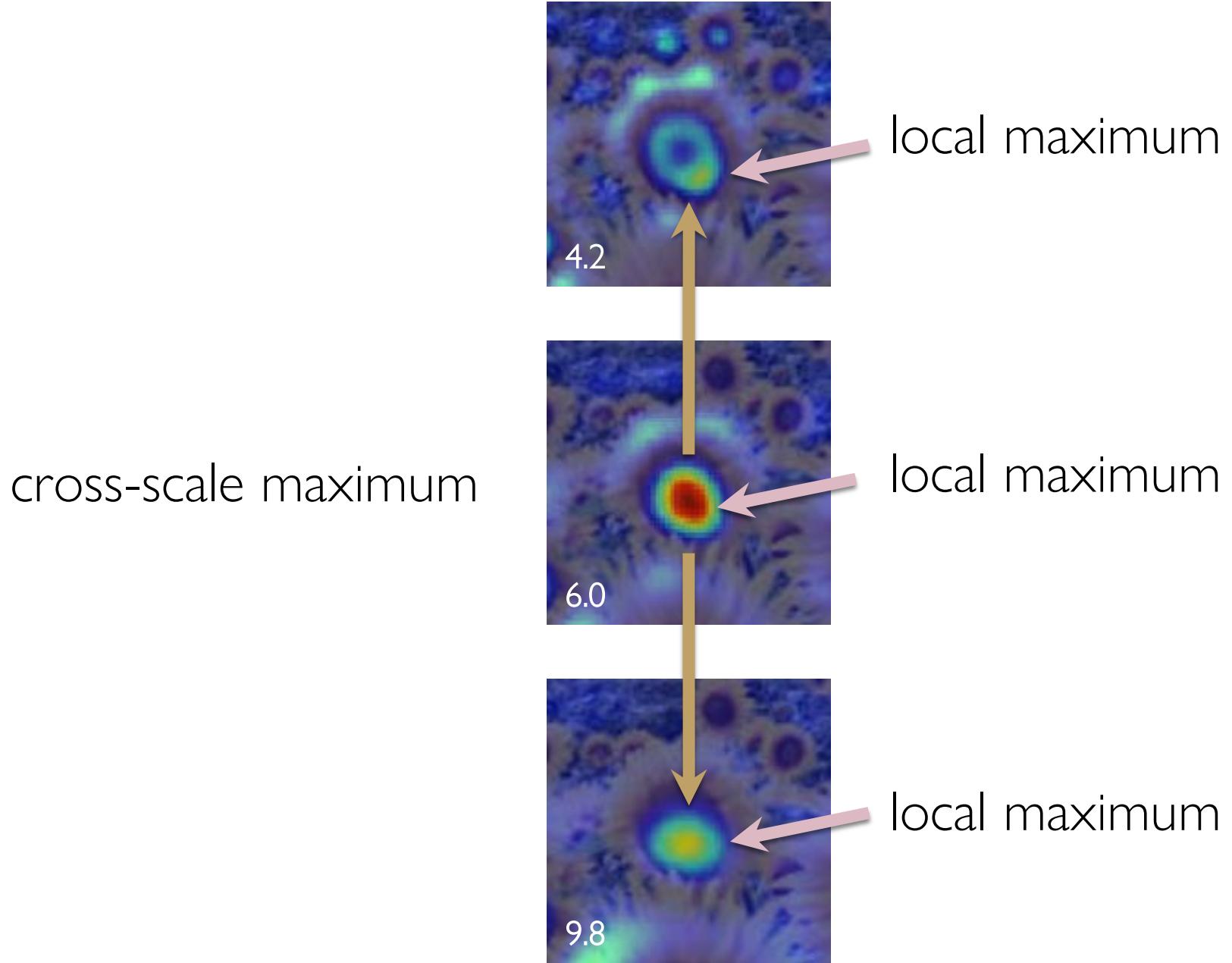
15.5



17.0

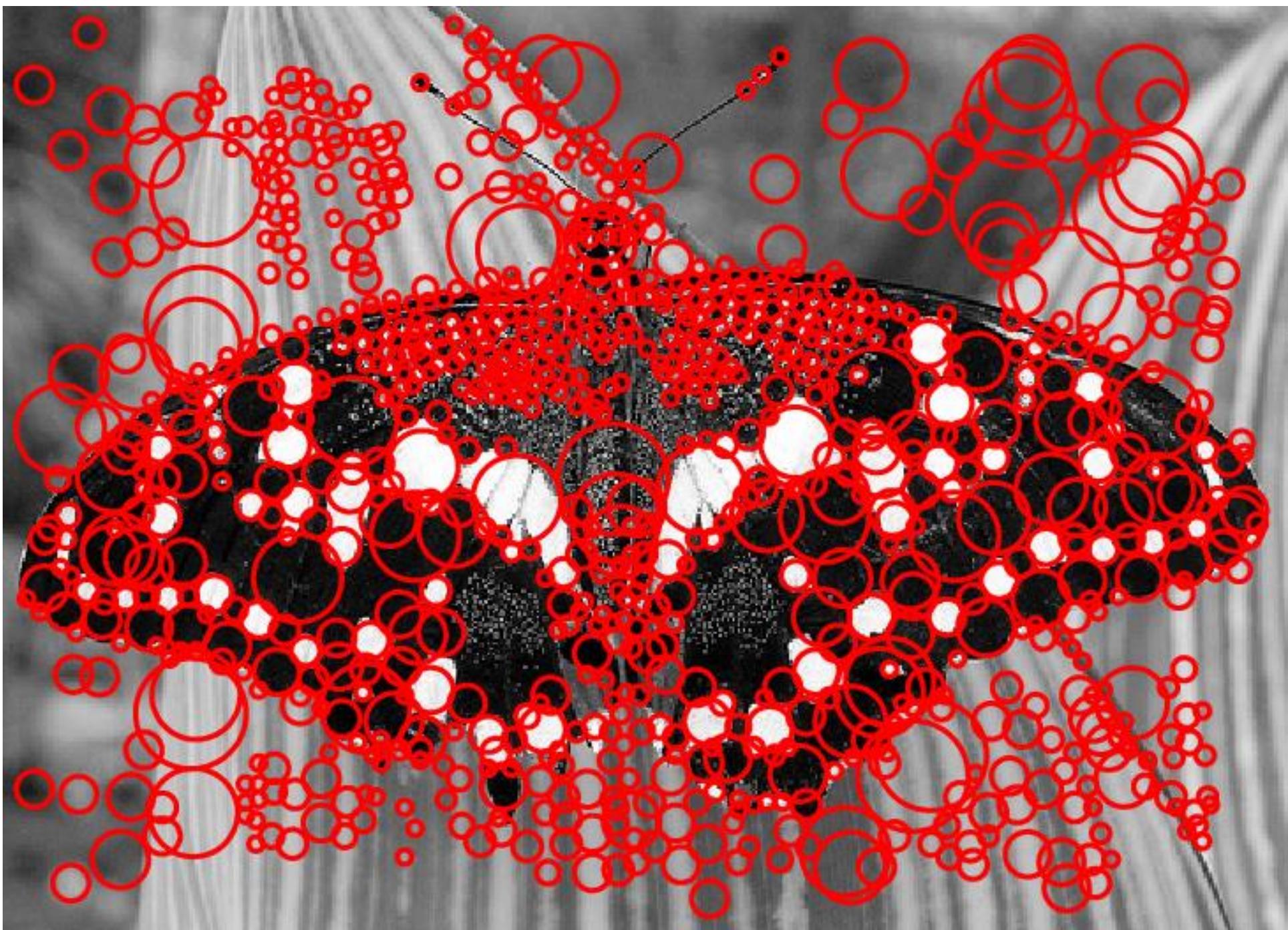


3/4 size image



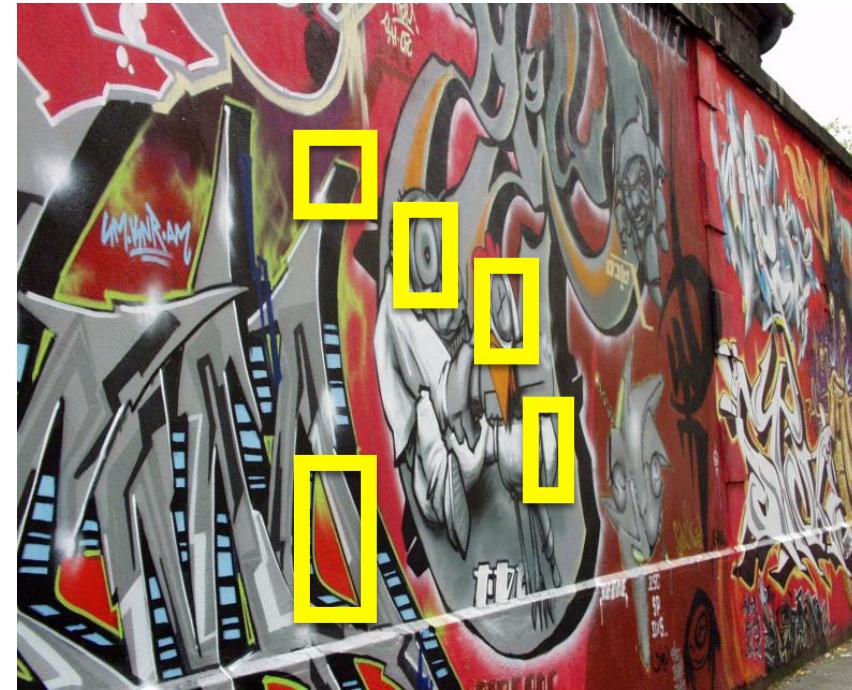
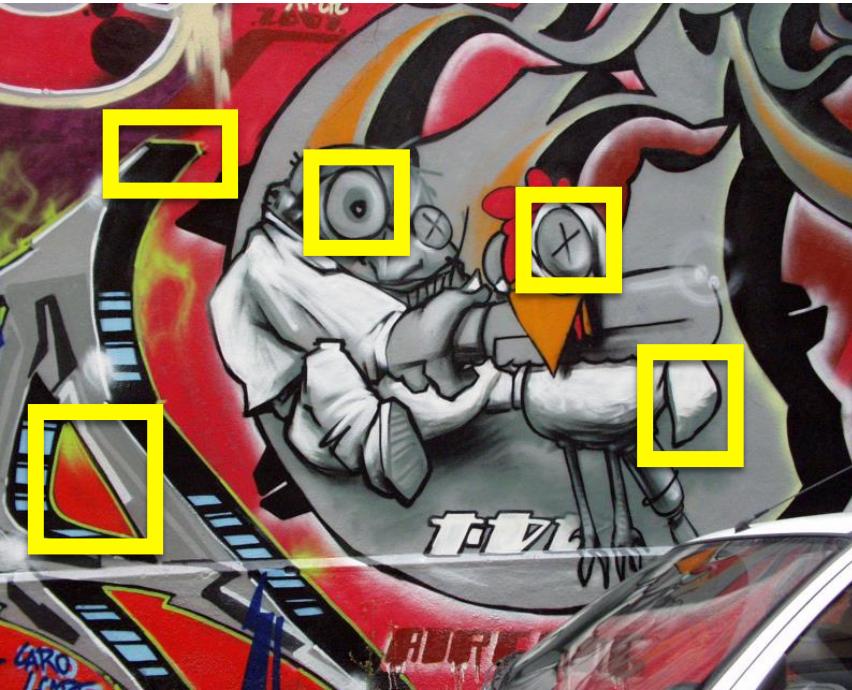
How would you implement scale selection?

- For each level of the Gaussian pyramid
 - compute feature response (e.g. Harris, Laplacian)
- For each level of the Gaussian pyramid
 - if local maximum and cross-scale
 - **save** scale and location of feature (x, y, s)



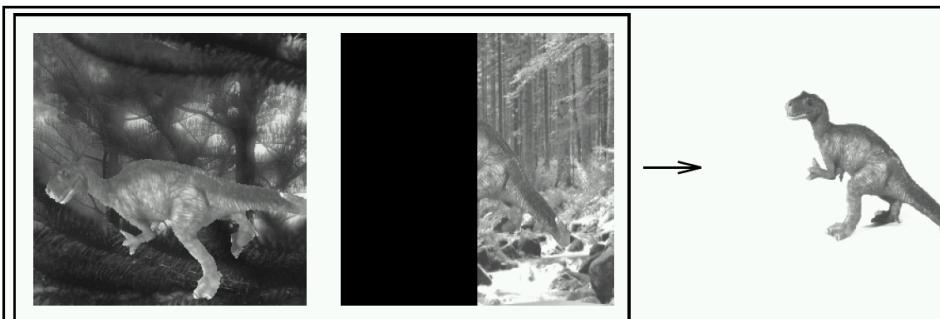
Feature Descriptors

Why do we need feature descriptors?



If we know where the good features are,
how do we match them?

Object instance recognition



Schmid and Mohr 1997



Sivic and Zisserman, 2003



Rothganger et al. 2003



Lowe 2002

Image mosaicing





How do we describe an image patch?

Patches with similar content should have similar descriptors.

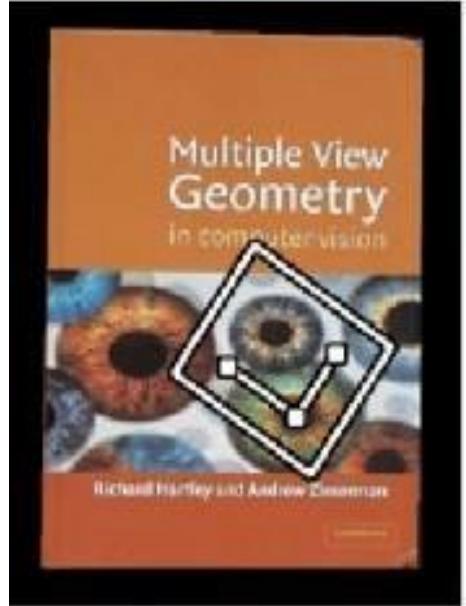


Designing Feature Descriptors

Photometric transformations



Geometric transformations



Objects will appear at different scales, translation and rotation

What is the best descriptor for an image feature?

Image patch

- Just use the pixel values of the patch



- Perfectly fine if geometry and appearance is unchanged (a.k.a. template matching)

Image patch

- Just use the pixel values of the patch



- Perfectly fine if geometry and appearance is unchanged (a.k.a. template matching)

What are the problems?

How can you be less sensitive to absolute intensity values?

Image gradients

- Use pixel differences

1	2	3
4	5	6
7	8	9



$$\left(\begin{array}{cccccc} - & + & + & - & - & + \end{array} \right)$$

vector of x derivatives
‘binary descriptor’

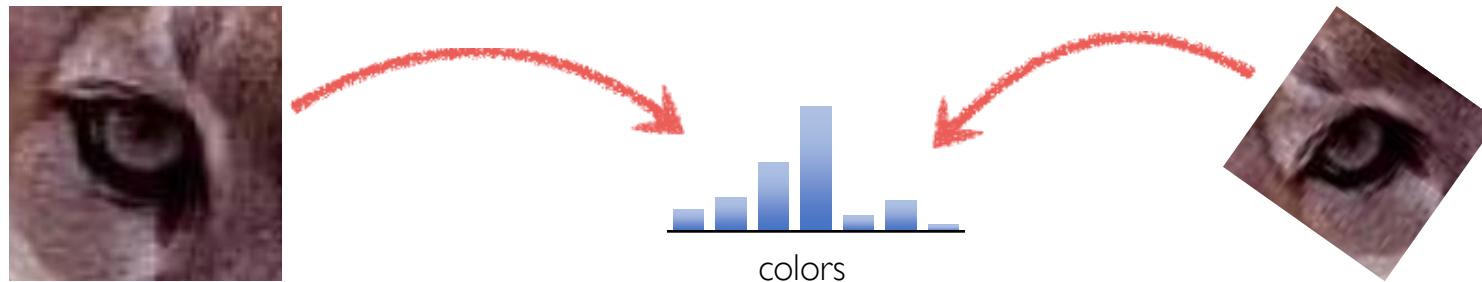
- Feature is invariant to absolute intensity values

What are the problems?

How can you be less sensitive to deformations?

Color histogram

- Count the colors in the image using a histogram



- Invariant to changes in scale and rotation

What are the problems?

Color histogram

- Count the colors in the image using a histogram



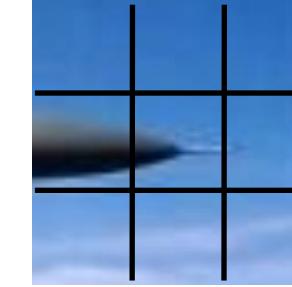
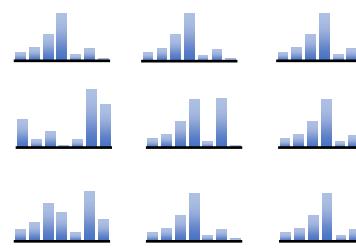
- Invariant to changes in scale and rotation

What are the problems?

How can you be more sensitive to spatial layout?

Spatial histograms

- Compute histograms over spatial ‘cells’

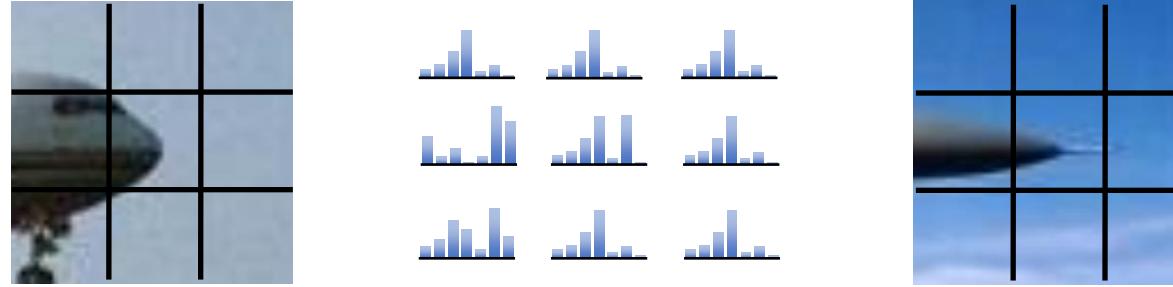


- Retains rough spatial layout
- Some invariance to deformations

What are the problems?

Spatial histograms

- Compute histograms over spatial ‘cells’



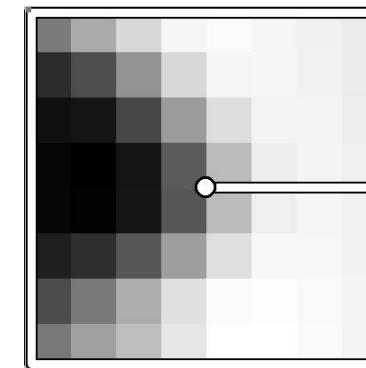
- Retains rough spatial layout
- Some invariance to deformations

What are the problems?

How can you be completely invariant to rotation?

Orientation normalization

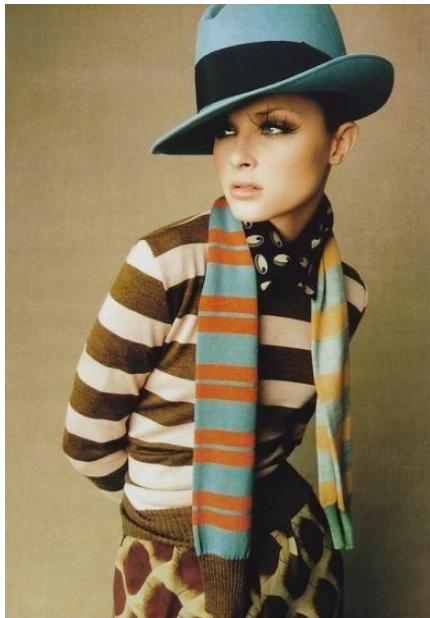
- Use the dominant image gradient direction to normalize the orientation of the patch



Save the orientation angle θ along with (x, y, s)

What are the problems?

Discriminative power



Raw pixels



Locally orderless



Global histogram

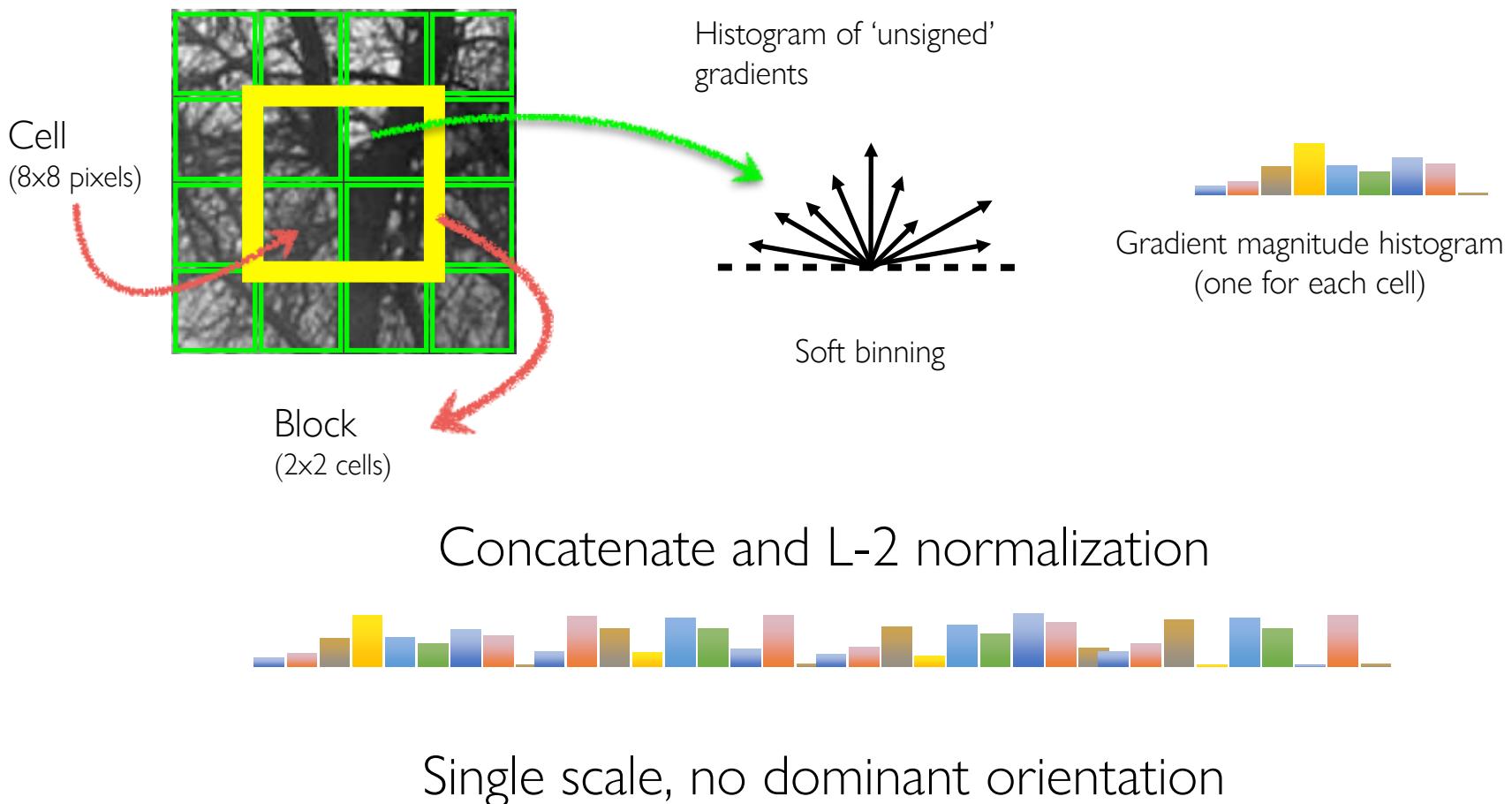
Generalization power



HOG descriptor

HOG

- Dalal, Triggs. **Histograms of Oriented Gradients** for Human Detection.
CVPR, 2005



Pedestrian detection

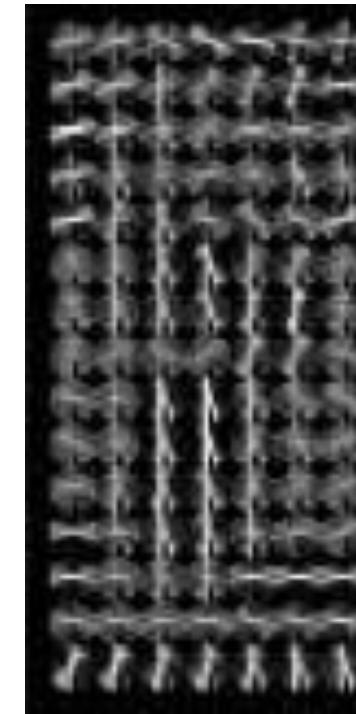
1 cell step size



128 pixels
16 cells
15 blocks

$$15 \times 7 \times 4 \times 36 \\ = 3780$$

Visualization



64 pixels 8 cells 7 blocks



SIFT

SIFT (Scale Invariant Feature Transform)

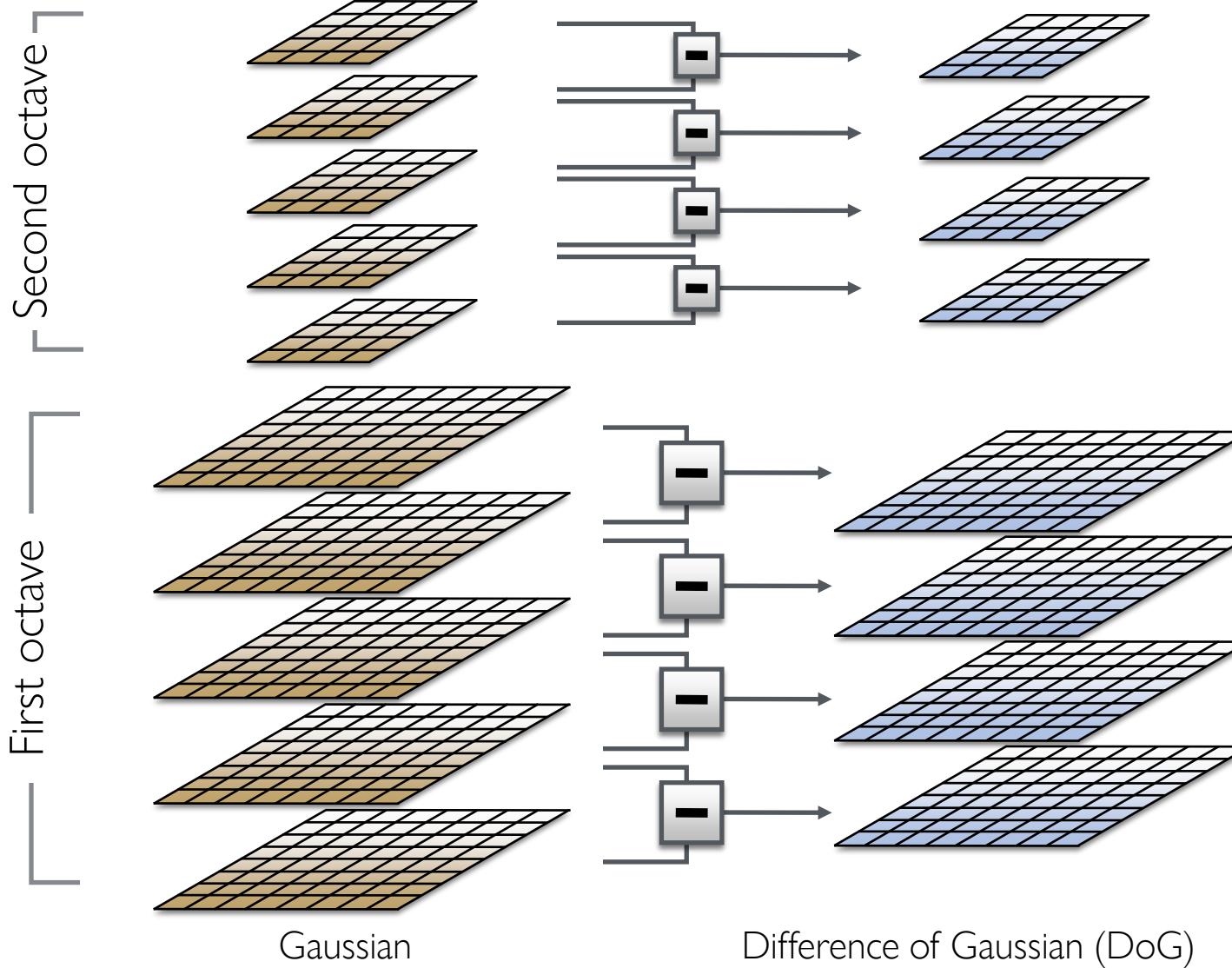


SIFT describes both a **detector** and **descriptor**

1. Multi-scale extrema detection
2. Keypoint localization
3. Orientation assignment
4. Keypoint descriptor

1. Multi-scale extrema detection

- Scale space



Why DoG?

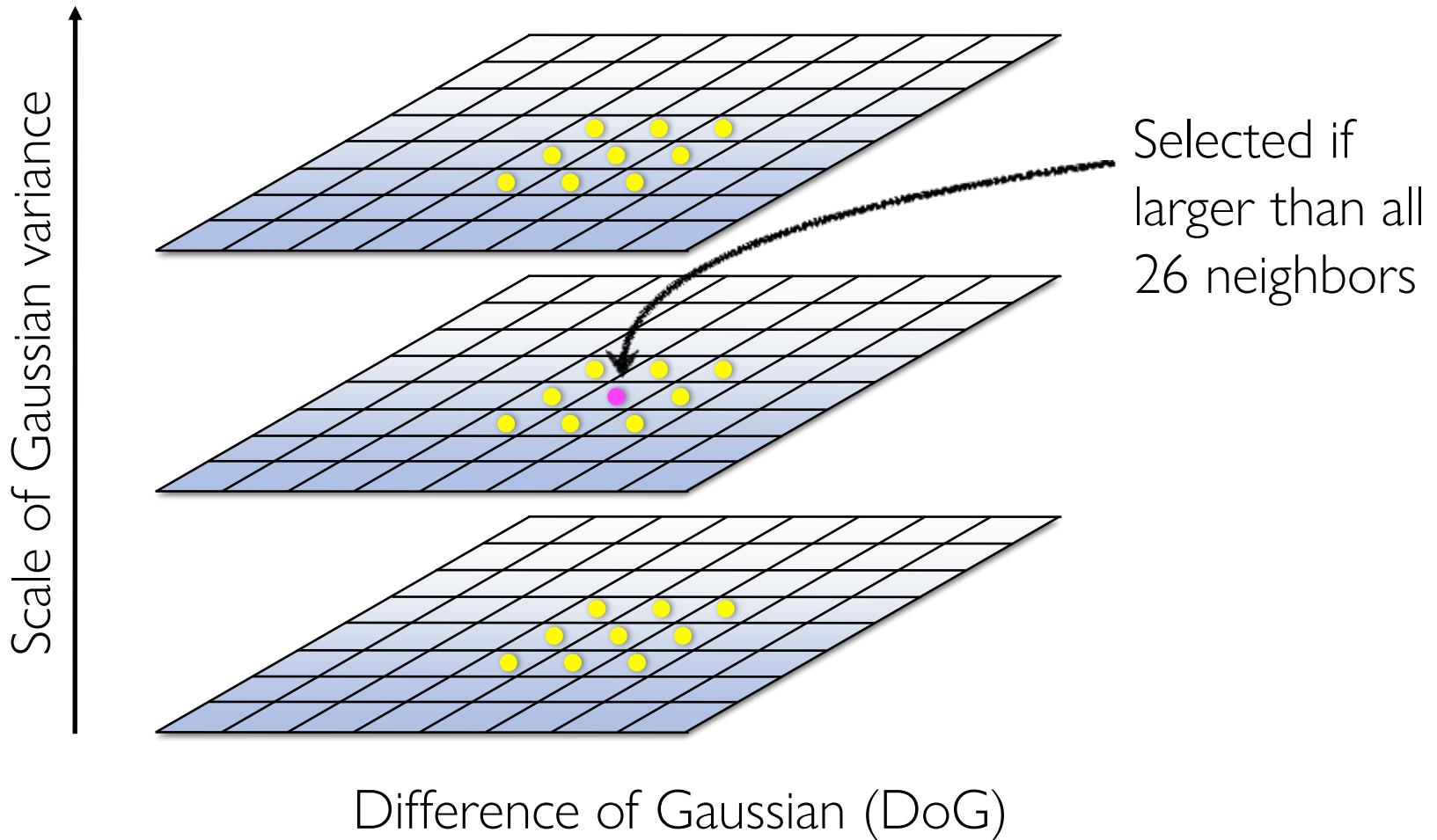


Gaussian



Laplacian

Scale-space extrema



2. Keypoint localization

- 2nd order Taylor series approximation of DoG scale-space

$$f(\mathbf{x}) = f + \frac{\partial f}{\partial \mathbf{x}}^T \mathbf{x} + \frac{1}{2} \mathbf{x}^T \frac{\partial^2 f}{\partial \mathbf{x}^2} \mathbf{x}$$

$$\mathbf{x} = \{x, y, \sigma\}$$

- Take the derivative and solve for extrema

$$\mathbf{x}_m = - \frac{\partial^2 f}{\partial \mathbf{x}^2}^{-1} \frac{\partial f}{\partial \mathbf{x}}$$

- Additional tests to retain only strong features

3. Orientation assignment

- For a keypoint, L is the **Gaussian-smoothed** image with the closest scale,

$$m(x, y) = \sqrt{(L(x + 1, y) - L(x - 1, y))^2 + (L(x, y + 1) - L(x, y - 1))^2}$$

x-derivative y-derivative

$$\theta(x, y) = \tan^{-1}((L(x, y + 1) - L(x, y - 1)) / (L(x + 1, y) - L(x - 1, y)))$$

- Detection process returns

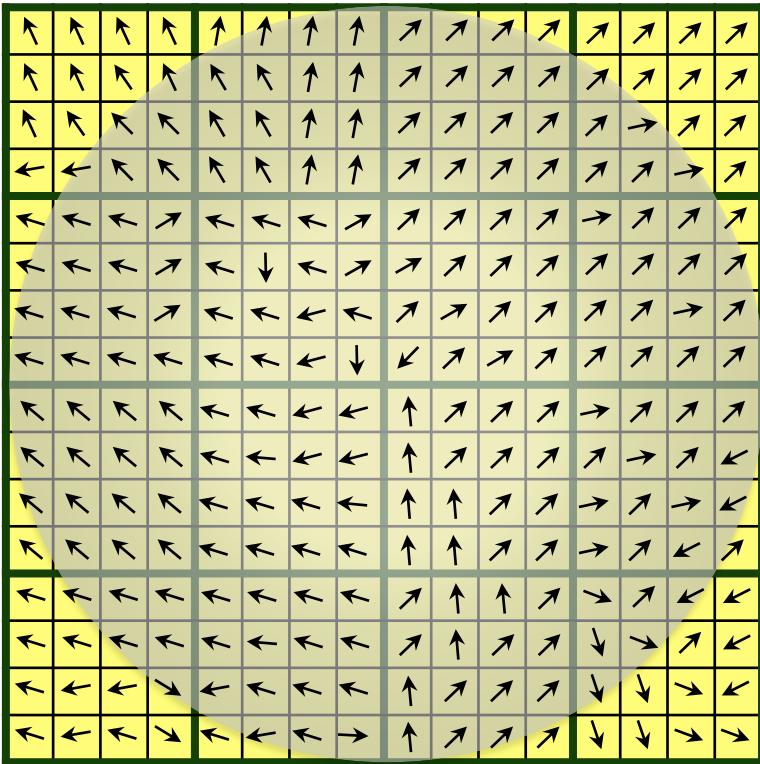
$$\{x, y, \sigma, \theta\}$$

Location Scale Orientation

4. Keypoint descriptor

Image Gradients

(4×4 pixel per cell, 4×4 cells)



Gaussian weighting
(sigma = half width)

SIFT descriptor

(16 cells \times 8 directions = 128 dims)

