- A) False. MSD radix sort takes O(mnR) time, while LSD radix sort takes O(m(n+R)) time, where m is the number of digits of the largest key and R is the radix. If m or R are not constant, the runtime is not O(n).
 - B) False. The LZW dictionary is generated dynamically based on the text, so each code number from different pieces of text can correspond to different sequences of characters.
 - C) False. A Huffman code is only valid if we start at the beginning of a text, or at a break between characters. An arbitrary substring can begin at any character.
- 2. a) There are ceil(log n) bits in n. The algorithm iterates until there is 1 bit, and each recursive call splits the number in half by the number of bits. Hence the runtime is Theta(log n).
 - The outer for loop runs n times. The inner for loop runs 3^I times. Hence we have

$$T(n) = \sum_{i=1}^{n} \sum_{j=1}^{n} 1 = \sum_{i=1}^{n} 3^{i} = \frac{3}{2}(3^{n-1}) \in O(3^{n})$$

- 0
 9690, 4090, 6070, 1020, 4070

 1
 2

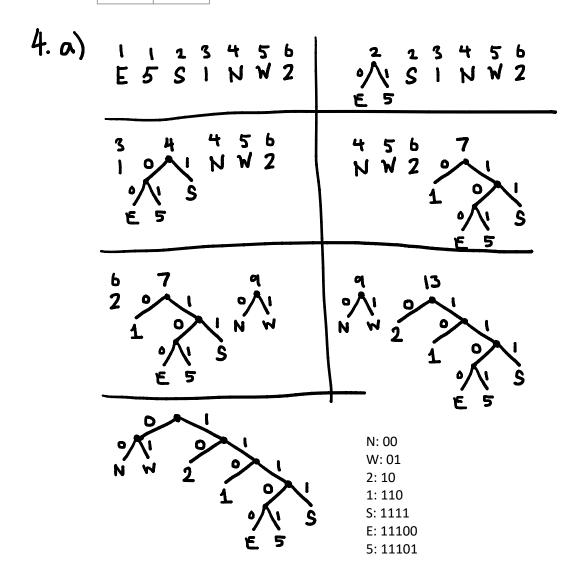
 4
 4

 5
 6

 7
 8

 9
 9

c)	0	4070
•	1	1020
	2	6070
	3	9690
	4	4090
	5	1983
	6	4372
	7	
	8	
	9	



```
132:t_
                                 140:-0
128:an
                      136: _01
                                 141: 61
                      137: nt
          133: _c
129: 1-
                                  142:le
                      137: ti
          134:Ca
130: <u>_</u>a
                      139:1-
                                  143: EP
131: ant 135: an-
                                  149:01
```

6. вс\$сссаав

```
$ACBCCACB
ACBCCACB$
CBCCACB$A
            ACB$ACBCC
            ACBCCACB$
BCCACB$AC
CCACB$ACB
            B$ACBCCAC
CACB$ACBC
            BCCACB$AC
ACB$ACBCC
            CACB$ACBC
CB$ACBCCA
            CB$ACBCCA
B$ACBCCAC
            CBCCACB$A
$ACBCCACB
            CCACB$ACB
```

- A) Suffix trie (tree?). It takes O(n|Alphabet|) time to construct the trie, and O(m) time to query. Once the trie is constructed, we can query multiple different keys without needing to reconstruct the structure.
 - B) B-tree. It supports insertion, deletion, and fast range-searching.
 - C) Hash-table. It supports fast lookup by key, and can be implemented in a small amount of space since we don't need to support insertion or deletion.
 - D) Suffix trie (tree?). It takes O(n|Alphabet|) time to construct the trie, and O(m) time to query. Once the trie is constructed, we can query multiple different keys without needing to reconstruct the structure.
- **8.** Not covered :P
- We traverse the tree. At each node, we first traverse the children in lexicographical order. At each leaf, we print the suffix.

```
lexicographicalOrder(T: suffixTree) {
    if T is a leaf {
        print(T.string)
        return
    }
    for child in T.children { // Assume lexicographical order
        lexicographicalOrder(child)
    }
}
```

P)

We traverse the tree until we reach an internal node with index >= length(P). If the substring differs from P by 2 characters or less, we return true. Assume we have a helper function to calculate the number of differing characters in two strings called strDiff

```
matchWithTypo(T: suffixTree, P: string) {
      if T is a leaf and T.string.length < P {
             return false
      }
      if T.string.length == P {
             if strDiff(T.string, P) <= 2 {</pre>
                    return true
             }
             return false
      } else { // T.string.length < P</pre>
             for child in T.children {
                    if matchWithTypo(child, P) == false {
                           return false
                    }
             }
             return true
      }
}
```

We find the longest common string by finding the deepest common internal node between the two trees.

```
longestSubstring = ""
longestCommonString(T1, T2) {
    if (T1.string != T2.string) {
        return
    }
    If (T1.string.length > longestSubstring.length) {
        longestSubstring = T1.length
    }
    for child in T1.children {
        if (T2.children.contains(child) {
            longestCommonString(child, T2.children.find(child))
        }
    }
}
```

Don't we already loop from 1 to m-1, because m-1 is the last index of the array?