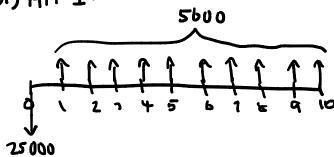
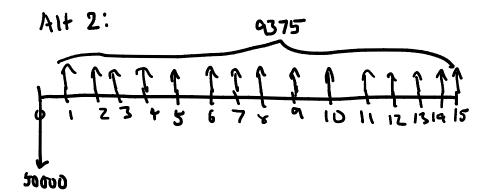
1, a) Alt 1:





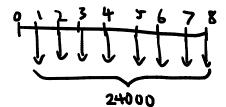
b) Alt 1: 
$$PP = \frac{F_{irst} cust}{Amusl m/k} = \frac{25000}{5600} = 4.46 years$$

Alt 2:  $PP = \frac{F_{irst} cust}{Amusl m/k} = \frac{50000}{91375} = 5.33 years$ 

We adjust the service life of each so they are the same - 30 years

Alternative 2 is better. Even though it has a slightly higher payback period, its net present worth is much greater than Alternative 1.





(Note: Should compare Alt 1 first but the method is the same and I'm lazy). We first compare Alternative 2 with Do Nothing. We use the IRR method, since there is a standard cashflow. The service lives of every alternative are the same.

$$0 = -68000 - (10000 - 24000)(P/A, i^*, 8)$$

$$4.857 = \frac{(1+i^*)^8 - 1}{i^*(1+i^*)^8} = (P/A, i^*, 8)$$

Interpolation:

$$\frac{4968-4.447}{15\%-12\%} = \frac{4.357-4.487}{15\%-12\%}$$

$$\frac{1}{12\%-12\%} = \frac{4.357-4.487}{15\%-12\%}$$

We discard the Do Nothing alternative, and compare Alternative 2 with Alternative 1. We use the IRR method, since there is a standard cashflow.

$$0 = (-66000 + 50000) - (10000 - 15000)(P/A, i*, 8)$$

$$6 = \frac{(1+i*)^8 - 1}{i*(1+i*)^8} = (P/A, i*, 8)$$

$$(P/A, 6 \%, 8) = 6.210$$

$$(P/A, 7\%, 8) = 5.971$$

Interpolation:

$$\frac{6.21-5.971}{79.-6\%} = \frac{6-5.971}{1^{2}-6\%}$$

$$1^{2} = 6.12\% < 12\%$$

By the IRR method, Alternative 1 is the best choice.