# Calculating Hubble Constant

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#### **Motivations**

- Understanding the origin and eventual fate of the entire universe
- Understanding the age of the universe and seeing how the expansion model we've calculated fits the data

### **Methods**

- Utilizing python packages to plot and fit models to data
- Using the equation for the Hubble Constant and data from supernovae with known brightnesses

import numpy as np import matplotlib.pyplot as plt import astropy.io.ascii import astropy.units as u import astropy.constants as ac from google.colab import files uploaded = files.upload()

SN2000eh 188.297 -31.651 0.49

SN2000fa 194.167 15.479 0.0218

SN2001V 218.929 77.733 0.0162

Length = 230 rows

#importing necessary packages and uploading data file data = astropy.io.ascii.read("Tonry\_2003.vot") # formatting imported data into python print(data) # printing data /usr/local/lib/python3.10/dist-packages/astropy/io/ascii/html.py:91: XMLParsedAsHTMLWarn soup = BeautifulSoup("\n".join(lines)) col1 col2 col3 col4 col5 col6 col7 col8 col9 col10 SN1972E 314.84 30.08 0.0023 N5253 16 2.839 2.399 0.033 204.9697 -31.6692

SN1980N 240.161 -56.689 0.0056 N1316 9 3.225 3.14 0.043 50.6753 -37.2074 SN1981B 292.97 64.743 0.0072 N4536 2 3.334 3.077 0.041 188.6233 2.1995 SN1981D 240.161 -56.689 0.0056 N1316 9 3.225 3.044 0.055 50.6753 -37.2074 SN1986G 309.543 19.401 0.0027 N5128 26 2.908 2.44 0.035 201.4028 -43.0316 SN1988U 8.737 -81.227 0.31 24 4.968 5.096 0.072 3.5756 -30.4164 Anon SN1989B 241.991 64.403 0.0036 N3627 37 3.033 2.844 0.03 170.0578 12.9718 SN1990N 294.369 75.987 0.0044 N4639 21 3.12 3.204 0.035 190.7367 13.2566 SN19900 37.654 28.36 0.0307 M+034403 10 3.964 3.977 0.025 258.8999 16.3241 SN1990T 341.503 -31.526 0.04 P63925 10 4.079 4.101 0.042 299.7601 -56.2583 SN2000cx 136.506 -52.482 0.007 N0524 11:19 3.322 3.32 0.023 21.1926 9.509 SN2000dk 126.834 -30.344 0.0164 N0382 11 3.692 3.677 0.023 16.8483 32.4068

SN2000dz 84.367 -56.39 Anon 13 5.176 5.352 0.053 352.6728 0.3119 SN2000ea 167.211 -61.402 0.42 Anon 13 5.1 5.091 0.053 32.4751 -5.4719 SN2000ec 166.295 -60.176 0.47 13 5.149 5.34 0.043 32.8836 -4.2321 Anon SN2000ee 166.045 -53.429 0.47 13 5.149 5.343 0.041 36.8945 1.1971 Anon

SN2000eg 167.097 -53.108 0.54 Anon 13 5.209 5.236 0.049 37.5883 1.0639

Anon

U03770

N3987

13 5.167 5.224 0.042 63.7604 4.3888

11 3.815 3.837 0.026 108.8752 23.4287 22 3.686 3.662 0.023 179.3542 25.2024

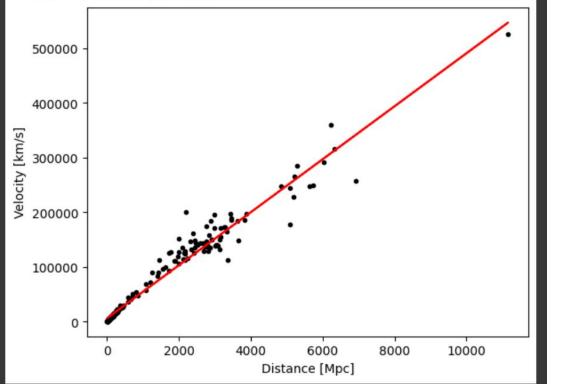
```
Then dividing that by the assumed hubble constant gives the distance of the supernova in mpc
vel = 10**data["col7"] * u.km / u.s # "col7" has the values of the receeding velocity in units of log(km/s). Raise 10 to the value for the velocity
                              plt.plot(dist, vel, marker=".", color="black", linestyle="none") # plotting and formatting graph
                              plt.xlabel("Distance [Mpc]")
                              plt.ylabel("Velocity [km/s]")
                              Text(0, 0.5, 'Velocity [km/s]')
                                  500000
                                  400000
                               Velocity [km/s]
                                  300000
                                  200000
                                  100000
                                                     2000
                                                               4000
                                                                          6000
                                                                                    8000
                                                                                              10000
                                                                   Distance [Mpc]
```

dist = ((10\*\*data["col8"] \* u.km / u.s) / (72 \* ((u.km \* u.s\*\*-1)/ u.mpc)))

Raising 10 to the power of the value in column 8 gives the receding speed of the supernova in km/s.

"col8" has the values of Final median distance times H\_0\_ in log(km/s).

lin\_fit = np.polyfit(dist.to(u.mpc).value, vel.to(u.km / u.s).value, 1) # calculating linear fit coefficients
vel\_lin = lin\_fit[0] \* dist.to(u.mpc).value + lin\_fit[1] # creating calculated velocity curve
plt.plot(dist, vel, marker=".", color="black", linestyle="none")
plt.plot(dist, vel\_lin, color="red")
plt.xlabel("Distance [Mpc]")
plt.ylabel("Velocity [km/s]")



```
0
```

h = lin\_fit[0] \* u.km / u.s / u.Mpc # slope of graph = hubble constant
print(h)

```
[ ] age = 1/h # age of universe = inverse of hubble constant
    print(age.to(u.Gyr))
```

# 20.174816604618965 Gyr

### **Conclusions**

- Our model used a linear fit and included ALL data points
- This led to multiple inaccuracies in our model
  - The linear fit did not cross the origin
  - The large amounts of measurement error on farther away data points