

Case study: *gummy-like* or *cookie-like* candies?

Problem statement

- We want to create a brand-new candy.
- We have a **market survey** on **customer sentiment** for competitor brands of candies.
- We want our analysis to be driven by the **maximization of customer preference**.
- We need to choose what the new candy will be: a **gummy** or a **cookie-based sweet**?

Recommendation

Results from data analysis suggest that we should opt for a **cookie-based sweet**.

Assumptions and procedure

The market survey does not specify which candies are gummy-like or cookie-like.

So, first of all we need to create two clusters (based on the properties listed in the marked survey).

We assume that gummies and cookies can be classified as following:

gummy-like

- **Not hard**: they are very different from hard candies.
- **Fruity**: often, gummies have fruity flavours.
- **Pluribus**: often, gummies come in packages which contains many of the same type.

cookie-like

- **Not hard**: they are very different from hard candies.
- **Crispedricewafer**: of course they must have a crispy texture, similar to cookies.

Results of the analysis

First observations

So far, the likeability of a candy is indicated by a continuous value (*winpercent*). We want to simplify things:

We say that a candy is a winner if its *winpercent* is > 50

This means that, in a random match with another candy, a winner candy has more than 50% the chance of being preferred by a customer.

What percentage of *cookie-like* candies in our dataset are winners?
What about *gummy-like* candies?

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Percentage of cookie-like candies that are winners: 85.71428571428571  
Percentage of gummy-like candies that are winners: 42.10526315789473
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Results of the analysis

Correlation matrix

Let's now look at flavours and physical features of candies.

chocolate	1.0000	-0.7417	0.2499	0.3778	0.2549	0.3412	-0.3442	0.5974	-0.3397	0.1042	0.5047	0.6365
fruity	-0.7417	1.0000	-0.3355	-0.3993	-0.2694	-0.2694	0.3907	-0.5151	0.2997	-0.0344	-0.4310	-0.3809
caramel	0.2499	-0.3355	1.0000	0.0594	0.3285	0.2131	-0.1224	0.3340	-0.2696	0.2219	0.2543	0.2134
peanutyalmondy	0.3778	-0.3993	0.0594	1.0000	0.2131	-0.0176	-0.2056	0.2604	-0.2061	0.0879	0.3092	0.4062
nougat	0.2549	-0.2694	0.3285	0.2131	1.0000	-0.0897	-0.1387	0.5230	-0.3103	0.1231	0.1532	0.1994
crispedricewafer	0.3412	-0.2694	0.2131	-0.0176	-0.0897	1.0000	-0.1387	0.4238	-0.2247	0.0699	0.3283	0.3247
hard	-0.3442	0.3907	-0.1224	-0.2056	-0.1387	-0.1387	1.0000	-0.2652	0.0145	0.0918	-0.2444	-0.3104
bar	0.5974	-0.5151	0.3340	0.2604	0.5230	0.4238	-0.2652	1.0000	-0.5934	0.1000	0.5184	0.4299
pluribus	-0.3397	0.2997	-0.2696	-0.2061	-0.3103	-0.2247	0.0145	-0.5934	1.0000	0.0455	-0.2208	-0.2474
sugarpercent	0.1042	-0.0344	0.2219	0.0879	0.1231	0.0699	0.0918	0.1000	0.0455	1.0000	0.3297	0.2292
pricepercent	0.5047	-0.4310	0.2543	0.3092	0.1532	0.3283	-0.2444	0.5184	-0.2208	0.3297	1.0000	0.3453
winpercent	0.6365	-0.3809	0.2134	0.4062	0.1994	0.3247	-0.3104	0.4299	-0.2474	0.2292	0.3453	1.0000
	chocolate	fruity	caramel	peanutyalmondy	nougat	crispedricewafer	hard	bar	pluribus	sugarpercent	pricepercent	winpercent

Some features are heavily correlated (see for example chocolate and fruity).

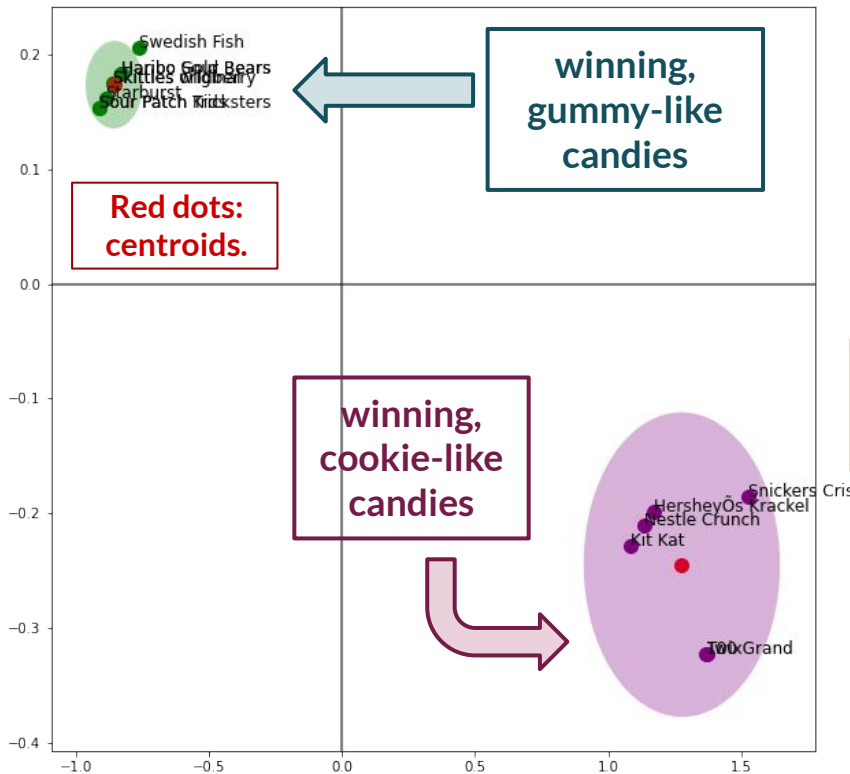
There most likely are redundant variables.

This suggest an approach of dimensionality reduction before trying to extract value from the data.

Results of the analysis

Principal Components Analysis

We reduce the dimensionality of the dataset by applying **Principal Components Analysis**. Now every candy can be described by **only two variables**, so we can plot them on a cartesian grid.



We can expect with 95% confidence that a new cookie-like/gummy-like candy will fall inside the purple/green ellipse.

Linear regression

Q: What is the expected likeability for the **mean** gummy-like or cookie-like candy?

gummy-like

42.52%

cookie-like

62.02%