

Group 11

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3rd place overall(1st in class)

Final sum of medians: 1776.0ms

Sorted Correctly

Big Picture of Algorithm

- Sort with `Arrays.sort(String[] a, Comparator c)`
- Uses inner `PrimesComparator` class to compare the data

Details of Primes Comparator class

- `productOfPrimeFactors(long n)`
 - To speed up the process of finding product of prime factors we use various math properties.

```
if(n%2==0){  
    if(n%10==0){  
        if(n%3==0){  
            return 6;  
        }else if(n%5==0){  
            return 10;  
        }  
    }  
  
    if((n%3)==0)return 6;
```

- `compare(String s1, String s2)`
 - Uses HashMap to store product of primes that were just computed
 - Before we compare two numbers we check if we already calculated the product of prime factors of these numbers,
 - if not we call `productOfPrimeFactors` method and then store result in map

Worst case efficiency

Theoretical Efficiency: `Arrays.sort(...)` uses a stable, adaptive, iterative mergesort where the worst case is $\Theta(n \log(n))$

Expected Efficiency: $\Theta(n \log(n))$ when the data is randomly ordered and a little bit less than $\Theta(n \log(n))$ when data is sorted.

Final Thoughts

- What worked:
 - One interesting feature is the way we traverse through prime numbers
 - Storing the products of prime factors gives us the significant rise in terms of performance.
- What didn't work: Towards the final round we tried to apply Pollard Rho algorithm to calculate prime factors but couldn't get it to work :(
- What we would have done differently is changing our sorting algorithm to a dual pivot quicksort that sorts on an array of longs.