

Governadores

1 mulher

2 homens

Vice

4 homens

2 mulheres

$$1 \times 4 = 4$$

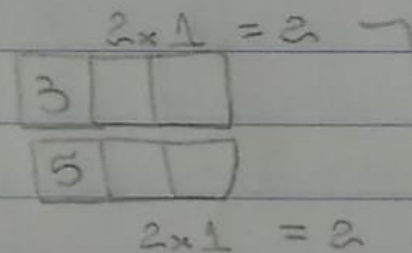
$$2 \times 2 = 4$$

$$4 + 4 = 8$$

R: C

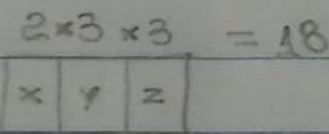
(8 possibilidades)

② $500 - 300 = 200$



$2 + 2 = 4$ possibilidades

③ $500 - 300 = 200$



④ 3 mulheres ———— $3 \times 2 \times 2 = 12$ possibilidades
 2 homens ————

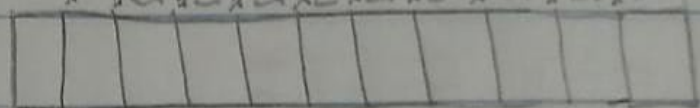
R: 12

⑤ A-B \Rightarrow 3 xad. e 2 ger $\Rightarrow x = 3 + 2 \quad x = 5$
 B-C \Rightarrow 2 xad. e 3 ger $\Rightarrow y = 2 + 3 \quad y = 5$

A-C $\Rightarrow x + y = 5 + 5 = 10$ possibilidades

⑥ 22 jogadores [11 jogadores
11 jogadores

2 de cada posição

$$2 \times 2 \times 2 \times 2 \times 2 \times 2 \times 2 \times 2 \times 2 \times 2 \times 2 = 2048$$


ou

$$2^{11} = 2048$$