## Class: EML6281

## **Assignment: Homework 5**

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In [1]: # Load Libraries
from math import sqrt, sin, cos
import numpy as np
from numpy import deg2rad, pi, rad2deg
import math
```

## Problem 6.2

```
# solve trig function
In [2]:
        def solve_trig(A, B, D):
            valid = 0
            theta_a = 0
            theta_b = 0
             sin gamma = B / sqrt(A*A + B*B)
             cos_gamma = A / sqrt(A*A + B*B)
                             = math.atan2(sin_gamma,cos_gamma)
             ratio = -D/sqrt(A*A + B*B)
             if ratio >= -1.0 and ratio <= 1.0:</pre>
                valid = 1
                 cos_minus_gamma = math.acos(ratio)
                 theta_a = cos_minus_gamma + gamma
                 theta_b = -cos_minus_gamma + gamma
             return valid, theta_a, theta_b
```

```
In [3]: # test solve trig function

A = 1.2
B = -5.1
D = 0.8

valid, theta_a, theta_b = solve_trig(A, B, D)

print('Valid:',valid)
print('Theta_a:',rad2deg(theta_a))
print('Theta_b:',rad2deg(theta_b))

Valid: 1
Theta_a: 22.023535734376182
```

Problem 6.3

Theta\_b: -175.54249590400178

```
In [4]: alpha_12 = deg2rad(75.0)
    alpha_23 = deg2rad(110.0)
    alpha_34 = deg2rad(60.0)
    alpha_41 = deg2rad(80.0)
    theta_1 = deg2rad(120.0)
```

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In [5]: # 416
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# use Z_12 = C_34
                        X 1 = \sin(alpha 41)*\sin(theta 1)
                        Y_1 = -(\sin(alpha_12)*\cos(alpha_41) + \cos(alpha_12)*\sin(alpha_41)*\cos(theta_1))
                        Z_1 = \cos(\alpha + 1) * \cos(\alpha + 1) * \sin(\alpha + 1) * \sin(\alpha + 1) * \sin(\alpha + 1) * \sin(\alpha + 1) * \cos(\alpha + 1) * \cos(\alpha
                        A2 = \sin(alpha_23)*Y_1
                        B2 = \sin(alpha 23)*X 1
                        D2 = \cos(alpha_23)*Z_1 - \cos(alpha_34)
In [6]: valid, theta_2a, theta_2b = solve_trig(A2, B2, D2)
                        print(theta_2a*180/pi)
                        125.02217073092707
In [7]: # solve for theta_3
                        # X 12 = sin 34 * sin 3
                        # Y 12 = sin 34 * cos 3
                        X 12a = X 1 * cos(theta 2a) - Y 1 * sin(theta 2a)
                        Y_12a = cos(alpha_23)*(X_1*sin(theta_2a)+Y_1*cos(theta_2a)) - sin(alpha_23)*Z_1
                        sin_3a = X_12a / sin(alpha_34)
                        cos_3a = Y_12a / sin(alpha_34)
                        theta 3a = math.atan2(sin 3a,cos 3a)
                        X 12b = X 1 * cos(theta 2b) - Y 1 * sin(theta 2b)
                        Y_{12b} = cos(alpha_{23})*(X_{1}*sin(theta_{2b})+Y_{1}*cos(theta_{2b})) - sin(alpha_{23})*Z_{1}*
                        \sin 3b = X \cdot 12b / \sin(alpha \cdot 34)
                        cos_3b = Y_12b / sin(alpha_34)
                        theta_3b = math.atan2(sin_3b,cos_3b)
                        print(theta_3a*180/pi)
                        print(theta_3b*180/pi)
                        -148.1917767900727
                        148.19177679007274
In [8]: # solve for theta_4
                        \# X_21 = \sin_34 * \sin_4
                        # Y 21 = sin_34 * cos_4
                        X 2a bar = sin(alpha 23)*sin(theta 2a)
                        Y_2a_bar = -(\sin(alpha_12)*\cos(alpha_23) + \cos(alpha_12)*\sin(alpha_23)*\cos(theta_2a))
                        Z_2a_bar = cos(alpha_12)*cos(alpha_23) - sin(alpha_12)*sin(alpha_23)*cos(theta_2a)
                        X_21a = X_2a_bar * cos(theta_1) - Y_2a_bar * sin(theta_1)
                        Y_21a = cos(alpha_41)*(X_2a_bar*sin(theta_1)+Y_2a_bar*cos(theta_1))-sin(alpha_41)*Z_2a_bar*cos(theta_1)
                        sin_4a = X_21a / sin(alpha_34)
                        cos_4a = Y_21a / sin(alpha_34)
                        theta_4a = math.atan2(sin_4a,cos_4a)
                        X_2b_bar = sin(alpha_23)*sin(theta_2b)
                        Y_2b_bar = -(\sin(alpha_{12})*\cos(alpha_{23})+\cos(alpha_{12})*\sin(alpha_{23})*\cos(theta_{2b}))
                        Z_2b_bar = \cos(alpha_12)*\cos(alpha_23) - \sin(alpha_12)*\sin(alpha_23)*\cos(theta_2b)
                        X_21b = X_2b_bar * cos(theta_1) - Y_2b_bar * sin(theta_1)
                        Y_21b
                                               = \cos(alpha_41)*(X_2b_bar*sin(theta_1)+Y_2b_bar*cos(theta_1))-sin(alpha_41)*Z_2b_bar*cos(theta_1)
                        sin_4b = X_21b / sin(alpha_34)
                        cos_4b = Y_21b / sin(alpha_34)
                        theta 4b = math.atan2(sin 4b,cos 4b)
```

# solve for theta\_2 first

	Theta_1	Theta_2	Theta_3	Theta_4
Theta_a	120	125.022	-148.192	-113.902
Theta_b	120	60.3869	148.192	-42.9886

print(theta\_4a\*180/pi)
print(theta\_4b\*180/pi)

```
In [ ]:
```