

Question 2b:**i) $\neg p \rightarrow r$**

This means, in that particular state, p is false, r is true. For M, $s_0 \models \varphi$, there is no p and there is r. So it holds. ($s_0 = r$)

For M, $s_2 \models \varphi$, there is no p and there is r. So it holds. ($s_2 = q, r$)

ii) Ft

This means, any state where t is true will be reached in future. For M, $s_0 \models \varphi$, s_0 doesn't have t and it has a self loop. If it always stays on state s_0 , then a state with t will never be reached. So it doesn't hold.

For M, $s_2 \models \varphi$, there is no t, but in the next step to $s_1(p, t, r)$ has t. So it holds.

iii) Fq

This means, any state where q is true will be reached in future. For M, $s_0 \models \varphi$, s_0 doesn't have q and it has a self loop. If it always stays on state s_0 , then a state with q will never be reached. So it doesn't hold.

For M, $s_2 \models \varphi$, there is q in $s_2(q, r)$. So it holds.

iv) $G(r \vee q)$

This means, for every state starting from initial state, there is r or q. For M, $s_0 \models \varphi$, every state is reachable from s_0 and each of them has r or q in it ($s_0(r)$, $s_1(p, t, r)$, $s_2(q, r)$, $s_3(p, q)$). So it holds.

For M, $s_2 \models \varphi$, s_1 and s_2 is reachable from s_2 . Both of them have r or q in them. So it holds.