

HI IM Forecasting: MeerKAT, FAST, BINGO and SKAI

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1. HI IM Development and PCA

Foreground Subtraction for MeerKAT, BINGO, FAST and SKAI

We will develop capabilities to simulate sky signals for HI, foreground from our Milk Way Galaxy and emissions from extragalactic point sources. After adding noise together with signal components of the sky, thereafter we will apply foreground removal techniques, preferably, PCA and GNILIC to strip out contaminations and obtain the original HI sky signals.

1.1 Noise

1. Noise for each pixel,

$$\sigma = \frac{T_{\text{sys}} + T_{\text{sky}}}{\sqrt{\Delta t \Delta \nu}}, \quad (1.1.1)$$

where T_{sys} is the system temperature, T_{sky} is the sky temperature, Δt is the integration time for each pixel and $\Delta \nu$ is the frequency bandwidth (measure of resolution).

2. We pixelize the survey area, using the beam size, θ_{FWHM} as a pixel size. So, for 21-cm, a pixel size is given by

$$\theta_{\text{FWHM}} = \frac{\lambda_{\nu}}{D}. \text{ In other, the usual formula is } \theta_{\text{FWHM}} = \left(\frac{1.22 \lambda_{\nu}}{D} \right). \quad (1.1.2)$$

Here λ_{ν} is the wavelength corresponding to a particular frequency ν , and D is the telescope dish diameter.

3. For each frequency, we will have N number of pixels given by

$$N_{\text{pix}} = \frac{\Omega_{\text{sur}}}{\theta_{\text{FWHM}}^2}, \quad (1.1.3)$$

where Ω_{sur} is the survey area in square degrees.

4. Integration time for each pixel, Δt is then given by

$$\Delta t = \frac{T_{\text{Tot}}}{N_{\text{pix}}}, \quad (1.1.4)$$

where T_{Tot} is the total integration time.

5. This useful relation

$$\theta_{\text{FWHM}}(\nu) = \theta_{\text{FWHM}}(\nu_0) \frac{\nu_0}{\nu} \quad (1.1.5)$$

comes from (2) above. The measure of $\theta_{\text{FWHM}}(\nu)$ is usually in arcminutes (arcmin).

6. We will use the Python Healpy to generate the noise maps, taking into consideration the N_{sides} .

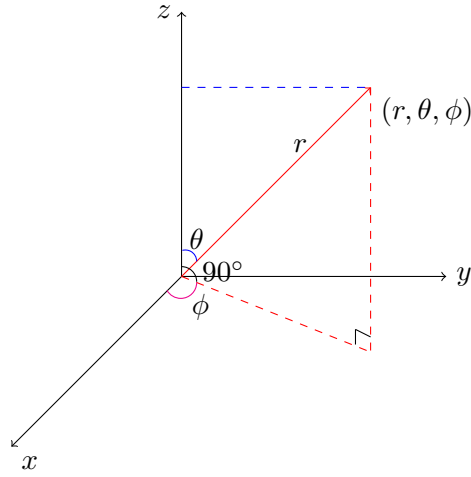


Figure 1.1: 3-D representation of cartesian coordinates

1.2 Masking Maps, Dec & RA

In regard to Figure 1.1, the angles θ and ϕ are related to the coordinates x , y and z by equations

$$\begin{cases} x = r \cos \phi \sin \theta \\ y = r \sin \phi \sin \theta \\ z = r \cos \theta \end{cases} \quad (1.2.1)$$

$RA \sim \phi \in [0, 2\pi]$, $Dec \sim [-\pi/2, \pi/2]$, and $\theta \in [0, \pi]$ is calculated from the equation

$$\theta = \frac{\pi}{2} - Dec \text{ angle}. \quad (1.2.2)$$

For example, the BINGO declination of $[-50^\circ, -40^\circ] \implies \theta \in [130^\circ, 140^\circ]$. The FAST maximum declination range is $[-14^\circ, 65^\circ]$.

- The angle θ is defined in range $[0, \pi]$ and therefore it cannot directly represent declination $[-\pi/2, \pi/2]$.
- θ is the polar angle or colatitude on the sphere, ranging from 0 at the North Pole to π at the South Pole.
- ϕ The azimuthal angle on the sphere, $\phi \in [0, 2\pi[$.