

Improving interim decisions for single-arm trials by adjusting for baseline covariates and short-term endpoints

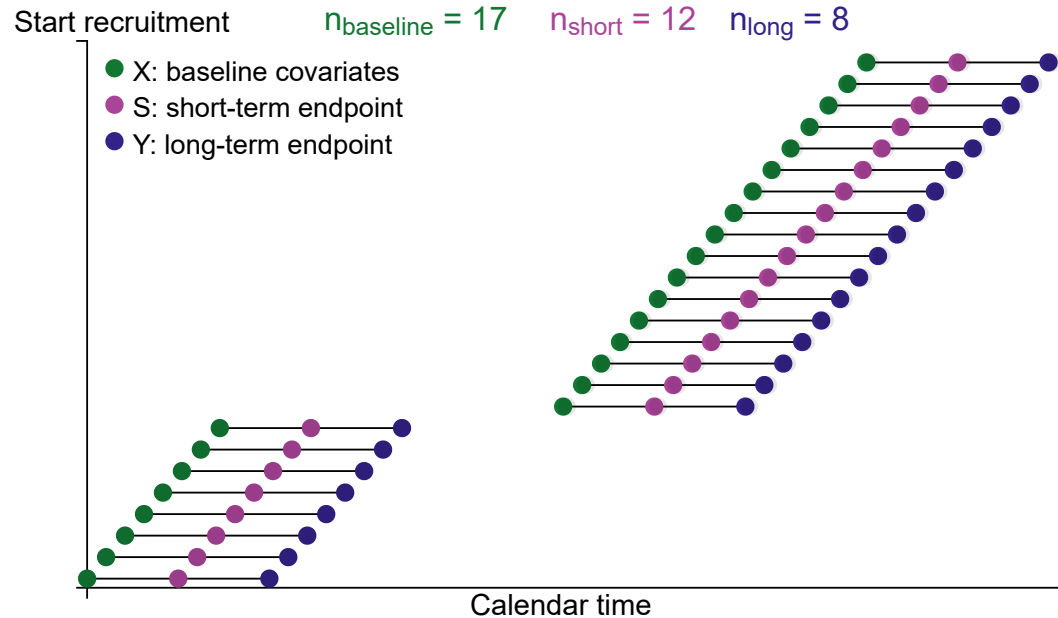
Eline Anslot

Joint work with Kelly Van Lancker

Table of content

1. **Single-arm trials combined with multi-stage designs**
2. Proposed method
3. Simulations
4. Discussion

Single-arm trials with multi-stage designs



Single-arm trials often used when:

- Few participants available
- Ethical reasons
- Effect under SoC well known, e.g., in oncology

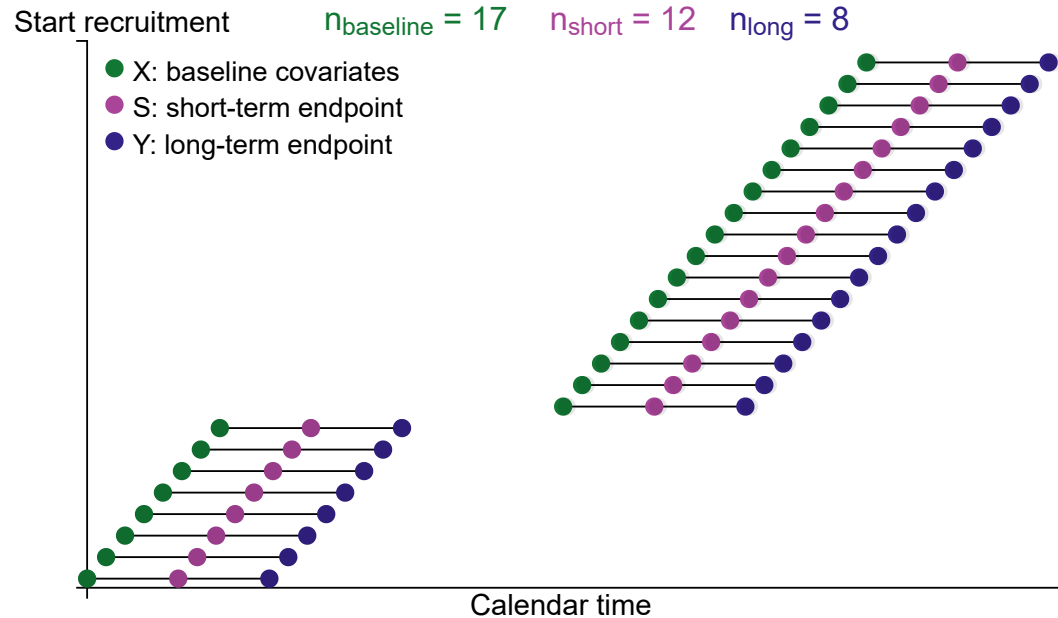
Multi-stage designs allow stopping an ongoing trial for futility and/or efficacy.

Commonly used designs:

- Group sequential designs
- Simon's two-stage designs

Continued/Paused

Interim analysis of two-stage designs



Continued/Paused

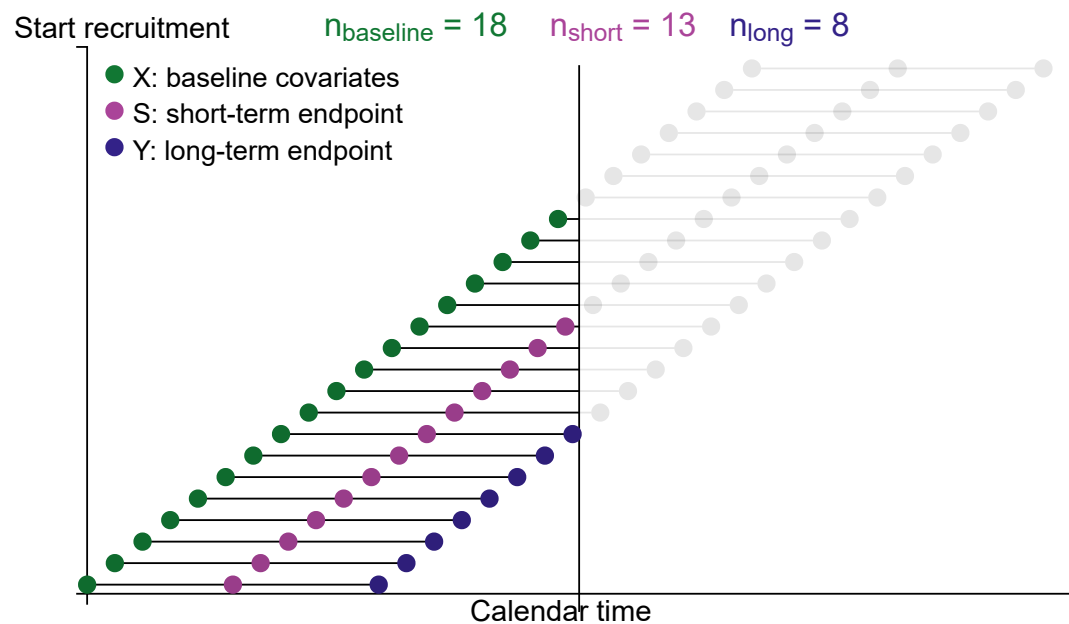
Interim analysis: based on the long-term endpoint \Rightarrow Unadjusted analysis

- **Simon's two-stage design:**
- **Group sequential designs:**

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with compared to cut-off to stop a trial for futility or efficacy based on e.g., Pocock (1977), O'Brien and Fleming (1979) or Lan and DeMets (1983) or error spending functions

Can we use more information?



Unadjusted analysis

Reset

Adjusted analysis

Improve decision by short-term endpoint

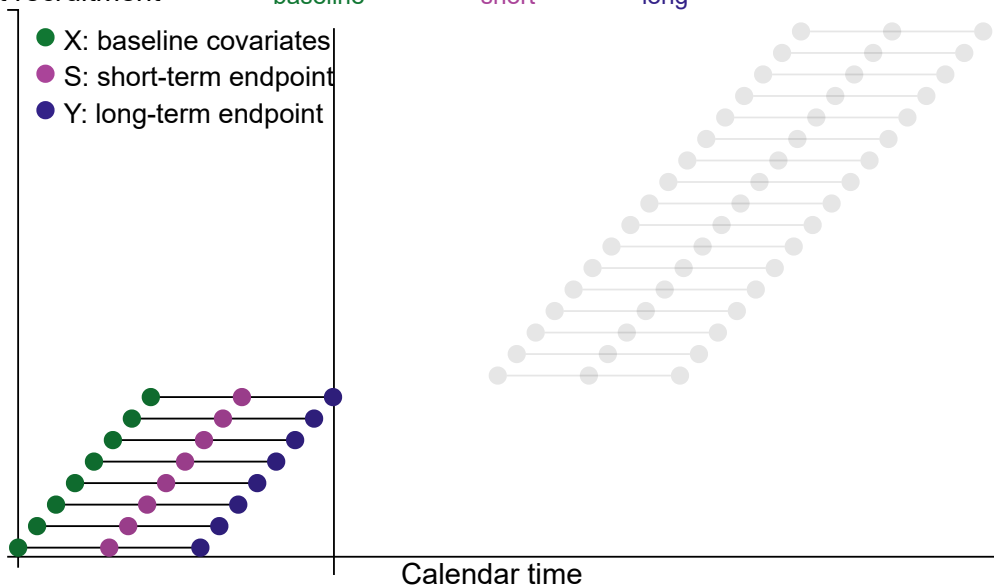
Start recruitment

$n_{\text{baseline}} = 8$

$n_{\text{short}} = 8$

$n_{\text{long}} = 8$

- X: baseline covariates
- S: short-term endpoint
- Y: long-term endpoint



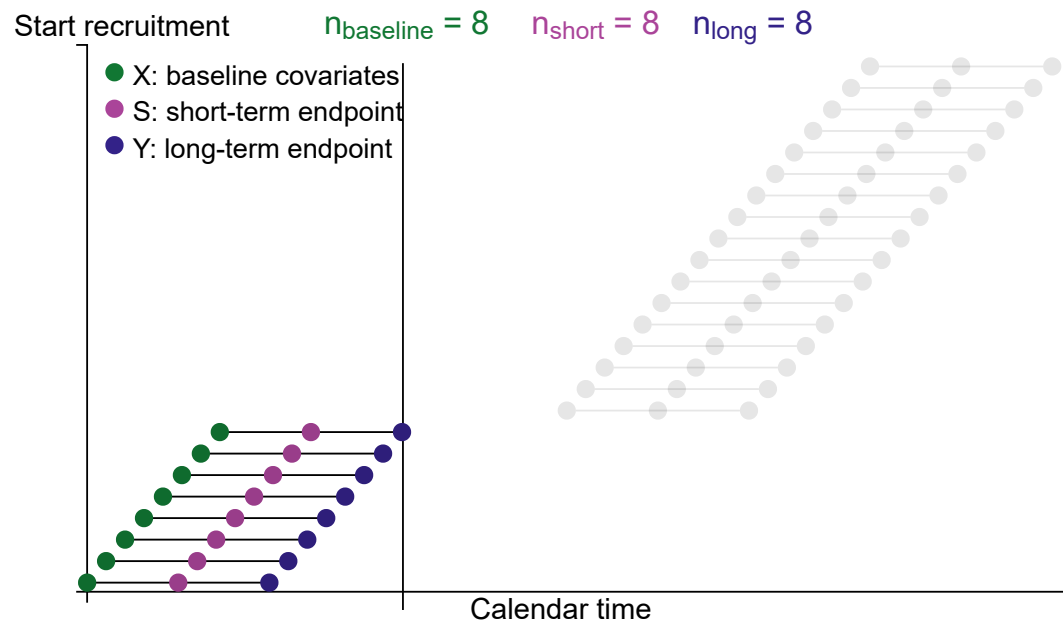
Unadjusted analysis

Kunz et al. (2017)

Zocholl et al. (2023)

Reset

More precise interim estimator



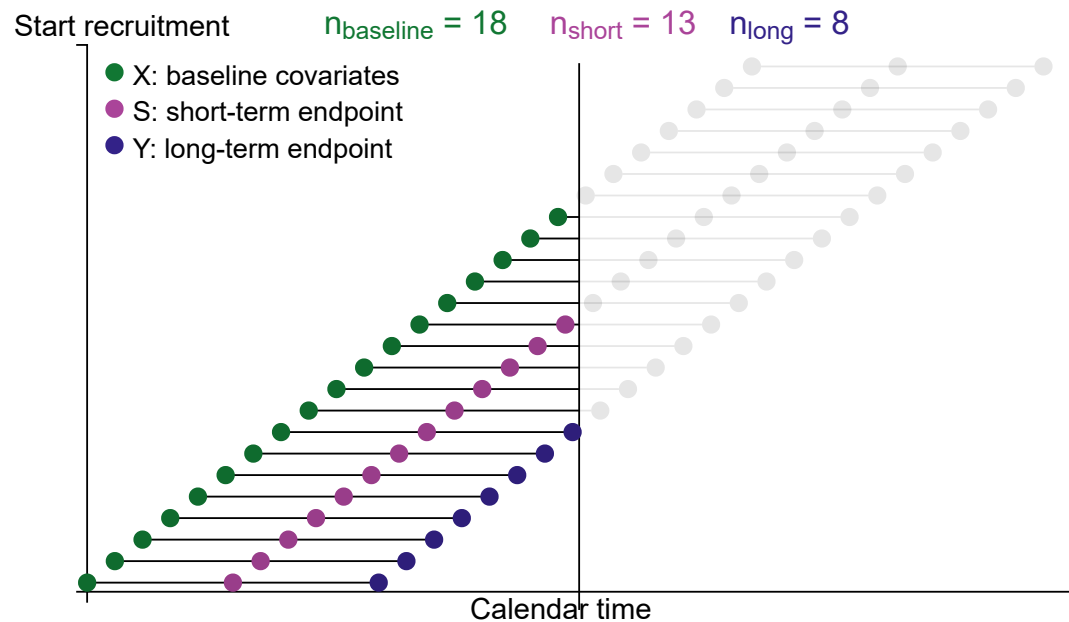
Continued/Paused

- **Recruitment with a pause:**
Possible as in Kunz et al. (2017) and Zocholl et al. (2023)
- **Continuous recruitment:**
⇒ Focus of the talk

Table of content

1. Single-arm trials combined with multi-stage designs
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3. Simulations
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Proposed method

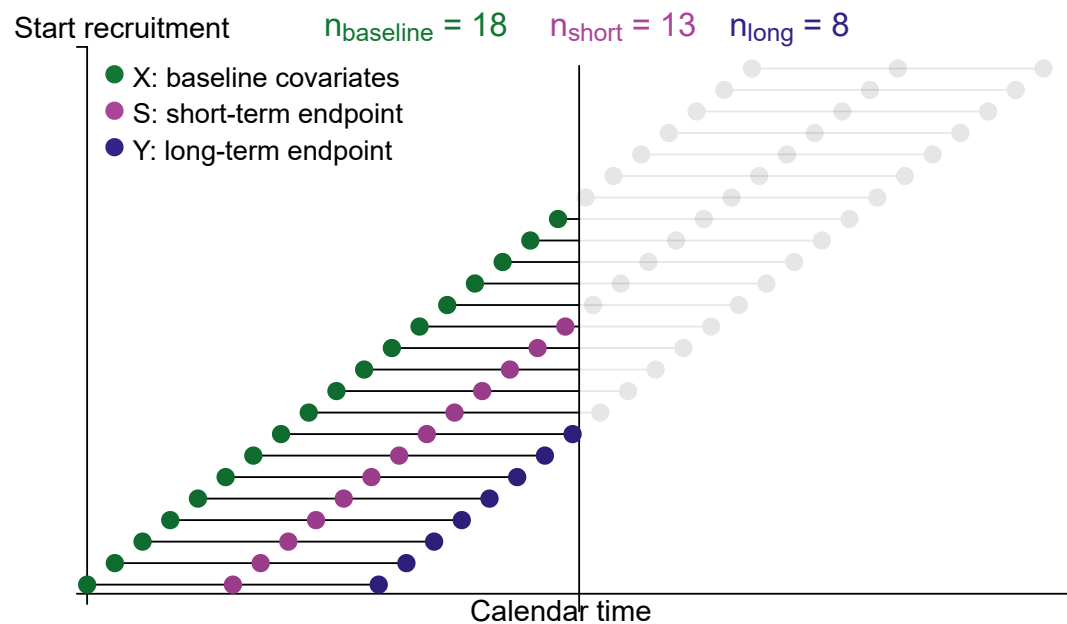


Step 1: Model fitting in cohort 1:

$h(\cdot)$: canonical link function

Step 2: Predicting in cohort 1 and 2:

Proposed method



Step 3: Model fitting in cohort 1 and 2:

Step 4: Predicting in cohort 1, 2 and 3:

Step 5: Averaging

Proposed method - Decision at interim

Decision at interim:

In Group Sequential Design:

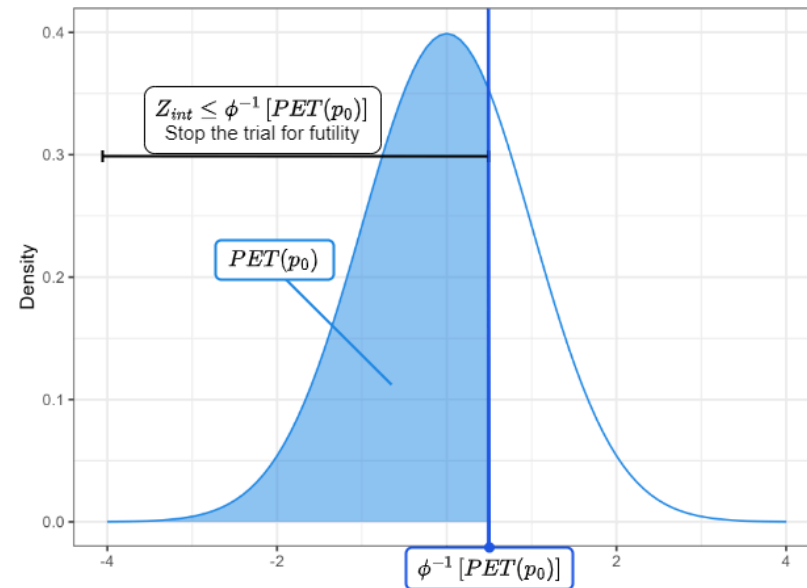
compared to cut-off to stop a trial for futility or efficacy based on e.g.,

Pocock (1977), O'Brien and Fleming (1979) or

Lan and DeMets (1983) or error spending functions

In Simon's Two-Stage:

with



Proposed method

Decision at interim:

- Adjusting for multiple short-term endpoints and baseline covariates
- Asymptotically unbiased even with misspecified models
 - Under random recruitment
- Asymptotically efficient when models are correct

Table of content

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2. Proposed method
3. **Simulations**
4. Discussion

Simulation settings

,
Design: two different optimal two-stage designs to generate e.g., and

Design	p ₀	p _A	n _{final}	n _{long}	r ₁	PET(p ₀)
1	.25	.35	149	56	15	.6853
2	.25	.30	522	223	57	.6112

Setting 1:

Design	Adjustment		n _{interim}		Proportion n _{short}	Degree of Predictivity
	Baseline covariate(s)	Short-term endpoint	n _{long}	n _{short}		
1	/	1	56	15	0.20	Low to High
				25	0.30	
				58	0.50	
				86	0.60	
				58	0.20	
2	/	1	223	99	0.30	Low to High
				228	0.50	
				299	0.60	

Simulation settings

Design: two different optimal two-stage designs to generate e.g., and

Design	p ₀	p _A	n _{final}	n _{long}	r ₁	PET(p ₀)
1	.25	.35	149	56	15	.6853

Setting 2:

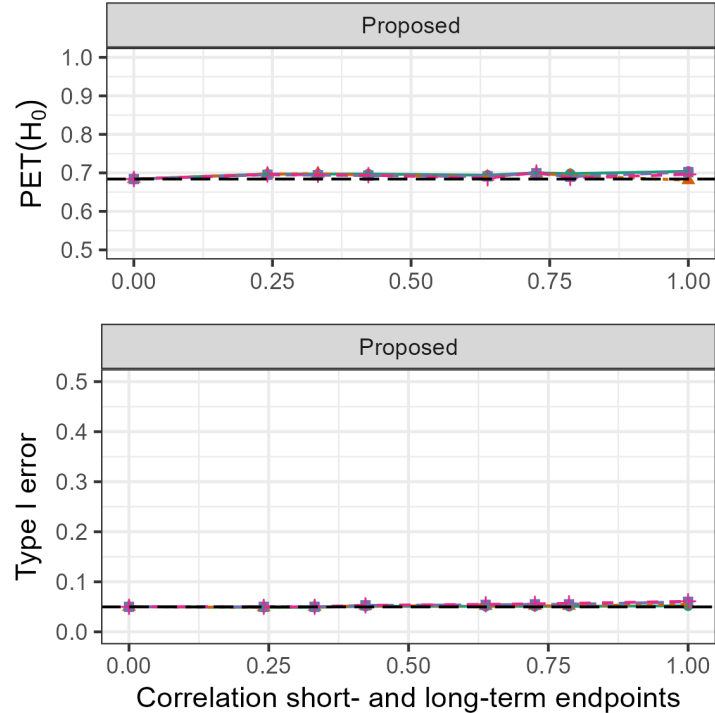
Design	Adjustment		n _{interim}			Degree of Predictivity	Models	
	Baseline covariate(s)	Short-term endpoint	n _{cohort1}	n _{cohort2}	n _{cohort3}		Correct	Misspecified
1	3	1	56	29	29	Low, Moderate, High	✓	✓

Setting 1 - Under the null hypothesis

Proportion n_{short} —●— 0.2 —▲— 0.3 —■— 0.5 —+— 0.6

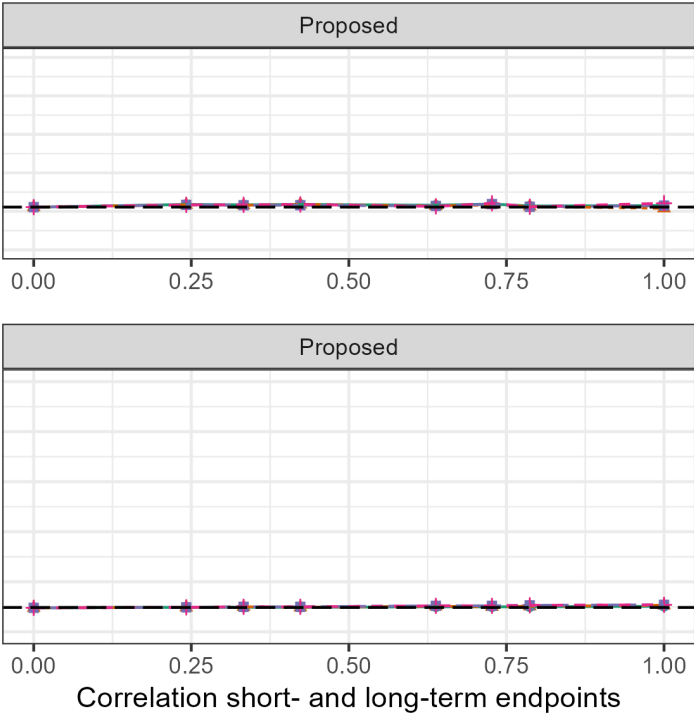
Design 1

$n_{\text{final}} = 149$, $n_{\text{long}} = 56$, $p_A = .35$ and $p_0 = .25$



Design 2

$n_{\text{final}} = 522$ and $n_{\text{long}} = 223$, $p_A = .30$ and $p_0 = .25$

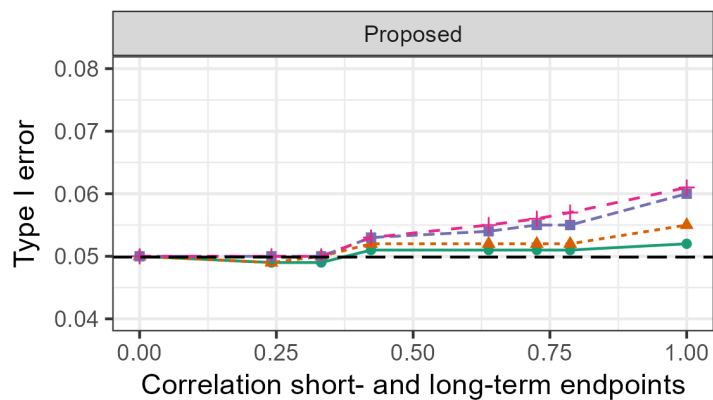
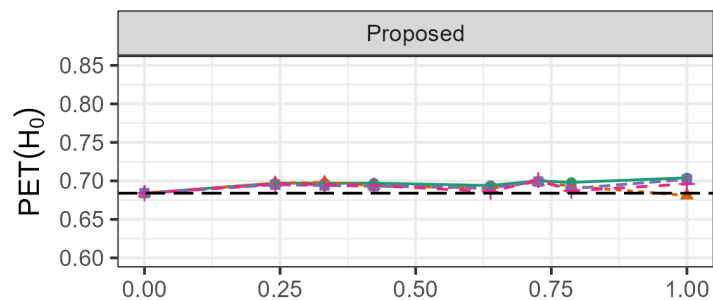


Setting 1 - Under the null hypothesis

Proportion n_{short} — 0.2 — 0.3 — 0.5 — 0.6

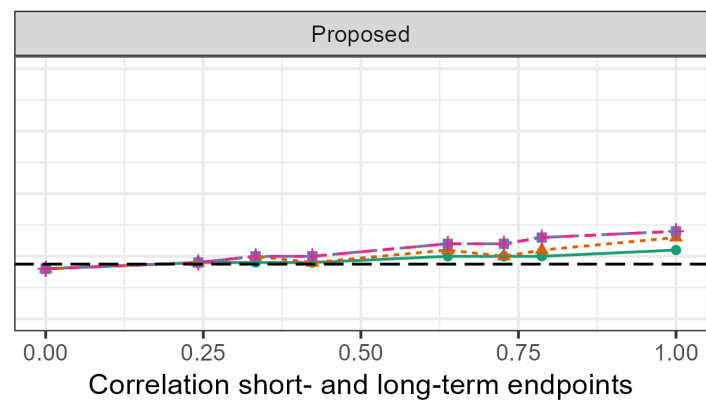
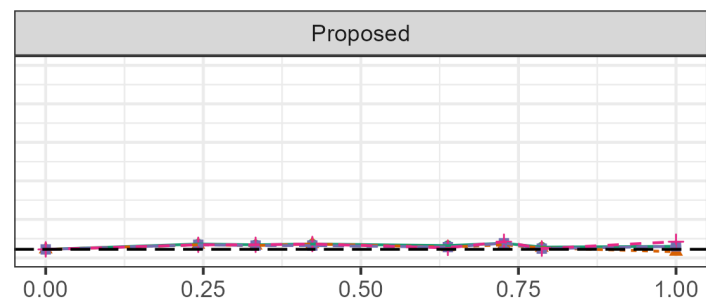
Design 1

$n_{\text{final}} = 149$, $n_{\text{long}} = 56$, $p_A = .35$ and $p_0 = .25$



Design 2

$n_{\text{final}} = 522$ and $n_{\text{long}} = 223$, $p_A = .30$ and $p_0 = .25$

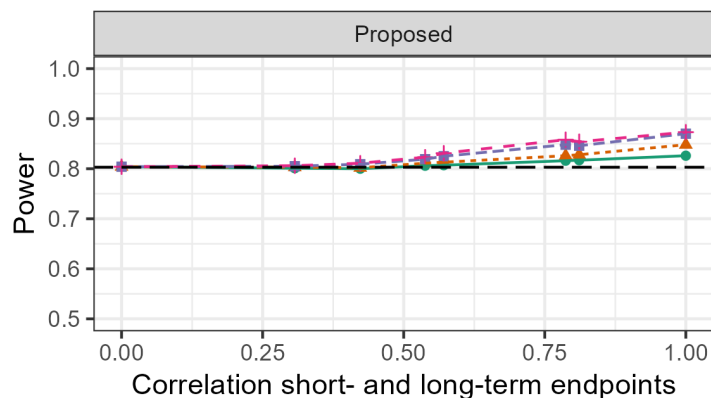
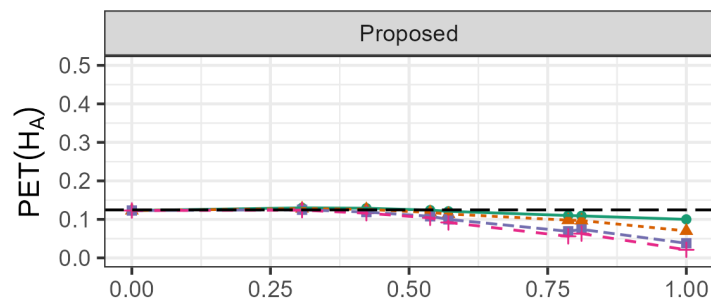


Setting 1 - Under the alternative hypothesis

Proportion n_{short} — 0.2 — 0.3 — 0.5 — 0.6

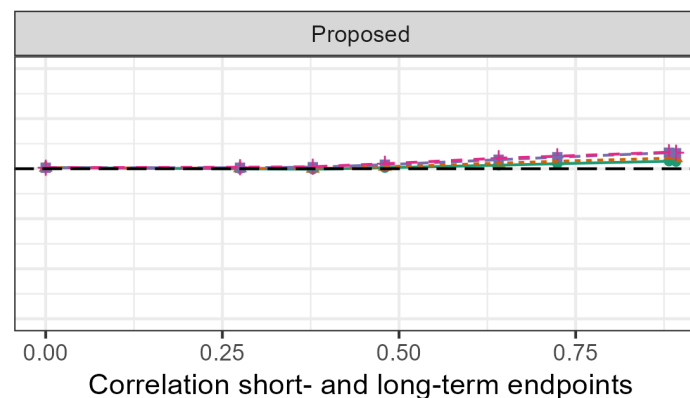
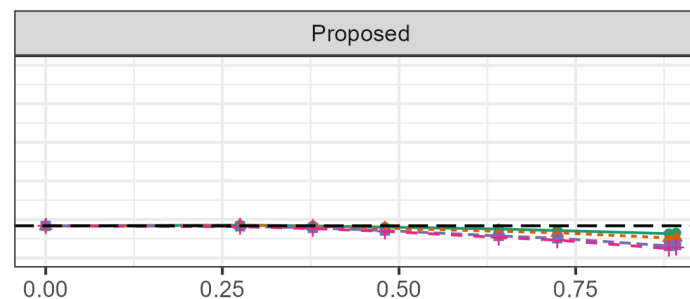
Design 1

$n_{\text{final}} = 149$, $n_{\text{long}} = 56$, $p_A = .35$ and $p_0 = .25$



Design 2

$n_{\text{final}} = 522$ and $n_{\text{long}} = 223$, $p_A = .30$ and $p_0 = .25$



Setting 2 - Model misspecification

Models	Degree of predictivity	power
Correct	Not predictive	79.7%
	Moderately predictive	82.4%
	Highly predictive	84.6%
Main	Not predictive	79.6%
	Moderately predictive	82.4%
	Highly predictive	84.7%
$ X_1 $	Not predictive	79.9%
	Moderately predictive	80.2%
	Highly predictive	80.8%

Table of content

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Discussion

Additional gain of the proposed method, depends on:

- Proportion of additional participants in the pipeline
 - But ideally not everybody should be recruited at interim
- Predictivity of baseline covariates and short-term endpoint
- Model misspecification
 - Extension: data-adaptive methods to help build the models (see e.g., Van Lancker et al., 2024)

Calculate sample size as if no power gain occurred

Thank you for your attention

Questions?

